

Machine Learning (ML)

Machine learning had grown up as a sub-field of AI or artificial intelligence.

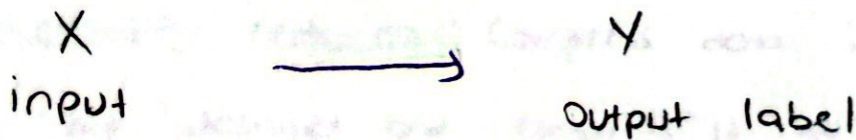
- Machine learn to do it by itself

Two main types of ML are 1- Supervised learning

2- Unsupervised learning

* Supervised learning is used most in many real-world applications and most rapid advancements and innovation

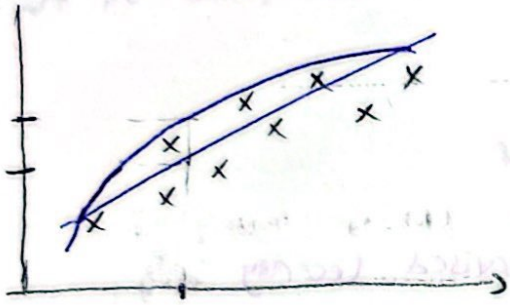
Supervised learning



* Learns from being given "right answer" → labeled data

input (x)	output (y)	Application
email	spam? (0/1)	spam filtering
audio	text transcripts	speech recognition
English	Spanish	machine translation
Ad, User info	click? (0/1)	online advertising

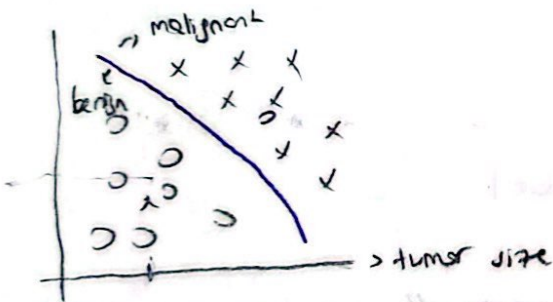
- **Regression** : Predict a number infinitely many possible outputs.



- Bir eğriye ya da eğriye göre tahminde bulunulur.
- Verilere uygun en uygun eğriyi seçerek algoritma elde etmek

- **Classification** : Predict categories small number of possible outputs.

- Only two values 0 or 1 \rightarrow tumor iyi kötü, kötü iyi

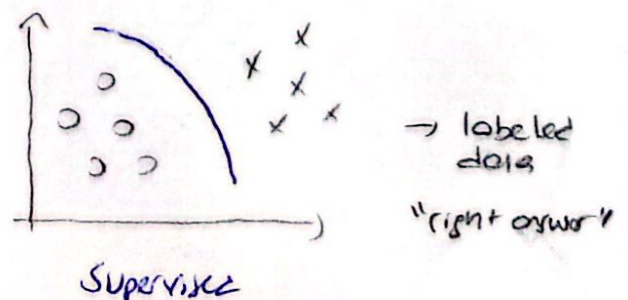
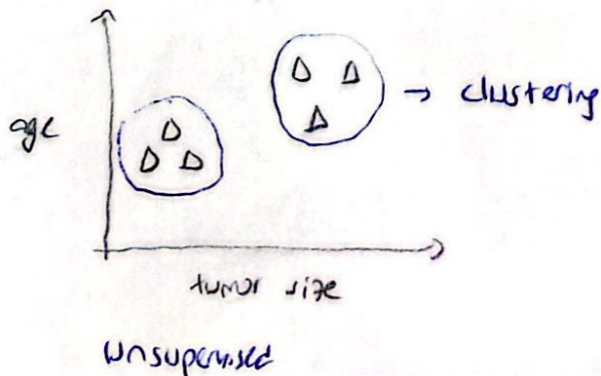


- Sınıflandırma regresyondan farklı : sınıflandırma 0,1,2 gibi birkaç sınıflı olası çıktı üretir ancak 0,5, 1,7 gibi gradanlı tüm çıktı sağlanamayacaktır

Unsupervised learning

Find something interesting in unlabeled data.

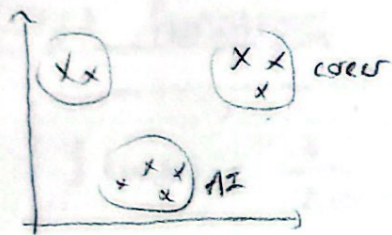
- An unsupervised learning algorithm \rightarrow two different groups or two different clusters



* Data only comes with inputs x , but not output labels y .

* Algorithm has to find structure in the data.

1- **Clustering**: Group similar data points together.



→ takes data without labels and tries to automatically group them into clusters.

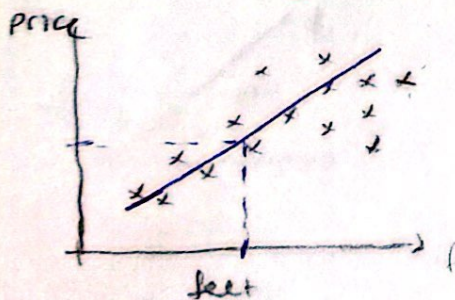
2- **Anomaly detection**: Find unusual data points.

→ Financial sisteminde dolandırıcılık tespiti.

3- **Dimensionality reduction**: Compress data using fewer numbers.

- Take big dataset and compress it to a much smaller data-set while losing as little information as possible.

Linear Regression



Çizilen doğruya göre y başta ki x için fiyat tahmin edilebilir.

Supervised learning model, data has "right answers".

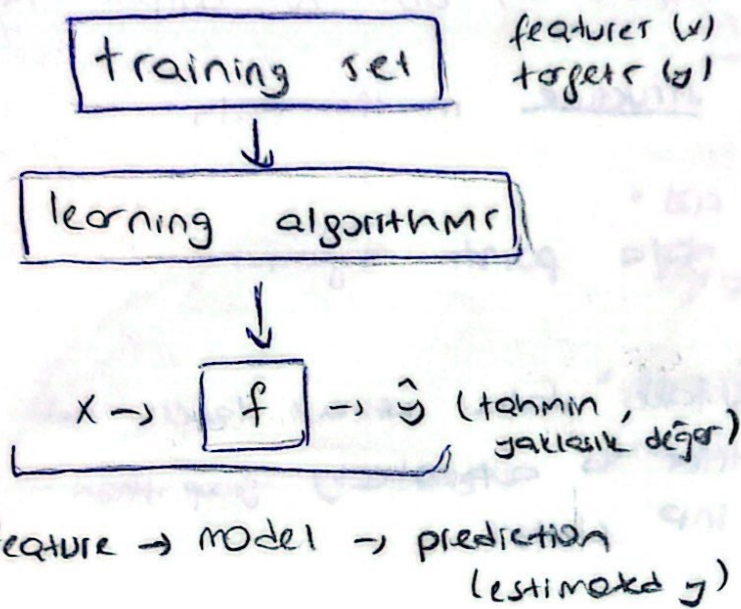
Training set: ev fiyatını öğrenebilmek için, model training set ile eğitilir böylece model müşterinin evini tahmin eder.

x	y
2104	460
...	...
470	350

$x^{(1)} = 2104$ → input $y^{(1)} = 460$ → output

$m = 47$ → number of training example

$(x^{(1)}, y^{(1)}) = (2104, 460)$



ex 191m

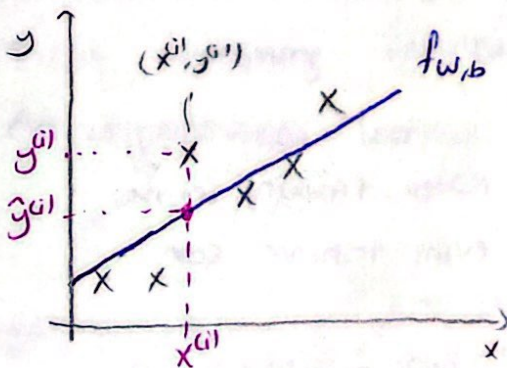
size → f → price

How to represent f?

$$\left. \begin{aligned} f_{w,b}(x) &= wx + b = \hat{y} \\ f(x) &= wx + b \end{aligned} \right\} \begin{array}{c} y \\ \text{linear function} \\ x \end{array}$$

→ linear funk. daha fazla ve kolay oluyormuş bu kullandırı.

* Linear regression with one variable
Univariata linear regression



$$\hat{y}^{(i)} = f_{w,b}(x^{(i)})$$

$$f_{w,b}(x^{(i)}) = wx^{(i)} + b$$

Cost function: Squared error cost function

$$J(w, b) = \frac{1}{2m} \sum_{i=1}^m (f_{w,b}(x^{(i)}) - y^{(i)})^2$$

$\hat{y}^{(i)} - y^{(i)} = \text{error}$

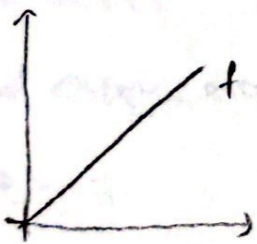
$m = \text{number of training examples}$

$w, b \rightarrow \text{parameters}$

Cost function intuition (set g)

Minimize $J(w, b)$
 w, b

Simplified $f_w(x) = wx$, $b=0$



$$J(w) = \frac{1}{2m} \sum_{i=1}^m (f_w(x^{(i)}) - y^{(i)})^2$$

$\underbrace{f_w(x^{(i)})}_{wx^{(i)}}$

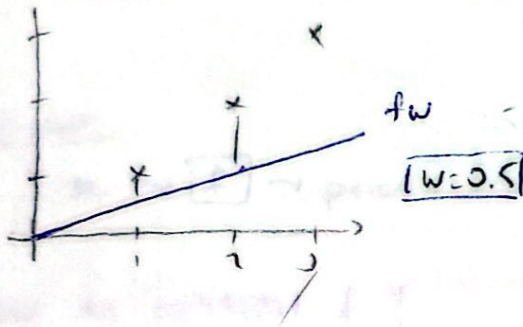
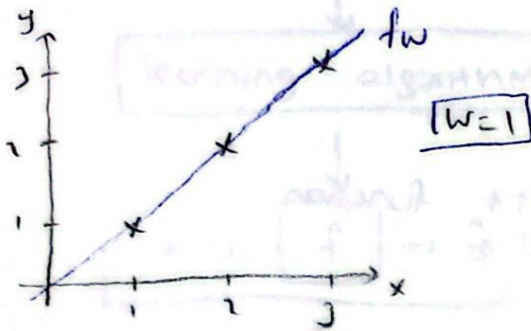
Minimize $J(w)$
 w

- goal of linear regression: minimize $J(w)$
 w

- general case: minimize $J(w, b)$
 w, b

$f_w(x)$

- w : fixed, function of x



$J(w)$

- function of w

$$J(w) = \frac{1}{2m} \sum_{i=1}^m (f_w(x^{(i)}) - y^{(i)})^2$$

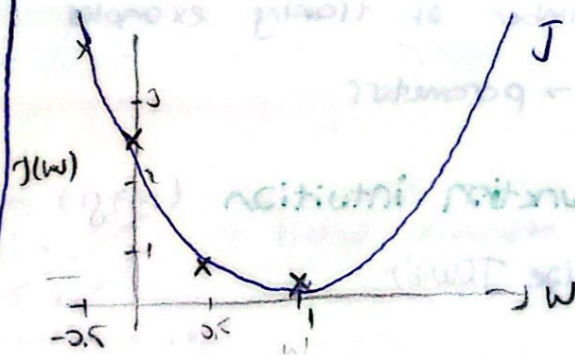
$$= \frac{1}{2m} \sum_{i=1}^m (wx^{(i)} - y^{(i)})^2$$

• $J(1) = 0$

• $J(0.5) = \frac{1}{2 \cdot 3} [0.5^2 + (1-2)^2 + (1.5-3)^2] = 0.5$

• $J(0) = \frac{1}{2 \cdot 3} [1^2 + 2^2 + 3^2] = 2.3$

• $J(-0.5) = 5.2$

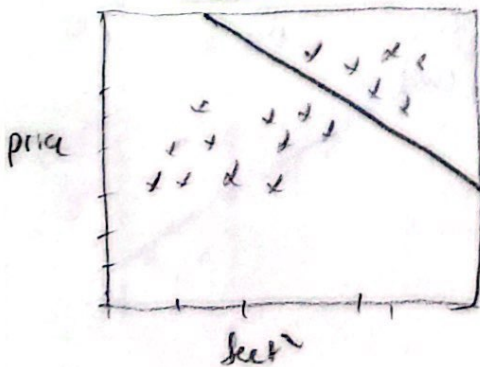


→ Choose w to minimize $J(w)$

$w=1$ ✓

* J determines the best w for linear regression using the cost function technique.

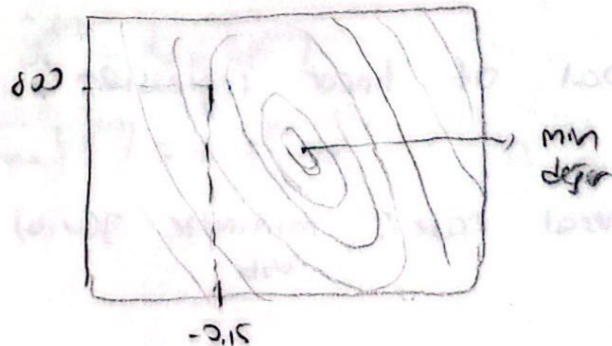
$f_{w,b}$



$$f(x) = -0.15x + 800$$

- Gradient descent algorithm

J



Gradient Descent

$J(w, b) \rightarrow$ kriteriyemek istediğimiz cost fnk.

↳ for linear regression or any function

$$\min_{w_1, \dots, w_n, b} J(x_1, x_2, \dots, x_n, b)$$

Outline:

- Start with some w, b (set $w=0, b=0$)
- keep changing w, b to reduce $J(w, b)$
- Until we settle at or near a minimum

→ cost fnk may have more than 1 min



yoksa asagı inif

Gradient descent algorithm

$$w = w - \alpha \frac{d}{dw} J(w, b)$$

$$b = b - \alpha \frac{d}{db} J(w, b)$$

$\alpha \rightarrow$ learning rate
($0 < \alpha < 1$)

→ yoksa asagı ne kadar büyük
adım atacağımızı kontrol eder.

• α büyük, adımlar büyük.

→ Repeat until convergence.

→ Simultaneously update w and b .

Simultaneous update:

$$tmp-w = w - \alpha \frac{\partial}{\partial w} J(w, b)$$

$$tmp-b = b - \alpha \frac{\partial}{\partial b} J(w, b)$$

$$w = tmp-w$$

$$b = tmp-b$$

$$w = w - \alpha \frac{\partial}{\partial w} J(w, b)$$

$$b = b - \alpha \frac{\partial}{\partial b} J(w, b)$$

• $\frac{\partial}{\partial w} J(w, b)$ → derivative, ysm belirtir.

• α → learning rate

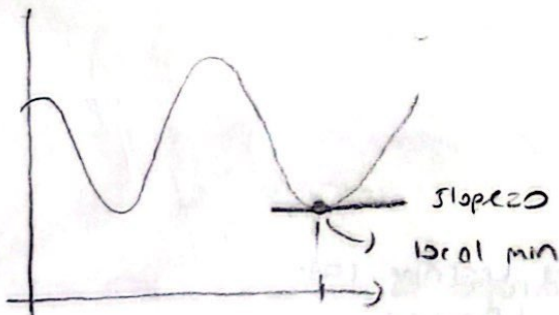
- α very small → adım da çok küçük -

→ Gradient descent be slow

- α too large → adım çok büyük

→ Gradient descent may overshoot, never reach minimum.

→ Fail to converge, diverge



$$w = w - \alpha \frac{d}{dw} J(w)$$

$$w = w$$

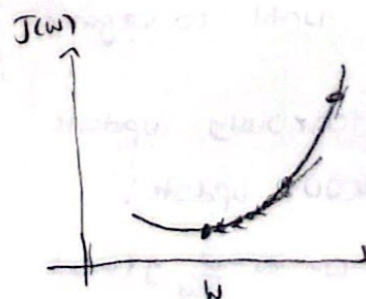
→ local min noktasında ysm 0
deriveli olduğu için w değeri değişmiyor

* Near a local min,

- derivative becomes smaller.

- Update steps become smaller

Can reach minimum without decreasing learning rate.



- Linear regression

$$f_{w,b}(x) = w^T x + b$$

- Cost function

$$J(w,b) = \frac{1}{2m} \sum_{i=1}^m (f_{w,b}(x^{(i)}) - y^{(i)})^2$$

- Gradient descent algorithm.

$$w = w - \alpha \left[\frac{\partial}{\partial w} J(w,b) \right] \rightarrow \frac{1}{m} \sum_{i=1}^m (f_{w,b}(x^{(i)}) - y^{(i)}) \cdot x^i$$

$$b = b - \alpha \left[\frac{\partial}{\partial b} J(w,b) \right] \rightarrow \frac{1}{m} \sum_{i=1}^m (f_{w,b}(x^{(i)}) - y^{(i)})$$

"Batch" gradient descent

Batch: Each step of gradient descent uses
all the training examples

$$\sum_{i=1}^m (f_{w,b}(x^{(i)}) - y^{(i)})^2 \quad \text{magnet}$$