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Improving Boundary Condition Stability in PHASTA

1 Introduction

2 Initial Outline of PHASTA

PHASTA begins execution at `main`, located in `phSolver/[in]compressible`, depending on which branch is desired. This function initializes MPI, and then calls `phasta`, located in `/phSolver/common`. Here, inputs are read and computed in `input`, and then the solver is run by calling `proces`, a Fortran routine. Within `proces`, `gendat` generates geometry and BC data.

Routines followed by an asterisk (*) are outlined in further detail separately.

INCOMPRESSIBLE ONLY, and we ignore cardiovascular impedance and RCR boundary stuff.

- `main`
  - initialize MPI
  - `phasta`
    - initialize PETSc
    - set input data paths
    - `input` — populate data structures with problem set-up and solver parameters
      - `readnblk` — read and blocks data
        - read `numstart.dat` and finds appropriate `restart.dat` files
        - read geometry from Posix or SyncIO files using `phio_readheader`
        - calculate maximum number of boundary element nodes
        - initialize constants like `ndof`, `ndofBC`, `ndiBCB`, and `ndBCB`
        - `genblk` — read and block connectivity
        - read BC mapping array into `nBC`
        - read temporary boundary condition code into `iBCtmp`
        - read BC data into `BCinp`
        - read periodic BC data into `iperread`
        - `genbkb` — generate boundary element blocks and traces for gather/scatter operations
        - read restart data into diffusive flux vector `qold`, primitive variables `uold`, and accelerations `acold`
      - echo global information
      - assert valid input constants (e.g. `icoord`, `navier`, `iexec`) defined in `common.h`
      - echo solver and integration information
      - `genint` — generate integration information
      - estimate number of nonzero globals
      - compute fluid thermodynamic properties
    - `proces` — generate problem data and calls the solution driver

        - `gendat` — generate geometry and BC data
            - `getshp` — generate the interior nodal mapping
            - `geniBC` — generate boundary condition codes
            - `genBC` — generate the essential boundary conditions
            - work with Dirichlet-to-Neumann BCs (?)
            - `genshpb` — generate boundary element shape functions
            - `genini` — read initial values in primitive ($\underline{U}$) form, satisfies BCs, and converts to $\underline{Y}$ form, filling the `y` vector
        - `setper` and `perprep` — store inverse of sum of one and number of slaves in `rcount`
        - LES-specific routines `keeplhsG` and `setrls` called as needed
        - `initStats` — allocate arrays to store flow statistics
        - RANS-specific routine `initTurb`
        - cardiovascular-specific routine `initSponge`
        - adjust BCs to interpolate from file `inlet.dat`, if it exists
        - set up eddy-viscosity ramp specific to NGC/Duct case
        - `itrdrv`*— iterate the discrete solution using the predictor multi-corrector algorithm
    - finalize PETSc
- finalize MPI

Numerical solution of the time-integrated unsteady Navier-Stokes equations occurs within `itrdrv`. Working arrays are listed in Table 2.

- `itrdrv`
    - `initTimeSeries` — initialize time series collection to `varts.*.dat` files using `xyzts.dat` input
    - initialize `istep` and `ifuncs(:)` to zero, and set `yold = y` and `acold = ac`
    - `initEQS` — initialize equation solver (look into this later *?)
    - `do itsq = 1, ntseq` — main loop over time sequences
        - set `itseq = itsq`
        - set iteration-specific variables for `nstep`, `niter`, `loctim`, and `deltol`
        - `itrsetup` — set up time integration parameters
            - calculate α_m, α_f, and γ as functions of ρ_∞
            - set global time increment inverse `Dtgl` and CFL data `CFLfl`
        - calculate number of flow solves per step, store in `nitr`
        - `do istp = 1, nstp` — main loop over time steps
            - `asbwmod` — set traction BCs if turbulence wall model is set (`itwmod`)
            - `itrPredict`*— predict primitive variables at time $n+1$
            - `itrBC`*— satisfy BCs on the primitive variables; returns a modified `y`
            - `itrBCSclr`*— satisfy BCs on the scalar `isclr`; returns a modified `y`
            - `do istepc = 1, seqsize` — loop over individual solves of flow and scalar
                - `icode = stepseq(istepc)` — get sequence code
                - `if` this is a flow solve
                    - `SolFlow`*— perform a flow solve
                - `else if` this is a scalar solve
                    - `SolSclr` — perform a scalar solve

        - ▸ `else` this is an update
          - ▹ `itrCorrect`*and `itrBC`*— update flow if desired
          - ▹ `itrCorrectSclr` and `itrBCSclr` — update scalar if desired
      - ○ `stsGetStats` — obtain time averaged statistics
      - ○ find solution at end of time step and move it to old solution variables
      - ○ increment `istep` and `lstep`
      - ○ `Bflux` — compute the consistent boundary flux if desired
    - deallocate variables and close files
  - ▫ deallocate variables and close files

Iteration routines...

- ■ `itrPredict` — predict solution variables at time $n+1$
  - ▫ `if (ipred .eq. 1)` — we are using same-velocity prediction, as discussed in class
    - set $\underline{Y}^{n+1}{}^{(i)} = \underline{Y}^{n}$
    - set $\underline{Y}^{n+1}{}^{(i)}_{,t} = (1 - 1/\gamma)\underline{Y}^{n}_{,t}$
  - ▫ other prediction methods (zero-acceleration, same-acceleration, and same-delta) are also supported with different values of `ipred`

Boundary conditions are set with the `iBC` and `BC` arrays. The bits of `iBC`, in increasing order, indicate whether the following BCs are set: ρ, T, p, u_1, u_2, u_3, scalars 1–4, periodicity, scaled plane extraction (SPEBC), axisymmetry, and deformable wall (for cardiovascular cases). This means for each global node, `iBC` has at least 14 bits. Note that `ibits(i,a,l)` extracts bits `a+1` through `a+l` of the integer `i`, and returns the base-10 integer. This routine is used to help identify and process boundary condition flags held in `iBC`.

- ■ `itrBC` — satisfy BCs on the primitive variables
  - ▫ impose limits on $\underline{Y}$, using the `ylimit` data structure of dimension `(3, nflow)`, whose first index contains limit flag, lower limit, and upper limit for each flow variable.
  - ▫ velocity BCs
    -
  - ▫ pressure BCs
    -
  - ▫ local periodic BCs
  - ▫ global periodic BCs

Going through lectures 26 and 27.

First in the compressible code. Data structures are used in `solgmr` -> `elmgmrs` (sparse). Section on diffusive flux reconstruction, set up some arrays for interior elements. call `asigmr`, took care of volume integrals. now come to boundary elements, which is where integral over gamma takes place. block boundary elements as a separate list of elements with separate connectivity. as `asbmfg` is called, `mienb` holds boundary elements. computing normal gradients requires nodes off of the boundary. solution goes into `asbmfg` (no time derivatives are input, unlike `asigmr`), out comes a modified solution. in `asibmfg`: working with a block of elements; solution and coordinates are localized, local residual is zeroed, call `e3b`, assemble local residual. in `e3b`: loop over quadrature points (`ngaussb`), `getshpb` to get boundary shape functions, `e3bvar` called with

surface normals, need `Fv{2,3,4}` to evaluate the floating flux, let `e3bvar` compute `Fv` values and fluxes, then test if we should use computed value or value from prescribed boundary condition. in `e3bvar`: interpolate nodal values to quadrature points, call `getthm` to compute thermodynamic state, compute element metrics for mapping physical space to get `wdetj`, compute `rou`,`p` and `tau*n`,`heat` (normal flux, pressure, traction vector, heat flux) that is, `rou` takes $h^m(\xi_l)$, `p` takes $h^p(\xi_l)$, `tau*n` takes $h^v_*(\xi_l)$, etc. what's passed out is these things and the raw variables, their gradients, and the derived thermodynamic state. Back to `e3b`, do convective pressure, n-s, heat terms. after return from `e3bvar`, if no natural bc flag is set, we overwrite `rou`,`p` with floating values. compute euler stuff; then compute viscous stuff. get floating flux `tau*n`, overwrite where bits are not set. be careful what's passed out and in. also compute aerodynamic forces and heat flux in `e3b`, since we're doing surface integrals anyway.

incompressible is different, slightly. don't interpolate temperature at the outset; compute normal via cross-product; compute deformation gradient, local and global variable gradients; `unm` has the floating value of $\underline{u} \cdot \underline{n}$. eventually compute `tau*n`, which has the total stress floating value. skip over a bunch of deforming-wall stuff. iBCB did not come in to e3bvar; only floating flux stuff is computed in `e3bvar` for incompressible. all nodal interpolation is now done in `e3b`:

for Dirichlet bcs, `iBC` was a bitmap to boundary conditions `BC`

for natural bcs, `ibcb`(1:$\text{nel}_{\text{in block (npro)}}$,...) is a bitmap to boundary conditions `BCB`(:,...), where ... takes normal flux, pressure, traction vector, and heat flux take values 1–4.

going through more code... (2016-03-30)

compressible `itrdrv`. common `genadj` creates `rowp` and `colm`, assuming we had the matrix in our hands. but how do we do this if we don't have the non-sparse matrix availble? that's what `genadj` does. `asadj` loops over elements, gets a list of local node numbers, cross-associate them in the `row_fill_list` if that global node doesn't need to be put in the `row_fill_list`. only needs to be done once each time per adaptation; some stuff is $\mathcal{O}(n^2)$, but per processor. So maybe only 600=n per processors, which is not that bad. Back in `genadj`, we build the `rowp` and `col` arrays. we need their elements to be ordered since we do a binary search on them at some points.

this stuff is used in `irdrv` when it calls `solgmrs`, calls `elmgmrs` to populate lshk with current iteration's tangent values (same for `res`). allows us to start `gmres`; factorize matrix; precondition rhs with `i3lu`; `spsi3pre` sparse matrix preconditioning of `lhsk`; copy preconditioned residual into `uBrg`, which is a collection or Krylov vectors; calculate it's norm, make orthonormal; outer gmres loop `do 2000` can be skipped, which is the gmres restart; actual start of GMRES discussed in class is `uBrg` statement just before `do 1000`; `sumgat` does off-processor (communication).

Symbol	Dimension	Description
`nshg`		# global shape functions (`ngsh` = `nnp` if piecewise linear)
`nnp`		# global nodal points
`npro`		# elements, indexed by e
`nshl`		# nodes per element, indexed by a
`ndof`		# degrees of freedom, including scalars for turbulence models
`nflow`		# flow variables (4 incompressible, 5 compressible)
`ntseq`		# time sequences (?)
`nstep`		# time steps requested for current run
`lstep`		current time step
`lstep0`		first time step solved by current run, initialized to `lstep+1`
`istep`		step number relative to start of run
`iter`		iteration number
`niter`	`(MAXTS)`	# multi-corrector iterations per time step
`loctim`	`(MAXTS)`	local time stepping flag (?)
`deltol`	`(MAXTS, 2)`	velocity and pressure delta ratios
`impl`	`(MAXTS)`	heat, flow, and scalar solver flags (1's, 10's and 100's places)
`iturb`		indicates which turbulence model to use
`ifunc`		function evaluation counter, `niter*(lstep-lstep0)+iter`
`ifuncs`	`(6)`	function evaluation counter (?)
`y`	`(nshg, ndof)`	$\underline{Y}$ variables
`x`	`(nshg, nsd)`	node coordinates
`iBC`	`(nshg)`	BC codes
`BC`	`(nshg, ndofBC)`	BC constraint parameters
`shp`	`(nshape, ngauss)`	element shape functions at Gauss points (interior)
`shb`	`(nshapeb, ngaussb)`	element shape functions at Gauss points (boundary)
`shgl`	`(nsd, nshape, ngauss)`	local shape function gradients at Gauss points (interior)
`shglb`	`(nsd, nshapeb, nguassb)`	local shape function gradients at Gauss points (boundary)
`iper`	`(nshg)`	periodicity table

3 Life's Persistent PHASTA Questions

- Is `qold`, allocated in `readnblk.f` ever deallocated? Can't find it.
- Why do most of the time step parameters have dimension `MAXTS`?
  - It also seems that some parameters are indexed by `itseq`, but don't change from step to step.
- When is it the case that `ndof` $\neq$ `nflow`? For example during its limit-imposing stage, `itrbc` loops over `nflow` when indexing `y`'s dimension of size `ndof`.