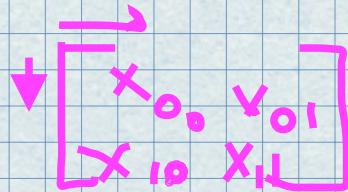


Görüntü İşleme Eğitimi;

Blurs, contrast changes, color changes

Gaussian blurs, edge detection

but in the end It's all filters.



Convolution

$$y(t) = h(t) * z(t) = \int_{-\infty}^{\infty} z(z) \cdot h(t-z) dz$$

BLURS

Firstly, we will use KERNEL CONVOLUTION

& that is the kind of the core of Gaussian blurs
, mean blurs and edge detections.

Simple Technique

Kernel Conv. is just a process where we take a small grid of numbers
and we pass them over the whole image transforming it based on what
those numbers are.

KERNEL

x_{00}	x_{01}	x_{02}
x_{10}	x_{11}	x_{12}
x_{20}	x_{21}	x_{22}

3x3 Kernel size

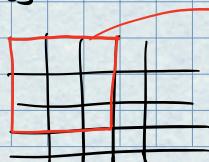
1) Mean Blur

* if all x are 1

So it is a mean blur.

IMG				
14	15	5	2	6
5	8	3	3	2
21	6	5	128	52
255	25	0	1	5
52	48	29	65	110

How it works



convolution
and divide by
matrix size

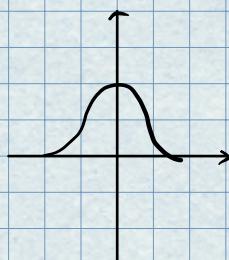
} Then it will go to a new
image or it will blow our
code

||||

* It can help to remove noises.

2) Gaussian Blur

Example



σ (deviation)
(standard square)

1	2	1
2	4	2
1	2	1

Image (Edge)

50	50	100	100
50	50	100	100
50	50	100	100
50	50	100	100
50	50	100	100
50	50	100	100

Mean Blur
Kernel

50	50	100
50	50	100
50	50	100

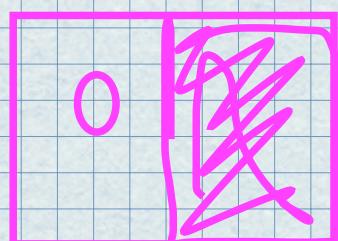
$$\rightarrow \frac{600}{3} = 66 \approx 67$$

Gaussian
Blur
Kernel

50	100	100
100	200	200
50	100	100

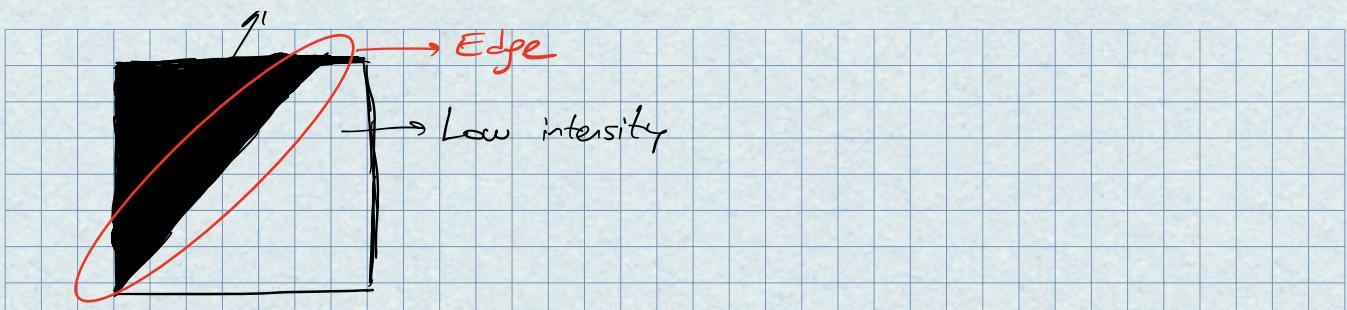
$$\rightarrow \frac{1000}{16} = 62,5 \approx 63$$

$$1+2+1+2+4+2+1+2+1=16$$



Sobel Edge Detector

High Intensity



x direction kernel

$$G_x = \begin{bmatrix} -1 & 0 & 1 \\ -2 & 0 & 2 \\ -1 & 0 & 1 \end{bmatrix}$$

$$\begin{array}{|c|c|c|c|} \hline 50 & 50 & 100 & 100 \\ \hline 50 & 50 & 100 & 100 \\ \hline 50 & 50 & 100 & 100 \\ \hline 50 & 50 & 100 & 100 \\ \hline 50 & 50 & 100 & 100 \\ \hline 50 & 50 & 100 & 100 \\ \hline \end{array}$$

$$\xrightarrow{G_x} \begin{bmatrix} -50 & 0 & 100 \\ -100 & 0 & 200 \\ -50 & 0 & 100 \end{bmatrix}$$

$$= 200$$

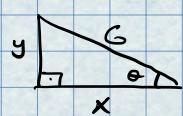
$$G_y = \begin{bmatrix} -1 & -2 & -1 \\ 0 & 0 & 0 \\ 1 & 2 & 1 \end{bmatrix}$$

$$\downarrow G_y \quad \begin{bmatrix} 50 & 100 & 100 \\ 0 & 0 & 0 \\ -50 & -100 & -100 \end{bmatrix} = 0$$

$$G = \sqrt{G_x^2 + G_y^2}$$

Pythagoras theorem

$$\arctan\left(\frac{G_y}{G_x}\right) = \theta$$



But it is unusual in color. In the many areas it is a gray scale operator.

It can find so many unnecessary edges with technique so you can use gaussian blur first and then you can use sobel edge and the result will be better.



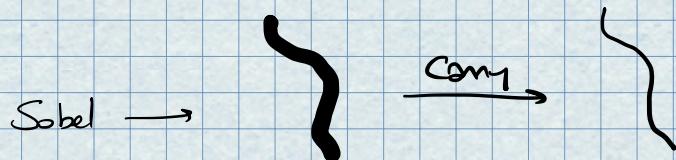
Image → grayscale → Gaussian blur → sobel edge → edge detected image

CANNY EDGE DETECTOR

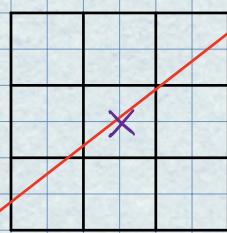
Published in 1986

It is using sobel but it has one more step.

Actually we don't want the thickness of our edges we want to know their directions.



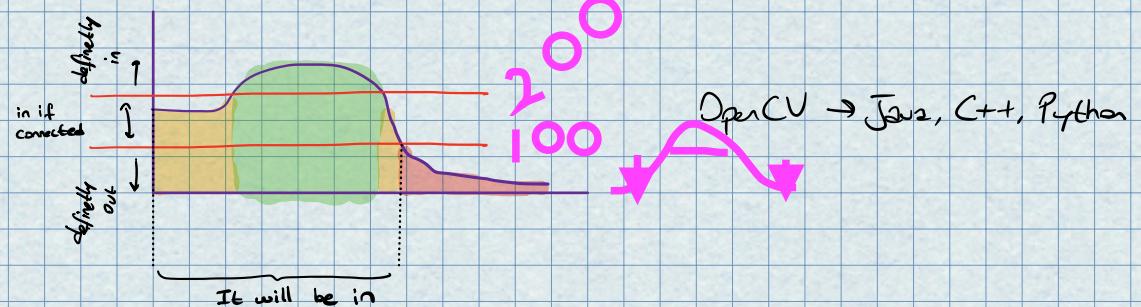
canny calculates which neighbour pixel is greater than other with angle



! hysteresis thresholding

If threshold is low then all edges and noises still be there
" " " high " we will lose some edges

One dimensional image



RESIZING THE IMAGES (Bicubic, Nearest neighbour, Bilinear)

3x3 image

x			
y	120	121	115
	100	110	80
	100	80	60

First guess ?

$$x \rightarrow 3x$$

$$y \rightarrow 3x$$

IT IS REALLY

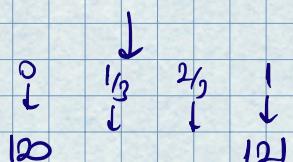
BAD !

DON'T DO IT

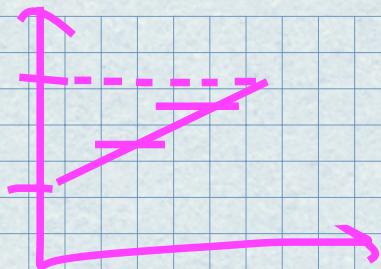
8x8 nearest neighbour

120	120	121	121	121	115	115	115	115
100	100	100	100	100	80	80	80	80
100	100	100	100	100	80	80	80	80
100	100	100	100	100	80	80	80	80
100	100	100	100	100	80	80	80	80

Bilinear



$\frac{2}{3}$ $\frac{1}{3}$



100 133 167 200

When we calculate x_{01}

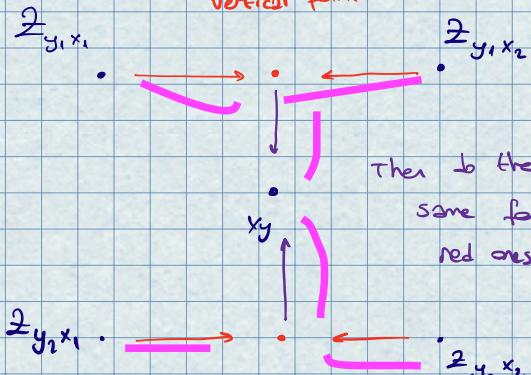
$$x_{01} = \text{distance}\left(1 - \frac{|x_{01} - x_{03}|}{x_{03} - x_{00}}\right) \cdot x_{03} + \text{distance}\left(1 - \frac{|x_{01} - x_{00}|}{x_{03} - x_{00}}\right) \cdot x_{00}$$

$$= \left(1 - \frac{1}{3}\right) \cdot 100 + \left(1 - \frac{2}{3}\right) \cdot 200$$

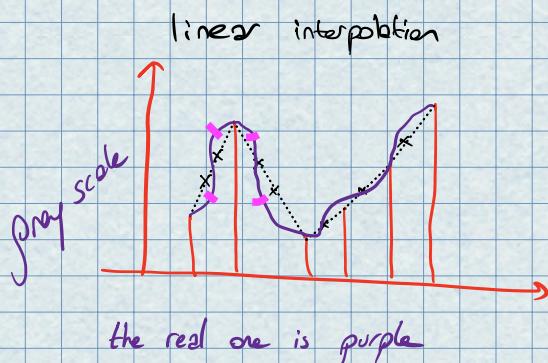
$$= \frac{200}{3} + \frac{200}{3} = \frac{400}{3} \approx \underline{\underline{133}}$$

For example

Firstly find the same
vertical point



So this is bilinear



x_0 is known }
 x_1 is known } so we can use third degree polynomial. This is called cubic interpolation

$$f(x) = ax^3 + bx^2 + cx + d$$

$$f'(x) = 3ax^2 + 2bx + c$$

$$\left. \begin{array}{l} f(0) = d \\ f(1) = a + b + c + d \\ f'(0) = c \\ f'(1) = 3a + 2b + c \end{array} \right\} \rightarrow \begin{array}{l} a = 2f(0) - f(1) + f'(0) + f'(1) \\ b = -3f(0) + 3f(1) - 2f'(0) - f'(1) \\ c = f'(0) \\ d = f(0) \end{array}$$