B. Perform testing of hypothesis using two sample t-test.

Suppose researchers want to know whether or not two different species of plants in a particular country have the same mean height. Because it would take too long to go around and measure every single plant, they decide to collect a sample of 20 plants from each species.

The following data shows the height (in inches) for each plant in each sample:

species 1	species 2
12	10
12	24
20	17
12	23
24	19
25	16
10	10
15	14
16	19
21	14
21	12

11	21
12	12
16	12
15	11
17	21
17	18
14	23
19	16
19	23

When we conduct a two-sample t-test, we must first decide if we will assume that the two populations have equal or unequal variances. As a rule of thumb, we can assume the populations have equal variances if the ratio of the larger sample variance to the smaller sample variance is less than 4:1.

To calculate the variance of two samples Click on cell A22 and type = VAR.S(A2:A21) Click on cell B22 and type = VAR.S(B2:B21)

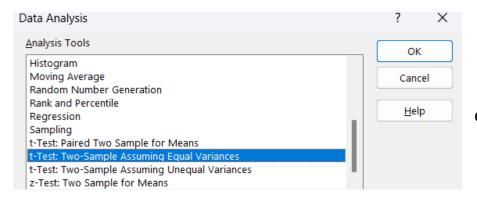
A2	A22 \checkmark : \times f_x =VAR.S(A2:A21)				
	А	В	С	D	Е
21	19	23			
22	18.88421	22.40789	variance		
22					

The ratio of the larger sample variance to the smaller sample variance is 1.1865, which is less than 4. This means we can assume that the population variances are equal.

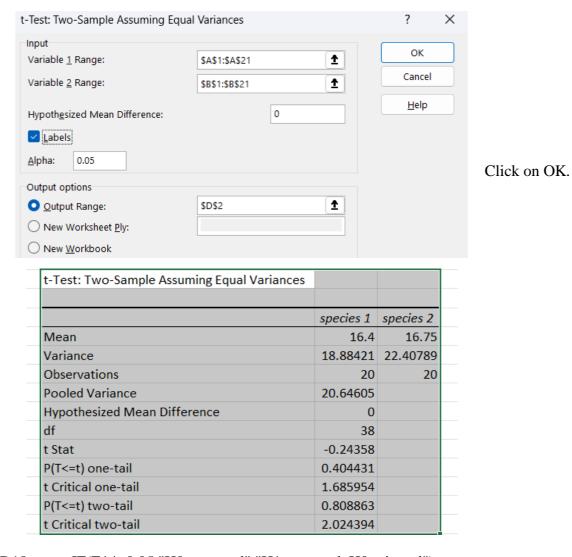
H0= Two different species of plants in a particular country have the same mean height.

H1= Two different species of plants in a particular country do not have the same mean height.

Go to Data tab > Data Analysis



Click on OK.



Click on D18 type =IF(E14>0.05,"H0 accepted","H1 accepted, H0 rejected")

D1	.8	▽] : [×	$\checkmark fx$	=IF(E14>0.05,"H0 accepted","H1 accepted, H0 re	,"H1 accepted, H0 rejected")			
4	Α	В	С	D	E	F	G	
1	species 1	species 2						
2	12	10		t-Test: Two-Sample Assuming Equal Variances				
3	12	24						
4	20	17			species 1	species 2		
5	12	23		Mean	16.4	16.75		
6	24	19		Variance	18.88421	22.40789		
7	25	16		Observations	20	20		
8	10	10		Pooled Variance	20.64605			
9	15	14		Hypothesized Mean Difference	0			
10	16	19		df	38			
11	21	14		t Stat	-0.24358			
12	21	12		P(T<=t) one-tail	0.404431			
13	11	21		t Critical one-tail	1.685954			
14	12	12		P(T<=t) two-tail	0.808863			
15	16	12		t Critical two-tail	2.024394			
16	15	11						
17	17	21						
18	17	18		H0 accepted				
19	14	23						
20	19	16						
21	19	23						
22	18.88421	22.40789	variance					