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post	Review of a lecture 2 - A Diversity-Promoting Objective Function for Neural Conversation Models

# summary 1

ldx	Contents				
Topic	We suggest that the traditional objective function, i.e., the likelihood of output (response) given input (message) is unsuited to response generation tasks. Instead we propose using <b>Maximum Mutual Information</b> ( <b>MMI</b> ) as the objective function in neural models.				
Dataset	Twitter Conversation Triple Dataset, OpenSubtitles dataset,				
Github	Torch implementation				
Conclusion	We show that use of MMI results in a clear decrease in the proportion of generic response sequences, generating correspondingly more varied and interesting outputs				
	Model SEQ2SEQ	BLEU 1.28	<i>distinct-1</i> 0.0056	<i>distinct-2</i> 0.0136	
Analysis 1	MMI-antiLM	1.74 (+35.9%)	0.0184 (+228%)	0.066 (407%)	
/ widiyolo i	MMI-bidi	1.44 (+28.2%)	0.0103 (+83.9%)	0.0303 (+122%)	
	Table 3: Performance of the SEQ2SEQ baseline and two MMI models on the OpenSubtitles dataset.				

## **Problem**

 In part at least, this behavior can be ascribed to the relative frequency of generic responses like I don't know in conversational datasets, in contrast with the relative sparsity of more contentful alternative responses

# Intuition

 Intuitively, it seems desirable to take into account not only the dependency of responses on messages, but also the inverse, the likelihood that a message will be provided to a given response.s

#### **MMI** Criterion

- $\frac{p(S,T)}{p(S)p(T)} = argmax\{ logp(T|S) logp(T)\}$
- · Current research only used the criterion in testing time
  - reason 1: nontrivial to calculate it
  - reason 2: time consuming

# generalization of MMI

 $\arg\max\{\log (T|S) - \lambda \log(T|S) - \beta \log(T|S) + \beta \log(T|S) + \beta \log(S|T) - \beta \log(S)$ 

#### **MMI-antiLM**

- \$logp(T|S) \lambda logp(T)\$
- limit: ungrammatical responses
  - It penalizes not only high-frequency, generic responses, but also fluent ones and thus can lead to ungrammatical outputs
- solution : we replace the language model p(T) with U(T)
  - $U(T) = \operatorname{prod} p(t_k|t_1,...,t_{k-1})^*g(k)$  where g(k) = 1 if  $k \leq g(k) = 0$
  - intuition: Thanks to memory-loss property of seq-2-seq models, first few sentences determine the decoded sentences. Therefore, penalizing only those is valid.

#### MMI-bidi

\$(1-\lambda)logp(T|S) + \lambda logp(S|T)\$

- limit : decoding intractable
  - Reason's simple. We literally can't compute \$logp(S|T)\$
- solution : Pick N-best lists from \$logp(T|S)\$ and compute \$log(S|T)\$

# **Decoding techniques**

### **MMI-antiLM**

- length of the sequences is Important
  - Score(T) = p(T|S) \lambda U(T) + \gamma U(T)\$
- hyperparams \$\gamma\$ and \$\lambda\$
  - optimize by MERT with N-best lists by beam search.

#### MMI-bidi

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