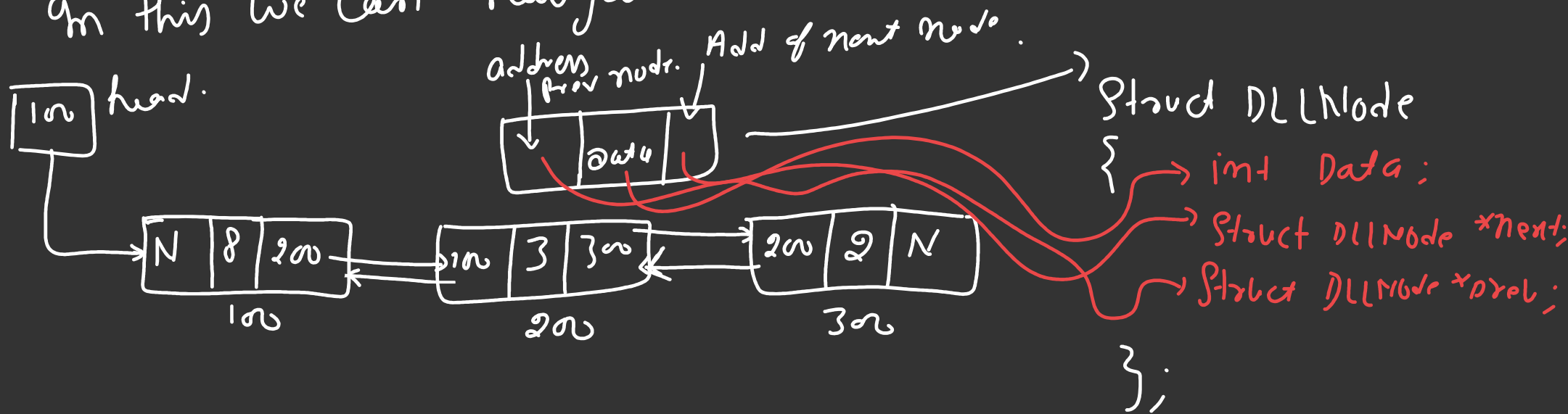


Date
02/01/23

{ Data Structures }

LinkedLists (Singly) \rightarrow Insertion
(DLL) \rightarrow Deletion

{ Doubly linked lists: It is also called two way linked lists.
In this we can navigate in both directions.

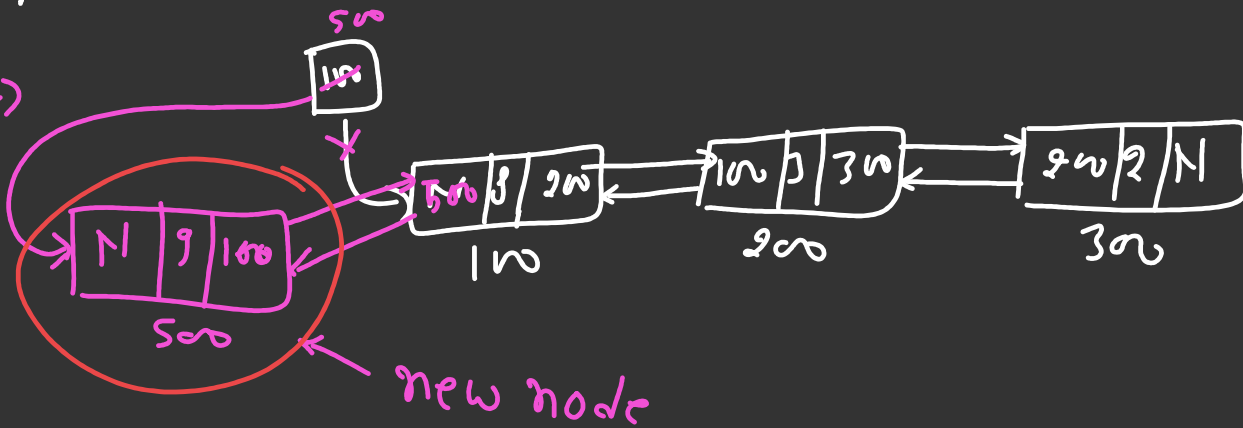


Insertion in DLL

At beginning

At end.

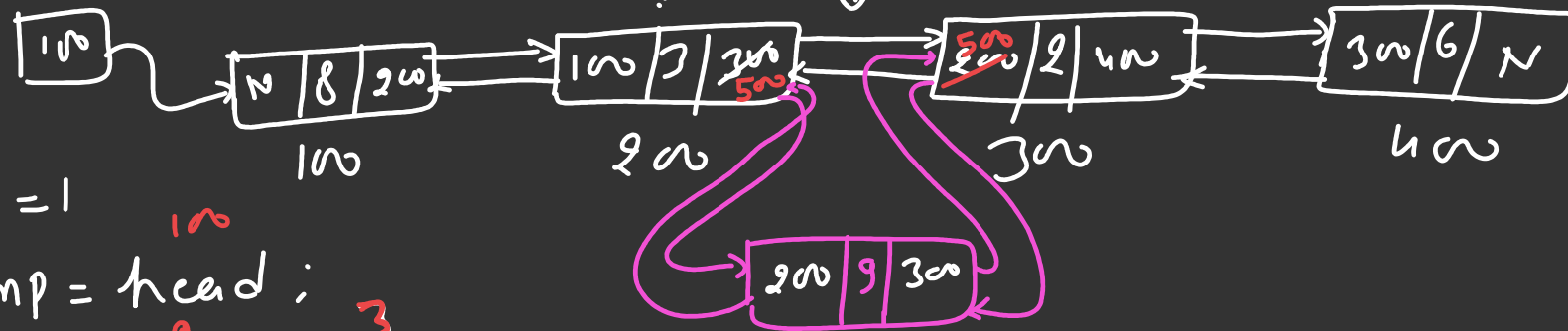
At intermediate



Create new_node.

```
new_node → Data = Data  
new_node → next = head  
new_node → prev = NULL  
head → prev = new_node;  
head = new_node;
```

At the End/Intermediate location
 At third position



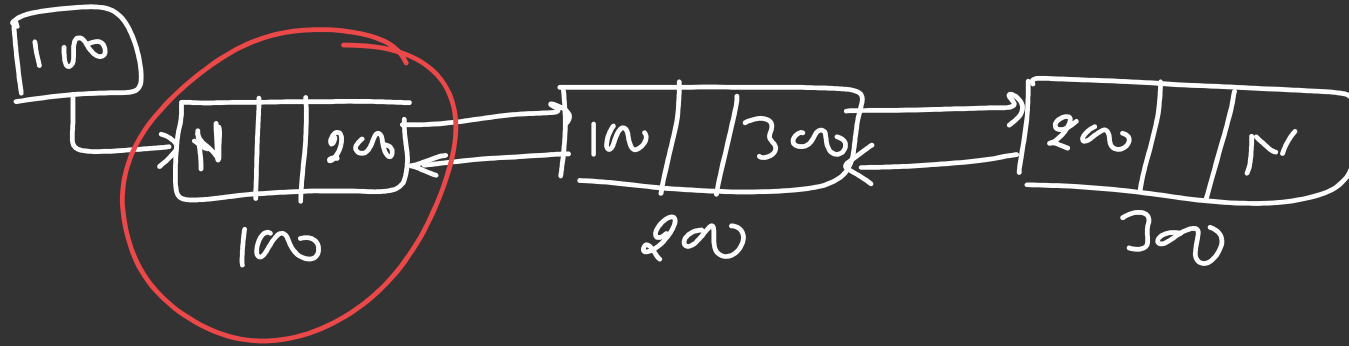
$k = 1$
 $temp = head;$
 While ($k < position - 1$ & $temp \rightarrow next \neq NULL$)
 {
 $temp = temp \rightarrow next;$
 $k++;$
 }

$newnode \rightarrow next = temp \rightarrow next;$
 $newnode \rightarrow prev = temp;$
 $temp \rightarrow next = newnode;$
 $temp \rightarrow next \rightarrow prev = newnode;$

{ Deletion in DLL:

At beginning

At End / Intermediate ✓



§ Circular linked lists:

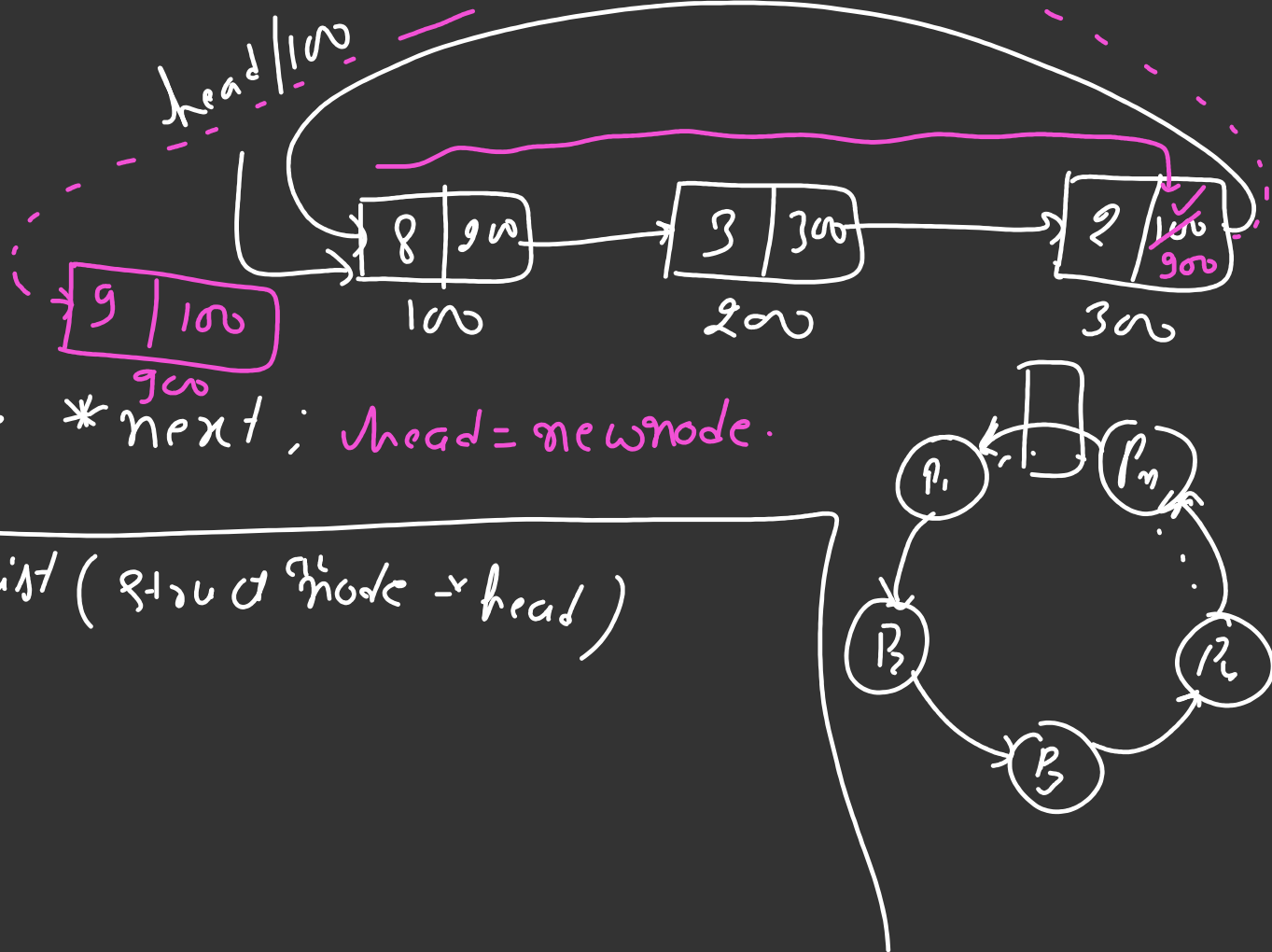
+ *delete*

struct CLNode

{
int data;

struct CLNode *next; head = newnode.

} Circular linked list (struct CLNode * head)



temp = head

newnode → data = data

while (temp → next ≠ head)

{ temp = temp → next

} newnode → next = head

temp → next = newnode;

head = newnode

$T(n)$

Add(n)

{

if (n == 1)

return 1

~~else~~

return n + Add(n-1)

n times $\Rightarrow O(n)$

n-k=1

k=(n-1)

$T(n) = O(n)$
 $T(n) = T(1) + k$
 $T(n) = 1 + n - 1$

1.5 seconds

A(n)

Extra space $O(1)$

After k^{th}

$T(n) = T(n-3) + 3$
iteration

$T(n) = T(n-k) + k$

$T(n) =$

$T(n) = T(n-1) + 1$

$T(n-1) = T(n-2) + 1$

$T(n-2) = T(n-3) + 1$

!
1 + 2 + 3 + 4 + ... + n

$O(n)$

Recursive
After 3rd iteration

$$T(n) = T(n-1) + n$$

$$T(n) = T(n-1) + n$$

$$T(n-1) = T(n-2) + (n-1)$$

$$T(n-2) = T(n-3) + (n-2)$$

⋮

$$T(n) = T(n-3) + (n-2) + (n-1) + n$$

After k^{th} generation

$$T(n) = T(n-k) + (n-(k-1)) + \dots + (n-2) + (n-1) + n$$

$$n-k = 1$$

$$k = n-1$$

$$\begin{aligned} T(n) &= T(1) + \dots + (n - (n-1-1)) + \dots + (n-2) + (n-1) + n \\ &= 1 + 2 + 3 + \dots + (n-2) + (n-1) + n \end{aligned}$$

$A(n)$

{

gf ()

return

return $A(n-1) + \textcircled{f(n)}$

$$\boxed{O(n^2)}$$

↑
 n times