



## EXPERIMENT – 2

**Student Name:** Gaganjot Singh

**UID:** 22BCS14843

**Branch:** BE-CSE

**Section/Group:** 22BCS\_JT\_802-B

**Semester:** 5<sup>th</sup>

**Date of Performance:** 25 July 2024

**Subject Name:** Design & Analysis of Algorithms

**Subject Code:** 22CSH-311

**1. Aim:** Implement power function in  $O(\log(n))$  time complexity.

**2. Objective:** The implement power function in  $O(\log(n))$  time complexity so that we can solve power of any number with reduced time complexity. Usually, the  $n^2$  is used when we apply it simply looping to solve it. Here we are using recursion to reduce the time complexity.

### 3. Algorithm

- Start
- Take Input.
- Prompt user to enter the base number.
- Prompt the user to enter the exponent.
- Function definition :  $\text{power}(x,y)$
- If  $y==0$ , return 1 (base case, any number raised to 0 is 1)
- Call  $\text{power}(x,y/2)$  and store the result in temp.
- If y is even, return  $\text{temp} * \text{temp}$
- If y is odd, return  $x * \text{temp} * \text{temp}$ .
- Output: Print the result of power (x,y) with beautiful formatting.
- End

#### 4. Implementation/Code:

```
#include <iostream>
using namespace std;
int power(int x, int y)
{
    if (y == 0)
    {
        return 1;
    }

    int temp = power(x, y / 2);
    if (y % 2 == 0)
    {
        return temp * temp;
    }
    else
    {
        return x * temp * temp;
    }
}

int main()
{
    int num, exp;
    cout << "Enter the number whose power you want to find:\n";
    cin >> num;
    cout << "Enter the power you want to find:\n";
    cin >> exp;
    cout << "The result is: " << power(num, exp);
    return 0;
}
```

## 5. Output

```
PS E:\CU Study\22CSH 311 DAA> cd "e:\CU Study\22CSH 311 DAA\" ; if ($?) { g++ ex2
.cpp -o ex2 } ; if ($?) { .\ex2 }
Enter the number whose power you want to find:
4
Enter the power you want to find:
3
The result is: 64
```

## 6. Time Complexity :

- The time complexity of the power functions implemented using recursion is  $O(\log(n))$ .
- The function repeatedly, divides the exponent by 2 and squares the base until the exponent becomes 0. The number of iterations required to reach the base case is  $\log(n)$ , where  $\log(n)$  denotes the logarithm to the base 2. Therefore, the time complexity of the function is proportional to the number of iterations which is  $O(\log(n))$ .

## 7. Learning Outcomes:

- Implemented recursive functions
- Used RF to break down problem into smaller problems
- Divide and conquer approach for computation
- Recognize the importance of addressing the special cases, such as exponent zero.