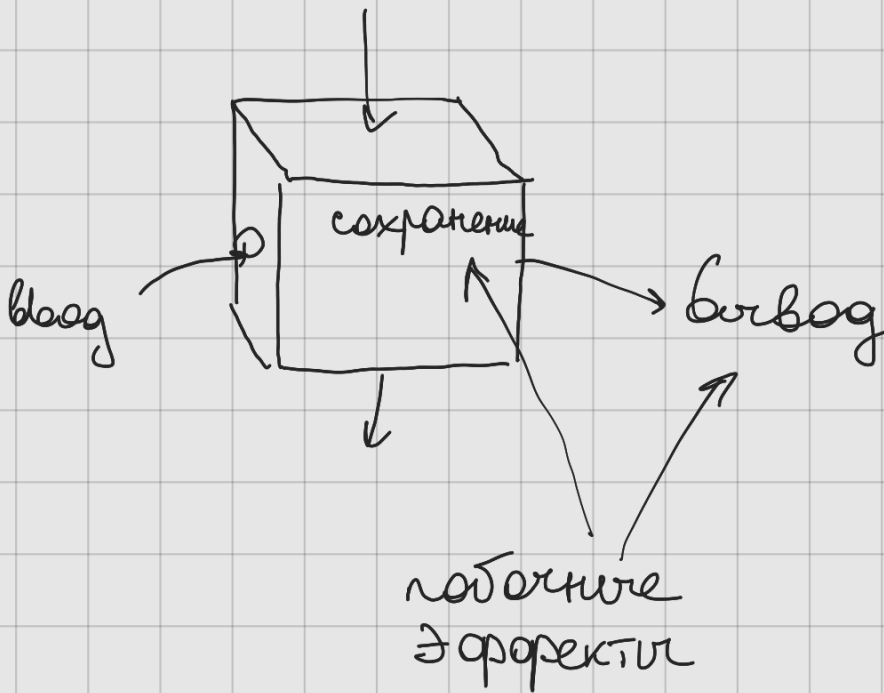
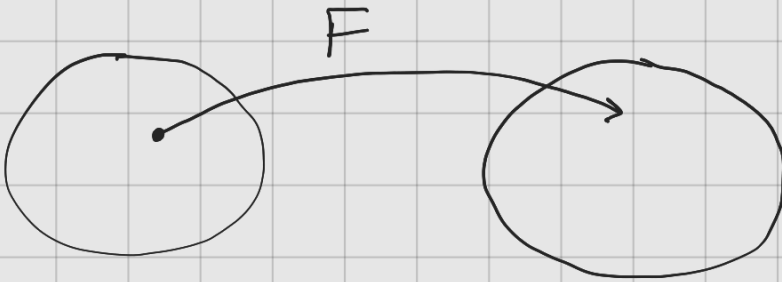
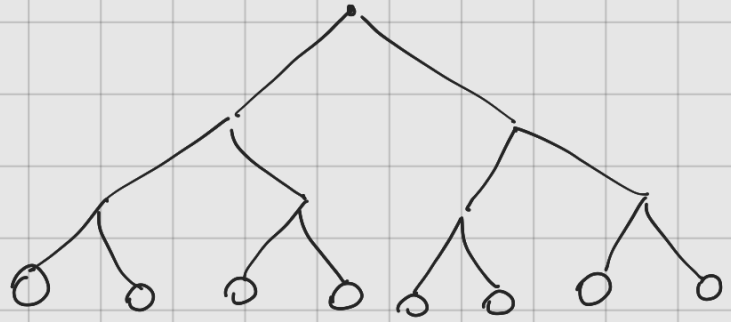


Динамическое программирование

$$F(x) \begin{matrix} \xrightarrow{\quad} F(x^1) \\ \xleftarrow{\quad} F(x^2) \end{matrix}$$



@ru cache

@cache



"ничего" просто
минимум

cache → проверяет, для
каких x вычислили
значения

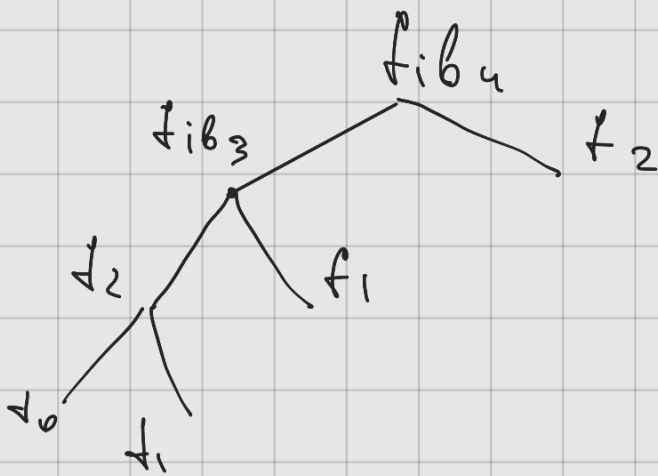
q3 gna gna
(метод)

@lru_cache(size=10000)

import functools

@functools.lru_cache

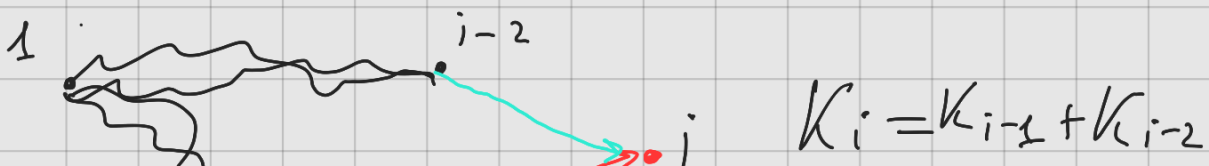
def

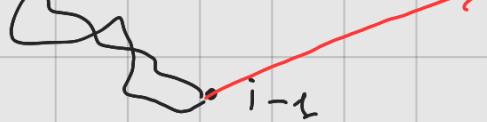


Динамическое программирование (снизу)



$K_i \rightarrow$ способ добраться от 1 до i





$$K_0 = 0$$

$$K_1 = 1$$

$$K = [None] * (n+1)$$

$$K[0] = 0$$

$$K[1] = 1$$

for i in range(2, n+1):

$$K[i] = K[i-2] + K[i-1]$$

print(K[n]).

C_i - min общая стоимость добраться от 1 до i-й клетки



$$C_i = \min(C_{i-1}, C_{i-2}) + P_i$$

def min_cost_path(price: list, n):

$$C = [None] * (n+1)$$

$$C[0] = float('inf')$$

$C[1] = \text{price}[1]$

for i in range(2, n+1):

$C[i] = \min(C[i-1], C[i-2]) + \text{Price}[i]$

Print($C[n]$)

path = [n]

$i = n$

while $i \neq 1$:

if $C[i] = C[i-1] + P[i]$:

$i = i - 1$

else:

$i = i - 2$

path.append(i)

path.reverse()

return path.

Макс. сумма подпоследовательности

$A = [1, -2, 3, -5, 0, 6, -3, 7, -9, 2, -15, 6, 3, -5]$
 $S = [0, 1, -1, 2, -3, -3, 3, 0, 7, -2, 0, -15, -9, 4, -1]$

$S_{min} = [0, 0, -1, -1, -3, -3, -3, -3, -3, -3, -3, -15, -15, -15, -15]$
 $S[i] = S[i-1] + A[i]$

$$S[i] = \text{sum}(A[0:i])$$

$$S_i^{\min} = \min(S[0:i])$$

$$S_i^{\min} = \min(S_{i-1}^{\min}, S_i)$$

$$\text{sum}(S[a:i]) = \text{sum}(S[:i]) - \text{sum}(S[:a])$$

$$S_i^{\max} = S_i - S_i^{\min}$$

$$A = [5, -7, 2, 3, -4, 9, -5, 6]$$

$$S = [0, 5, -2, 0, 3, -1, 8, 3, 9]$$

$$S_{\min} = [0, 0, -2, -2, -2, -2, -2, -2, -2]$$

