

# Project 1

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## Problem 1 - Warm Up

### Part A

**Generate a sample of 1000 from the normal distribution with a mean of 10 and a standard deviation of 2.25.**

*Hint: Type `?rnorm` into the console to see how to use this function to solve this part of the problem. Also note the arguments required:*

- `n`: number of observations (set to 1000)
- `mean`: the mean value of the distribution (set to 10)
- `sd`: standard deviation: the deviation of values from the mean (set to 2.25)

*NOTE: Don't forget to assign the function result to a variable (using the `<-` operator) so you can refer to it later, like so:*

```
data_dist <- rnorm(n=10, mean=1, sd=2)
```

### Part B

**Create a histogram of the data with 10 bins (classes)**

Functions/Arguments needed:

- `hist`
  - `x`: data to be tallied (i.e. the variable where you stored the `rnorm` function call)
  - `xlab`: label for the x-axis
  - `breaks`: number of bins (classes) to categorize data

*Note: R may not create exactly 10 bins based on its algorithm. To gain precision you may provide exact breaks by using `breaks= seq(0,20,by=2)`. This is what we did:*

```
hist(x=data_dist, xlab="Sample Values", breaks=seq(0,20, by=2))
```

*At this point, we recommend playing with different parameters to obtain colors, different titles and more. Hint: use `?hist` to learn the parameters and/or google*

### Part C

**Create a normal probability plot and boxplot.**

Functions/Arguments needed:

- `boxplot` - creates a boxplot
  - `x`: data to be plotted
- `qqnorm` - creates normal probability plot
  - `y`: data to be plotted
- `qqline` - adds a reference line to the `qqnorm` plot
  - `y`: data to add reference line

- col: line color - col=2 creates a red line, col=3 creates a green line

## Problem 2

### Part A

Create 1000 samples of size 10.

Functions/Arguments needed:

- `rnorm` - same parameters as before
- `replicate`
  - `n`: number of repetitions
  - `expr`: function to repeat 'n' times
- `sample` - takes a sample of a particular size from a “population distribution”
  - `x`: distribution to be sampled from (variable result of `rnorm`)
  - `size`: size of sample
  - `replace`: `FALSE` (sample without replacement)

### Part B

Calculate the mean for these 1000 and graph the sampling distribution of the sample mean for these samples of size 10.

*There are several ways to accomplish this, but we recommend using a looping construct to take the average of each sample and store each average in a list.*

*Using this method, you should wind up having a list of size 1000. Each element containing the average of that particular sample*

Logical Constructs needed:

- For Loop

Functions/Arguments needed:

- `c` : creates a list with a specified argument range
- `mean`
  - `x`: list (function will take the average of this list)
- `hist`

As this can be tricky for those new to programming, here is an example of how to accomplish this task:

1. We define our distribution population as so:

```
distribution <- rnorm(n=100, mean=10, sd=2.25)
```

2. We take 10 random samples of size 10 from this distribution

```
samples <- replicate(n=10, sample(x=distribution, size=10, replace=FALSE))
```

3. We create a new list that will eventually hold our sample averages:

```
mean_per_sample <- c(1:10) - Creates a list of size 10
```

4. We then go through each of our individual samples, get the mean of the 10 values in each sample, and store that result in our list.

```
for (index in 1:10) { mean_per_sample[index] <- mean(samples[,index]) }
```

## Part C

Create a normal probability plot and boxplot of this sampling distribution.

## Part D: Create the 90, 95 and 99 % confidence intervals.

### 1. Get the mean, standard deviation, and number of samples taken

Functions needed:

- mean
- sd
- length

### 2. Calculate 90% CONFIDENCE INTERVAL:

We are going to use the standard CI formula.

Functions needed:

- qnorm - gives us the z-score given a probability  
– p: probability

Example:

$\text{qnorm}(0.95) = 1.644854$   $\text{qnorm}(0.975) = 1.959964$

90% CI: []

### 3. Calculate 95% CONFIDENCE INTERVAL:

95% CI: []

### 4. Calculate 99% CONFIDENCE INTERVAL:

99% CI: []

## Problem 3

### Part A

Generate a sample of size 1000 from the exponential with mean 2

Functions/Arguments needed:

- rexp : randomly generates values from the exponential distribution
  - n: number of values to be generated
  - rate: rate of exponential growth (mean =  $1/\text{rate}$ )

### Part B

Create a histogram of the data with 10 bins(classes)

### Part C

Create a normal probability plot and boxplot.

### Part D

1. Create 1000 samples of size 10.
2. Calculate the mean for these 1000 and graph the sampling distribution of the sample mean for these samples of size 10
3. Create the histogram of this data with 10 bins.
4. Create a normal probability plot and boxplot of this sampling distribution.

### Part E

1. Create 1000 samples of size 40
2. Calculate the mean for these 1000 and graph the sampling distribution of the sample mean for these samples of size 40
3. Create the histogram of this data with 10 bins.
4. Create a normal probability plot and boxplot of this sampling distribution.
5. Create the 90, 95 and 99 % confidence intervals.

90% Confidence Interval []

95% Confidence Interval []

99% Confidence Interval []

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