

# Medical Image Processing for Diagnostic Applications

## Flat Panel Detectors

Online Course – Unit 14

Andreas Maier, Joachim Hornegger, Markus Kowarschik, Frank Schebesch  
Pattern Recognition Lab (CS 5)

# Topics

## Flat Panel Detectors

About the Concept of Flat Panel Image Receptors

Properties of Flat Panel Detectors

Hardware Details

## Summary

Take Home Messages

Further Readings

## Flat Panel Image Receptors ...

- ... replace image intensifier technology and film.
- ... implied profound changes in radiology.
- ... are well established in
  - digital radiography,
  - cardiology, and
  - mammography.

## Killer Applications of Flat Panel Detectors

With the introduction of flat panel detector technology, standard radiography systems could **increase patient throughput**, and they experienced a **significant simplification of image archiving and image exchange** with other hospitals and physicians.



Figure 1: Radiography system using flat panel detectors (image courtesy of Siemens Healthcare)

## Killer Applications of Flatpanel Detectors I

- **Cardiology:** In cardiology, flat panel detectors were introduced in 2002.
- **Neuroradiology:** Biplane flat panel detector C-arm systems are available on the market since 2006.



Figure 2: Cardiac system using a flat panel detector (left), biplane neuroradiology system (right) (image courtesy of Siemens Healthcare)

## Killer Applications of Flatpanel Detectors II

Flat panel detectors allow for 3-D reconstruction of static, low contrast objects using C-arm systems.

The following images show examples of the contrast resolution achieved by today's C-arm CT devices and algorithms.

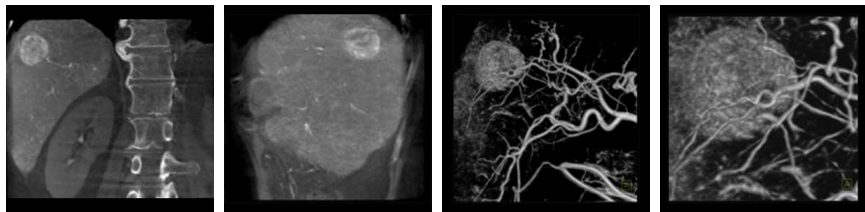


Figure 3: 3-D low contrast C-arm reconstruction of hepatocellular carcinoma (image courtesy of Siemens Healthcare)

## Killer Applications of Flatpanel Detectors III

In **magnetic navigation systems** the catheter is directed by a magnetic field. The manual control of its orientation is based on X-ray images.

Obviously it is impossible to operate an image intensifier in a magnetic field, thus flat panel technology is mandatory.



Figure 4: Niobe system for magnetic navigation (image courtesy of Siemens Healthcare)

## Advantages of Flat Panel Detectors

- Simple assembly and readout
- Higher contrast resolution (high dynamic range)
- Not sensitive to magnetic fields (no magnetic distortion)
- More robust with respect to under- and overexposure
- Reduced space requirements (do not underestimate this advantage!)
- Optimization of the clinical workflow
- Mechanically rugged



## Disadvantages of Flat Panel Detectors

- Relatively slow readout
- Still an expensive technology (will change over time)
- High rejection rate in production
- Elimination of defects with digital image processing

## Contrast Resolution

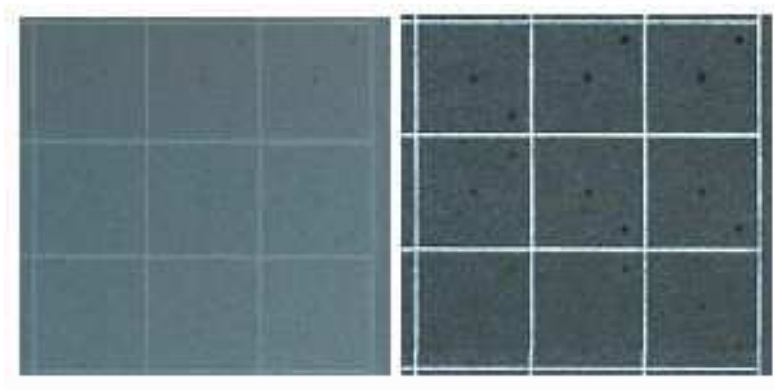


Figure 5: Higher contrast resolution using flat panel detectors: left image acquired on film, right image acquired with a digital detector (image courtesy of General Electric)

## Goals of Flat Panel Design

- Digital imaging in all areas of radiology (replace film & image intensifiers)
- Cost reduction in health care (elimination of film!)
- Improved image quality
- Waste minimum amount of incoming X-ray (fill factor  $\sim 40\%$ )
- Detection area sizes more than  $40\text{ cm} \times 40\text{ cm}$
- Spatial resolution of pixels  $50\text{ }\mu\text{m}$  to  $150\text{ }\mu\text{m}$

## Flat Panel Detectors

Typical image data of a Pixium 4600:

- area:  $43\text{ cm} \times 43\text{ cm}$ ,
- resolution:  $3001 \times 3001$ ,
- pixel size:  $143\text{ }\mu\text{m}$ ,
- quantization: 14 bit (2 byte).



Figure 6: Pixium 4600

## Flat Panel Detectors

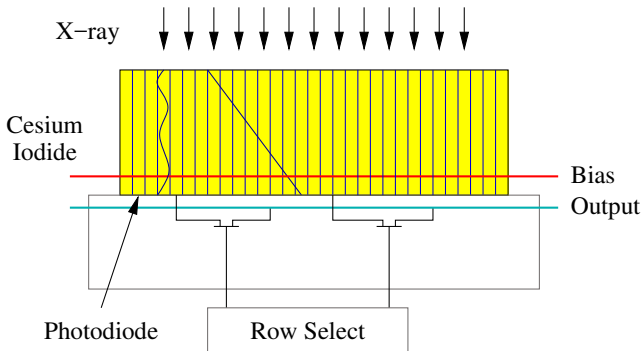


Figure 7: Scheme of a CsI based detector

## Flat Panel Detectors

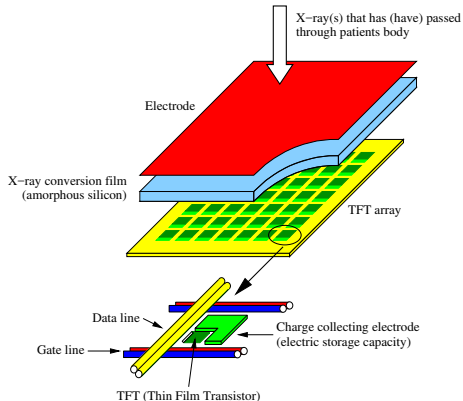


Figure 8: Direct conversion using amorphous silicon

# Topics

## Flat Panel Detectors

About the Concept of Flat Panel Image Receptors

Properties of Flat Panel Detectors

Hardware Details

## Summary

Take Home Messages

Further Readings

## Take Home Messages

- Flat panel detectors are the modern detector technology in digital X-ray systems.
- There exist different principles to realize a flat panel image receptor.
- Applications for flat panel detectors are manifold, and the technology has a lot of advantages including a higher contrast resolution compared with film.
- However, digital image processing is necessary to compensate for manufacturing flaws.



## Further Readings

- One starting point for more information on flat panel detectors could be vendor webpages like, e.g., from Varian, or Trixell.
- The method presented for defect pixel interpolation in the frequency domain was published by Til Aach and Volker Metzler in 2001:

Til Aach and Volker Metzler. “Defect Interpolation in Digital Radiography: How Object-Oriented Transform Coding Helps”. In: *Proc. SPIE 4322, Medical Imaging 2001: Image Processing*. Vol. 4322. San Diego, CA: SPIE, Feb. 2001, pp. 824–835. DOI: 10.1117/12.431161

- A recent article about defect pixel interpolation with respect to image quality issues can be found here:

Jan Kuttig et al. “Effects of Defect Pixel Correction Algorithms for X-ray Detectors on Image Quality in Planar Projection and Volumetric CT Data Sets”. In: *Measurement Science and Technology* 26.9 (Aug. 2015), 095406 (14pp). DOI: 10.1088/0957-0233/26/9/095406

# Medical Image Processing for Diagnostic Applications

## Artifacts and Preprocessing Problems

Online Course – Unit 15

Andreas Maier, Joachim Hornegger, Markus Kowarschik, Frank Schebesch  
Pattern Recognition Lab (CS 5)

# Topics

## Acquisition Artifacts

### Defect Pixel Interpolation

### Summary

Take Home Messages

Further Readings

## Artifacts of flat panel detectors

- Large detectors composed of four detectors → butting cross
- Offset in intensities
- Inactive pixels:
  - Single pixels
  - Pixel clusters
  - Image columns
  - Image rows

## Typical Preprocessing Problems

- Offset and gain correction
- Defect interpolation
- Butting cross correction

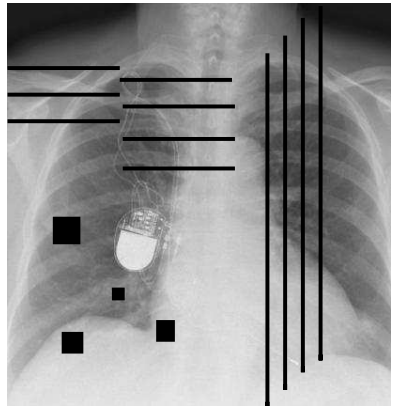


Figure 1: Thorax image with defect pixels

## Butting Cross Artifact

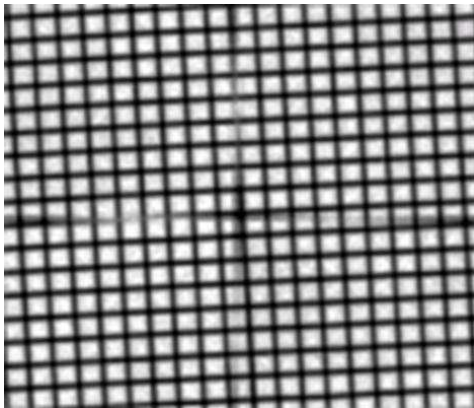


Figure 2: Artifacts appearing after butting cross correction

## Butting Cross Artifact

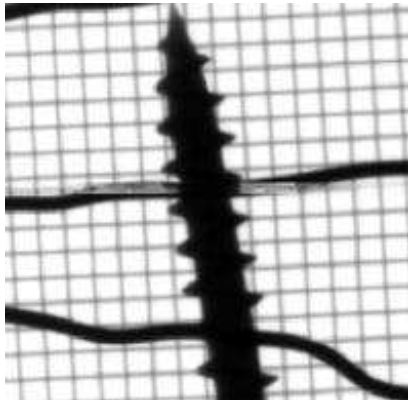


Figure 3: Artifacts caused by an improper correction method

# Topics

Acquisition Artifacts

Defect Pixel Interpolation

Summary

Take Home Messages

Further Readings



## Defect Pixel Interpolation

There are two general approaches for defect pixel interpolation:

### 1. interpolation in spatial domain:

- non-adaptive linear filtering,
- non-linear filtering (like median),
- suitable for small defect areas,
- unnatural appearance (amplified by post-processing);

### 2. interpolation in frequency domain:

- enforce bandlimitation by bandpass filtering,
- defect interpolation corresponds to the deconvolution of defect and ideal image,
- binary defect image is computed in a calibration step,
- ideal image is multiplied with the binary defect image.

In this course, we are introducing the second type.

## Mathematical Modeling of Pixel Defects

Defect pixels are caused by defect detector cells. The mathematical model for defect generation is just the multiplication of the original image with a defect mask:

- Let  $f_{i,j}$  denote the intensity value at grid point  $(i,j)$  of the **ideal image**  $f$  that has no defect pixels.
- Let  $w_{i,j}$  denote the indicator value at  $(i,j)$  where  $w$  is the **mask image** that indicates defect and uncorrupted pixels:

$$w_{i,j} = \begin{cases} 0, & \text{if pixel is defect,} \\ 1, & \text{otherwise.} \end{cases}$$

- Let  $g_{i,j}$  denote the intensity value at  $(i,j)$  of the **observed image**  $g$  that is acquired with the flat panel detector and has defect pixels.

## Mathematical Modeling of Pixel Defects

By pixelwise multiplication of the ideal image with the mask image, we get the observed image computing

$$f_{i,j} \cdot w_{i,j} = g_{i,j}$$

for a pixel at  $(i,j)$ , and likewise for all pixels.

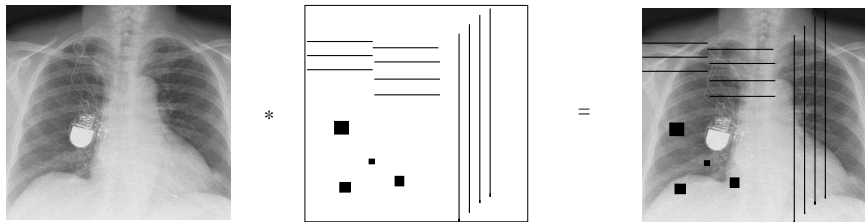


Figure 4: The ideal image (left) is multiplied with the defect mask (middle) which results in the output defect image (right).

## Defect Pixel Interpolation in Frequency Domain

In the frequency based algorithms for defect pixel interpolation, three important properties of or related to the Fourier transform are applied:

- the Nyquist-Shannon sampling theorem,
- the convolution theorem, and
- the symmetry property of the Fourier transform of real signals.

We recommend to refresh your memory regarding these topics before going to the next unit.

# Topics

Acquisition Artifacts

Defect Pixel Interpolation

## Summary

Take Home Messages

Further Readings

## Take Home Messages

- An image acquired with a flat panel detector can contain certain types of artifacts.
- Defect pixel interpolation can be done in spatial and frequency domain.
- The pixel defects can be modeled by multiplication of a defect mask and the ideal image.

## Further Readings

- The method presented for defect pixel interpolation in the frequency domain was published by Til Aach and Volker Metzler in 2001:  
Til Aach and Volker Metzler. “Defect Interpolation in Digital Radiography: How Object-Oriented Transform Coding Helps”. In: *Proc. SPIE 4322, Medical Imaging 2001: Image Processing*. Vol. 4322. San Diego, CA: SPIE, Feb. 2001, pp. 824–835. DOI: 10.1117/12.431161
- A recent article about defect pixel interpolation with respect to image quality issues can be found here:  
Jan Kuttig et al. “Effects of Defect Pixel Correction Algorithms for X-ray Detectors on Image Quality in Planar Projection and Volumetric CT Data Sets”. In: *Measurement Science and Technology* 26.9 (Aug. 2015), 095406 (14pp). DOI: 10.1088/0957-0233/26/9/095406

# Medical Image Processing for Diagnostic Applications

## Defect Pixel Interpolation

Online Course – Unit 16

Andreas Maier, Joachim Hornegger, Markus Kowarschik, Frank Schebesch  
Pattern Recognition Lab (CS 5)



# Topics

## Defect Interpolation by Bandlimitation

### Summary

Take Home Messages

Further Readings

## Defect Interpolation by Bandlimitation

The initial idea for defect pixel interpolation using frequency domain methods is based on a fundamental result of signal theory:

- According to the sampling theorem, the ideal signal  $f(n)$  is required to be bandlimited regarding to a certain band frequency  $\xi$ .
- Defect detector elements bring intensities of corresponding pixels down to zero.
- Defect pixels cause high differences in intensities of neighboring pixels and thus imply higher frequencies in the 2-D image function. These higher frequencies cause a violation of the required bandlimitation.

**Idea for defect interpolation:** Replace defect pixels iteratively by enforcing bandlimitation.

**Remark:** Discrete signals are inherently bandlimited, consider this as a conceptual approach in the first place.

## Defect Interpolation by Bandlimitation

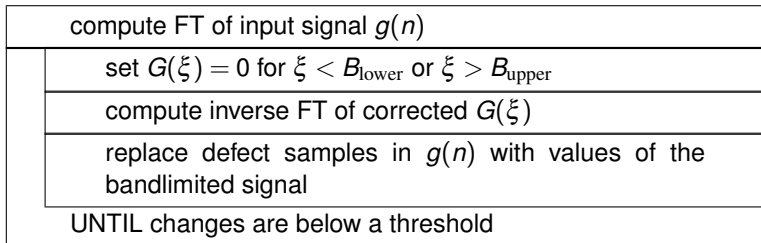


Figure 1: Interpolation by enforcing a bandlimited signal in a frequency range of  $[B_{\text{lower}}, B_{\text{upper}}]$

## Drawbacks of Bandlimitation

The proposed method is quite simple and intuitive, but there exist a few serious practical issues:

- The bandlimitation  $B_{\text{lower}}, B_{\text{upper}}$  must be known.
- The interpolation scheme is computationally expensive, because each iteration requires the Fourier transform of the signal twice. This prohibits its straightforward practical use.
- The proposed interpolation algorithm is not optimal w. r. t. the minimum number of non-zero frequencies.
- Extrapolations decay outside the observation interval.
- The application of adaptive thresholding during interpolation is advantageous.

# Topics

Defect Interpolation by Bandlimitation

## Summary

Take Home Messages

Further Readings

## Take Home Messages

- Bandlimitation can iteratively be applied to a defect pixel image.
- Be careful when applying defect pixel interpolation.

## Further Readings

- The method presented for defect pixel interpolation in the frequency domain was published by Til Aach and Volker Metzler in 2001:  
Til Aach and Volker Metzler. “Defect Interpolation in Digital Radiography: How Object-Oriented Transform Coding Helps”. In: *Proc. SPIE 4322, Medical Imaging 2001: Image Processing*. Vol. 4322. San Diego, CA: SPIE, Feb. 2001, pp. 824–835. DOI: 10.1117/12.431161
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# Medical Image Processing for Diagnostic Applications

## Defect Pixel Interpolation – Utilizing Symmetry

Online Course – Unit 17

Andreas Maier, Joachim Hornegger, Markus Kowarschik, Frank Schebesch  
Pattern Recognition Lab (CS 5)



# Topics

## Defect Pixel Interpolation using Symmetry Properties

### Interpolation Algorithm

### Summary

Take Home Messages

Further Readings

## Notation

For simplicity and without loss of generality we limit the following discussion to 1-D signals of length  $N$ , and use the following notation:

- discrete ideal signal:  $f(n)$ ,
- binary mask image:  $w(n)$ ,
- observed signal:  $g(n)$ .

The respective Fourier transforms are denoted  $F(\xi)$ ,  $W(\xi)$ ,  $G(\xi)$ .

## Frequency Domain Defect Pixel Interpolation

### Observations:

- We consider real valued signals  $f(n)$ ,  $g(n)$ ,  $w(n)$ .
- They satisfy the following relationship:

$$g(n) = f(n) \cdot w(n) \quad \Leftrightarrow \quad G(\xi) = F(\xi) * W(\xi).$$

- For the ideal, the mask, and the defect image, the Fourier transform satisfies the symmetry property:

$$F(\xi) = \overline{F(N - \xi)},$$

$$G(\xi) = \overline{G(N - \xi)},$$

$$W(\xi) = \overline{W(N - \xi)},$$

where the bar symbol in  $\overline{z}$  denotes the complex conjugate of  $z$ .

## Frequency Domain Defect Pixel Interpolation

Now we make explicit use of the symmetry property of the Fourier transform to derive an interpolation algorithm:

- Select a pair  $G(s)$  and  $G(N - s)$  of the Fourier transform of the corrupted image showing pixels defects.
- Select a pair  $F(s)$  and  $F(N - s)$  of the Fourier transform of the ideal image.

## Frequency Domain Defect Pixel Interpolation

- Let us assume that the Fourier transform of the ideal image  $F(\xi)$  consists only of two lines at  $s$  and  $N - s$ , where  $s \neq 0$ .
- We can then rewrite the Fourier transform of  $f(n)$  using Dirac's  $\delta$ -function:

$$F(\xi) = \widehat{F}(s)\delta(\xi - s) + \widehat{F}(N - s)\delta(\xi - N + s),$$

where  $\widehat{F}$  denotes an estimate of  $F$ , and the  $\delta$ -function is defined by

$$\delta(k) = \begin{cases} 1, & \text{if } k = 0, \\ 0, & \text{otherwise.} \end{cases}$$

## Frequency Domain Defect Pixel Interpolation

The convolution of  $F$  and the Fourier transform  $W$  of the given mask image leads to the Fourier transform of the observed corrupted image:

$$G(s) = \frac{1}{N} \left( \widehat{F}(s) W(0) + \overline{\widehat{F}}(s) W(2s) \right).$$

This can be shown as follows:

$$G(s) = F(s) * W(s) = \frac{1}{N} \sum_{k=0}^{N-1} F(k) * W(s - k).$$

Due to our assumption, we know that  $F \neq 0$  only at  $k = s$  or  $k = N - s$ , hence:

$$\begin{aligned} G(s) &= \frac{1}{N} \left( \widehat{F}(s) W(0) + \widehat{F}(N - s) W(s - N + s) \right) \\ &= \frac{1}{N} \left( \widehat{F}(s) W(0) + \overline{\widehat{F}}(s) W(2s) \right). \end{aligned}$$

## Frequency Domain Defect Pixel Interpolation

- For the conjugate complex Fourier transform of the observed image we get:

$$\overline{G}(s) = \frac{1}{N} \left( \widehat{\overline{F}}(s) \overline{W}(0) + \widehat{F}(s) \overline{W}(2s) \right).$$

- Since  $W$  is known, we get two equations linear in  $\widehat{F}(s)$  and  $\widehat{\overline{F}}(s)$ .
- Hence, the final estimator for the Fourier transform of the ideal image is:

$$\widehat{F}(s) = N \frac{G(s) \overline{W}(0) - \overline{G}(s) W(2s)}{|W(0)|^2 - |W(2s)|^2}, \quad (\text{FT-EST})$$

where  $|\cdot|$  denotes the absolute value of the complex number.

## Error Spectrum

- An objective function to measure the quality of the interpolated image results from the least square error:

$$\Delta_{\varepsilon} = \frac{1}{N} \sum_{n=0}^{N-1} \left( g(n) - w(n) \hat{f}(n) \right)^2.$$

- The spectrum of the error in the  $i$ -th iteration step is given by:

$$G^{(i)}(\xi) = G^{(i-1)}(\xi) - \frac{1}{N} \left( \hat{F}^{(i)}(s) \delta(\xi - s) + \overline{\hat{F}}^{(i)}(s) \delta(\xi - N + s) \right) * W(\xi).$$



# Topics

Defect Pixel Interpolation using Symmetry Properties

Interpolation Algorithm

Summary

Take Home Messages

Further Readings

## Interpolation Algorithm

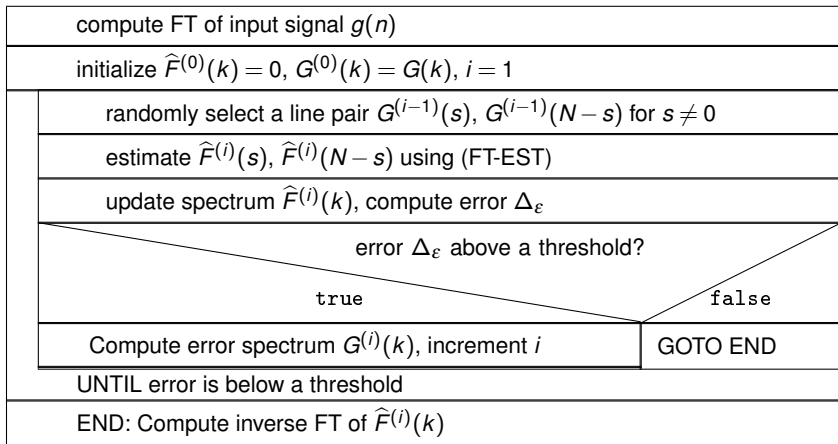


Figure 1: Interpolation algorithm according to [Aach and Metzler](#)

# Topics

Defect Pixel Interpolation using Symmetry Properties

Interpolation Algorithm

## Summary

Take Home Messages

Further Readings

## Take Home Messages

- Assuming the spectrum of a signal/function consists of two non-zero lines, then we find an estimate for the Fourier transform.
- The symmetry property of the Fourier transform w. r. t. real valued functions can be used to build a defect interpolation algorithm.

## Further Readings

- The method presented for defect pixel interpolation in the frequency domain was published by Til Aach and Volker Metzler in 2001:  
Til Aach and Volker Metzler. “Defect Interpolation in Digital Radiography: How Object-Oriented Transform Coding Helps”. In: *Proc. SPIE 4322, Medical Imaging 2001: Image Processing*. Vol. 4322. San Diego, CA: SPIE, Feb. 2001, pp. 824–835. DOI: 10.1117/12.431161
- A recent article about defect pixel interpolation with respect to image quality issues can be found here:  
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# Medical Image Processing for Diagnostic Applications

## Defect Pixel Interpolation – Examples

Online Course – Unit 18

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Pattern Recognition Lab (CS 5)

# Topics

## Examples

## Applications

## Summary

Take Home Messages

Further Readings

## Interpolation Results

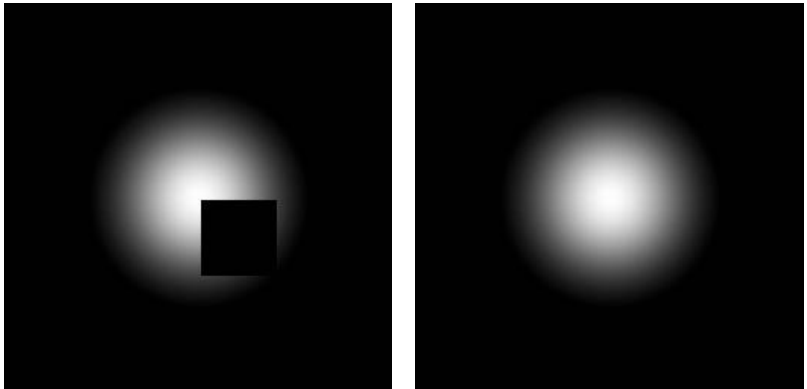


Figure 1: Synthetic image with a square artifact (left) and the result after 100 iterations (right)



## Interpolation Results

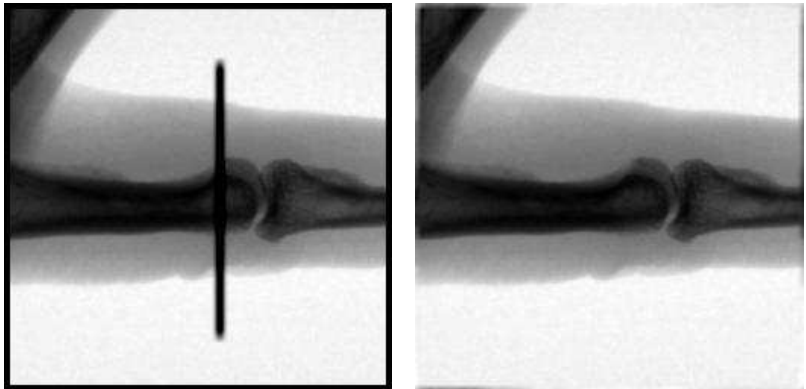


Figure 2: Original image including defects (left) and the result after 500 iterations (right)

## Interpolation Results

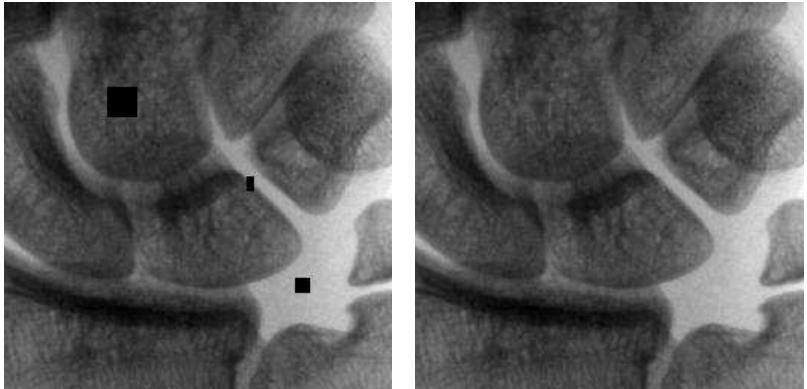


Figure 3: X-ray image with defects (left) and the result of interpolation after 500 iterations (right)

## Interpolation Results

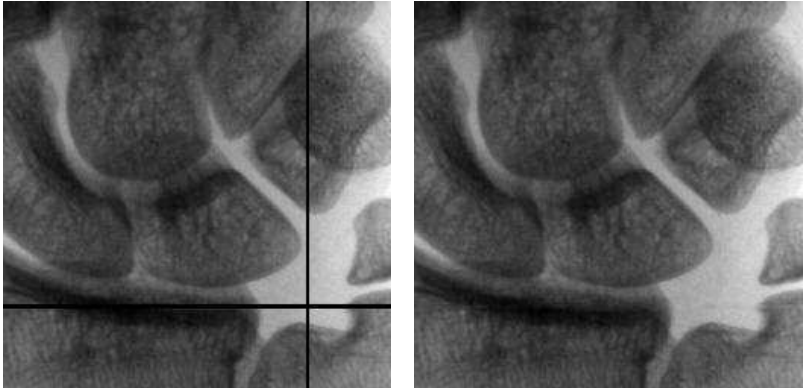


Figure 4: X-ray image with defects (left) and the result of interpolation after 1000 iterations (right)

## Interpolation Results

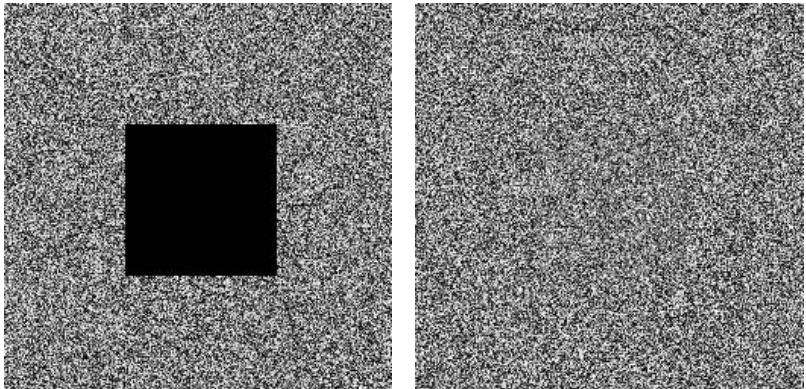


Figure 5: Artificial noise image with defect pixels (left) and the result of interpolation after 1000 iterations (right)

## Interpolation Results

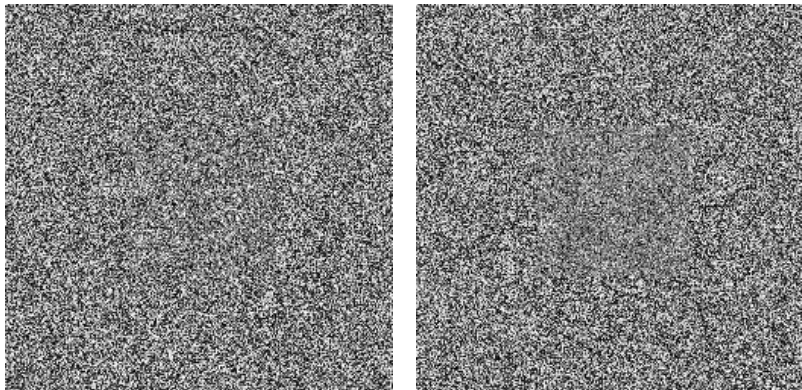


Figure 6: Result of interpolation after 1000 (left) and 5000 iterations (right)

# Topics

Examples

Applications

Summary

Take Home Messages

Further Readings

## Application to Endoscopy

- Endoscopy: wet surfaces lead to specular reflections
- Segmentation of highlighted areas
- Apply defect interpolation

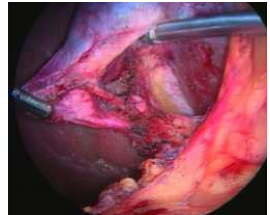
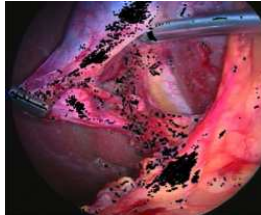
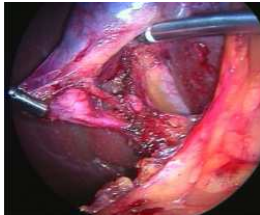


Figure 7: Endoscopy image with reflections, segmentation result, and result of interpolation (image courtesy of Xie Weiguo)

## Application to Ophthalmology

### Color images in Ophthalmology

- In Ophthalmology the early diagnosis of diseases is done on the basis of retina images.
- For the diagnosis of Glaucoma disease, sometimes vessel structures are less important and misleading.

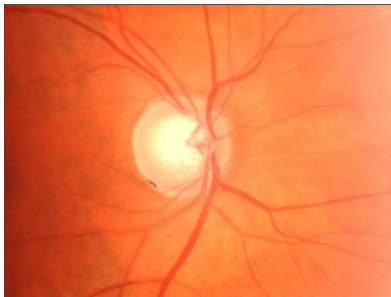


Figure 8: Color image of retina showing also the papilla, veins and arteries



## Application to Ophthalmology

### Eliminate vessel structures:

- Perform a segmentation of vessels, i. e., identify all image points that belong to a vessel.
- Consider pixels of vessels as defects.
- Run a defect pixel interpolation algorithm on images with defects.

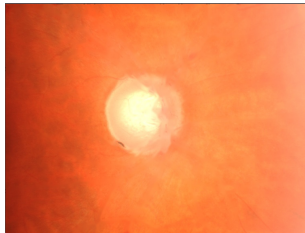


Figure 9: Segmented image (left) and image after defect pixel interpolation (right)

## Application to CT Angiography

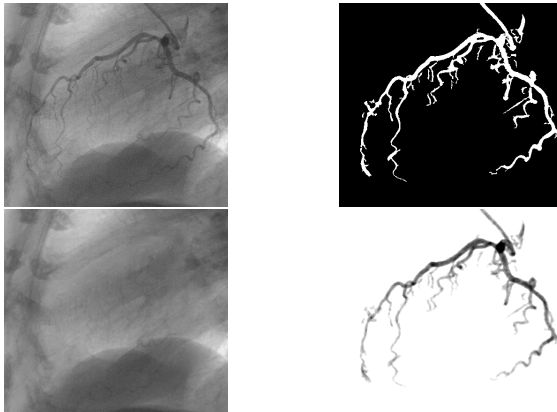


Figure 10: CT image showing heart scan (top left), segmentation (top right), inpainting (bottom left) and DSA (bottom right) (Mathias Unberath, Pattern Recognition Lab, FAU)

# Topics

Examples

Applications

Summary

Take Home Messages

Further Readings

## Take Home Messages

- You have seen results of defect pixel interpolation.
- The methods from defect pixel interpolation are applied to many other problems in medical image processing.

## Further Readings

- The method presented for defect pixel interpolation in the frequency domain was published by Til Aach and Volker Metzler in 2001:  
Til Aach and Volker Metzler. “Defect Interpolation in Digital Radiography: How Object-Oriented Transform Coding Helps”. In: *Proc. SPIE 4322, Medical Imaging 2001: Image Processing*. Vol. 4322. San Diego, CA: SPIE, Feb. 2001, pp. 824–835. DOI: 10.1117/12.431161
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