

Machine learning algorithms

- Supervised Learning (Göretilimli)
- Unsupervised Learning (Göretilmiz)
- Recommender Systems (Öneri sistemleri)
- Reinforcement Learning (Peygahimli öğrenme)

Supervised Learning

X
input

Y
output

X'leri ve Y'leri biz veriyoruz.

Sonrasında farklı bir X girildiğinde en yakın Y değeri veriyor.

Input

Output

Application

email

spam?

spam filtering

audio

text transcription

speech recognition

English

Spanish

machine translation

ad/user info

click (0,1)

online advertising

image - radar info

position of other cars

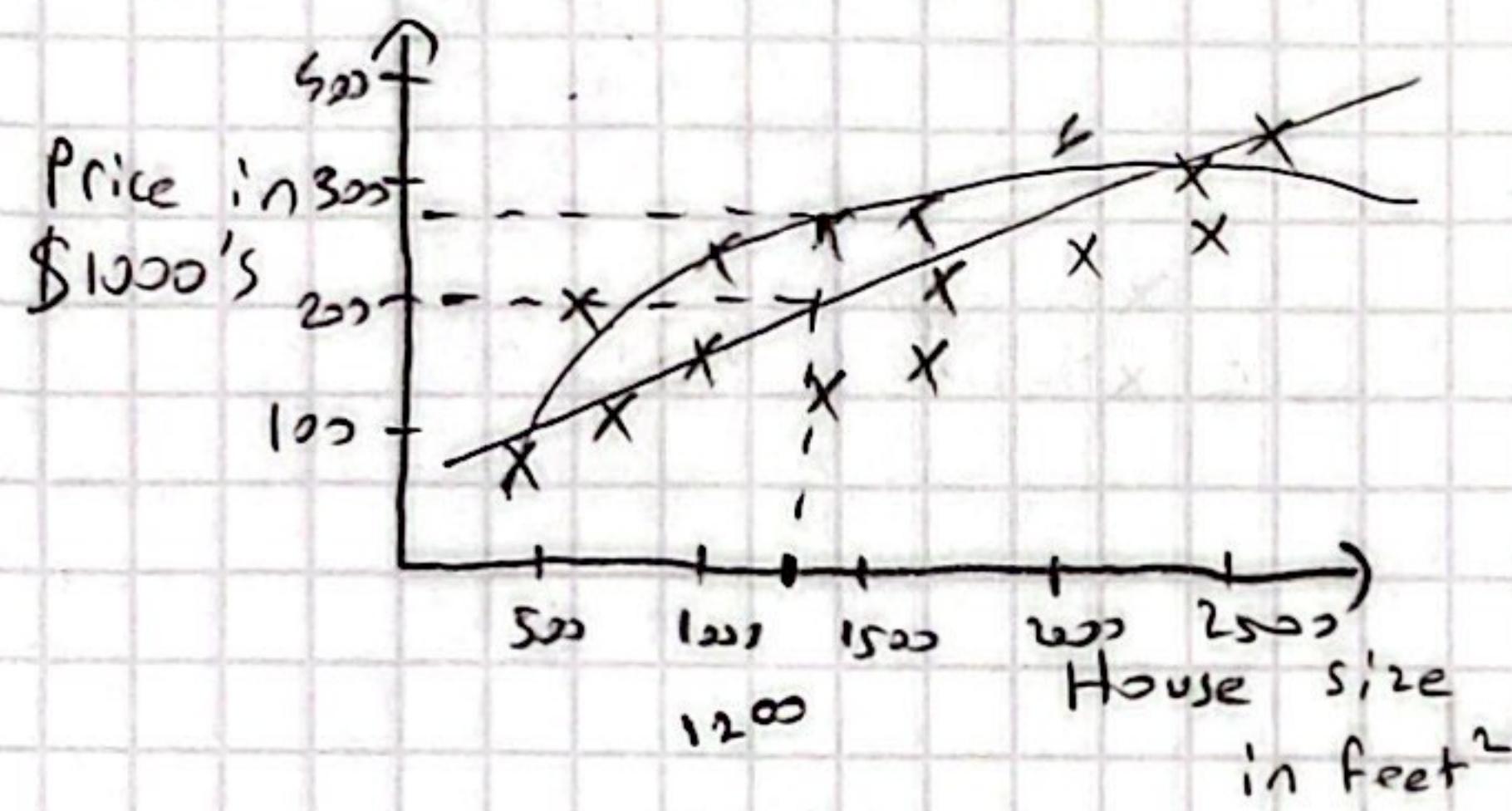
self-driving car (otomobil)

image of phone

defect (hata)

visual inspection

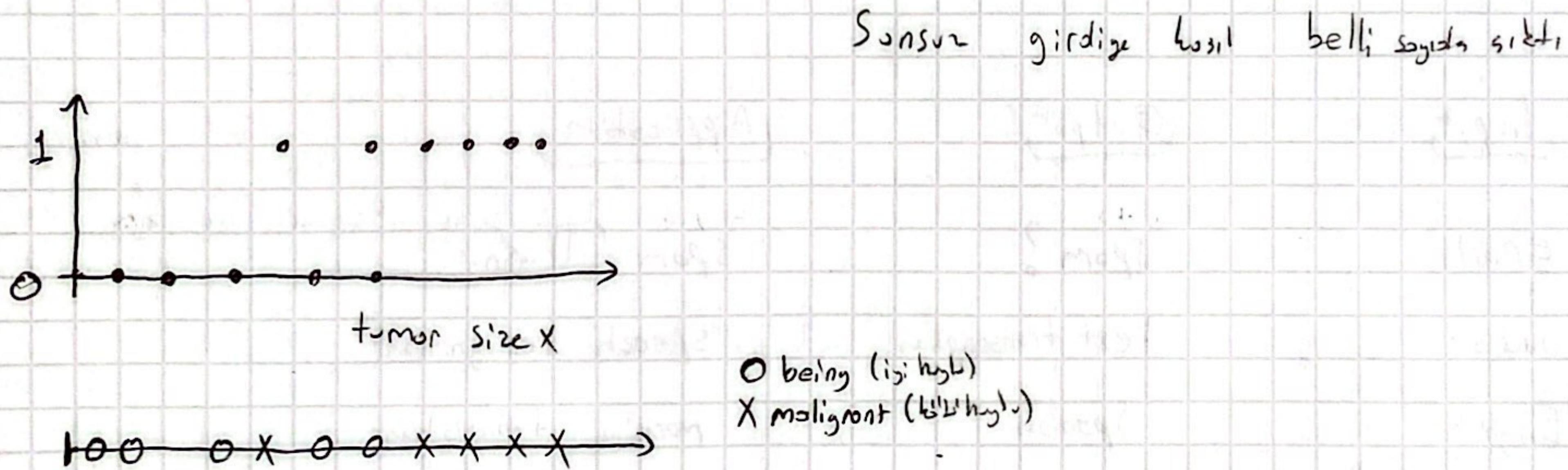
Regression's Housing price prediction



1200 m² evin fiyati dör. fon. 200 s.t'da
" " " " egri " 2700 s.t'da

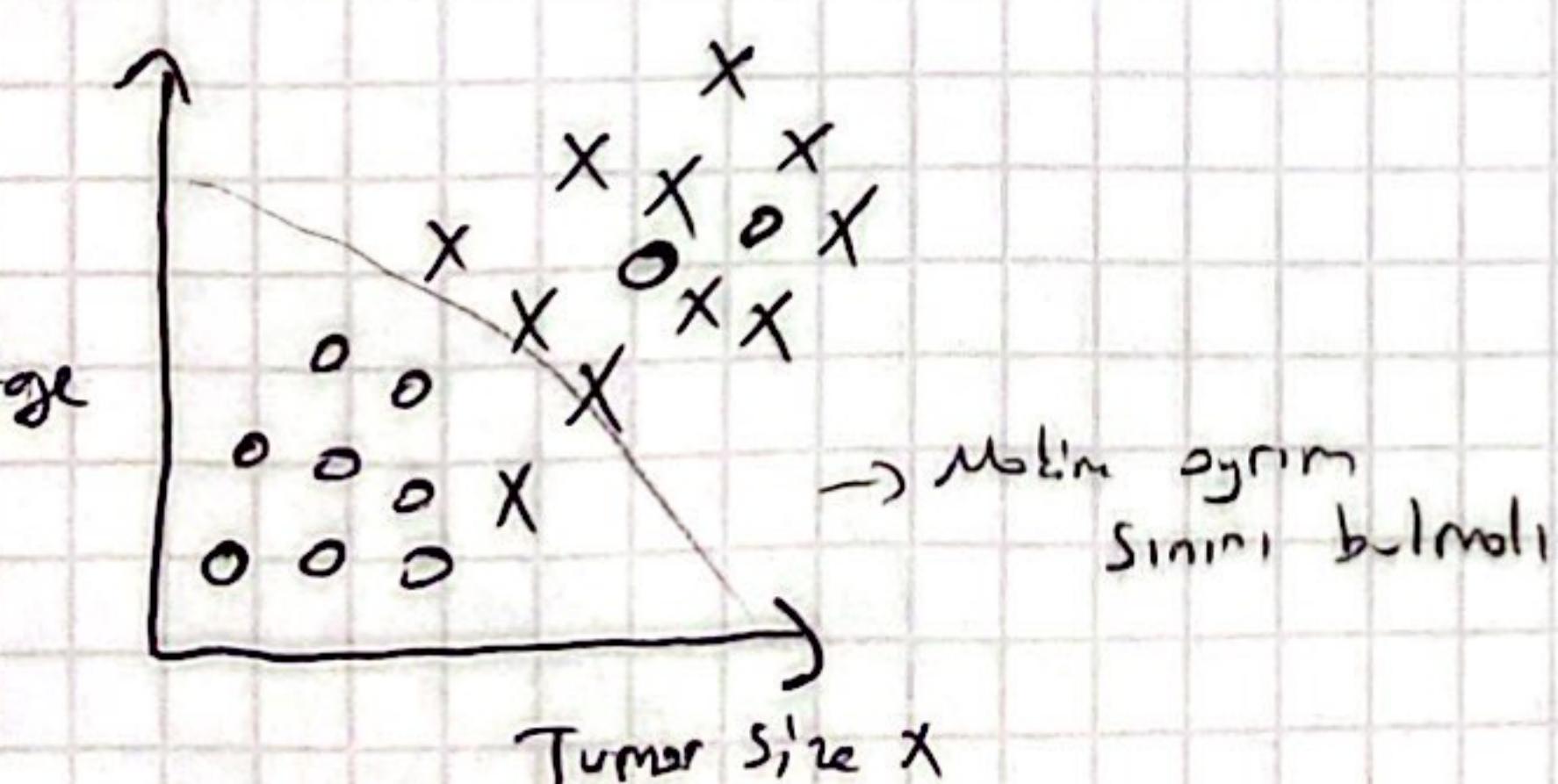
Regression = Predict number Sonsur girdige kozlik Sonsur s.k.t.i

Classification: Breast cancer detection



output = class = category

input = image
output = Cat - dog -

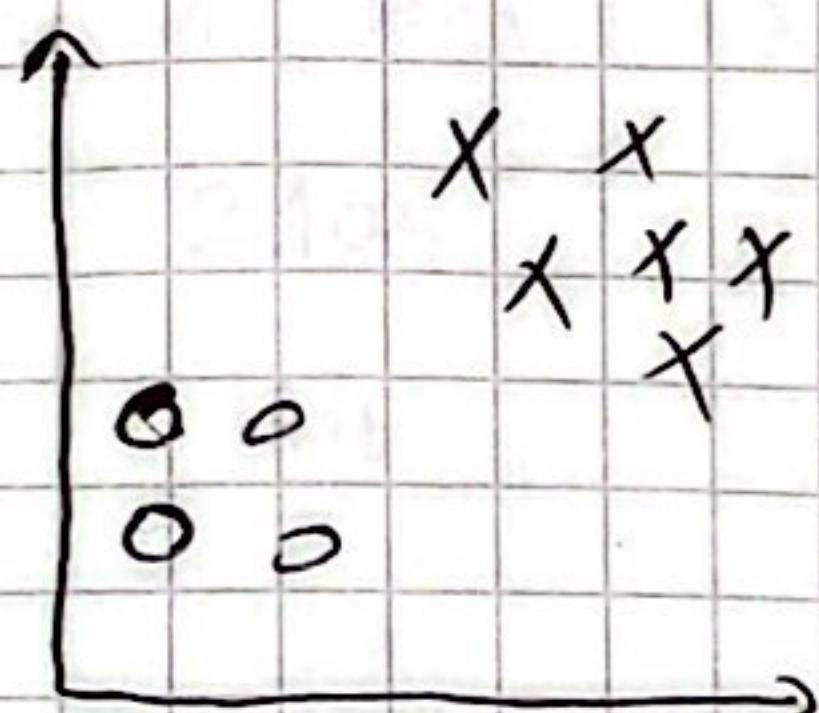


Unsupervised Learning

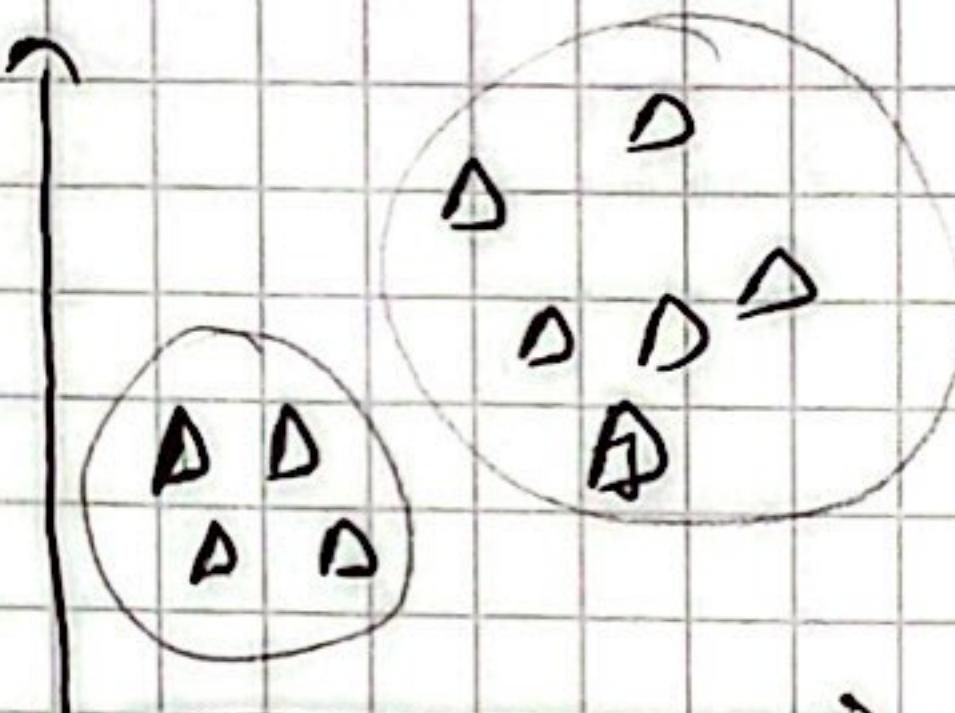
Now

X'keni biz verigmn

Y'keni own bulmuni istigmn, ikiwent



Supervised



Unsupervised

Clustering

. Clustering: Google News

↳ Group similar data points together.

Anomaly Detection,

Find unusual data points.

Dimensionality Reduction, (bagt indigeme

compress data using fewer numbers.

Regression Models

Training Sets: Data used to train the model.

Notations:

X = "input" variable Feature
feature

y = "output" variable
"target" variable

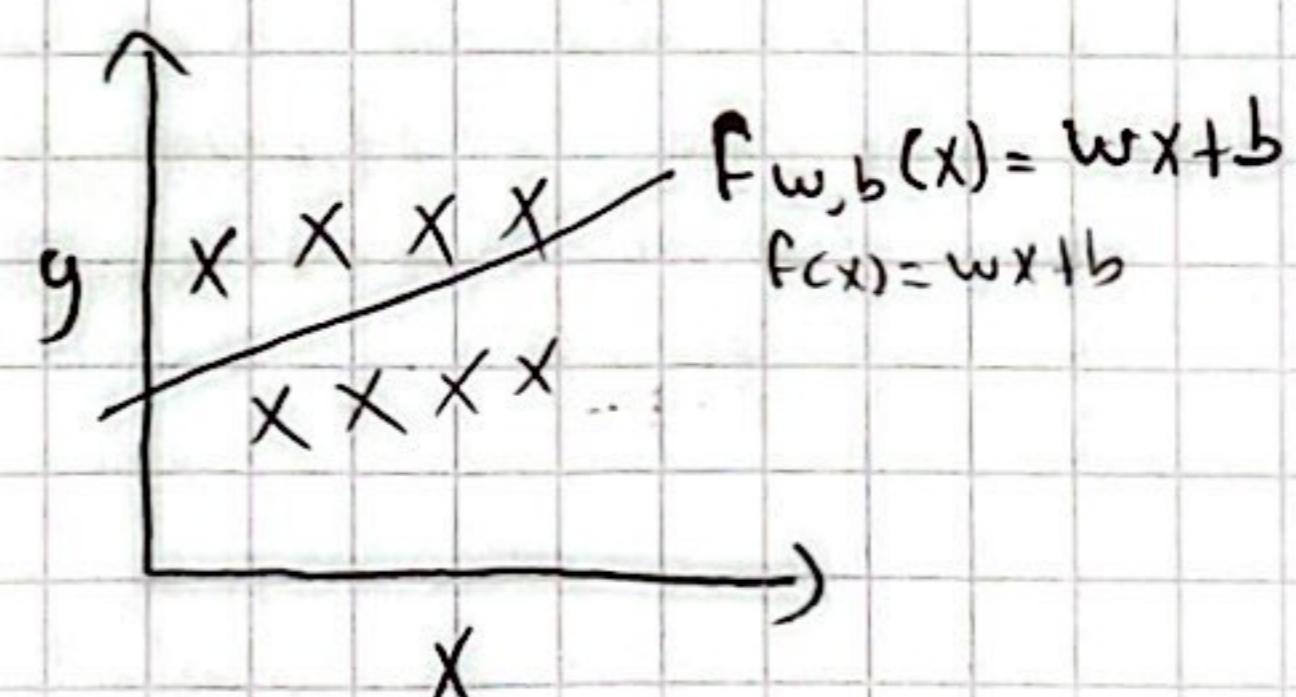
m = number of training examples

(X, y) = single training example

$(X^{(i)}, y^{(i)})$ = i^{th} training example

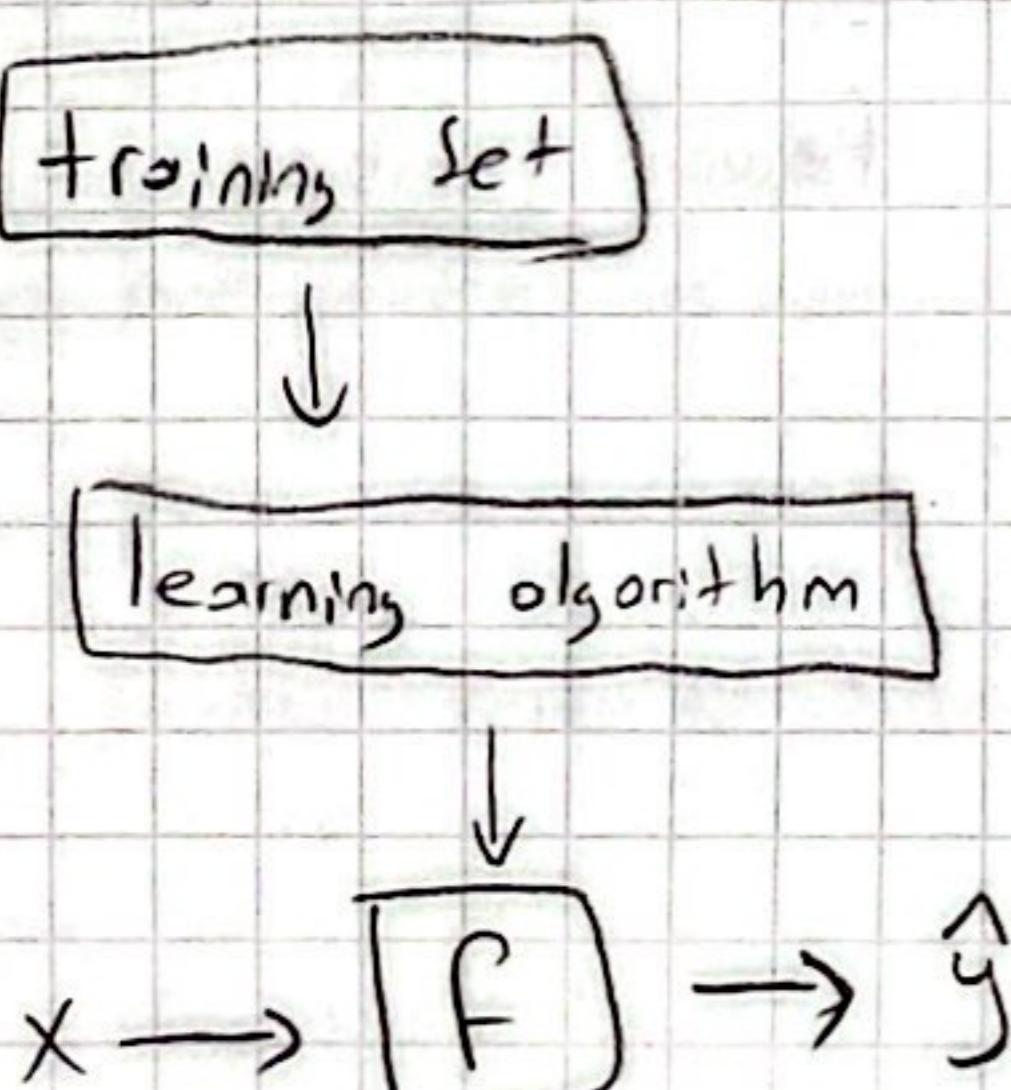
How to represent f ?

$$f_{w,b}(x) = wx + b$$



Linear regression with one variable

Univariate linear regression.

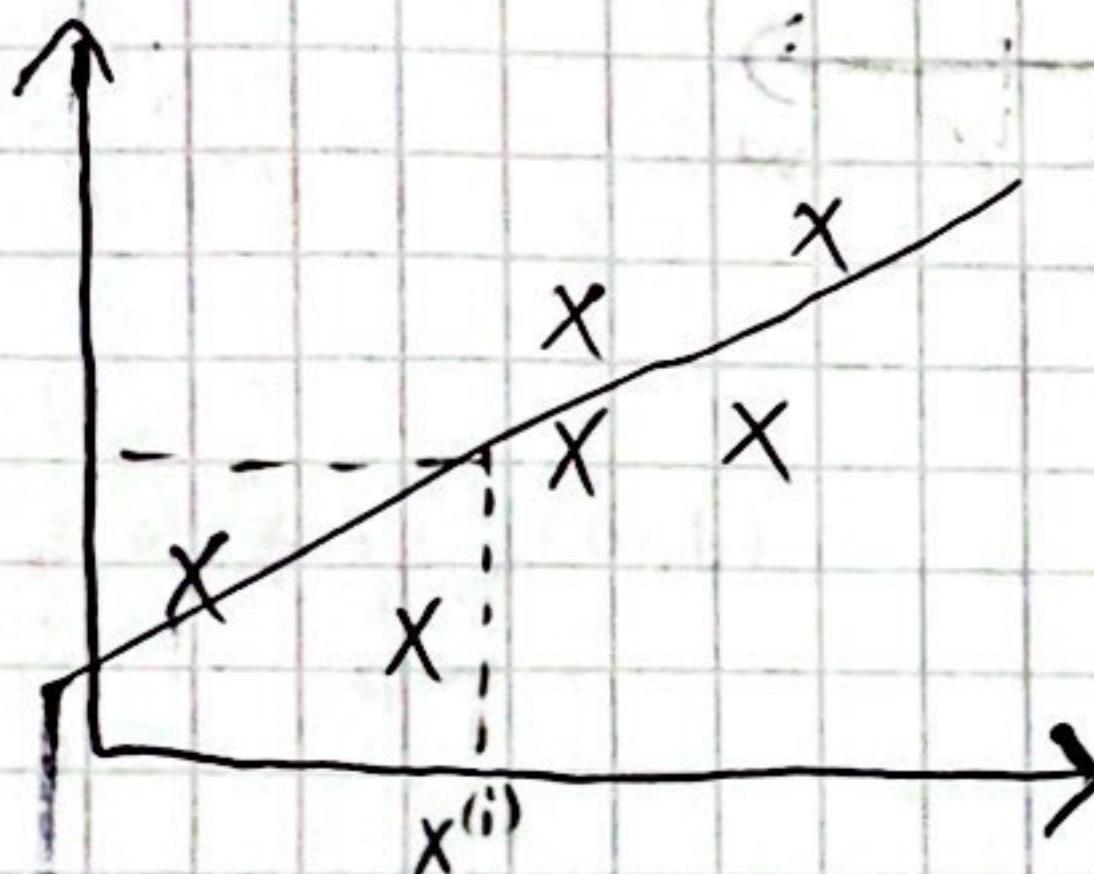


Cost Function

Training Set

Size in feet ² (x)	price \$1000's (y)
2104	462
1416	232
1535	315
832	178

$$f_{w,b}(x) = wx + b$$



$$\hat{y}^{(i)} = f_{w,b}(x^{(i)})$$

$$f_{w,b} = wx + b$$

Model: $f_{w,b}(x) = wx + b$

parameters: w, b

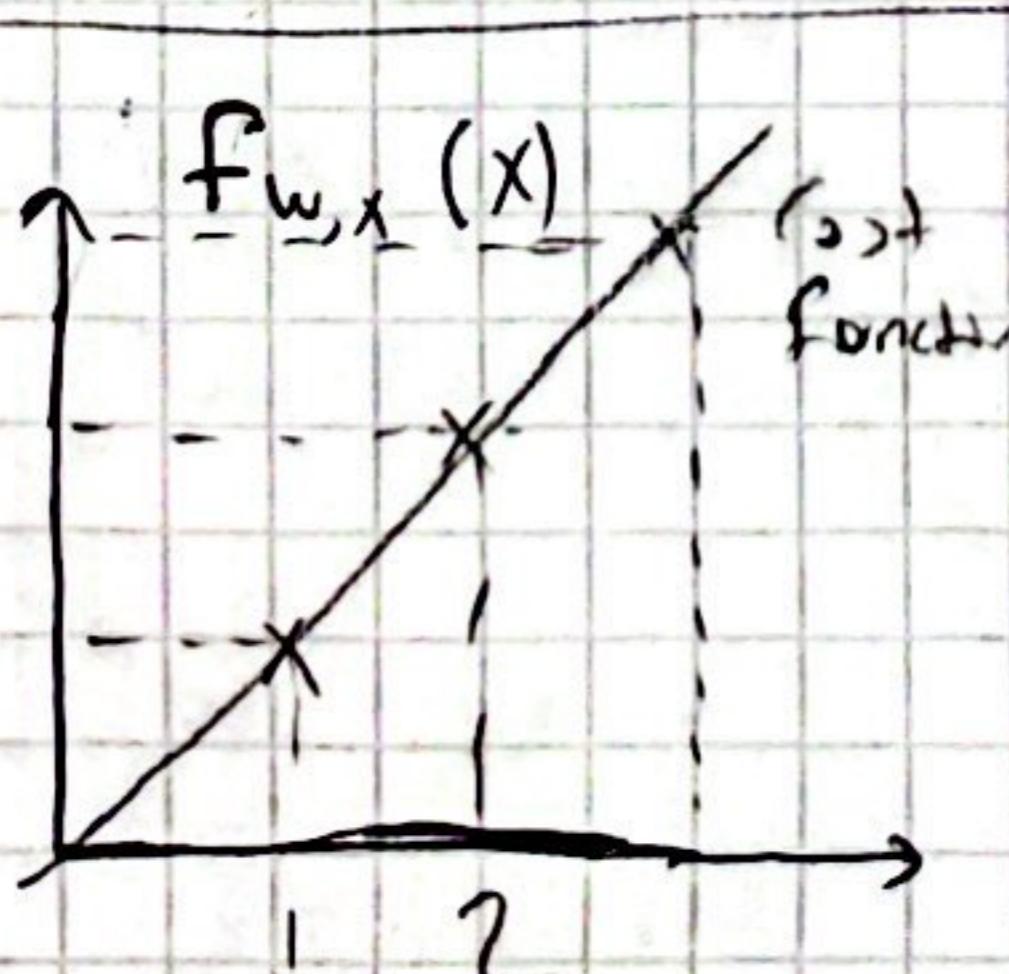
cost function: $J(w, b) = \frac{1}{2m} \sum_{i=1}^m (f_{w,b}(x^{(i)}) - y^{(i)})^2$

goal: minimize $J(w, b)$

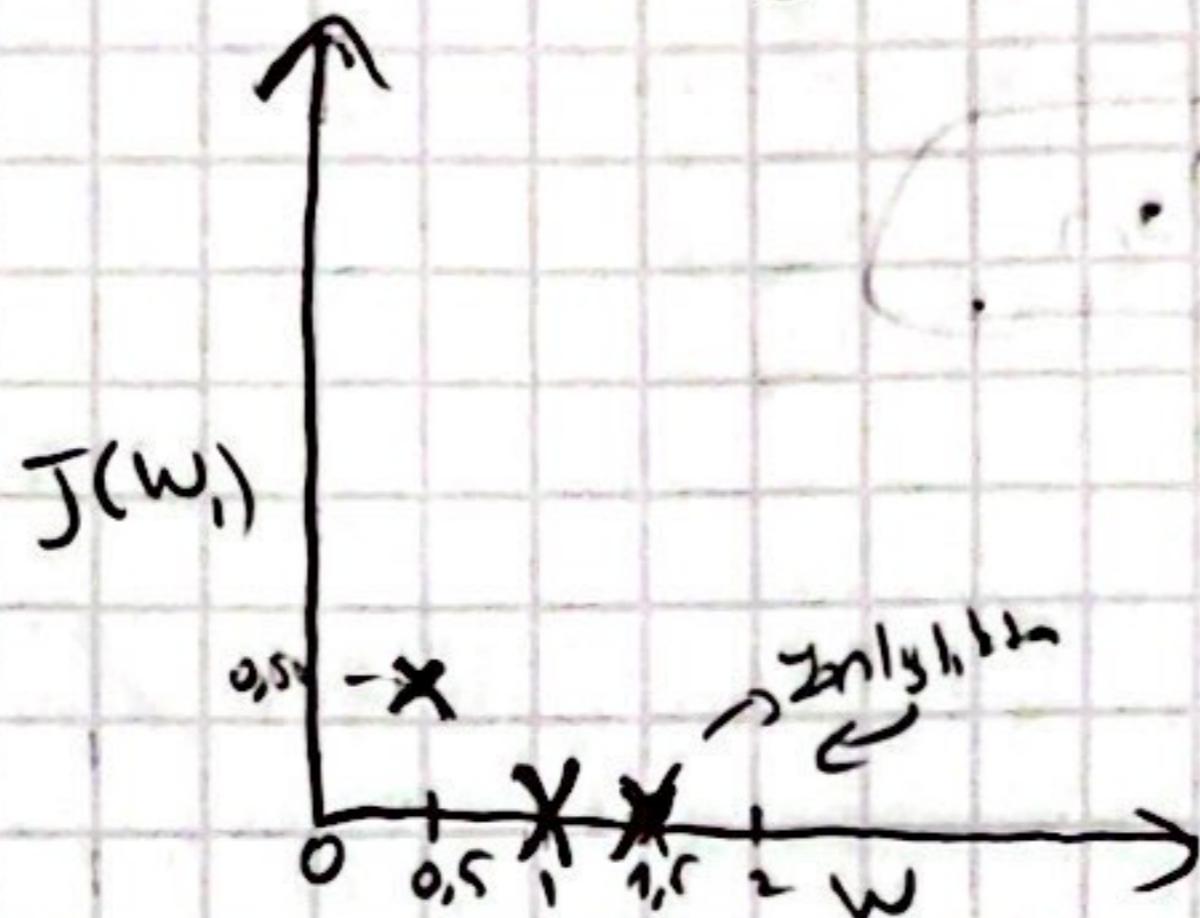
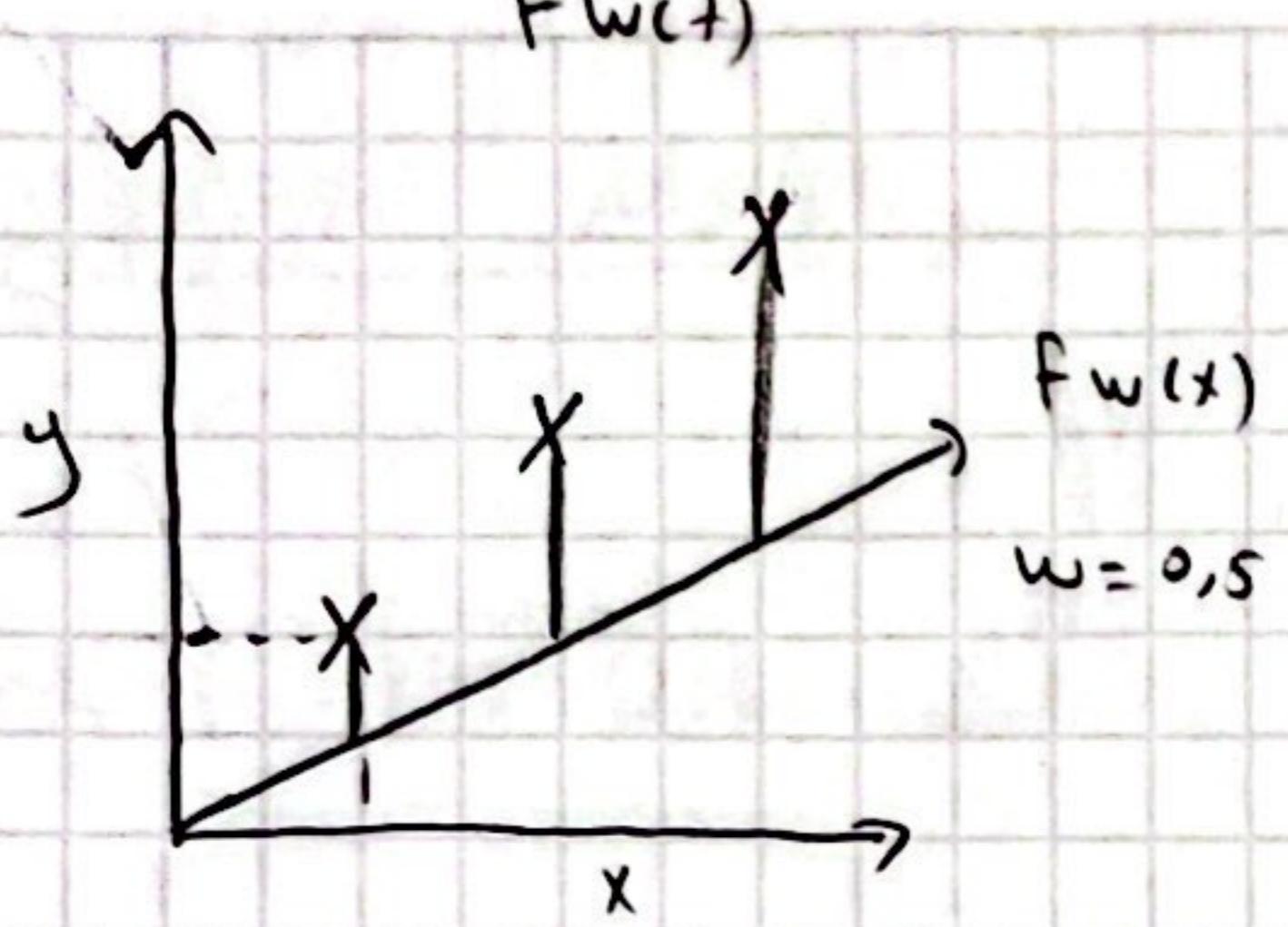
Simplified

$$f_w(x) = wx$$

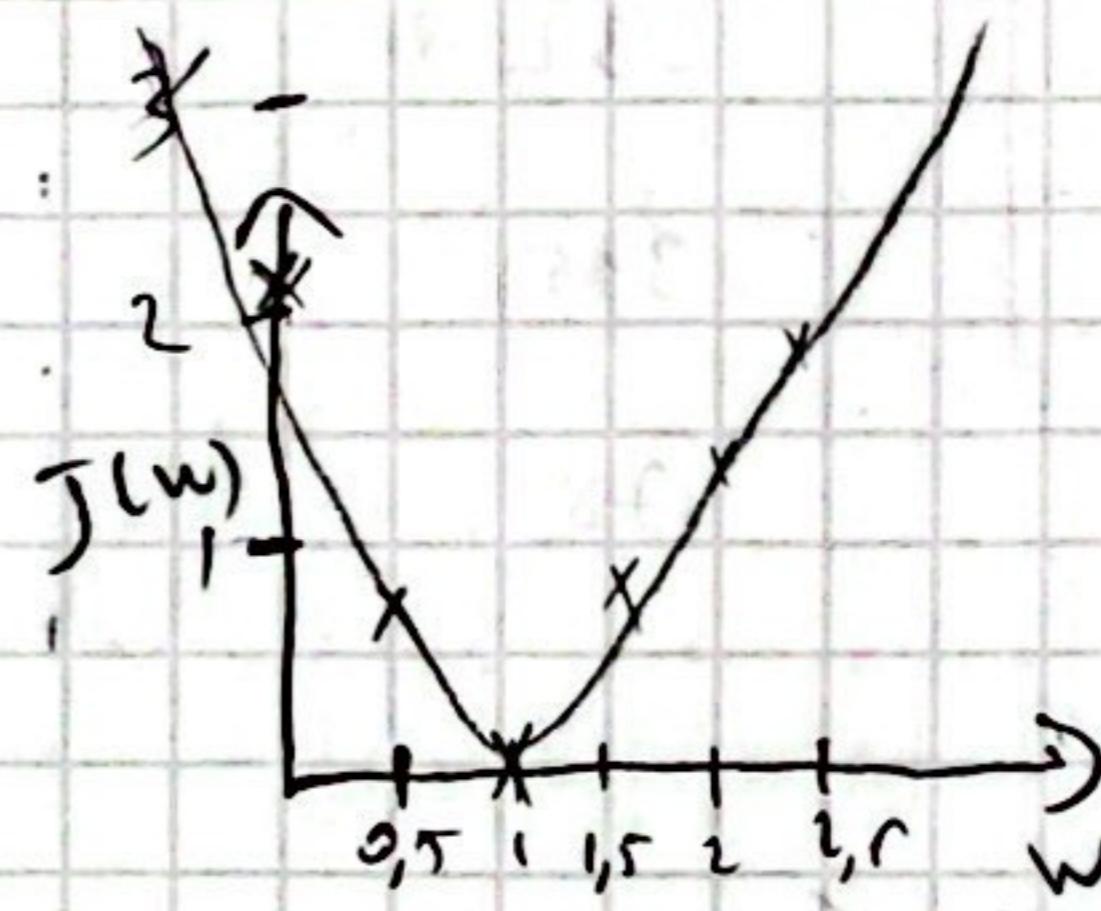
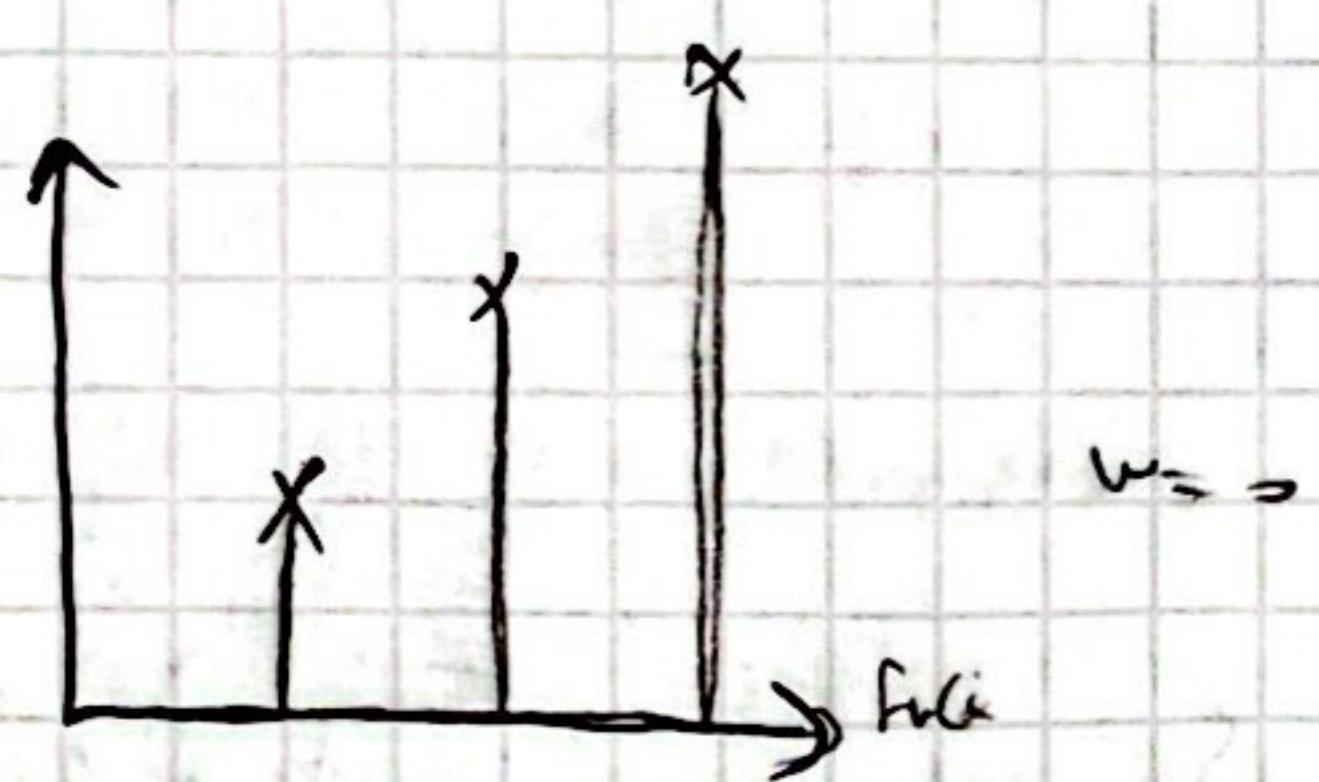
$$J(w) = \frac{1}{2m} \sum_{i=1}^m (f_w(x^{(i)}) - y^{(i)})^2$$



$$\begin{aligned}
 J(w) &= \frac{1}{2m} \sum_{i=1}^m (f_w(x^{(i)}) - y^{(i)})^2 = \frac{1}{2m} \sum_{i=1}^m (wx^{(i)} - y^{(i)})^2 \\
 &= \frac{1}{2} (0 + 0 + 0) = 0
 \end{aligned}$$



$$J(0,5) = \frac{1}{2m} \left[(0,5-1)^2 + (1-2)^2 + (1,5-3)^2 \right] = \frac{3,5}{6} \approx 0,58$$



$$J(0) = \frac{1}{2m} \left[(0-1)^2 + (0-2)^2 + (0-3)^2 \right] \approx 2,3$$

goal of linear regression : minimize $J(w)$

general case : minimize $J(w, b)$

Visualizing the Cost Function



Gradient Descent (Gradient init.)

Have some function $J(w, b)$ for linear regression or any function.

Want $\min_{w, b} J(w, b)$

$$\min_{w_1, w_2, \dots, w_n, b} J(w_1, w_2, \dots, w_n, b)$$

outline:

- Start with some w, b (set $w=0, b=0$)

- Keep changing w, b to reduce $J(w, b)$

- Until we settle at or near a minimum

* minimum not too扁平或太窄
stability.

$$W = w - \alpha \frac{\partial J(w, b)}{\partial w}$$

α = learning rate
0-1 arasında olur

α büyükse doğrudan adım atılmaz
 α küçükse adım atılmaz

$\frac{\partial J(w, b)}{\partial w} \Rightarrow$ adım atarken hangi
günde atasınsa karan verme

$$b = b - \alpha \frac{\partial J(w, b)}{\partial b}$$

w, b degerlerini aynı anda güncellemekiz.

Correct, : Simultaneous update

$$\text{tmp_}w = w - \alpha \frac{\partial J(w, b)}{\partial w}$$

$$\text{tmp_}b = b - \alpha \frac{\partial J(w, b)}{\partial b}$$

$$w = \text{tmp_}w$$

$$b = \text{tmp_}b$$

Gradient Descent Intuition

(Gradient is Sezgisi)

Learning Rate

$$w = w - \alpha \frac{d}{dw} J(w, b)$$

If α is too small

Gradient descent may be slow
dercel: slow

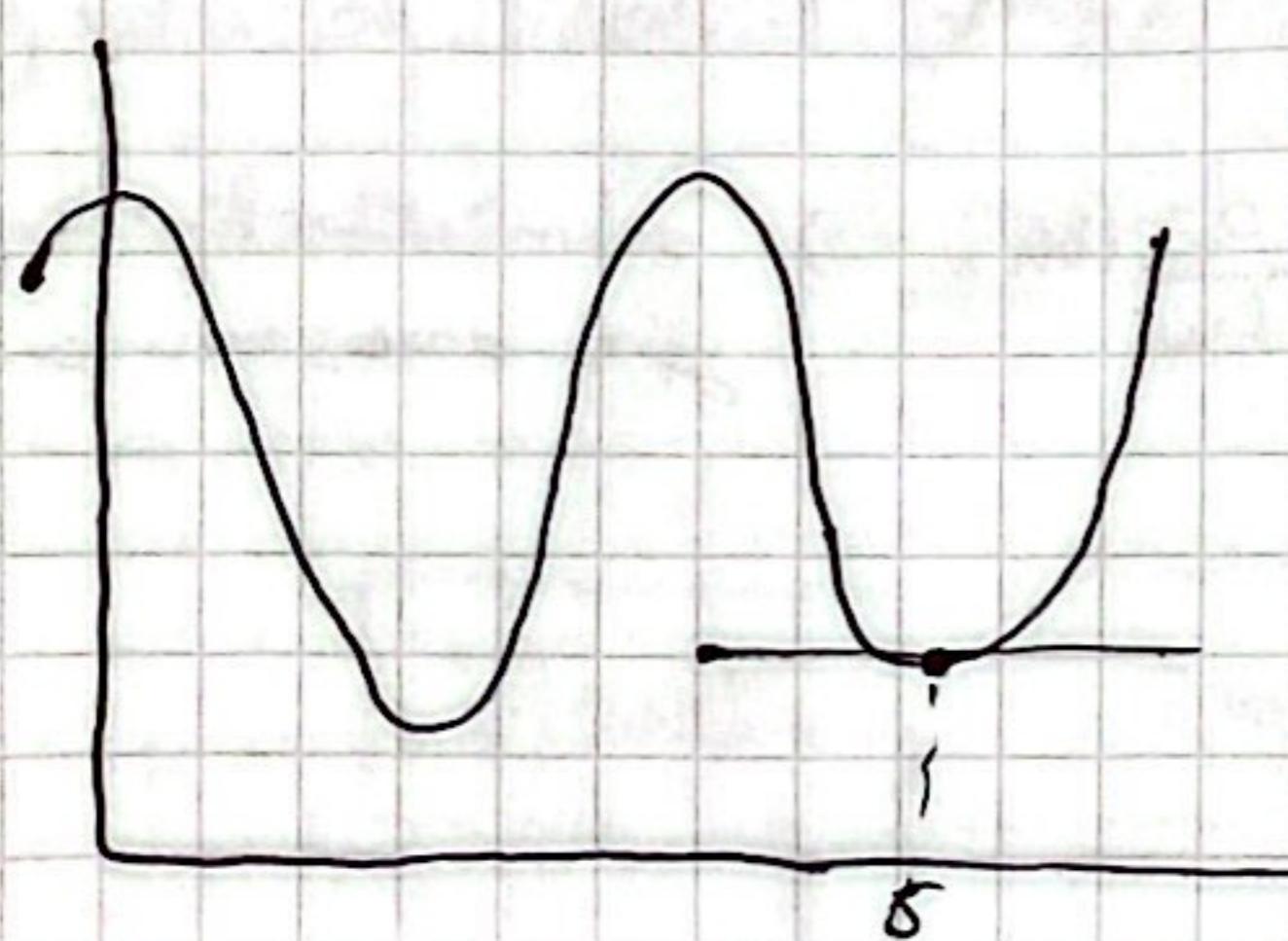


If α is too large

Gradient descent may:

→ overshoot → never reach minimum

- Fail to converge, diverge,
Yakınlaşmaz, İptal eder



w degen yerel minimum noktasına gelde

w degen g'nekkenez.

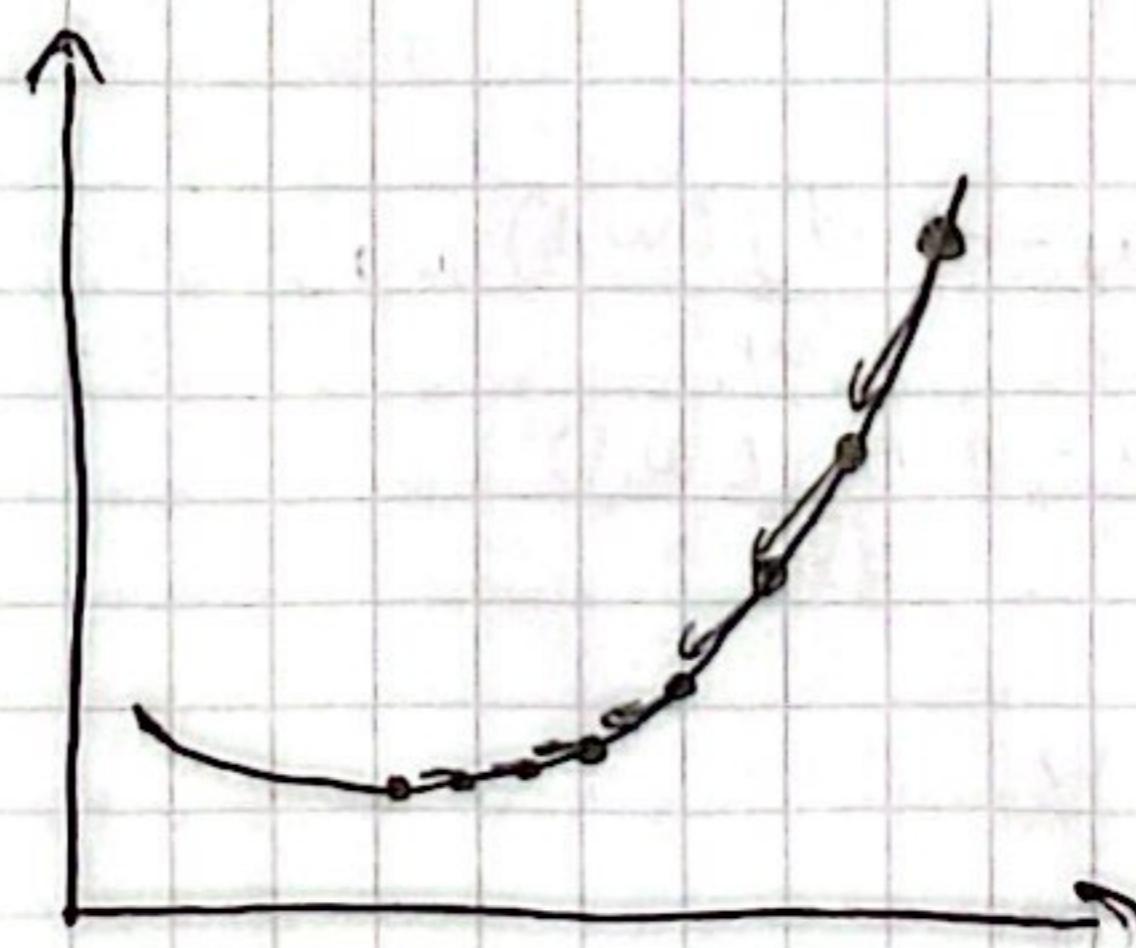
$$w = w - \alpha \cdot 0 = w$$

Yerel minimuma yaklaştırıla

→ Türev orsin

→ Adım boyutlu orsin

* α orsinde minimum'a ulaşabilir



Dogruluk Regresyon i̇n̄ih Dereceli Arazmla

lineer Regression model

$$f_{w,b}(x) = wx + b$$

Cost Function

$$J(w, b) = \frac{1}{2m} \sum_{i=1}^m (f_{w,b}(x^{(i)}) - y^{(i)})^2$$

gradient descent algorithm

$$w = w - \alpha \frac{\partial}{\partial w} J(w, b) \longrightarrow \frac{1}{m} \sum_{i=1}^m (f_{w,b}(x^{(i)}) - y^{(i)}) x^{(i)}$$

$$b = b - \alpha \frac{\partial}{\partial b} J(w, b) \longrightarrow \frac{1}{m} \sum_{i=1}^m (f_{w,b}(x^{(i)}) - y^{(i)})$$

repeat until convergence {

$$w = w - \alpha \frac{1}{m} \sum_{i=1}^m (f_{w,b}(x^{(i)}) - y^{(i)}) x^{(i)}$$

$$b = b - \alpha \frac{1}{m} \sum_{i=1}^m (f_{w,b}(x^{(i)}) - y^{(i)})$$

global minimum: yerel minimumları en küçük

Convex Function: Kısıtlı türde hizli

"Batch" gradient descent (Toplu dereceli azmla)

"Her dereceli azmla" adımda tüm data seti kullanılır