undirect degree à total live to one node Directed incoming degree ( degree ? source & incoming degree o sink a ordgery degre = 0 Average z 不进义了时间 not monent Postalhdion undirected Average degree = 1 Ek, 9 total degree some Average degree & 1 SK: I indegree

Sum

Sum dire ted Avery e degree (outdegre) = 1 & K; raut degre Court node Kirdeggee = kontdegre Sui

Average degree of hore ted = (K) = 1 of links Owholis the degree of nade having degreek 0-0 Made have Prabability of degree 2
sunf nodes having 2 degree

2 = 1
Similarly degree of nodes
of (automus Pescoription = p(k) Sp(K)dK E PK = 1 \$ P(K)dK = 1 Knin is the ninimal degree in the network

Vineded und treded Url. Actor Phone Call prentein interaction Adjaconcy matrix if linke 71 no link 20 11 12 13 14 21 22 2324 31 32 33 34 undirected de gree flrom materix = (ount one innation レニューションド directed

degree fran matri x = (aut one in matri x L= { K; Sparseness Complète Cromph the max no of links a network of n nades !- Imax = n(g = n(n-1)

A graph with degree 2 2 hmax is called q and its Average degree is KK> = N-1 Complete gluth no of nodees L(incomplete) < Lmax (Complete) < K > (Incomplete) we N-1 (Conflete) Metcalfe's Low Dr undire ded if a node comes then nº 1 inkes will increase weighted and when unweighted graph Bipartite Network If we devide graph in two parts so both parts have (every nade) have no liksto any nodes

na liks after deridy no (7) diks after devide Path Pn= Siosisias Pn= { \( i\_0, i\_1 \), \( i\_1, i\_2 \), \( (i\_2, i\_3 \), -- \( (i\_{n-1}, i\_n \) \} Pistonce undireded dire ted

## No of paths between two nodes we have given Adjacency matrix undireded we have given adjacency matrix and given go to A to B and it have M. links in between them so find no of path that have nliks blu A + B. And multiply materix by n times and check Row of A and column of I and got your ans forddistrice breath first search Network diameter and Average distance

Disortest distance of every two pairing graph distance of all of them that Is our diameter directed 2d7 = 1 & d1.

unlineded Lds z L Edis Zmax isisi Robert Brit Shortest puth Average path length = Total path of A and B Total path b/w all nades Self-avaiding fall Cycle a path that does no Intersect itself Para poth with the lane stat and ed Eulerin pth Haviltonian path A path that traverses each like exactly once A gath that visits each rode exactly

## Connected and not connected graptly

find graphis connection not from Adjacency

3 2 9 5

if you sprade matrix be of one in two parts of original adjacenz watrix so it

0 0 0

else Conneded

Storgely Connected

indirected

if we have both b/w two nades Su they

are strongly Connected

else

weak connected

free call to be come Christering coefficient  $C_i = 2e_i$   $K_i(K_i-1)$   $K_i(K_i-1)$ degree of justicular nodes L () of Chretering Caefficent K: (k:-1) X dalal no of notes Probability Dogveryre degree a prapablity x nodes Pal Nolo 2K7 - 1.5 of Pha bobility having link L

Flower

P(L) = [N()] P(1-P) N(N-U-L

nades L) ziven

$$P(x) = N_{(x)} p^{x} (1-p)^{N-x} \quad (psechability)$$

$$2x() = Np$$

$$2x() = Np$$

$$2x() = p(1-p)N + p^{2}N^{2} \quad (variance)$$

$$6x = [p(1-p)N]^{1/2} \quad (standard deviation)$$

Average noting = 
$$\mathbb{Q}^{2} p \frac{N(N-1)}{2}$$
  
random sruph
$$6^{2} = p(1-p) \underbrace{N(N-1)}_{2}$$

$$2K > = \underbrace{2L}_{N} = p(N-1)$$

degree distribution

$$P(K) = \frac{N-1}{(K)} (K) P^{K} (1-P)^{(N-1)-K}$$

$$2(K) = P(N-1)$$

$$6K^{2} = P(1-P)(N-1)$$

$$6K = \sum_{l=1}^{K} \frac{1-P}{P(N-1)} \frac{1}{2} = \sum_{l=1}^{M} \frac{1}{(N-1)^{1/2}}$$