

Project: implement sm2 2P sign with real network communication

按照图示实现了两方签名 未给出验证算法

代码直接运行即可

PART3 Application

3.5 SM2 two-party sign

- Public key: $P = [(d_1 d_2)^{-1} - 1]G$
- Private key: $d = (d_1 d_2)^{-1} - 1$
- Signature
 - $(k_1 k_3 + k_2)G = (x_1, y_1)$
 - $r = (x_1 + e) \bmod n$
 - $s = (1 + d)^{-1} \cdot ((k_1 k_3 + k_2) - r \cdot d) \bmod n$



(1) Generate sub private key $d_1 \in [1, n-1]$, compute $P_1 = d_1^{-1} \cdot G$

(3) Set Z to be identifier for both parties, message is M

- Compute $M' = Z || M$, $e = \text{Hash}(M')$
- Randomly generate $k_1 \in [1, n-1]$, compute $Q_1 = k_1 G$

(5) Generate signature $\sigma = (r, s)$

- Compute $s = (d_1 * k_1) * s_2 + d_1 * s_3 - r \bmod n$
- If $s \neq 0$ or $s \neq n - r$, output signature $\sigma = (r, s)$

P_1

Q_1, e

r, s_2, s_3



(1) Generate sub private key $d_2 \in [1, n-1]$,

(2) Generate **shared public key**: compute $P = d_2^{-1} \cdot P_1 - G$, publish public key P

(4) Generate partial signature r :

- Randomly generate $k_2 \in [1, n-1]$, compute $Q_2 = k_2 G$
- Randomly generate $k_3 \in [1, n-1]$, compute $k_3 Q_1 + Q_2 = (x_1, y_1)$
- Compute $r = x_1 + e \bmod n$ ($r \neq 0$)
- Compute $s_2 = d_2 \cdot k_3 \bmod n$,
- Compute $s_3 = d_2(r + k_2) \bmod n$

结果如下:

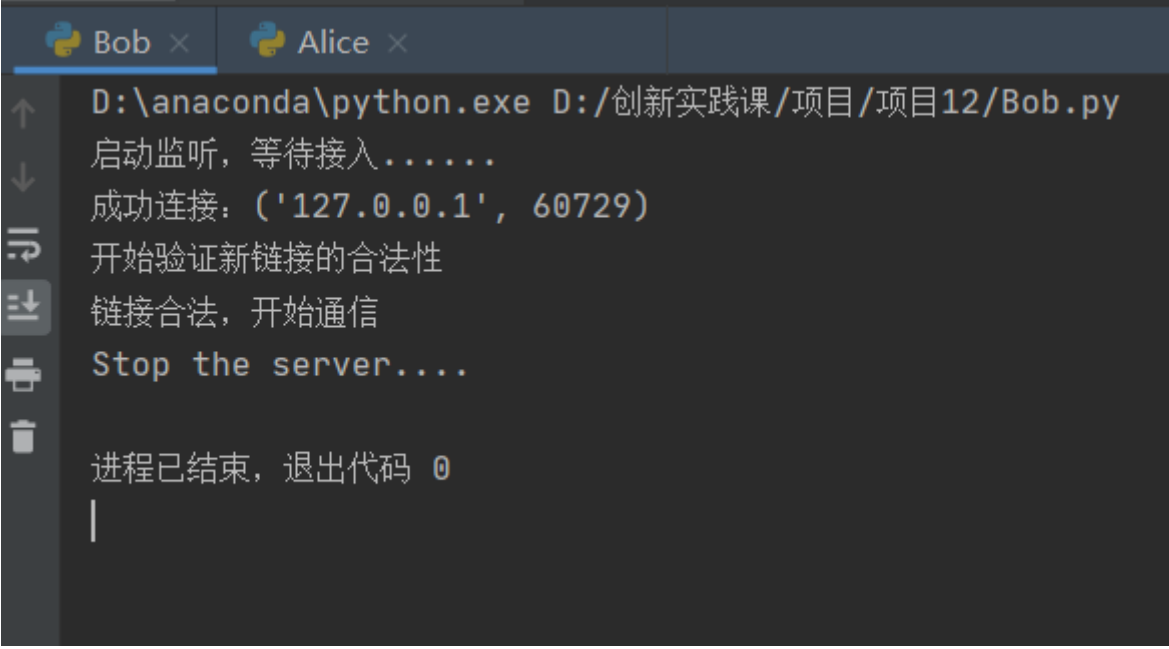
Alice:

```
Bob Alice
D:\anaconda\python.exe D:/创新实践课/项目/项目12/Alice.py
M : 5ec524ca78447e774c772d45e3ae7559b2cb3d41a7cd79605bb0f9a478b372bfdu_tql

signature : (41208077251787922072417150227529153467170271858403509471416737386486924254759, 1755246672911131647463642011816185269281576910254406114575765088022386018130)

进程已结束, 退出代码 0
```

Bob:



```
D:\anaconda\python.exe D:/创新实践课/项目/项目12/Bob.py
启动监听，等待接入.....
成功连接: ('127.0.0.1', 60729)
开始验证新链接的合法性
链接合法，开始通信
Stop the server....

进程已结束，退出代码 0
|
```