

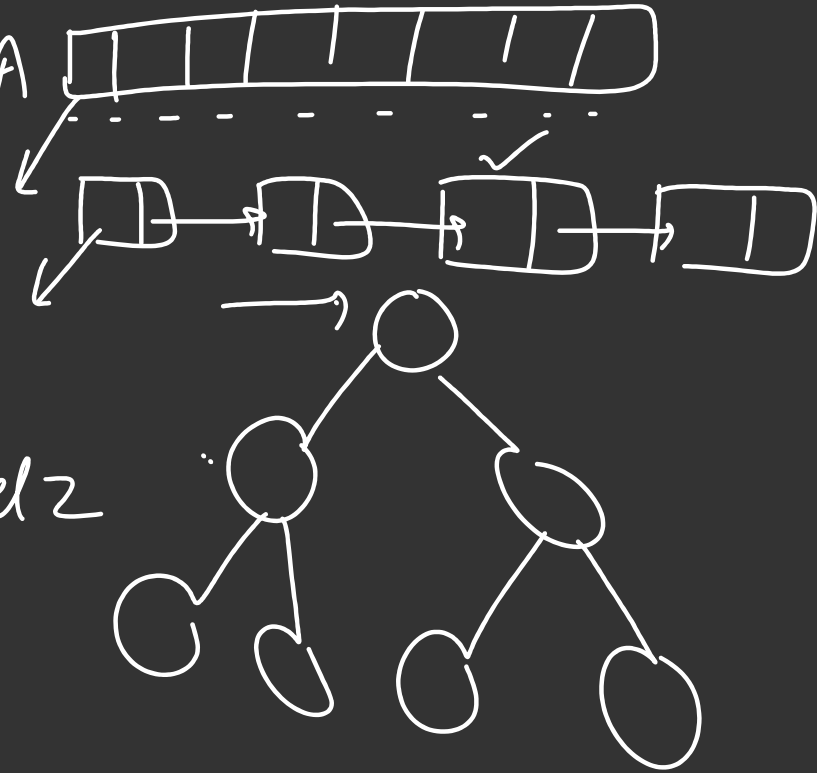
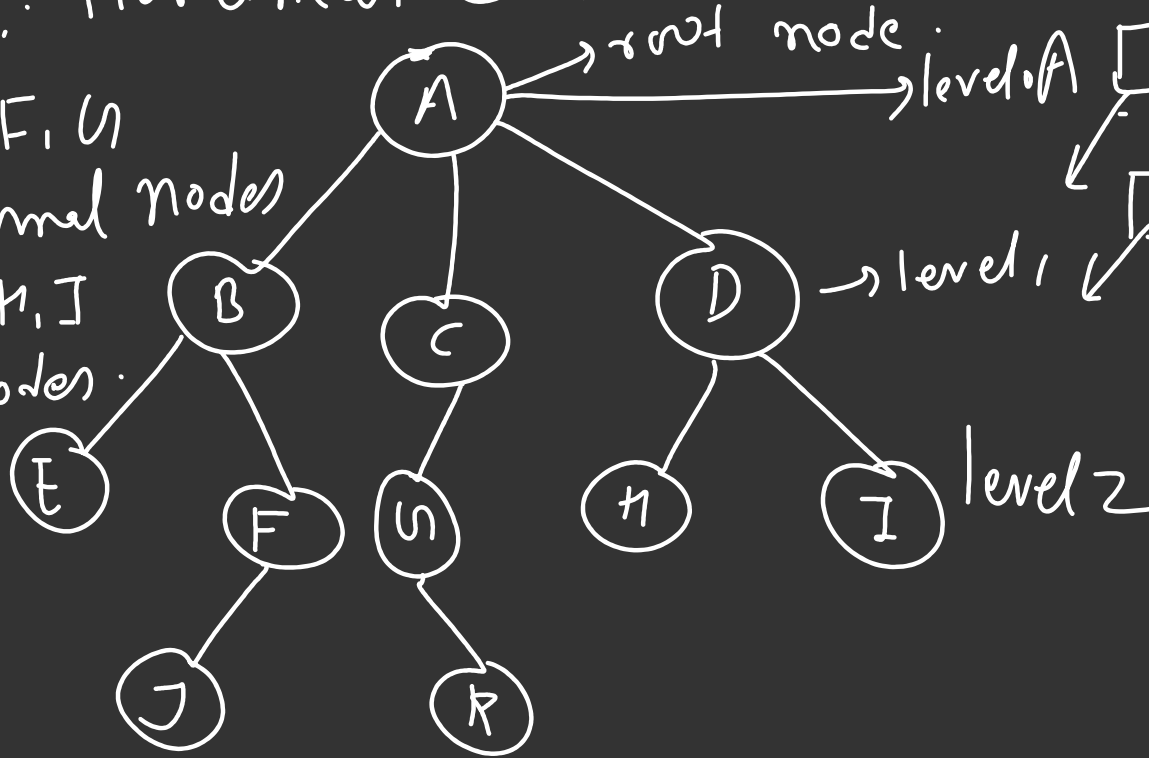
Date /
31/01/23

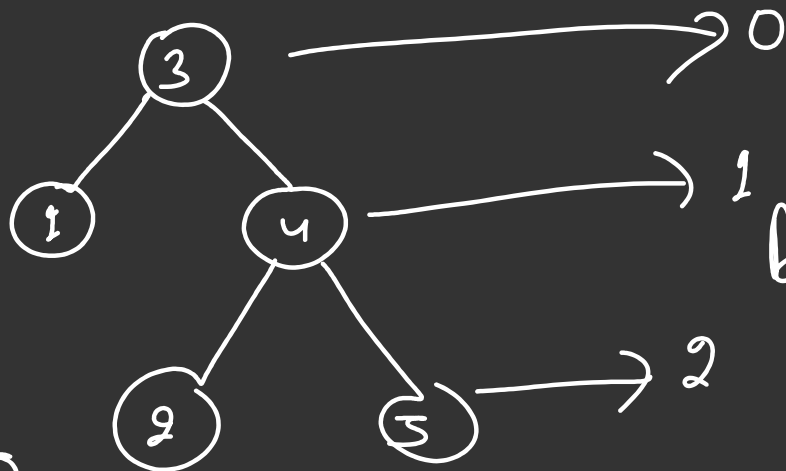
{ Data Structures }

m-ary trees.

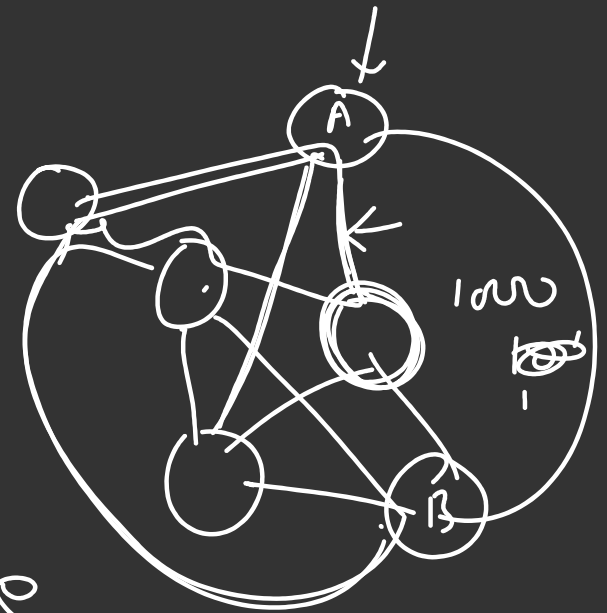
Trees: Nonlinear data structure

B, C, D, F, G
Internal nodes
E, J, K, H, I
leaf nodes.

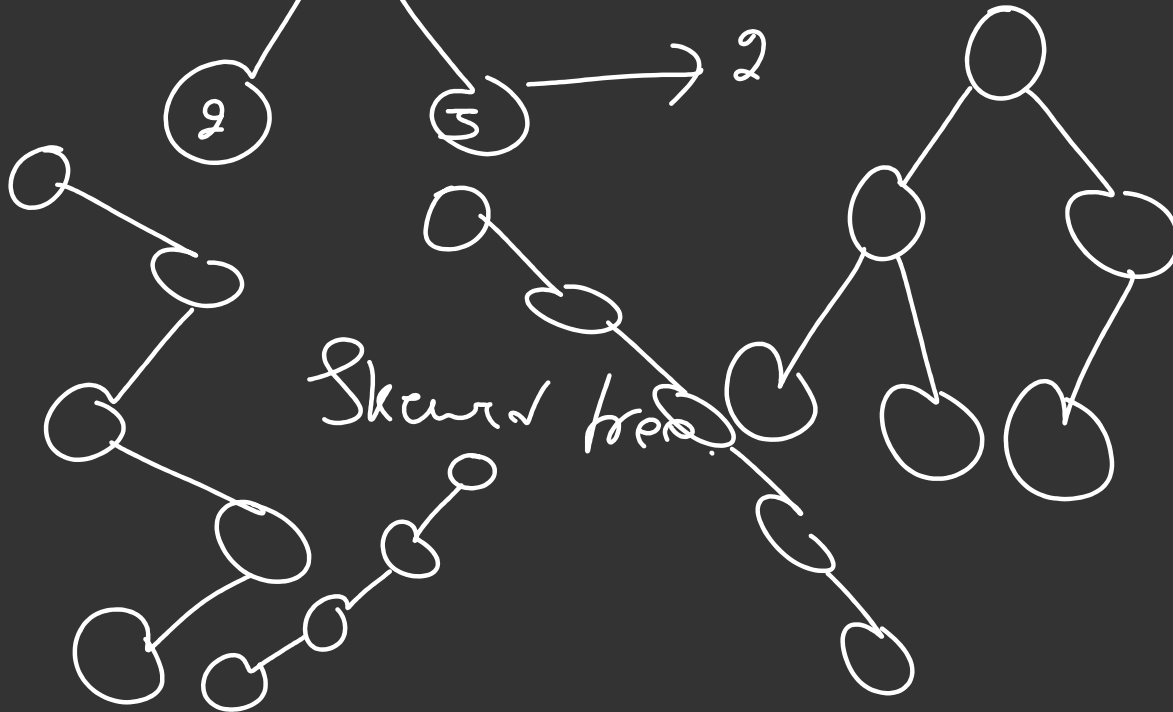




Balanced tree.



tree
 $n = 6$
 $n-1 = \sum_{i=1}^n \text{deg}(v_i) = 6$

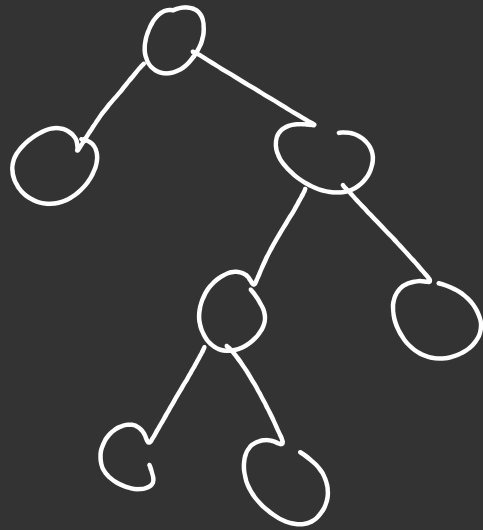


Skewed tree.

Binary tree: A tree is a binary tree if each node has zero, one or two child.

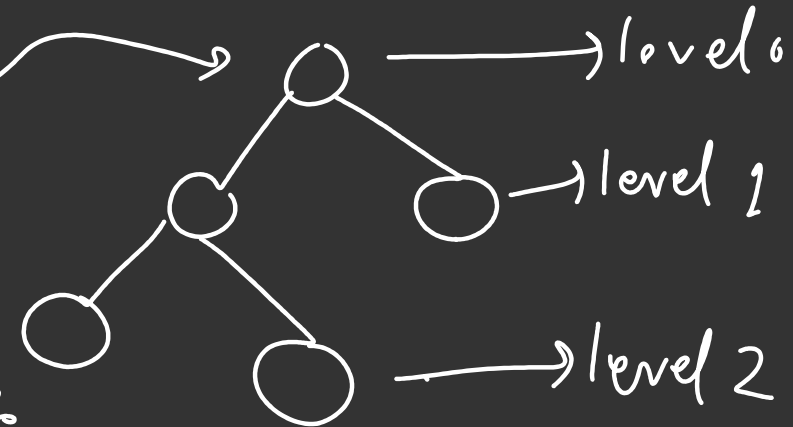
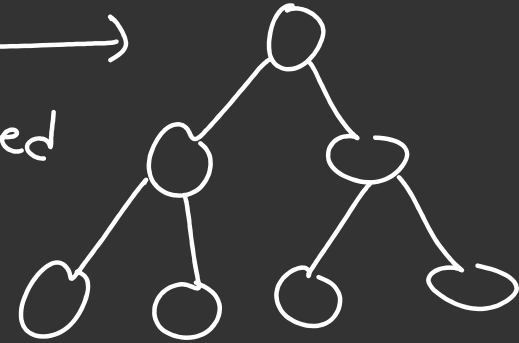
Types of binary trees:

1) **Strict binary trees:** A binary tree is called strict binary tree if each node has exactly two children or no children.

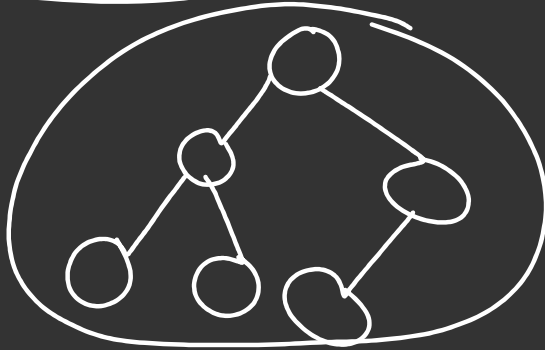


2. Full binary trees: A binary tree is called full binary tree if each node has exactly two children and all leaf should be at the same level.

3. Complete binary trees: A binary tree is called Complete binary tree if each node has exactly two children. Right side can't be filled without filling left.

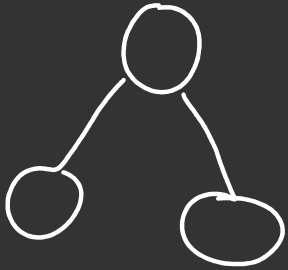


$$\underline{n=6}$$



← Almost Complete binary tree.

tree
①

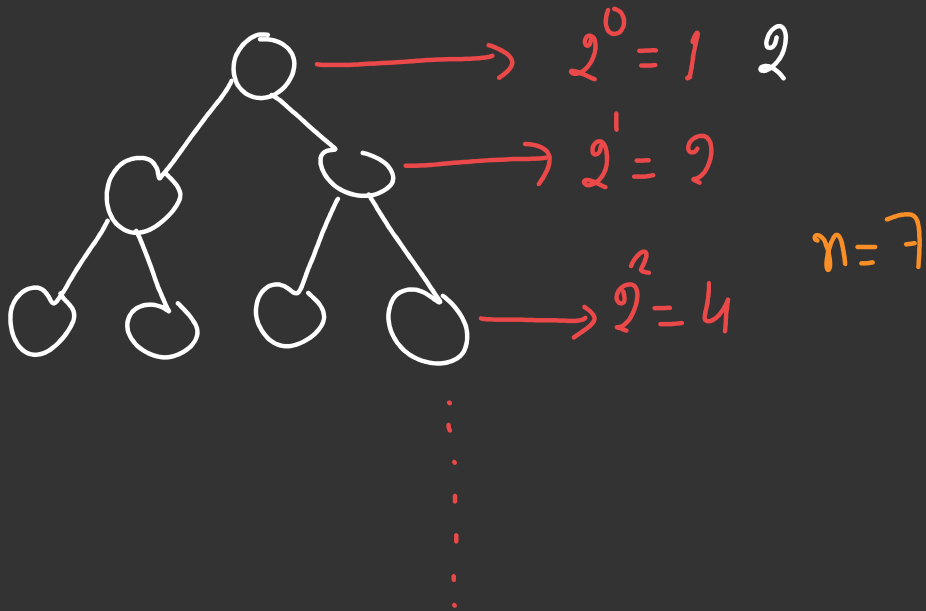


h
0

1

n
1

3



7

$$2^0 + 2^1 + 2^2 + \dots + 2^{h-1} = n$$

$$2^{h+1} - 1 = n$$

$$2^{h+1} - 1 = 7$$

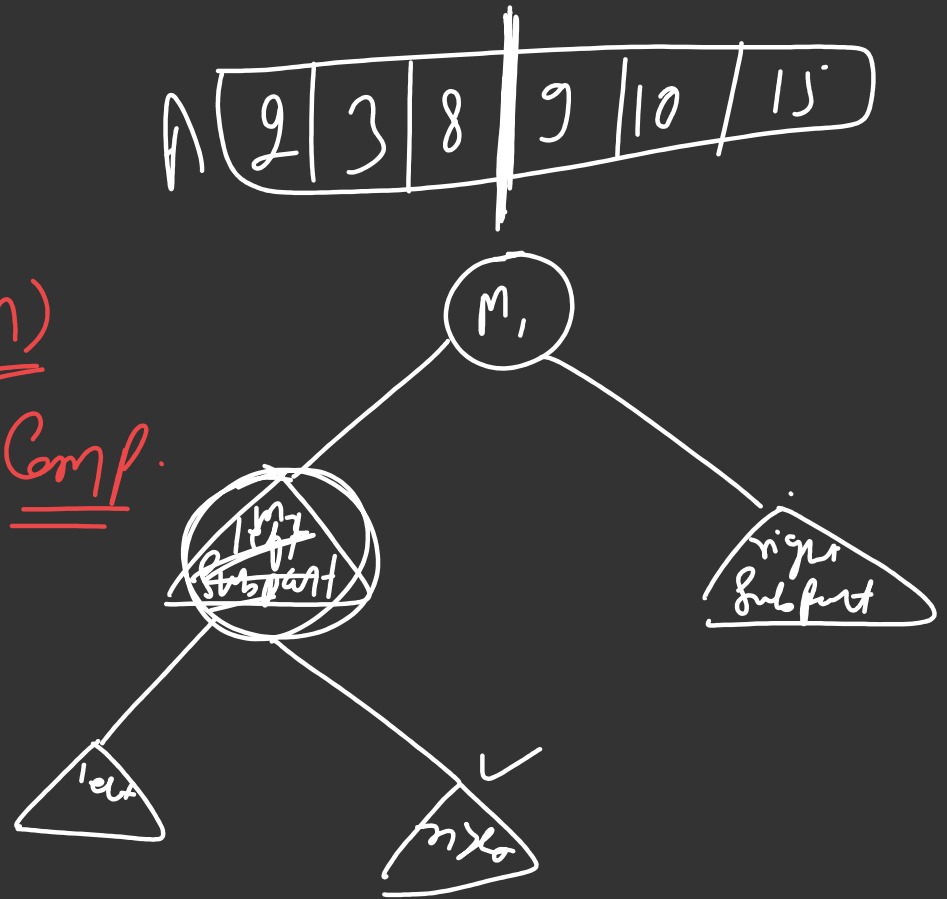
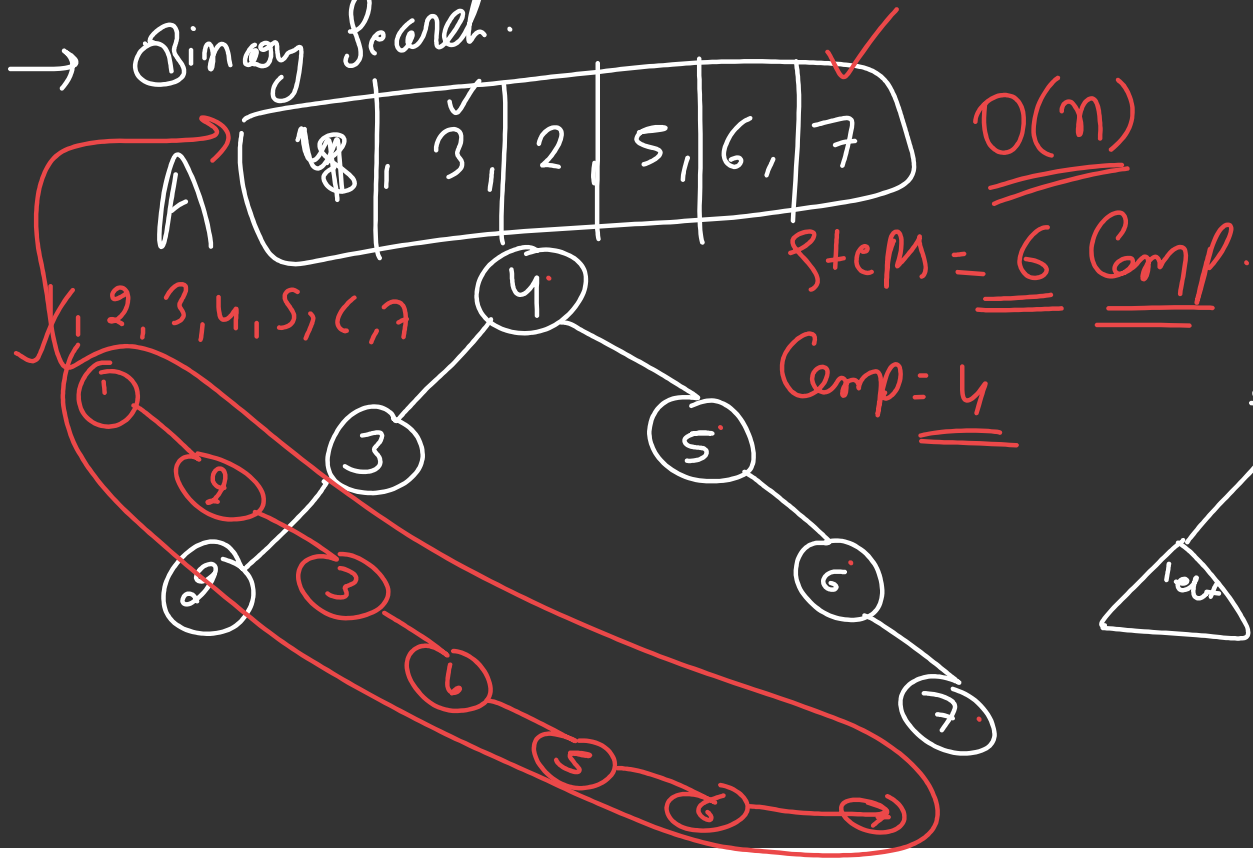
$$2^{h+1} = 8$$

$$h+1 = \log_2 8 \Rightarrow h+1 = 3$$

$$h = 2$$

Applications of trees:

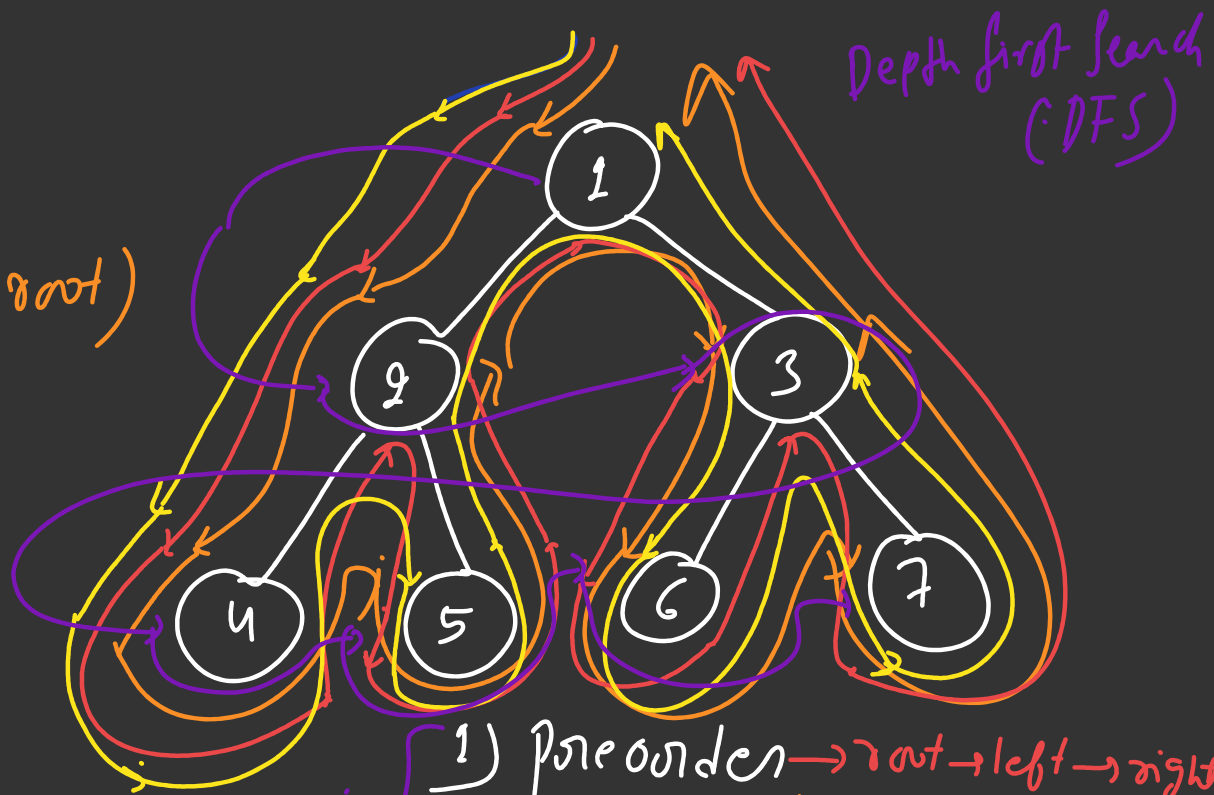
- Used in Compilers
- Data Compression
- Binary Search.



Traverse ::

preorder: 1, 2, 4, 5, 3, 6, 7

```
preorder(struct BinaryTreeNode *root)
{
    printf("%d", root->data);
    preorder(root->left);
    preorder(root->right);
}
```



- DFS
- 1) preorder \rightarrow root \rightarrow left \rightarrow right
 - 2) Inorder \rightarrow left \rightarrow root \rightarrow right
 - 3) Postorder \rightarrow left \rightarrow right \rightarrow root
 - 4) level order \rightarrow 4, 5, 2, 6, 7, 3, 1
- BFS

1) 1 hour Exam
✓ 5 objective / one line. (5 marks) 10 minutes.
✓ 5 questions. (50 minutes) 2/3 marks (10 marks.)

2 Searching

3 Sorting (Insertion, Quick, Merge, Bubble, Selection)

Array, LL, Stack, Queue, Others.

15 marks

40 marks.

15

0, 0, Ω

8