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Practical 7A
# A. Aim: Write a program for Linear separation in python.
import numpy as np
# Perceptron class for linear separation
class Perceptron:
  def __init__(self, num_features):
     self.weights = np.zeros(num features)
     self.bias = 0.0
  def predict(self, inputs):
     weighted_sum = np.dot(self.weights, inputs) + self.bias
     return 1 if weighted sum >= 0 else 0
  def train(self, training_data, labels, learning_rate, epochs):
     for epoch in range(epochs):
       for i in range(len(training_data)):
          inputs = training_data[i]
          label = labels[i]
          prediction = self.predict(inputs)
          if prediction != label:
            update = (label - prediction) * learning_rate
            self.weights += update * inputs
            self.bias += update
# Example usage for linear separation
if __name__ == "__main__":
  # Define training data and labels for a simple linearly separable problem
  training_data = np.array([[1, 2], [2, 3], [3, 1], [4, 4], [5, 5], [6, 4]])
  labels = np.array([0, 0, 0, 1, 1, 1])
  # Create a Perceptron instance
  num features = training data.shape[1]
  perceptron = Perceptron(num_features)
  # Train the Perceptron with the training data
  learning_rate = 0.1
  epochs = 100
  perceptron.train(training_data, labels, learning_rate, epochs)
  # Test the trained Perceptron with new data points
  test_data = np.array([[2, 2], [4, 3], [5, 6]])
  for data point in test data:
     prediction = perceptron.predict(data point)
     print(f"Prediction for {data_point}: Class {prediction}")
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Output:

Prediction for [2 2]: Class 0 Prediction for [4 3]: Class 1 Prediction for [5 6]: Class 1

Practical 7B

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# B. Aim: Write a program for Hopfield network model for associative memory
import numpy as np
class HopfieldNetwork:
  def <u>init</u> (self, num neurons):
    self.num neurons = num neurons
    self.weights = np.zeros((num_neurons, num_neurons))
  def train(self, patterns):
    num_patterns = len(patterns)
    for pattern in patterns:
      pattern = np.array(pattern)
      self.weights += np.outer(pattern, pattern)
    np.fill_diagonal(self.weights, 0)
    self.weights /= num_patterns
  def energy(self, state):
    return -0.5 * np.dot(state, np.dot(self.weights, state))
  def update rule(self, state):
    h = np.dot(self.weights, state)
    return np.where(h \ge 0, 1, -1)
if name == " main ":
  patterns = [[1, 1, -1, -1], [-1, -1, 1, 1]]
  num_neurons = len(patterns[0])
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hopfield net = HopfieldNetwork(num neurons)

print(f"Iteration {i + 1}: {new_state}")
if np.array_equal(new_state, initial_state):
 print("Converged to a stable state.")

new state = hopfield net.update rule(initial state)

 $test_patterns = [[1, 1, 1, -1], [-1, 1, 1, 1]]$

print(f"Initial state: {initial state}")

initial state = np.array(pattern)

hopfield_net.train(patterns)

for pattern in test_patterns:

for i in range(iterations):

initial_state = new_state

iterations = 5

break

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Output:
Initial state: [1 1 1-1]
Iteration 1: [1 1-1-1]
Iteration 2: [1 1-1-1]
Converged to a stable state.
Initial state: [-1 1 1 1]
Iteration 1: [-1-1 1 1]
Iteration 2: [-1-1 1 1]
Converged to a stable state.
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