



## ENGINEERING PHYSICS

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# ENGINEERING PHYSICS

## Unit I : Review of concepts leading to Quantum Mechanics

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### Week #1

- Cl#1**    **Review of Electric and magnetic fields**
- Cl#2**    **EM Wave equation**
- Cl#3**    **Energy transported by EM Waves**
- Cl#4**    **Max Planck's Black Body Radiation equation**

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### ➤ *Suggested Reading*

1. *Fundamentals of Physics, Resnik and Halliday, Chapters 22,29, 32*
2. *NCERT Physics Book I grade 12 Chapters 1,4,6*

### ➤ *Reference Videos*

1. <https://nptel.ac.in/courses/108/106/108106073/>

# ENGINEERING PHYSICS

## Unit I : Review of concepts leading to Quantum Mechanics

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### Class #1

- Review of Electric and magnetic fields
- Concept of the Nabla operator  $\nabla$
- Gradient, Divergence and Curl Operations
- Divergence and curl of fields

### *Electric Charges*

- *Electric charges can be isolated*
- *The potential at any point  $x$  from the charge*
- $V_x = \frac{Q}{4\pi\epsilon_0} \times \frac{1}{x}$
- *The electric field due to a point charge*
- $E_x = \frac{Q}{4\pi\epsilon_0} \times \frac{1}{x^2}$
- *The electric field in terms of the potential*
- $E_x = -\frac{dV_x}{dx}$

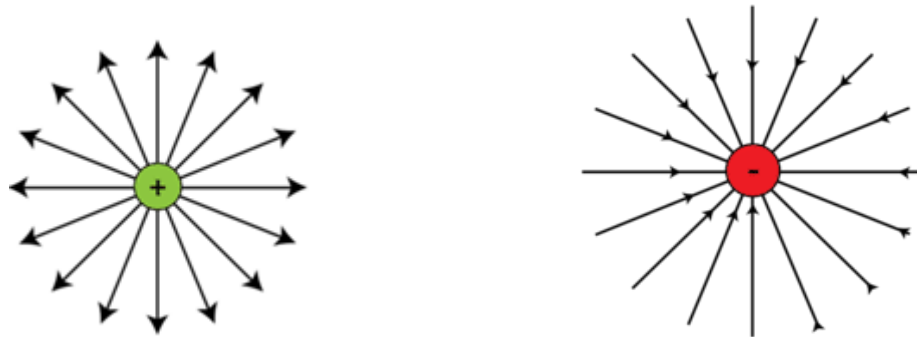
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## Concepts of Electric fields

Electric fields can be visualized through the electric flux lines

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Electric field lines from positive and negative charges



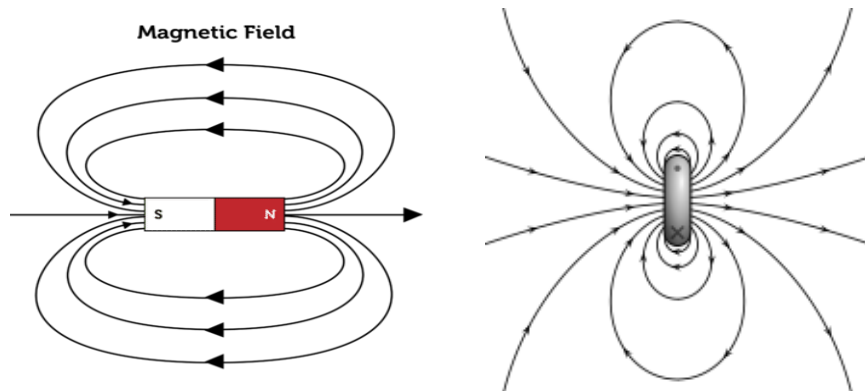
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## Concepts of Magnetic fields

### *Magnetic dipoles*

- *Magnetic mono poles do not exist*
- *Fields can be expressed in terms of the flux lines*
- *Flux lines are continuous from the north pole to the south pole*

### Magnetic field lines of a magnetic dipole

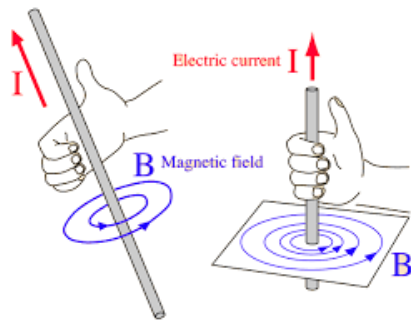


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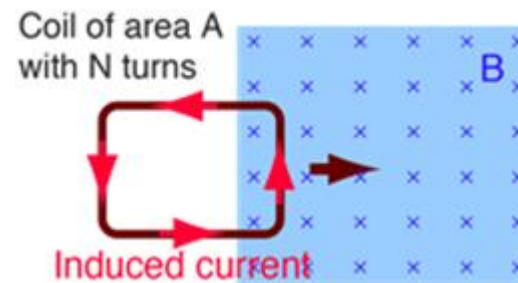
## Electric and Magnetic fields

- *Magnetism and magnetic fields are due to moving charges*
- *Electric currents are also due to moving charges*

### Interplay of electric currents and Magnetic fields



**Ampere's law**



**Faraday's law**



The Nabla operator is a differential vector operator

$$\vec{\nabla} = \hat{i} \frac{\partial}{\partial x} + \hat{j} \frac{\partial}{\partial y} + \hat{k} \frac{\partial}{\partial z} \quad \dots \text{Del operator}$$

$$\vec{\nabla} \cdot \vec{\nabla} = \frac{\partial^2}{\partial x^2} + \frac{\partial^2}{\partial y^2} + \frac{\partial^2}{\partial z^2} = \nabla^2 \quad \dots \text{Laplacian operator}$$

$$\vec{\nabla} \times (\vec{\nabla} \times A) = \vec{\nabla}(\vec{\nabla} \cdot A) - \nabla^2 A \quad \dots \text{Vector identity}$$

# ENGINEERING PHYSICS

## Operations with Del or Nabla operator - $\vec{\nabla}$



### Operations with the Nabla operator ( del operator)

- $\vec{\nabla}$  operates on a scalar to give a vector
  - Gradient of the scalar
- The dot product (.) of  $\vec{\nabla}$  with a vector gives a scalar
  - Divergence of the vector
- The cross product ( $\times$ ) of  $\vec{\nabla}$  with a vector gives a vector
  - Curl of the vector

# ENGINEERING PHYSICS

## Gradient of a scalar field

*Gradient of a scalar  $V(xyz)$*

$$\text{grad } V = \nabla V = \hat{i} \frac{\partial V_x}{\partial x} + \hat{j} \frac{\partial V_y}{\partial y} + \hat{k} \frac{\partial V_z}{\partial z}$$

*The gradient of a scalar field gives a vector*

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*Gradient gives the rate of change of the property at any point and the direction gives the direction in which the change is maximum*

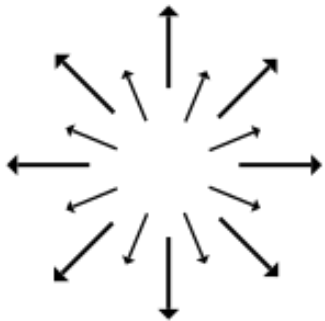
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## Divergence of a vector field

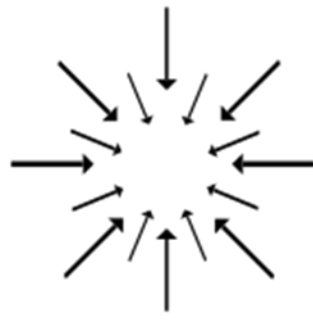
*Divergence of a vector*  $\vec{V} = \hat{i}V_x + \hat{j}V_y + \hat{k}V_z$

$$\text{Div } V = \nabla \cdot V = \frac{\partial V_x}{\partial x} + \frac{\partial V_y}{\partial y} + \frac{\partial V_z}{\partial z}$$

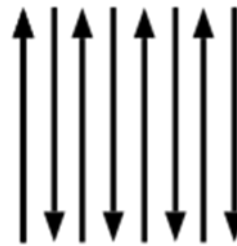
*The divergence of a vector field gives a scalar*



$$\begin{aligned}\frac{\partial}{\partial x}(V_x) &> 0 \\ \frac{\partial}{\partial y}(V_y) &> 0 \\ \nabla \cdot (\mathbf{V}) &> 0\end{aligned}$$



$$\begin{aligned}\frac{\partial}{\partial x}(V_x) &< 0 \\ \frac{\partial}{\partial y}(V_y) &< 0 \\ \nabla \cdot (\mathbf{V}) &< 0\end{aligned}$$



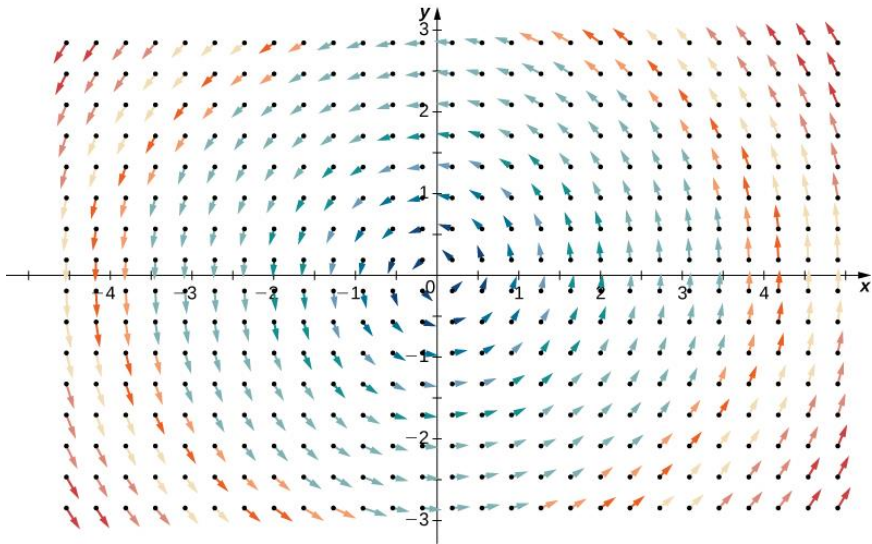
$$\begin{aligned}\frac{\partial}{\partial x}(V_x) &= 0 \\ \frac{\partial}{\partial y}(V_y) &= 0 \\ \nabla \cdot (\mathbf{V}) &= 0\end{aligned}$$

# ENGINEERING PHYSICS

## Curl of a vector field

$$\text{curl } A = \nabla \times A = \begin{vmatrix} \hat{i} & \hat{j} & \hat{k} \\ \frac{\partial}{\partial x} & \frac{\partial}{\partial y} & \frac{\partial}{\partial z} \\ A_x & A_y & A_z \end{vmatrix}$$

*The curl of a vector is another vector*



Images courtesy Hyperphysics, Wikipedia

**The concepts which are correct are....**

- 1. Electric monopoles do not exist**
- 2. Magnetic dipoles exist**
- 3. Magnetic monopoles do not exist**
- 4. Electric dipoles can be observed in systems**
- 5. Magnetic lines of force are divergent**
- 6. Electric flux lines are always divergent**



# THANK YOU

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