

$$(9) \quad r(s, t) = \langle s \cos t, s \sin t, s \rangle$$

$$x = s \cos t \quad y = s \sin t \quad z = s$$

$$x = z \cos t \quad y = z \sin t$$

$$t = \cos^{-1}\left(\frac{x}{z}\right) \quad t = \sin^{-1}\left(\frac{y}{z}\right)$$

$$x = z \cos\left(\sin^{-1}\left(\frac{y}{z}\right)\right) \quad y = z \sin\left(\cos^{-1}\left(\frac{x}{z}\right)\right)$$

$$x^2 = s^2 \cos^2 t \quad y^2 = s^2 \sin^2 t \quad z^2 = s^2 = x^2 + y^2$$

$$z^2 = x^2 + y^2 : \quad \boxed{\text{Surface of a circular cone with axis as } z \text{ axis}}$$

$$(13) \quad \boxed{\text{IV}} \quad r(u, v) = \langle u \cos v, u \sin v, v \rangle \quad x = u \cos v \quad y = u \sin v \quad z = v$$

$$r(k, v) = \langle k \cos v, k \sin v, v \rangle \quad x = k \cos v \quad y = k \sin v \quad z = v$$

Graph has circular orbits with constant radius  $k$ , follows a helix structure. Centered axis is  $z$  axis. Graph  $y$  has all of the preceding characteristics.

$$(17) \quad \boxed{\text{III}} \quad x = \cos^3 u \cos^3 v \quad y = \sin^3 u \cos^3 v \quad z = \sin^3 v$$

$$v = k$$

$$x = \cos^3 u \cos^3 k \quad y = \sin^3 u \cos^3 k \quad z = \sin^3 k$$

$$a = \cos^3 k \quad x = a \cos^3 u \quad y = a \sin^3 u \quad z = \sin^3 k$$

equation contains a diamond cross section parallel to the  $xy$  plane. graph  $\text{III}$  is the only graph with diamond/as traid cross sections.