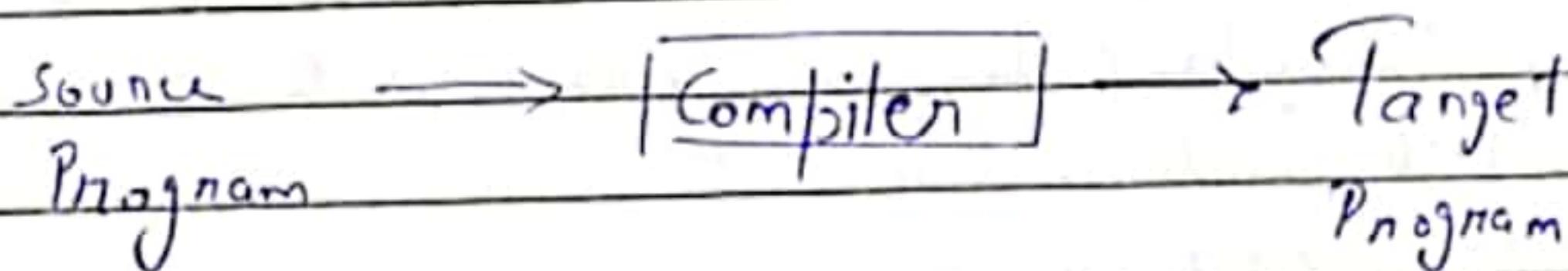


Date Jan. 12<sup>th</sup>, 2023

# Compiler Design

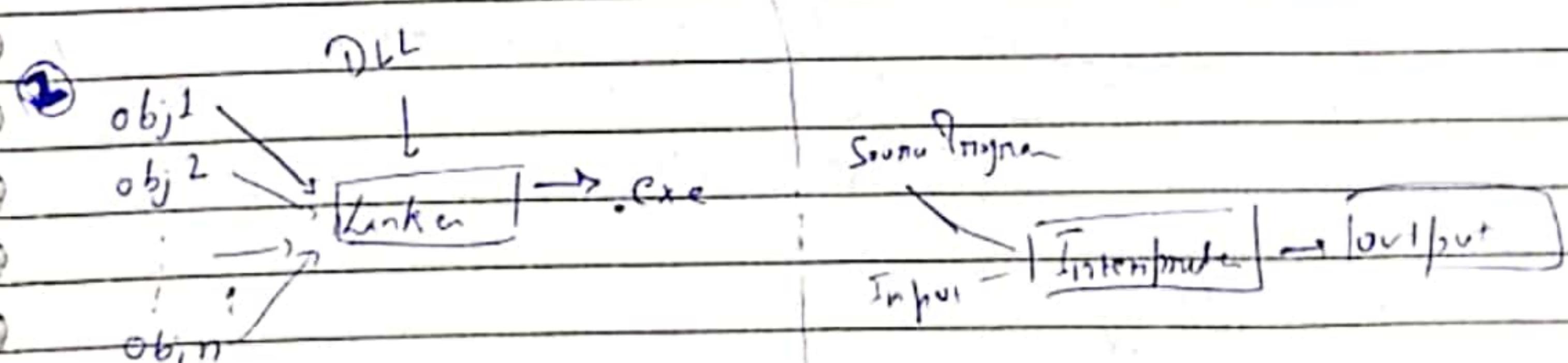
## Introduction

- Compiler is a program that translates a source program (a program written in a source language) & translate it to the equivalent program (target program, program written in a target language)



• C/C++  
• Java

• obj  
• ASM



Assembler → The compiler may produce an assembly language program as its output. Because it is easier to produce to output & its easier to debug. The assembly lang. program is then processed by the program called assembler that produces the relocatable object code as its output.

Linker - Large Programs are often compiled in pieces. So the relocatable code may have to be linked together with other relocatable object files, library files into the code, that actually runs on the machine. The linker is also responsible for this task. It gives the exco

Loader → The loader finally puts the executable file into memory for execution.

## Structure of the Compiler

It is divided into two parts

i) Analysis (front-end)

ii) Synthesis (Back-end)

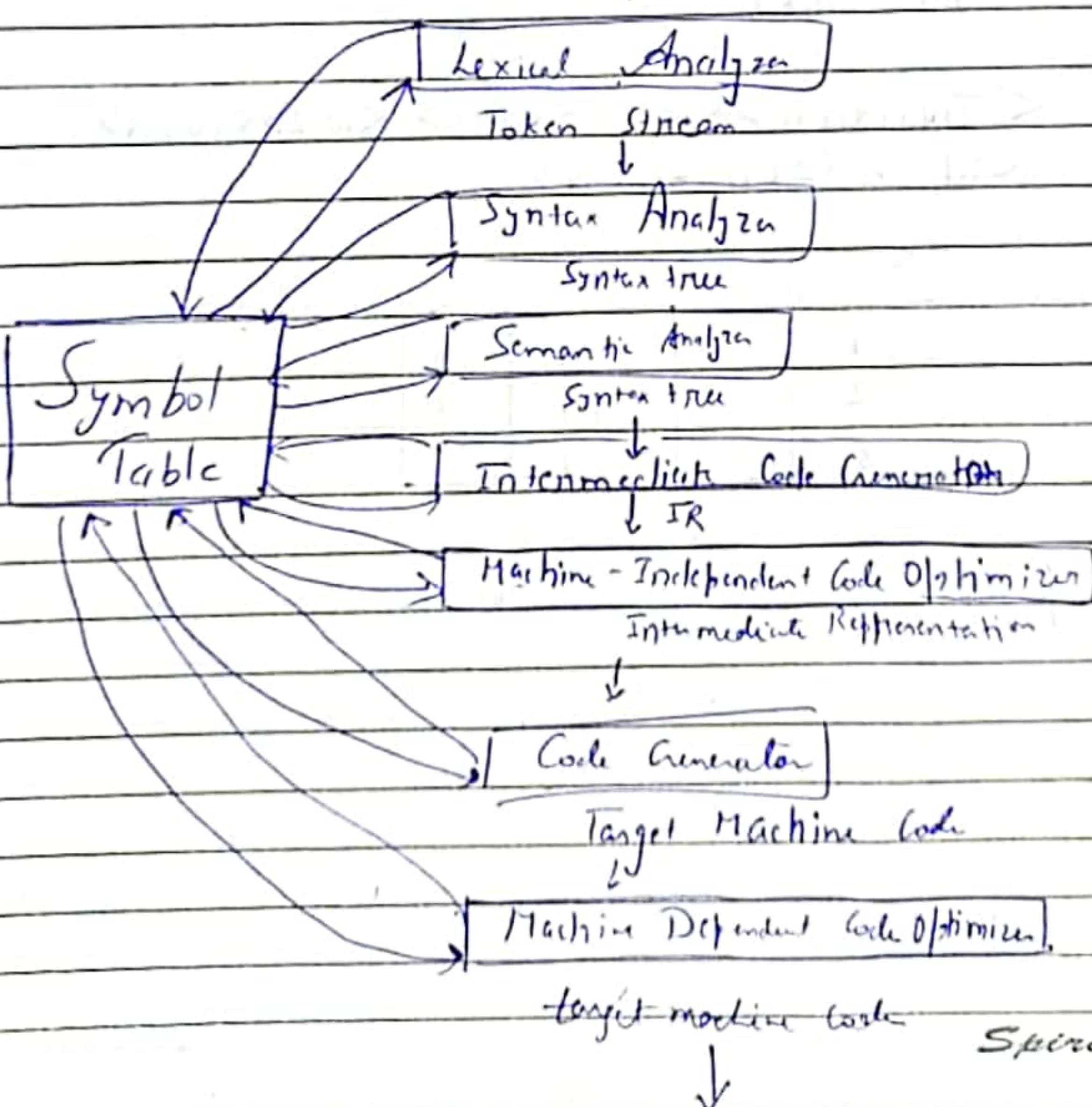
The Analysis breaks up the source program into constituent pieces & imposes the grammatical structure on them

Date .....

It then uses the structure to create an intermediate representation (IR) of source program. The analysis also collects the information about the source program & stores it in a data structure called a symbol table, which is passed along with IR to the synthesis part.

Synthesis part constructs the desired target program from the IR & information in the symbol table.

Phases of a Compiler (fig 1.c)  
Character stream



Date .....

## Lexical Analysis

- It is done by the program called lexical analysis or Lexical Analysis scanning.

The first phase of a compiler is called lexical analysis. It reads the stream of characters & groups the characters into meaningful sequences called lexemes.

For each lexeme, the lexical analysis produces as output a token of the form

<token-name, attribute value>

Ex → int a,b,c;

<INTEGER><id,1><COMMA><id,2><COMMA>  
<id,3><SEMI-COLON>

Symbol Table →

1	a	int	4
2	b	int	4
3	c	int	4

$$\text{position} = \text{initial} + \text{rate} * 6.0$$

# Translation of an Assignment Statement

fig 1.7

position = initial + rate \* 60

[Lexical Analyzer]

<id,1> <=> <id,1> <+> <id,3> <\*> <60>

[Syntax Analyzer]

=  
<id,1> +  
<id,2> \*  
<id,3> 60

[Semantic Analyzer]

=  
<id,1> +  
<id,2> \*  
<id,3> int to float  
60

[Intermediate Code Generator]

t<sub>1</sub> = int to float(60)

t<sub>2</sub> = id3 \* t<sub>1</sub>

t<sub>3</sub> = id2 + t<sub>2</sub>

id1 = t<sub>3</sub>

[Code Optimization]

t<sub>4</sub> = id3 \* 60.0

LDF R2, id3

MULF R1, R2, #60.0

LDF R1, id2

ADDPF R1, R1, R2

ADDPF R1, R1, R2

ADDPF R1, R1, R2

(Ch-2 in skip)

Date Jan. 16, 2023

## Chapter-3

# Lexical Analysis

Syntax

whiteSpace

pattern ↓ {action}

button {action}

Rule set =  
syntax

/%%

definition

/%/d

Notes

/%%

auxiliary func

pattern {action}

- 1) Read the input characters
- 2) Group them into lexemes.
- 3) Sequence of tokens for each lexeme.

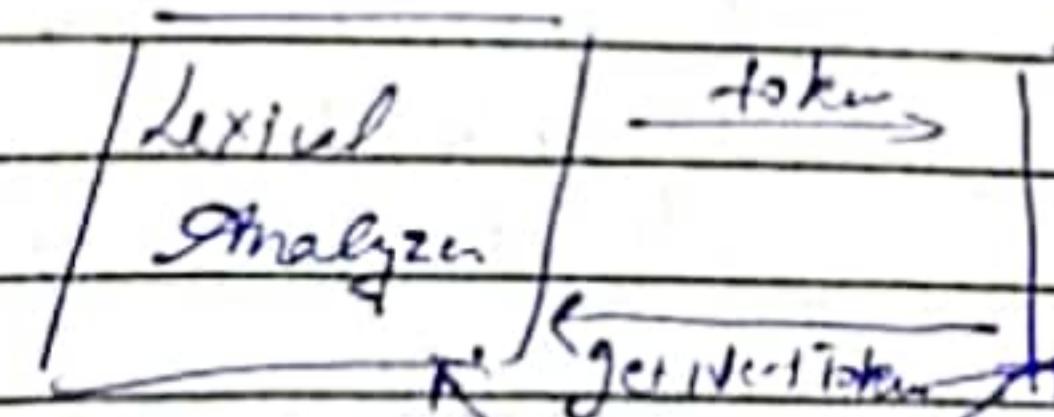
Note → Lexemes → words derived from input character stream

Token → lexemes mapped into token name ↗  
↳ an attribute value ↗

$$x = a + b * 2$$

$$\text{Tokens} = \{ \langle id, 1 \rangle, \langle \Rightarrow, \langle id, 2 \rangle, \langle +, \langle id, 3 \rangle, \langle \cdot, \langle num \rangle \rangle \}$$

Source  
Prog.



Syntactic Analyzer

→ semantic analysis

Symbol Table

Special

Date .....

Lexeme  $\rightarrow$  sequence of characters recognized by a pattern.

Pattern  $\rightarrow$  structure that is matched by multiple strings

$\hookrightarrow [-a-zA-Z][a-zA-Z0-9-]^*$

Ex.  $\rightarrow$  printf("Total = %d \n", score);

Lexeme ..

$\langle id, \rangle \langle \text{left parenthesis} \rangle \langle \text{string literal}, "Total = %d \n" \rangle$   
 $\langle \text{comma} \rangle \langle id, \rangle \langle \text{right parenthesis} \rangle \langle \text{semicolon} \rangle$

- We want to define 1 token for each keyword
- Pattern for the keyword will be same as the keyword itself.
- One token identifies all the identifiers.
- Token for each punctuation symbol like, (,), <, >, ;, <=, etc.
- The token name influences the parsing actions.

## Handling Lexical Errors

There are 4 recovery actions that lexical analyzer takes.

- 1) Delete 1 character from remaining input.
- 2) Insert a missing character in the remaining input.
- 3) Replace a character by another character.
- 4) Transpose two adjacent characters.

Date .....

Alphabet :- finite set of symbols

String :- word made up of finite sequence of symbols drawn from the alphabet.

\*  $|s| \rightarrow$  length of string

\*  $C \rightarrow$  string of length 0.

Language :- Countable set of strings over some fixed alphabet

(maybe uncountable in some cases).

Prefix  $\rightarrow$  by removing 0 or more <sup>symbol</sup>s from the end of string.

Total  $(n+1)$  prefixes for string of length  $n+1$ .

Suffix  $\rightarrow$  by removing 0 or more symbols from the starting of string.

Substring  $\rightarrow$  by removing any prefix or any suffix from the string.

Total  $\frac{n(n+1)}{2} + 1$  substrings for string of length  $n$   
 $(\sum_{i=1}^n i + 1)$

Proper prefix by removing atleast one character but not all from the string.

Subsequence  $\rightarrow$  deleting 0 or more but not necessarily consecutive <sup>symbol</sup>s from string.

Total  $\rightarrow 2^n$

Date .....

Union of  $L_1$  &  $L_2$   $\rightarrow$

$$L_1 \cup L_2 = \{ s \mid s \in L_1 \text{ or } s \in L_2 \}$$

Concatenation of  $L_1$ ,  $L_2$   $\rightarrow$

$$L_1 L_2 = \{ st \mid s \in L_1 \text{ and } t \in L_2 \}$$

Kleene's Star  $\rightarrow$

$$L^* = \bigcup_{i=0}^{\infty} L^i$$

Kleene's Closure  $\rightarrow$

$$L^+ = \bigcup_{i=1}^{\infty} L^i$$

Note  $\rightarrow$

$$\begin{cases} |LUD| = 620 \\ |LD| = 520 \end{cases} \quad \left\{ \begin{array}{l} L = \{a, b, \dots, z, A, B, \dots, Z\} \\ D = \{0, 1, 2, \dots, 9\} \end{array} \right.$$

$L(LUD)^*$   $\rightarrow$  Set of all strings starting with a letter.

$$L(a) = \{a\} \xrightarrow{\text{regular set}}$$

The Unary

Order of Precedence  $\rightarrow$  ① The unary operation  $*$  has the highest precedence

& left association.

② Concatenation has second highest precedence  $\xrightarrow{\text{left associativity}}$

③ Union has the lowest precedence  $\xrightarrow{\text{Spiral}} \xrightarrow{\text{left associativity}}$

$g(ytext)$  → accepted strings by the pattern  
↳ pointer to char

Date .....

Ex - Parenthesizing the reg. exp.  $a^b^c$

$(a|(b)^*)^*$

## Regular Definition

letter → A | B | ... | Z | a | b | ... | z | -

digit → 0 | 1 | 2 | ... | 9

id → letter\_ (letter\_ | digit)\*

digits → digit\*

optional fraction → · digits | E

optional Exponent → (E (+) | (-)) digits | E

number → digits optional fraction optional exponent

In other way,

letter → [A-Z a-z -]

digit → [0-9]

id → letter\_

digits → digit\*

number → digits (· digits)? (E [+ -] digits)?

India Mobile Number

→ [6-9] (0-9) {5}

^ → Beginning of line; \$ → end of the line

^ [a-z] → Beginning of line

[^a-z] → Nothing

n<sub>1</sub> / n<sub>2</sub> → n<sub>1</sub> when followed by n<sub>2</sub>

^ [^a-eiou]\* \$ → Any string that does not contain any Special lowercase word.

Date .....

Q) Write regular definition for the following languages:-

i) All strings of lowercase letters that contain vowels in order

ii) All strings of lowercase letters in which the letters are lexicographically correct.  
(in ascending order)

iii) String literal

$\alpha = [a \ e \ i \ o \ u]^*$

str  $\rightarrow$  str-alpha  $\rightarrow a^* b^* c^* d^* e^* f^* g^* h^* i^* j^* k^* l^* m^* n^* o^* p^* q^* r^* s^* t^* u^* v^* w^* x^* y^* z^*$

alpha  $\rightarrow [^a \ e \ i \ o \ u]$

str  $\rightarrow$  str-alpha e<sup>\*</sup> alpha i<sup>\*</sup> alpha i<sup>\*</sup> alpha o<sup>\*</sup> alpha  
alpha  $\rightarrow [^a \ e \ i \ o \ u]$

Recommended  $\rightarrow$

~~str  $\rightarrow$  con'a (con|al)e (conf|e)\* i(im|i)\*~~  
~~o(conf|o)\* u (con|u)\*~~

con  $\rightarrow [^a \ e \ i \ o \ u]$

[b-d-f-g-j-n-p-t-v-z]

(b) str  $\rightarrow a^* b^* c^* \dots z^*$

(c) x str  $\rightarrow [a-z \ A-Z \ 0-9 \ -]^*$

[^"]

Special

Date .....

Ans → `/*[""]*/`

Ans → `\((*)|[""])*"`

+ → Single line comment →

`(\*)[^n]`

OR

`"//[^n]`

Feb 2<sup>nd</sup>, 2023

In the process of lexical analysis, if it encounters the whitespace, it goes on return to the same, rather it restarts the process.

Q → Lex program that copies a file replacing each non-empty sequence of white space by a single blank

Ans → It includes stdio.h

`{}.`

Date .....

• / . /

[ " " \t ] + { fprintf ( yyout, " " ) ; }

• | \n { fprintf ( yyout, "%s", yytext ); }

% %

int main () {

yyin = fopen ("input.txt", "r");

yyout = fopen ("output.txt", "w");

yytext();

fclose ( yyin );

fclose ( yyout );

} return 0;

feb 6<sup>th</sup>, 2023

Assume the file is a sequence of words  
(group of letters) separated by whitespace.

- i) If the first letter is a constant, move it to the right of the word & then add "ay"
- ii) If the first letter is vowel, just add "ay" to the end of the word.

%}

%}

delim	$[\backslash t]$
$\vdash s$	$\{ \text{delim} \}^*$
letter	$[a-z A-Z]$
$\vdash w$	$\{ \text{letter} \}^*$

%%

```
{ws}    printf ("%s", yytext);  
{word} {if (start_vowel (yytext))
```

```
    fprintf ("%say", yytext);  
else
```

```
    printf ("%c say", yytext[0]);
```

}

%%

```
int start_vowel (char *s)
```

```
switch (s[0]) {
```

```
Case 'a':
```

```
Case 'e':
```

```
Case 'o':
```

```
Case 'i':
```

```
Case 'u': return 1;
```

```
default { return 0; }
```

}

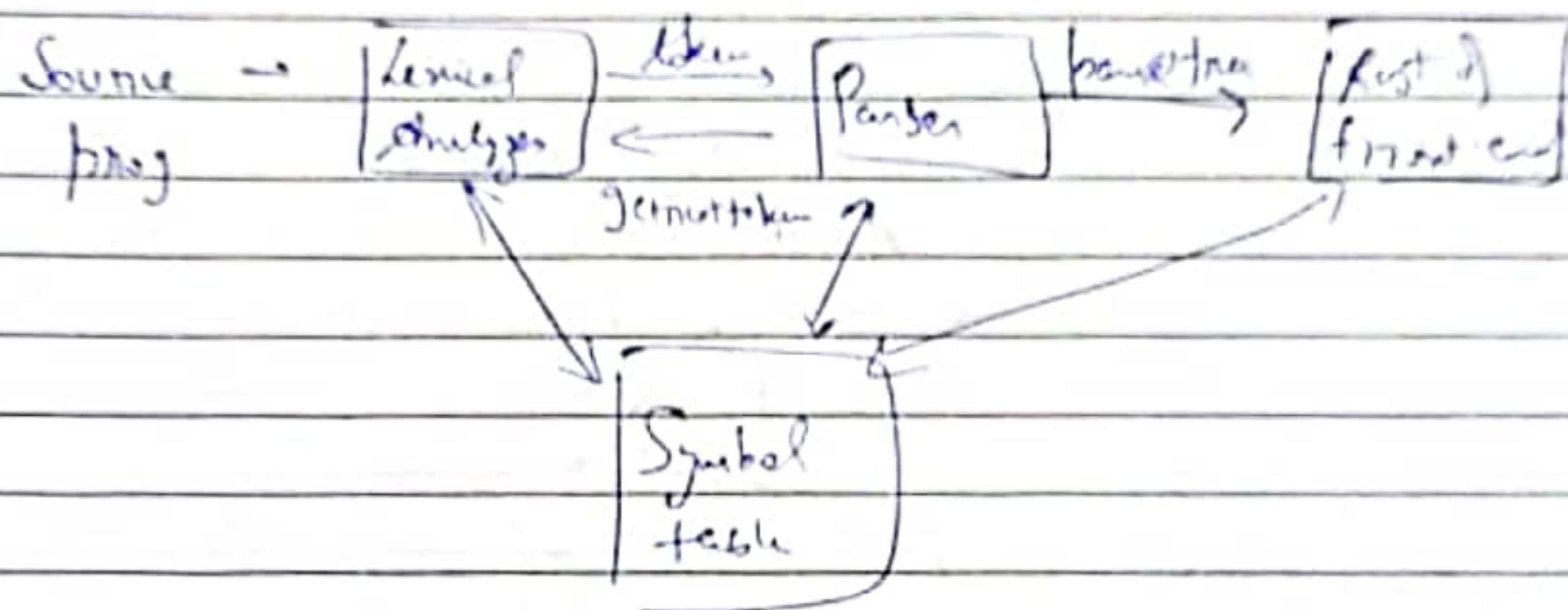
```
end main()
```

```
yytext();  
return 0;
```

```
int main () {  
    int c;  
    /* read from standard input */  
    while ((c = getchar ()) != EOF) {  
        if (c == '\n') {  
            /* ignore newlines */  
            continue;  
        }  
        /* print character back to standard output */  
        putchar (c);  
    }  
}
```

Date .....

# Syntax Analysis



$$E \longrightarrow E + T \mid T$$

$$T \longrightarrow T * F \mid F$$

$$F \longrightarrow (E) \mid id$$

$$id \longrightarrow [letter] [letter | digit]^*$$

$$E \longrightarrow E + E \mid E * E \mid - E \mid (E)$$

$$E \Rightarrow - E \quad \text{for } -(id + id)$$

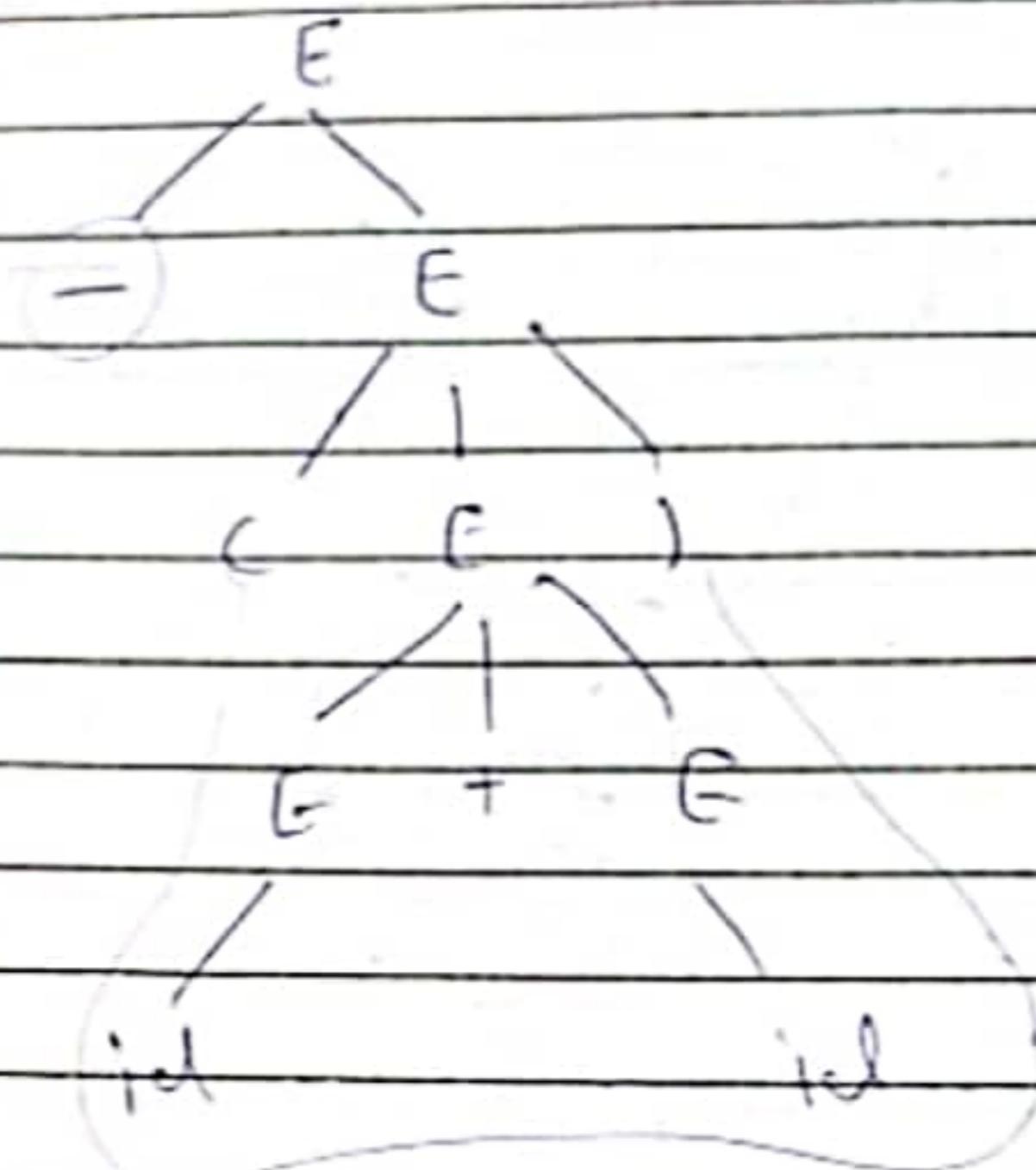
$$-(E)$$

$$-(E + E)$$

$$-(id + E)$$

$$-(id + id)$$

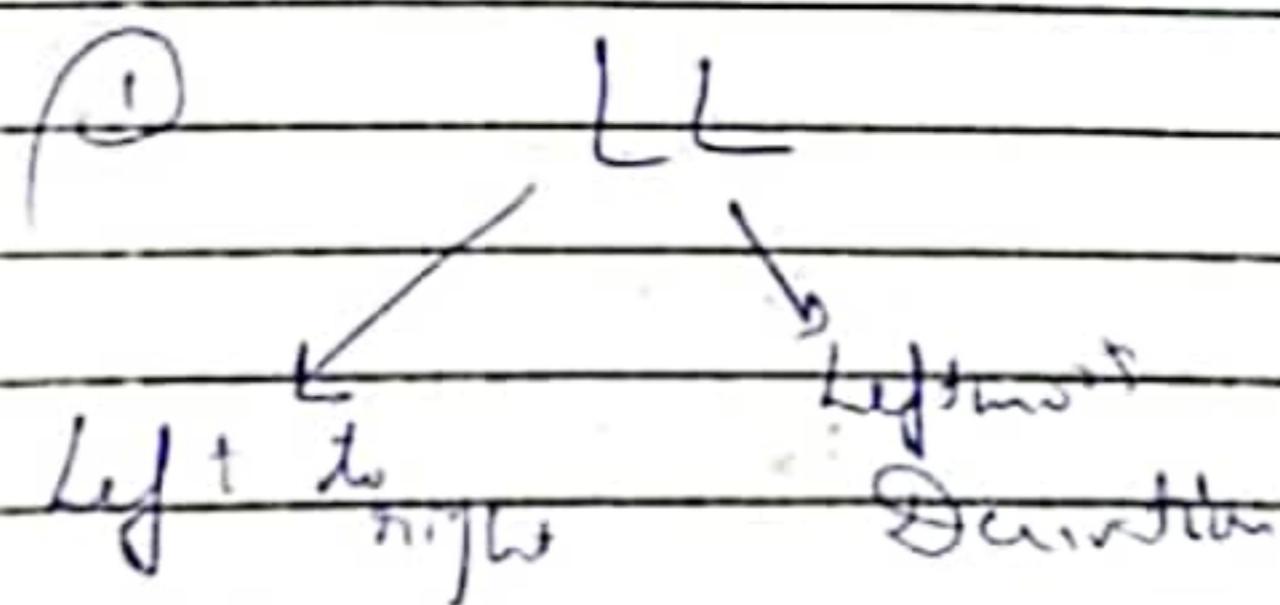
# Parse Tree



Parse  $\rightarrow$  Top-down

Bottom-up

## Top-Down Parse



② LR  $\rightarrow$  Left to right; Rightmost Derivation

LR(0), SLR(1), LALR(1), LLR(1) Special

Date .....

## Parsing Algorithm

### Parsing Table

V

Parse a Expression

$$S \rightarrow SS+ | SS* | a$$

Leftmost derivation of aatax

$$\begin{aligned} S &\Rightarrow SS* \\ &\Rightarrow SS+S* \\ &\Rightarrow aata+atax \end{aligned} \quad \begin{aligned} &SS* \\ &SS+S* \\ &aS+S* \\ &aata+S* \\ &aata+ax \end{aligned}$$

(in)

$$S \Rightarrow SS*$$

nm

$$\Rightarrow S ax$$

nm

$$\Rightarrow SS+ax$$

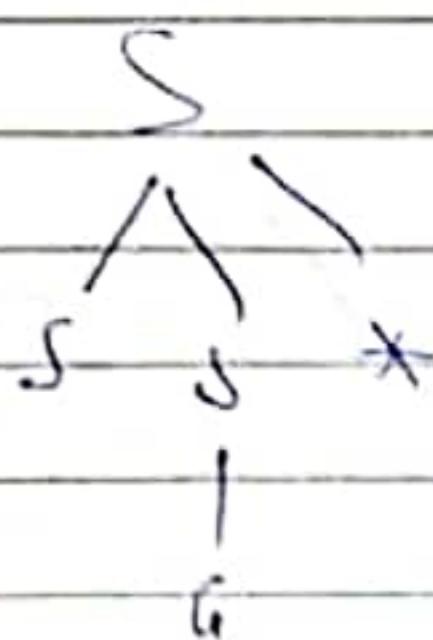
nm

$$\Rightarrow S a+ax$$

nm

$$\Rightarrow aa+ax$$

nm



Date .....

$$S \rightarrow S(S)S \mid \epsilon$$

string: (( ))

$$\xrightarrow{*} S \Rightarrow S(S)S$$

$$\xrightarrow{*} S \Rightarrow S(S)SS(S)S$$

~~S(S)~~

$$S \Rightarrow \epsilon(S(S)S)$$

$$\Rightarrow (S(S)S(S)S)$$

$$\Rightarrow (\epsilon(S)S(S)\epsilon)$$

$$= (( ))$$

Three Versions of

Expression grammar

$$E \rightarrow T + E \mid T$$

$$T \rightarrow F * T \mid F$$

$$F \rightarrow (E) \mid id$$

V<sub>1</sub>:

$$E \rightarrow E * E \mid E + E \mid (E) \mid id$$

$$id + id \times id$$

$$id + id \times id$$

E

T

C

$$F \rightarrow T \mid T * T \mid T + T \mid (T) \mid id$$

$$E \rightarrow E + T \mid T$$

$$T \rightarrow T * F \mid F$$

$$F \rightarrow (E) \mid id$$

Spiral

Date .....

V3:

$$E \rightarrow TE'$$

$$E' \rightarrow +TE' \mid \epsilon$$

$$T \rightarrow ET'$$

$$T' \rightarrow +FT' \mid \epsilon$$

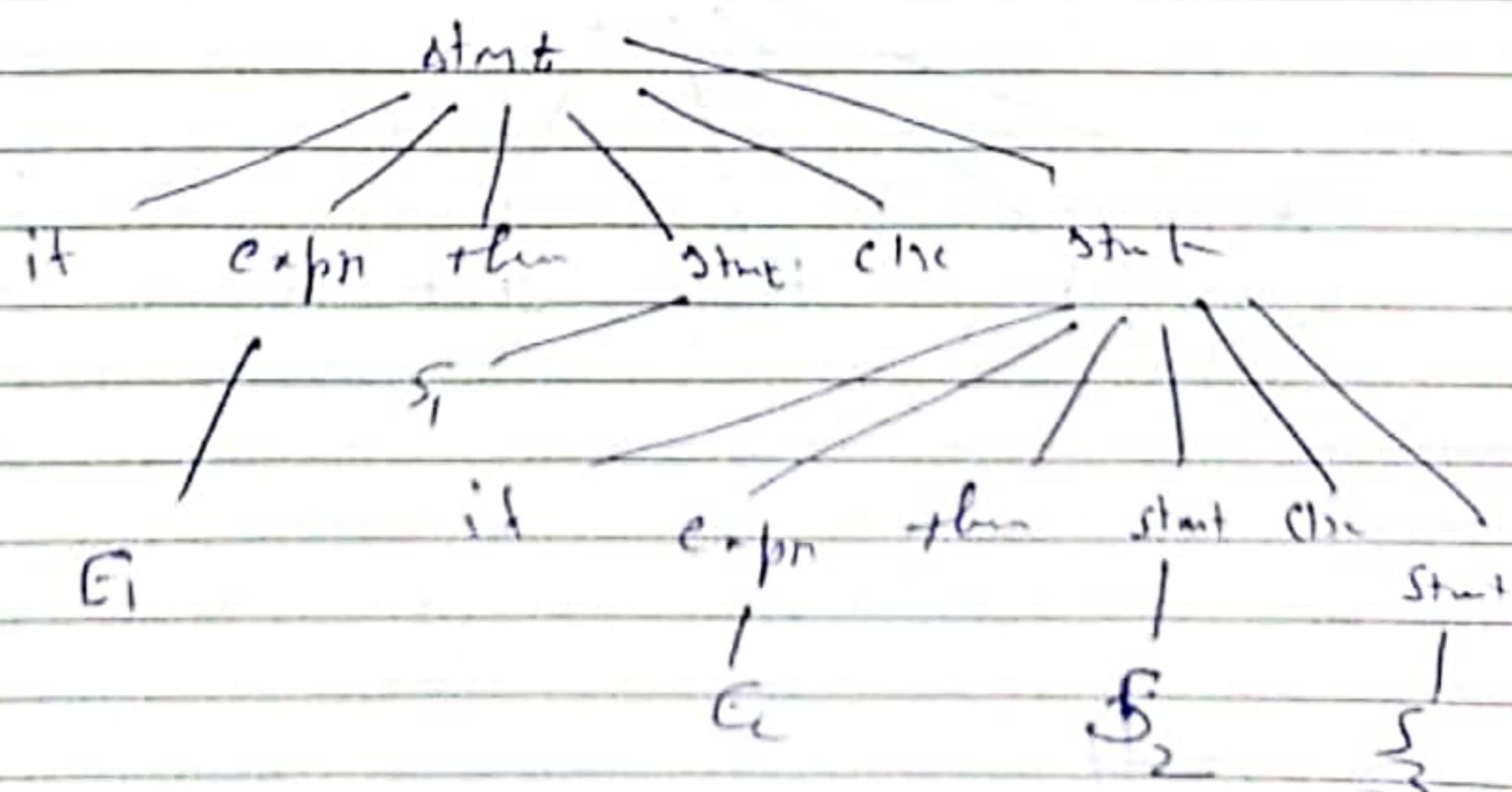
$$F \rightarrow (E) \mid ; \mid \{ \mid \}$$

Day by day grammar

~~stmt  $\rightarrow$  if Expr then S<sub>1</sub> else if E<sub>2</sub> then S<sub>2</sub> else S<sub>3</sub>~~

~~stmt  $\rightarrow$  if expr then stmt |  
if expr then stmt else stmt |  
other~~

$\Theta \rightarrow$  if E<sub>1</sub> then S<sub>1</sub> else if E<sub>2</sub> then S<sub>2</sub> else E<sub>3</sub>

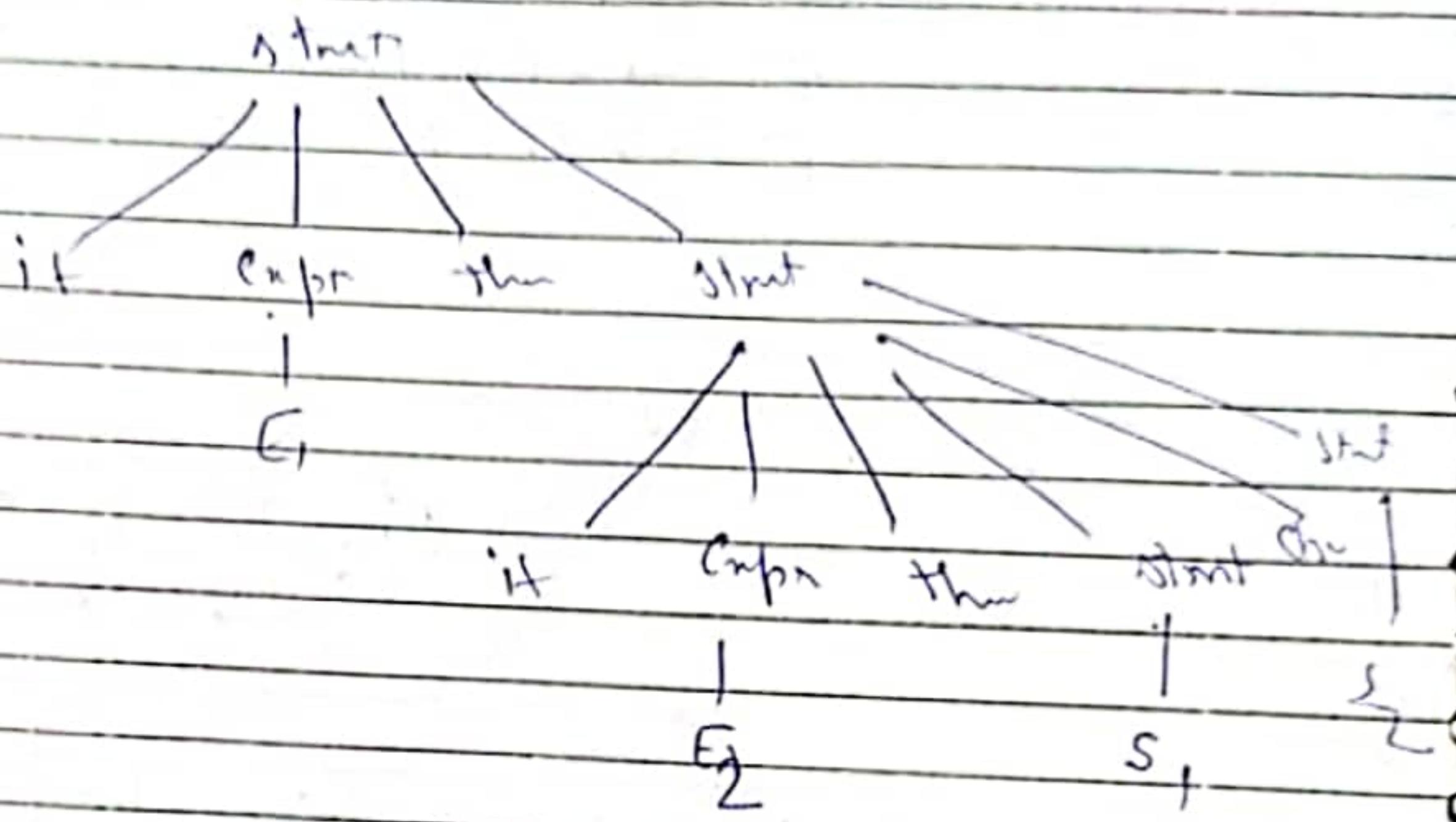


Date .....

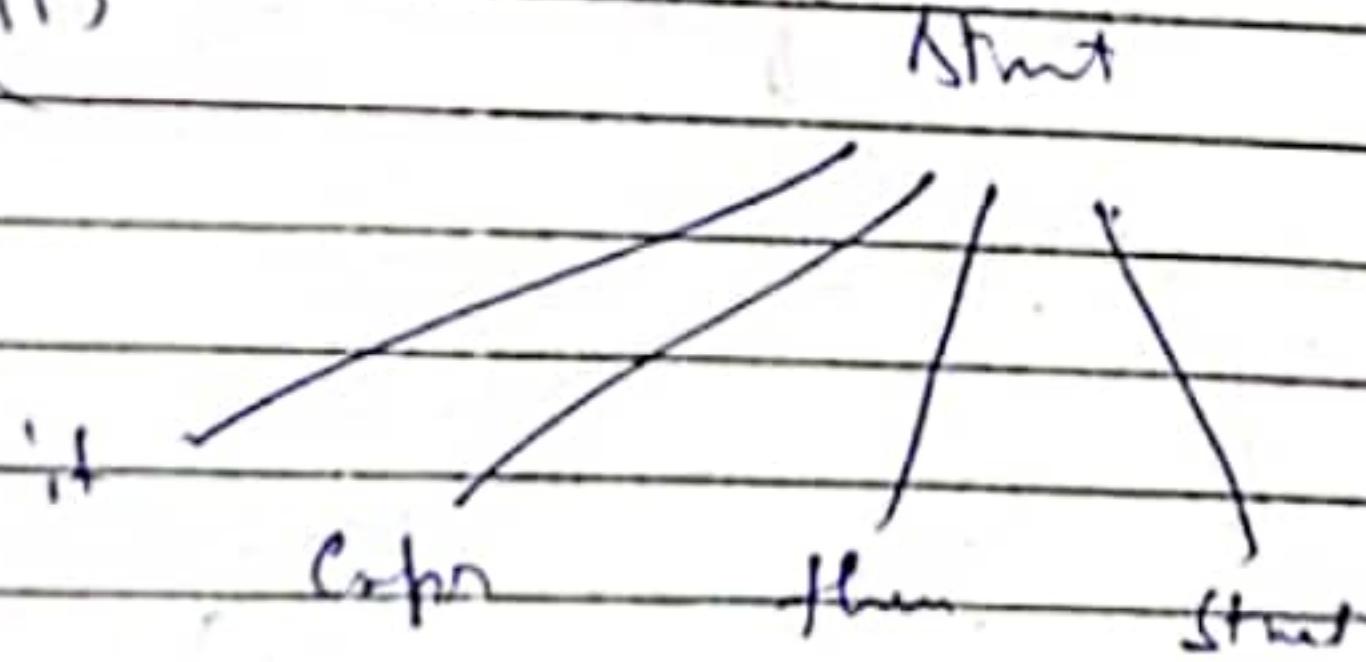
Q -

if  $E_1$  then if  $E_2$  then  $S_1$  else  $S_2$

(i)



(ii)



Wangle close

Date .....

(*Vannitigoo's*)

V2 :

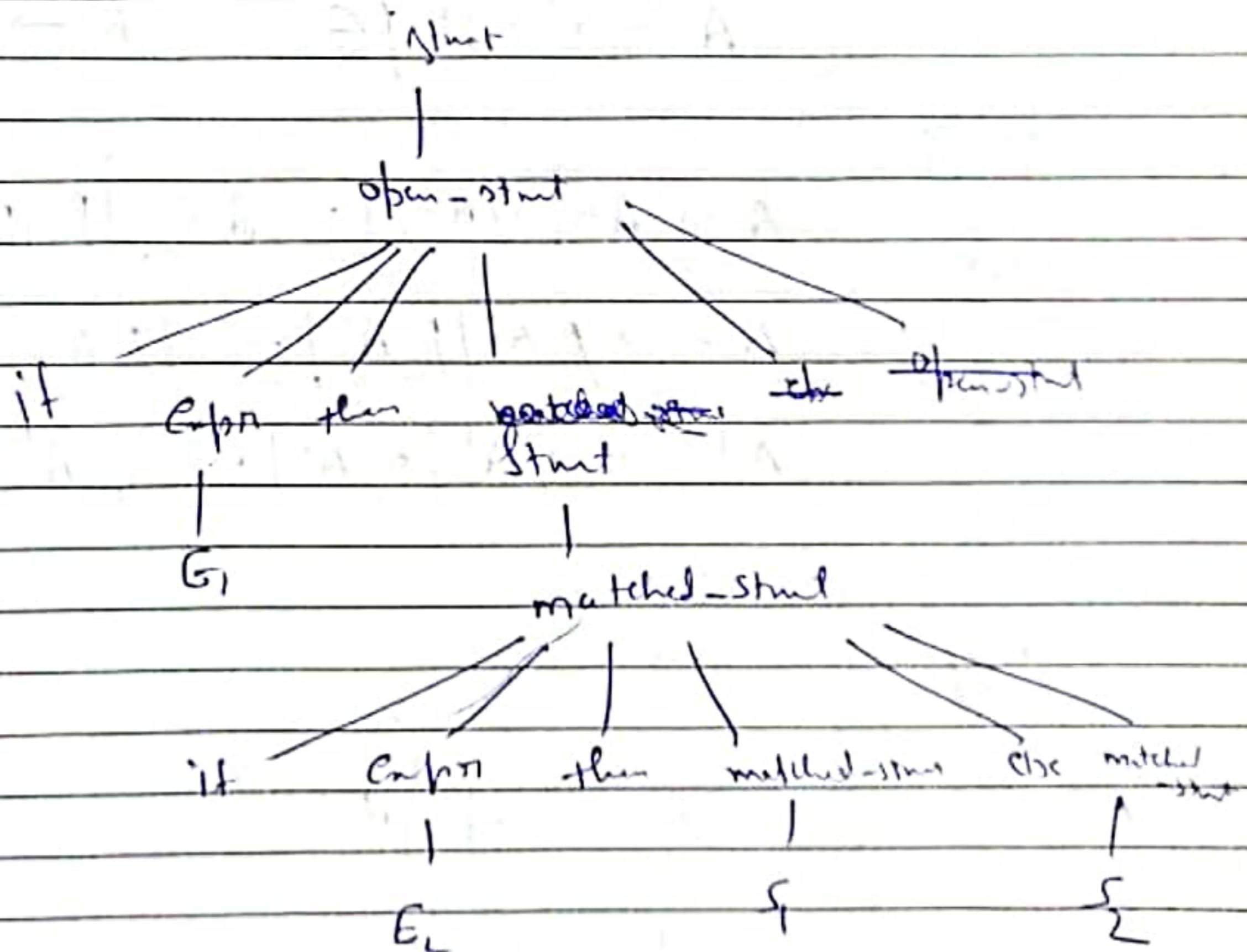
VII

plant  $\rightarrow$  matched list | output

matched-start → it expr other matched-start  
else matched-start | other

open-stmt → if expr the start  
if empty then matched-start  
else open-stmt

$\Rightarrow$  if  $G_1$  then if  $G_2$  then  $S_1$  else  $S_2$



Date .....

# Elimination of Left Recursion

A grammar is said to be left recursive if

i)  $A \rightarrow \beta \alpha | \beta$   
 then A.L is

$$\left. \begin{array}{l} A \rightarrow \beta A' \\ A' \rightarrow \alpha A' \end{array} \right\} \quad \left. \begin{array}{l} A \rightarrow \beta A' \\ A' \rightarrow \alpha A' | \epsilon \end{array} \right\}$$

In general

for  $\Rightarrow$

$$A \rightarrow A\alpha_1 | A\alpha_2 | \dots | A\alpha_m | B_1 | B_2 | \dots | B_n$$

$$A \rightarrow \beta_1 A' | \beta_2 A' | \dots | \beta_n A'$$

$$A' \rightarrow \alpha_1 A' | \alpha_2 A' | \dots | \alpha_m A' | \epsilon$$

## Left Factoring

i)  $A \rightarrow \alpha\beta_1 | \alpha\beta_2$

$\xrightarrow{\text{L.F}}$   $A \rightarrow \alpha A'$

$$A' \rightarrow \beta_1 | \beta_2$$

Using V2 of esp grammar, Diaphragm burst

Note: If left recursive grammar can cause a (newswin - descent) Stop-slow pause, or one with backtracking, then go into an infinite loop.

→ FIRST( ) each mentioned

$$S \rightarrow ABCDE$$

$$A \rightarrow a | e$$

$$B \rightarrow b | c$$

$$C \rightarrow c$$

$$D \rightarrow d | e$$

$$E \rightarrow c | e$$

$$\text{FIRST}(E) = \{c, e\}$$

$$\text{FIRST}(D) = \{d, e\} \quad \{d, e\}$$

$$\text{FIRST}(C) = \{c\}$$

$$\text{FIRST}(B) = \{b, c\}$$

$$\text{FIRST}(A) = \{a, e\}$$

$$\text{FIRST}(S) = \{a\} \cup \text{FIRST}(B, D)$$

$$= \{a\} \cup \{b\} \cup \text{FIRST}(C, E)$$

$$= \{a\} \cup \{b\} \cup \{c\}$$

$$= \{a, b, c\}$$

Special

Date: Feb 13<sup>th</sup> 2023

### ① Expression grammar

$$E \rightarrow TE'$$

$$E' \rightarrow +TE' \mid \epsilon$$

$$T \rightarrow FT'$$

$$T' \rightarrow *FT' \mid \epsilon$$

$$F \rightarrow (E) \mid id$$

FIRST(.)

Follow(.)

E

$$\text{FIRST}(TE') = \{(, id\}$$

$$\{\$\} \cup \text{FIRST}(\cdot) = \{\$, \cdot\}$$

E'

$$\{+, E\}$$

$$(\$, \cdot)$$

T

$$\text{FIRST}(FT') = \{(, id\}$$

$$\text{FIRST}(E') = \{+\} \cup \text{Follow}(E')$$

T'

$$\{x, E\}$$

$$\{+, \$, \cdot\} = \{+, \$, ?\}$$

F

$$\{(, id\}$$

$$\{*\} \cup \text{Follow}(T) = \{x, +, \$\}$$

②

$$S \rightarrow ABCDE$$

$$A \rightarrow a \mid \epsilon$$

$$B \rightarrow b \mid \epsilon$$

$$C \rightarrow c$$

$$D \rightarrow d \mid \epsilon$$

$$E \rightarrow e \mid \epsilon$$

FIRST(.)

Follow(.)

S

$$\{a, b, c\}$$

$$\{\$\}$$

A

$$\{a, \epsilon\}$$

$$\{b, c\} = \text{FIRST}(BCDE) \cup \text{FIRST}(CDE)$$

B

$$\{b, \epsilon\}$$

$$\text{FIRST}(CDE) = \{c\}$$

C

$$\{c\}$$

$$\{d, \epsilon\} \cap \text{FIRST}(DE) \cup \text{FIRST}(E) \cup \text{Follow}(S)$$

D

$$\{d, \epsilon\}$$

$$\{e, \$\} = \text{FIRST}(E) \cup \text{Follow}(S)$$

E

$$\{e, \epsilon\}$$

$$\{\$\} = \text{Follow}(S)$$

Spiral

Date .....

Q3)

$$S \rightarrow A(CB) \mid CB(B) \mid B(a)$$

$$A \rightarrow da \mid BC$$

$$B \rightarrow g \mid c$$

$$C \rightarrow h \mid e$$

$\text{FIRST}(.)$

$\text{Follow}(.)$

$$S \quad \{d, g, h, a, b, e\}$$

$$\{\$\}$$

$$A \quad \{d, g, h, \epsilon\}$$

$$\text{FIRST}(CB) \cup \text{FIRST}(B) \cup \text{Follow}(S)$$

$$B \quad \{g, \epsilon\}$$

$$\text{FIRST}(a) = \{h, \$\}$$

$$C \quad \{h, e\}$$

$$\{b, g, \$, h\}$$

$$\begin{aligned} \text{FIRST}(S) &= \text{FIRST}(A(CB)) \cup \text{FIRST}(CB(B)) \cup \text{FIRST}(B(a)) \\ &= \text{FIRST}(A - \{\epsilon\}) \cup \text{FIRST}(C - \{\epsilon\}) \\ &\quad \cup \text{FIRST}(B - \{\epsilon\}) \cup \{\epsilon\} \cup \text{FIRST}(C - \{\epsilon\}) \\ &\quad \cup \{b\} \cup \text{FIRST}(B - \{\epsilon\}) \cup \{a\} \end{aligned}$$

$$= \{d, g, h, a, b, e\}$$

LL(1) grammar

→ Prediction pattern of Recursiv Descent Parser

→ No left recursive or ambiguous grammar can be LL(1).

A grammar can be in LL(1) iff whenever  
the grammar has two distinct productions  
of the form  $A \rightarrow \alpha \mid \beta$  then following condition holds.

Date .....

- 1) For no terminal 'a' do both  $\alpha$  &  $\beta$  derive strings beginning with a.
- 2) Atmost one  $S \xrightarrow{*} \alpha \& \beta$  can derive the empty string.
- 3) If  $\beta \xrightarrow{*} \epsilon$ , then  $\alpha$  doesn't derive any string beginning with a terminal in Follow(A). Likewise if  $\alpha \xrightarrow{*} \epsilon$  then  $\beta$  doesn't derive any string beginning with a terminal in Follow(A).

$A \rightarrow \alpha_1 | \alpha_2 | \dots | \alpha_n$

If any  $\text{FIRST}(\alpha_1), \text{FIRST}(\alpha_2) \dots \text{FIRST}(\alpha_n)$  contains same element / terminal then the grammar is not in LL(1).

+ )  $A \rightarrow \alpha | \epsilon$

if  $\text{FIRST}(\alpha) \cap \text{Follow}(A) \neq \emptyset$   
the grammar is not in LL(1).

Ex)  $S \rightarrow (L) | c$

$L \rightarrow SL'$

$L' \rightarrow \epsilon | , SL$

	FIRST(.)	Follow(.)
$S$	{ (, a)}	{ \$, , , ) }
$L$	{ (, a)}	{ ) }
$L'$	{ $\epsilon$ , , }	{ ) }

Date .....

## LL(1) Parsing Table

NT	T	a	( )	,	\$
S		$S \rightarrow a$	$S \rightarrow (D)$		
L		$L \rightarrow SL'$	$L \rightarrow SL'$		
L'				$L' \rightarrow \epsilon$	$L' \rightarrow SL'$

Since there is no conflict, hence it is in LL(1)

2)  $S \rightarrow aSbS \mid bSaS \mid \epsilon$

$$\text{FIRST}(S) = \{a, b, \epsilon\}$$

$$\text{Follow}(S) = \{b, c, \$\}$$

	a	b	\$
S	$S \rightarrow aSbS$	$S \rightarrow bSaS$	$S \rightarrow \epsilon$
	$S \rightarrow \epsilon$	$S \rightarrow \epsilon$	

Since there is a conflict, hence it is not in LL(1).

3)  $S \longrightarrow AaAb \mid BbBa$   
 $A \longrightarrow \epsilon$   
 $B \longrightarrow \epsilon$

$$\text{FIRST}(A) = \{\epsilon\}$$

$$\text{FIRST}(B) = \{\epsilon\}$$

$$\text{FIRST}(S) = \{a\} \cup \{b\}$$
$$= \{a, b\}$$

$$\text{Follow}(A) = \{a, b\}$$

$$\text{Follow}(B) = \{b, a\}$$

$$\text{Follow}(S) = \{\$\}$$

	a	b	\$
S	$S \rightarrow AaAb$	$S \rightarrow BbBa$	
A	$A \rightarrow \epsilon$	$A \rightarrow \epsilon$	
B	$B \rightarrow \epsilon$	$B \rightarrow \epsilon$	

4)  $S \rightarrow aSA/G$   
 $A \rightarrow c/\epsilon$

$$\text{FIRST}(S) = \{a, \epsilon\}$$

$$\text{FIRST}(A) = \{c, \epsilon\}$$

$$\text{Follow}(S) = \{\$, c\}$$

$$\text{Follow}(A) = \{\$, c\}$$

	a	c	\$
S	$S \rightarrow aSA$	$S \rightarrow \epsilon$	$S \rightarrow \epsilon$
A		$A \rightarrow c$	$A \rightarrow \epsilon$
		$\epsilon$	
		conflict	

Since there is a conflict, hence it is not in LL(1).

Date .....

$$\begin{aligned}S &\rightarrow iE + SS' \mid a \\S' &\rightarrow cS \mid \epsilon \\E &\rightarrow b\end{aligned}$$

FIRST(.)

FOLLOW(.)

S	{i, a}	{c, \$}
S'	{c, c}	{c, \$}
E	{b}	{-t}

NT	T	Input Symbol				
		t	a	b	e	\$
S	$S \rightarrow iE + SS'$		$S \rightarrow a$			
S'				$S' \rightarrow cS$	$S \rightarrow c$	
E				$E \rightarrow b$		

Aug 4. 19

Modeling a Table-driven

Date .....

Expansion Derivations

$$E \rightarrow iE'$$

$$E' \rightarrow +TE' | S$$

$$T \rightarrow F T'$$

$$T' \rightarrow *FT' | E$$

$$F \rightarrow (E) | id$$

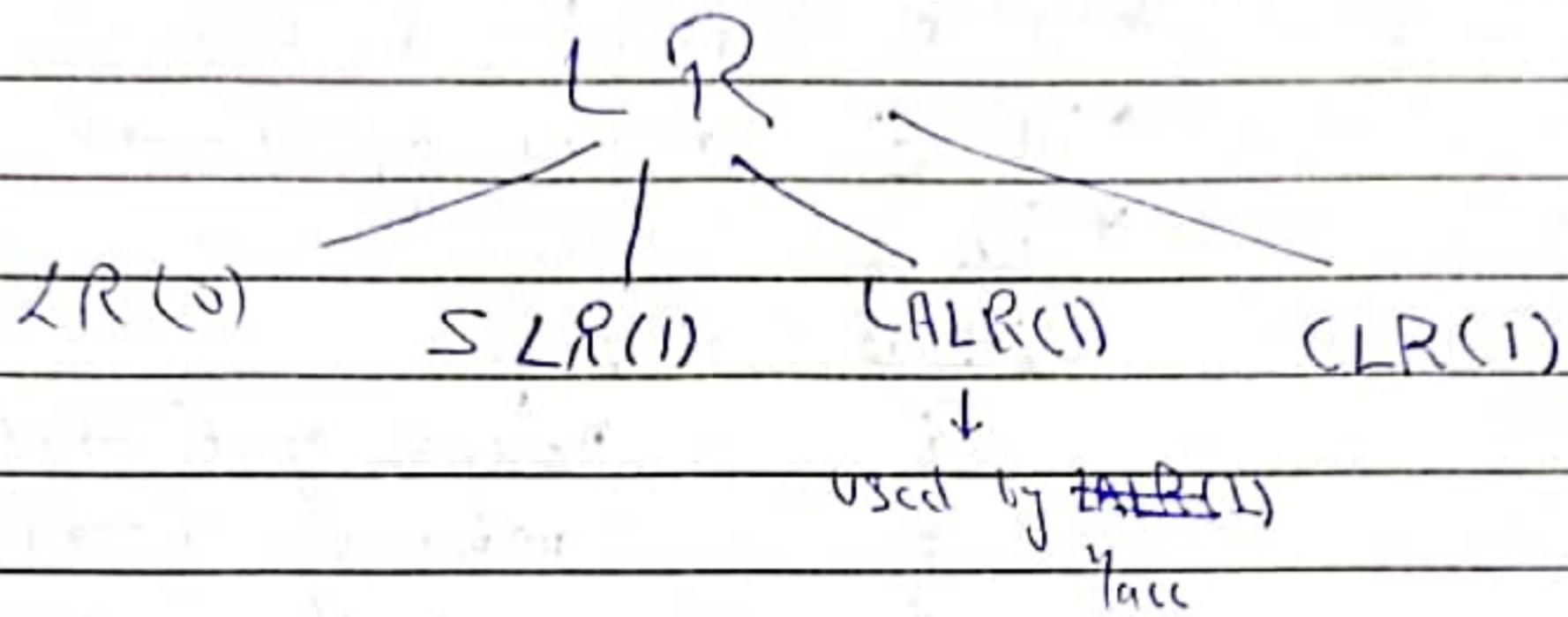
## Top-Down Parsing

Matched	Stack	Input	Action
	E \$	id + id * id \$	
(	T E' \$	id + id * id \$	$E \rightarrow TE'$
	F T' E' \$	id + id * id \$	$T \rightarrow FT'$
	id T' E' \$	id + id * id \$	$F \rightarrow -D$
id	T E' \$	+ id * id \$	match id
	E' \$	+ id * id \$	$T' \rightarrow *$
	+ TE' \$	+ id * id \$	$E' \rightarrow +TE'$
id+	T E' \$	id * id \$	match +
	F T' E' \$	id * id \$	$T \rightarrow FT'$
	id T' E' \$	id * id \$	$F \rightarrow -D$
id + id	T' E' \$	+ id \$	match id
	+ FT' E' \$	+ id \$	$T' \rightarrow FT'$
id + id * id	F T' E' \$	id \$	match *
	id T' E' \$	id \$	none
id + id * id	T' E' \$	\$	match id
	E' \$	\$	$E' \rightarrow *$
	\$	\$	$E' \rightarrow E$

Date .....

## Bottom - Up Parsing (LR-pars)

↓  
 Left to Rightmost  
 Right Derivation  
 ⇒ reverse



⇒ Right Sentential form

id \* id

E → T  
non

R.S.F	Handle	Reducing Production	⇒ T * E
id <sub>1</sub> * id <sub>2</sub>	id <sub>1</sub>	F → id <sub>1</sub>	⇒ T * F
F * id <sub>2</sub>	F	T → F	⇒ T * id <sub>2</sub>
T * id <sub>2</sub>	id <sub>2</sub>	F → id <sub>2</sub>	⇒ F * id <sub>2</sub>
T * F	T * F	T → T * F	⇒ id <sub>2</sub> * id <sub>1</sub>
T	T	E → T	

## Shift Reduce Parsing

Stack holds grammar symbols of an input buffer. It holds next symbol string to be parsed.

Date .....

Stack      input      action

\$	$\text{id}_1^*, \text{id}_2^*$	Shift
$\text{id}_1, \$$	$* \text{id}_2^*, \$$	reduce by $E \rightarrow \text{id}$
$F, \$$	$* \text{id}_2^*, \$$	reduce by $T \rightarrow F$
$T, \$$	$* \text{id}_2^*, \$$	Shift
$\text{id}_2^* T, \$$	$\text{id}_2^*, \$$	Shift
$F^* T, \$$	\$	reduce by $F \rightarrow \text{id}$
$T, \$$	\$	reduce by $T \rightarrow T^* F$
$E, \$$	\$	reduce by $E \rightarrow T$
		Accept

Stack  $\rightarrow$  \$, \$  $\text{id}_1^*$ , \$  $F$ , \$  $T^*$ , \$  $T^* \text{id}_2^*$ , \$  $T^* F$ ,  
 $\equiv$  ; \$  $T$ , \$  $E$   $\rightarrow$

↳ Possible actions, shift-reduce parser can make:  
 → Shift  
 Reduce  
 Accept  
 Error / Reject

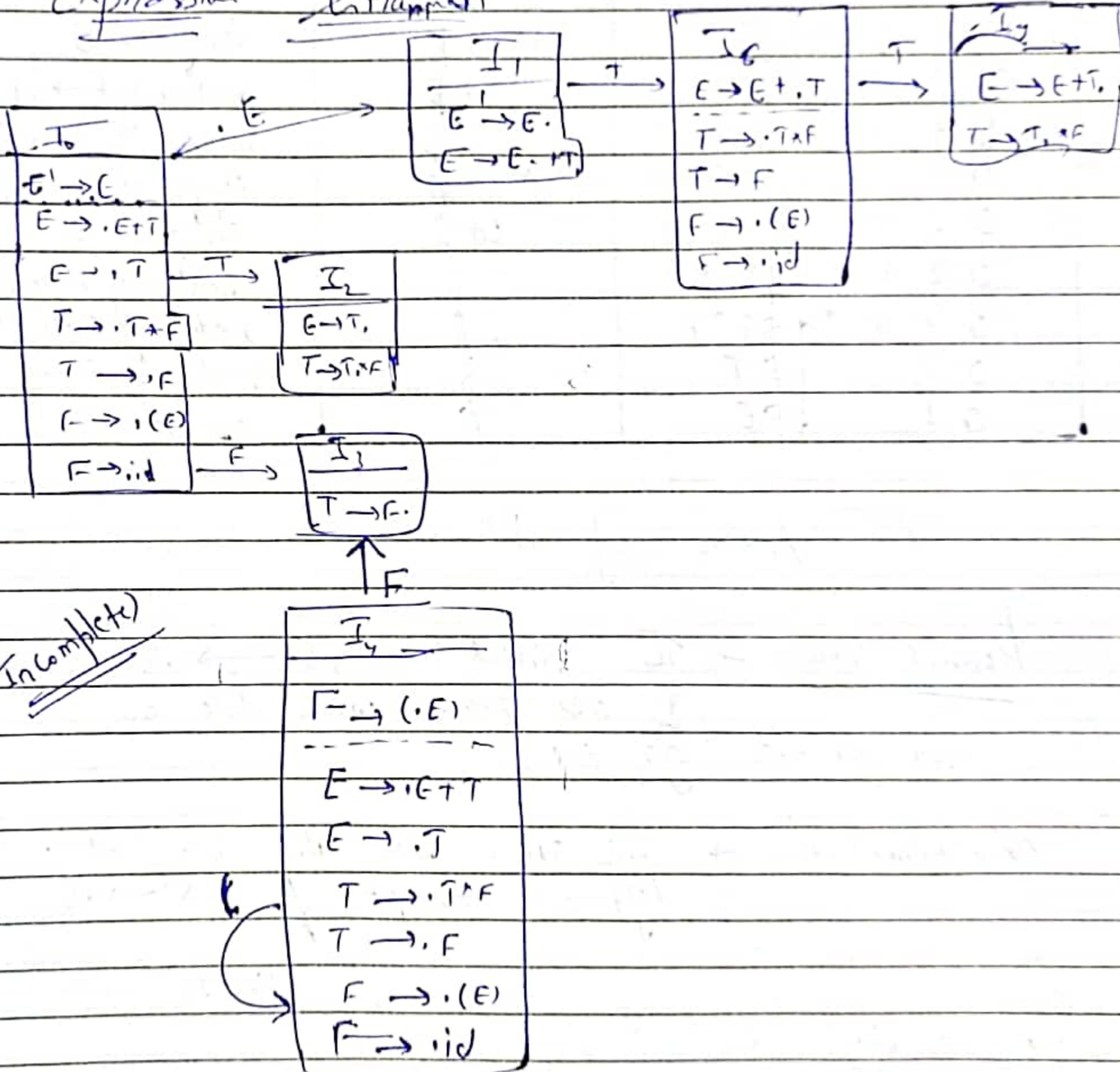
## Conflicts during Shift-Reduce Parsing

- \* Shift / Reduce Parse Conflict
- \* Reduce / Reduce Parse Conflict

Date Feb 20, 2025

# L-1cm, LR(0) Automation

(fig)



Date .....

Stack	Input	Action
state Action Symbol		
0 \$	id * id \$	shift to 5
0 5 \$ id	* id \$	reduce by $F \rightarrow id$
0 3 \$ F	* id \$	reduce by $T \rightarrow F$
0 2 \$ T	* id \$	shift to 7
0 2 7 \$ T * id	\$	shift to 5
0 2 7 5 \$ T * F id	\$	reduce by $F \rightarrow id$
0 2 7 10 \$ T * F	\$	reduce by $T \rightarrow T^* F$
0 2 \$ T	\$	reduce by $E \rightarrow T$
0 1 \$ E	\$	accept

The base of  $id^* id$

Kernel items  $\rightarrow$  The initial items,  $S' \rightarrow S$   
& all items where dots are not at the left end.

Non-kernel items  $\rightarrow$  All items with dots at left-end except for  $S' \rightarrow S$

Ques  $\rightarrow$  Check whether the grammar is in LR(0) or not.

feb 23<sup>rd</sup>, 2023

$$\begin{aligned} E &\rightarrow BB \\ B &\rightarrow CB \mid c \end{aligned}$$

Spiral

Date .....

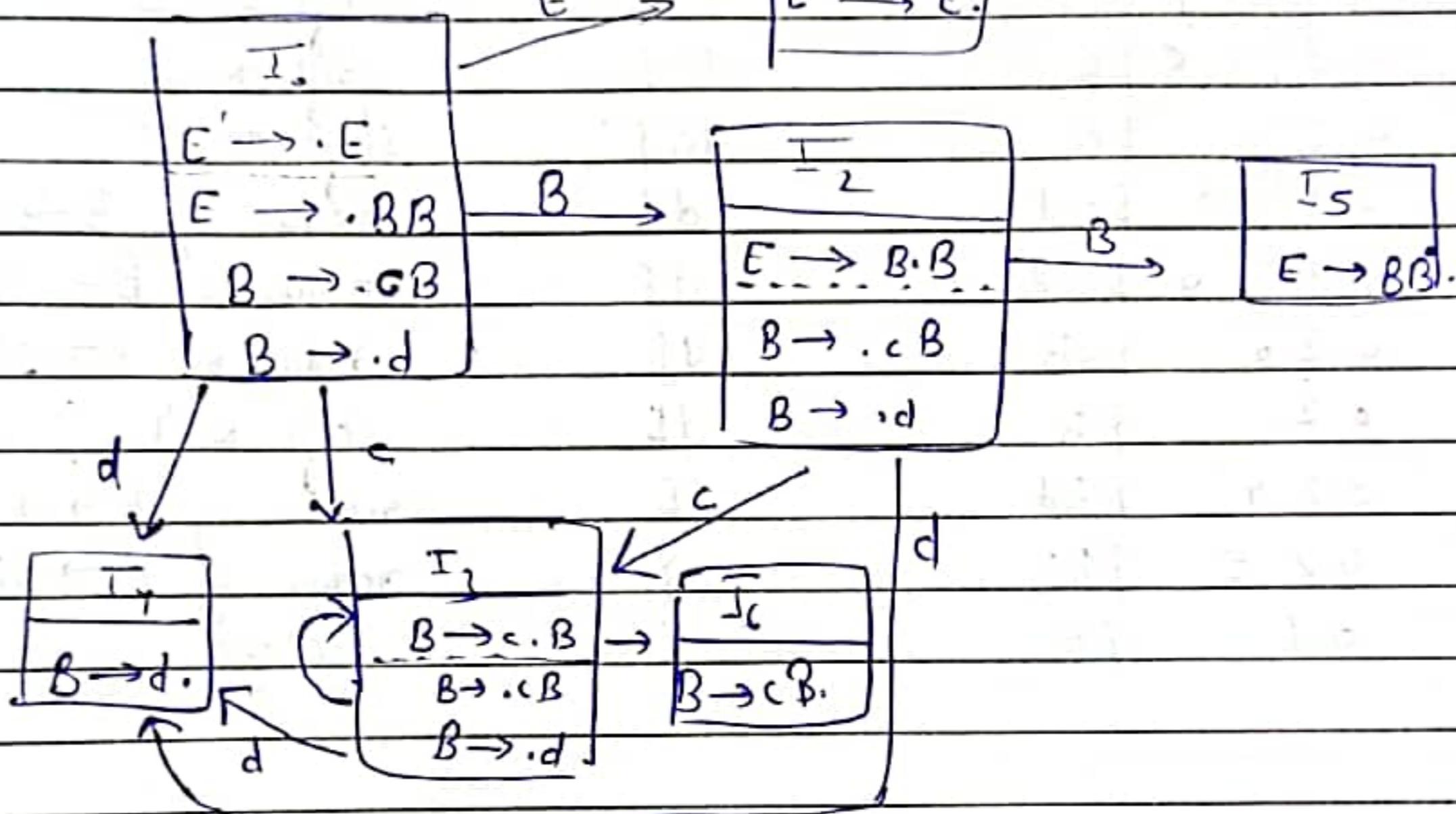
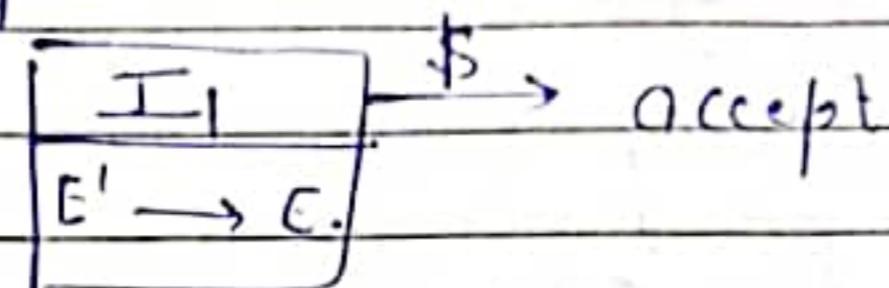
## Augmentational grammar,

$$E' \rightarrow E$$

$$E \rightarrow .BB$$

$$B \rightarrow .CB$$

$$B \rightarrow .d$$



State	Action			Go To	
	c	d	\$	E	B
0	s3	s4	.	1	2
1			acc.		
2	s3	s4			5
3	s3	s4			6
4	n3	n3	"3		
5	n1	n1	"1		
6	n2	n2	"2		

Parsing Table

Spiral

Date .....

for string "cccdl"

stack

Input

Action

state symbol

0	\$	cccdl\$	shift to 3
0 3	\$c	ccdl\$	shift to 3
0 3 3	\$cc	cdl\$	shift to 4
0 3 3 4	\$ccd	dl\$	reduce by $B \rightarrow d$
0 3 3 6	\$ccB	d\$	reduce by $B \rightarrow cB$
0 3 6	\$cB	d\$	reduce by $B \rightarrow cB$
0 2	\$B	d\$	shift to 4
0 2 4	\$Bd	\$	reduce by $B \rightarrow d$
0 2 5	\$BB	\$	reduce by $E \rightarrow BB$
0 1	\$E	\$	accept

Q -

$E \rightarrow BB$

$B \rightarrow cB \mid d$

FIRST(.)

E

{c, d}

B

{c, d}

Follow(.)

{\$}

{c, d, \$}

Date .....

## LR(1) Parsing Table

State	Action			Info To	
	c	d	\$	E	B
0	$s_2$	$s_3$		i	2
1			acc		
2	$s_2$	$s_7$			5
3	$s_2$	$s_4$	$s_6$		6
4	$s_3$	$s_4$	$s_5$		
5			$s_1$		
6		$s_2$	$s_3$		

$$LR(1) = \frac{S}{\text{Info}}$$

Automaton for

$$\begin{aligned} S &\rightarrow AaAb \mid BbBb \\ A &\rightarrow c \\ B &\rightarrow c \end{aligned}$$

Simplified diagram

$$S' \rightarrow S$$

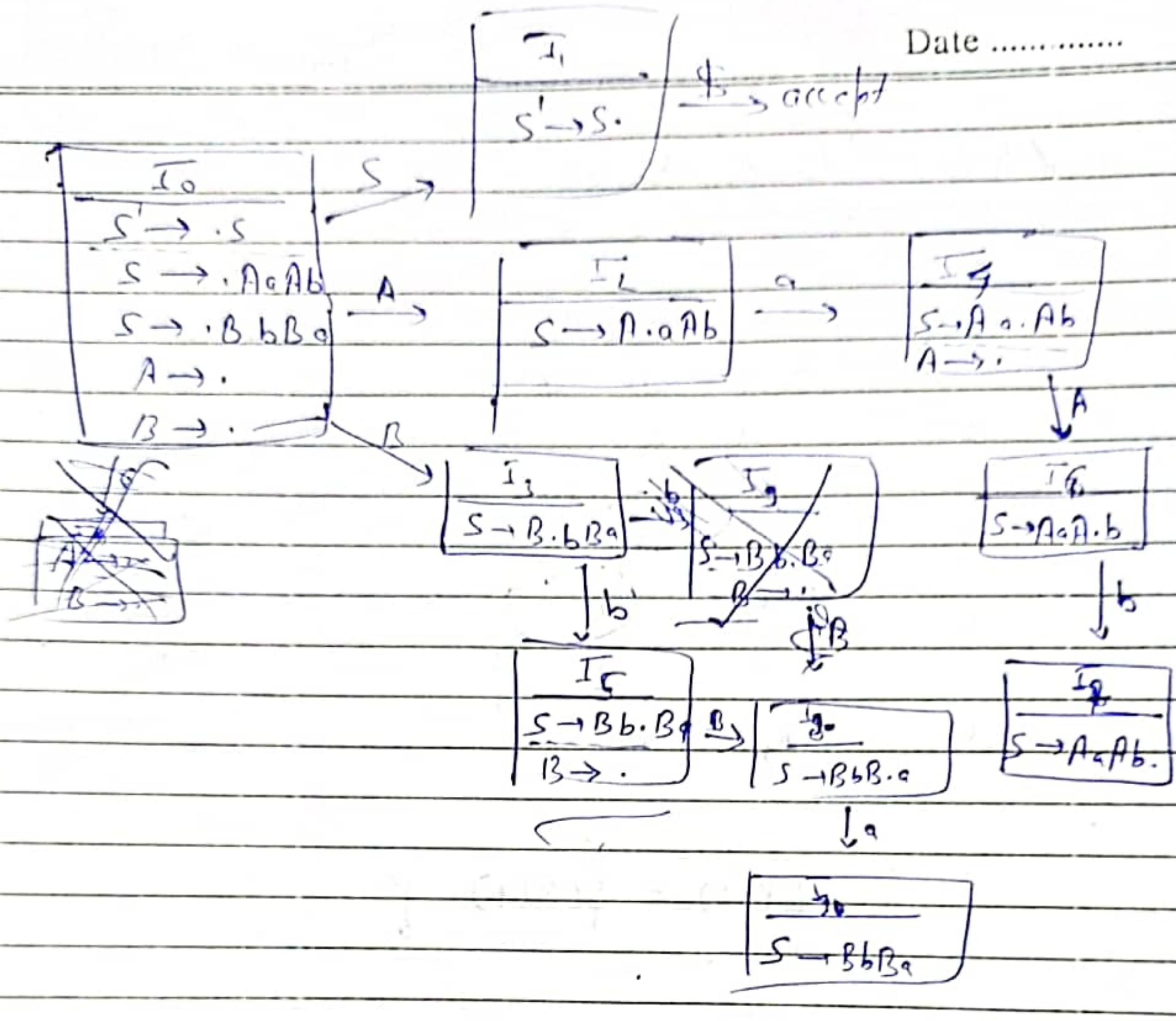
$$S \rightarrow AaAb$$

$$S \rightarrow BbBb$$

$$A \rightarrow \cdot$$

$$B \rightarrow \cdot$$

Date .....



FIRST(.)

FOLLOW(.)

$S$	$\{\epsilon\}$
$A$	$\{S\}$
$B$	$\{E\}$

$\$\}$
$\{a, b\}$
$\{a, b\}$

Special

Date .....

State	Action	Got.
	a b \$	S A B
0		1 2 3
1	acc	
2	s4	
3	s5	
4		6
5		7
6	s8	
7	s9	
8	<del>s1</del>	s12
9		s1

(1) Viable prefixes → The prefixes of right sentential forms that can appear on the stack of a shift-reduce parser are called viable prefixes

① → Expression Lmanu

Stack	Input	Action
\$	id + id \$	Shift id
\$ id	+ id \$	Reduce by $P \rightarrow id$
\$ F	+ id \$	Reduce by $T \rightarrow F$
\$ T	+ id \$	Shift +
\$ E +	id \$	Shift id
\$ E + id	\$	Reduce by $F \rightarrow id$
\$ E + F	\$	Reduce by $T \rightarrow E$
\$ E + T	\$	Reduce by $E \rightarrow E + T$

Date .....

# None Powerful LR Parser

1) "Canonical LR" or just "LR" or CLR(1) or LR(1)

2) "Look Ahead LR" or LALR

Both uses LR(1) items = LR(0) item + LookAhead  
(,)

LR(0)  $\rightarrow$  Put the reduce in full grow

SLR(1)  $\rightarrow$  Put the reduce in follow grow

CLR(1)  $\rightarrow$  , , , , look ahead column

LALR(1)

Q  $\rightarrow$   
E  $\rightarrow$  BE  
B  $\rightarrow$  cB  
B  $\rightarrow$  d

check whether the grammar is in LALR or not

E'  $\rightarrow$  .E, \$

E  $\rightarrow$  .BB, \$

B  $\rightarrow$  cB' | d, c|d

Case 1: if A  $\rightarrow$   $\alpha\beta\gamma$ , c

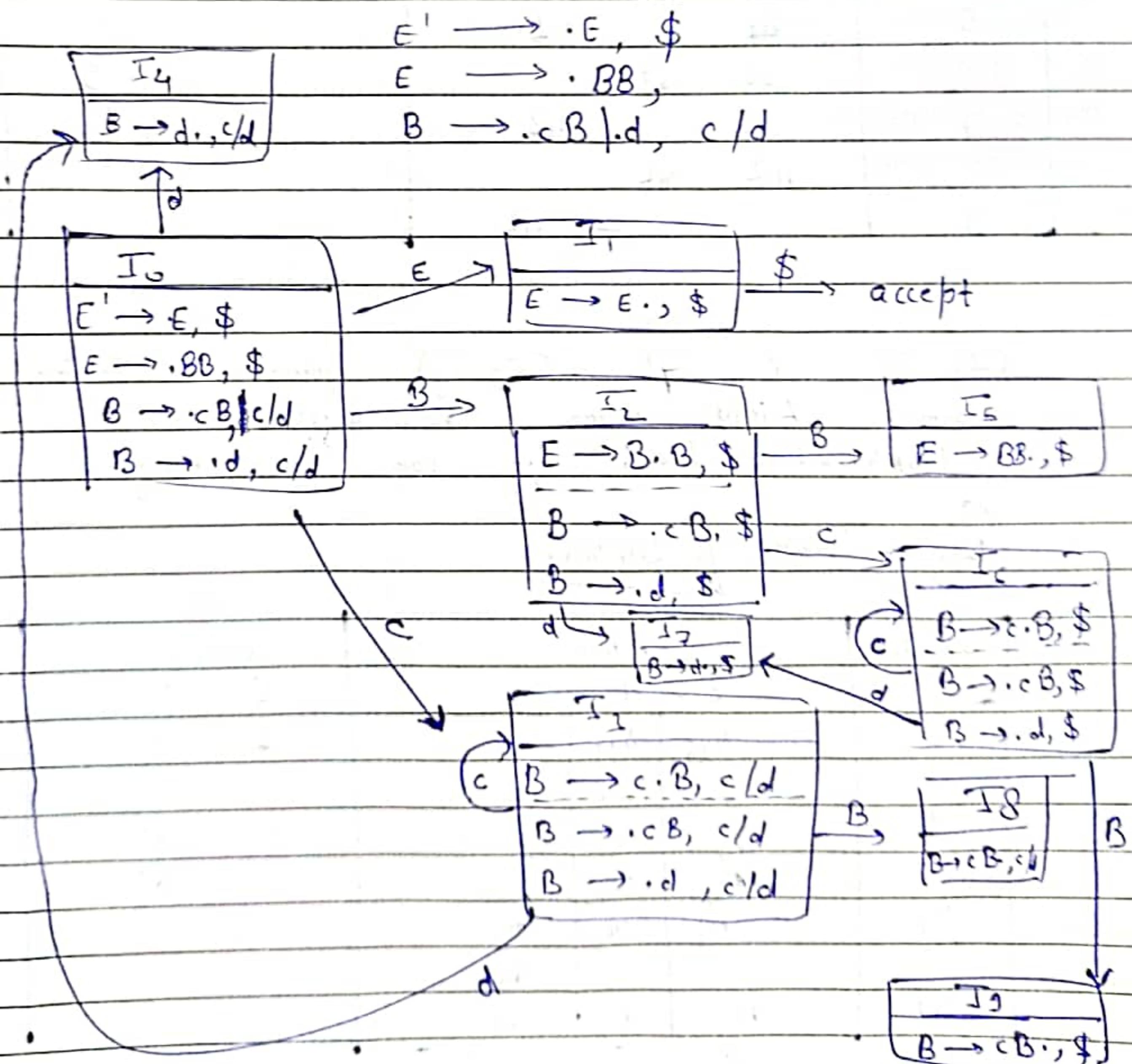
Date Feb 27<sup>th</sup>, 223

Q → check whether the following grammar is in LALR(1) or not.

$$E \rightarrow B\bar{B}$$

$$B \rightarrow c\bar{B} / d$$

## Augmented Grammar



CLR(1) automaton (GOTO graph)

$$n(LR(0)) = n(SLR(1)) = n(CLR(1)) \leq n(LALR(1))$$

Parsing Table ~~SLR(1)~~ CLR(1)

Date .....

State	Action			Goto
	c	d	\$	
0	$\Delta_3$	$\Delta_4$		E F
1			acc	
2	$\Delta_6$	$\Delta_7$		
3	$\Delta_3$	$\Delta_4$		
4	$n_3$	$n_3$		
5	$n_4$		$n_1$	
6	$\Delta_6$	$\Delta_7$		
7			$n_3$	
8	$n_2$	$n_2$		
9			$n_2$	

$(I_3, T_1), (I_4, T_2), (I_6, T_7)$  form an item group and differ in look-ahead. Hence they can be merged.

Parsing Table for LALR(1)

State	Action			Goto
	c	d	\$	
0	$\Delta_3$	$\Delta_4$		E F
1			acc	
2	$\Delta_6$	$\Delta_7$		
3	$\Delta_3$	$\Delta_4$		
4	$n_3$	$n_3$		
5			$n_1$	
6	$n_2$	$n_2$		
7			$n_2$	

Date .....

Ex 4.7.5 -

$$S \rightarrow Aa \mid bAc \mid Bc \mid bBa$$

$$A \rightarrow d$$

$$B \rightarrow d$$

is in LR(1) but not LALR(1).

∴ LALR Automaton →

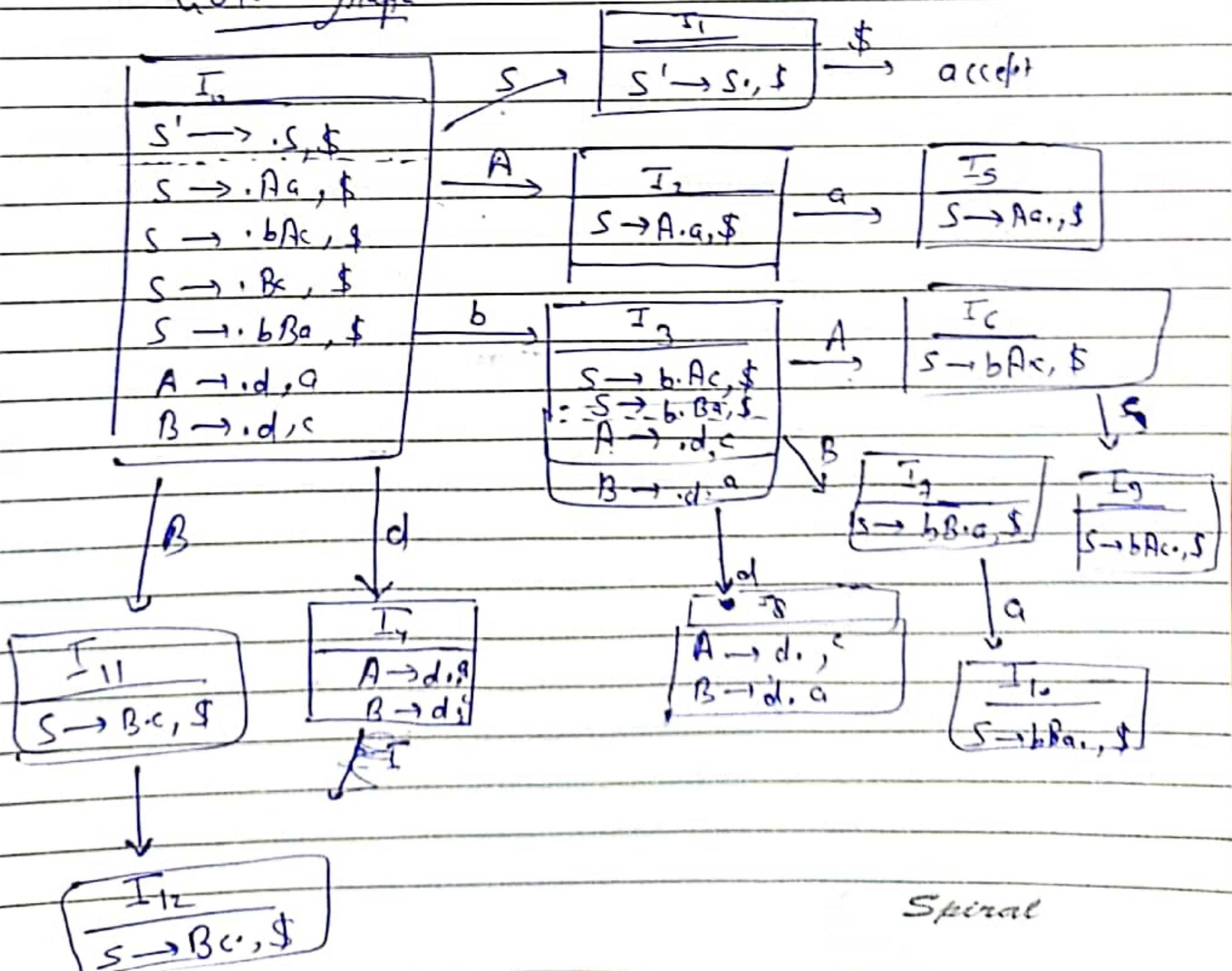
$$S' \rightarrow \cdot S, \$$$

$$S \rightarrow \cdot Aa \mid \cdot bAc \mid \cdot Bc \mid \cdot bBa, \$$$

$$A \rightarrow \cdot d, a \not\in$$

$$B \rightarrow \cdot d, b \not\in$$

Goto Graph



Date .....

# Parsing Table

State

Action

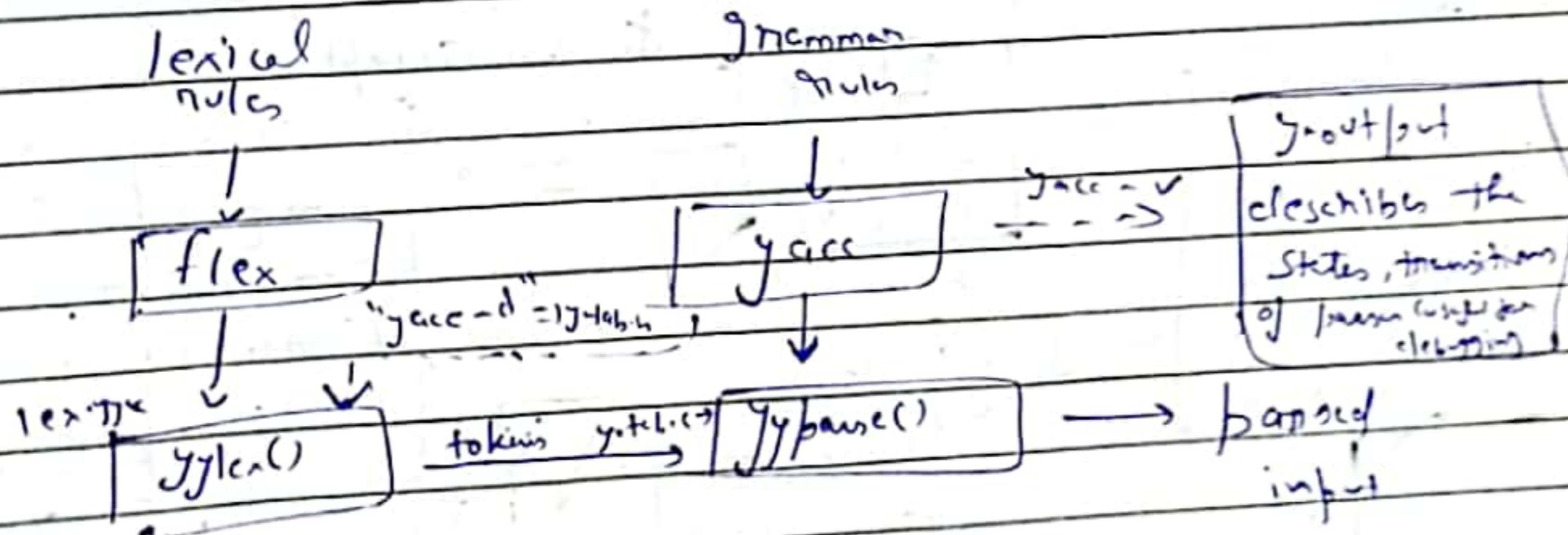
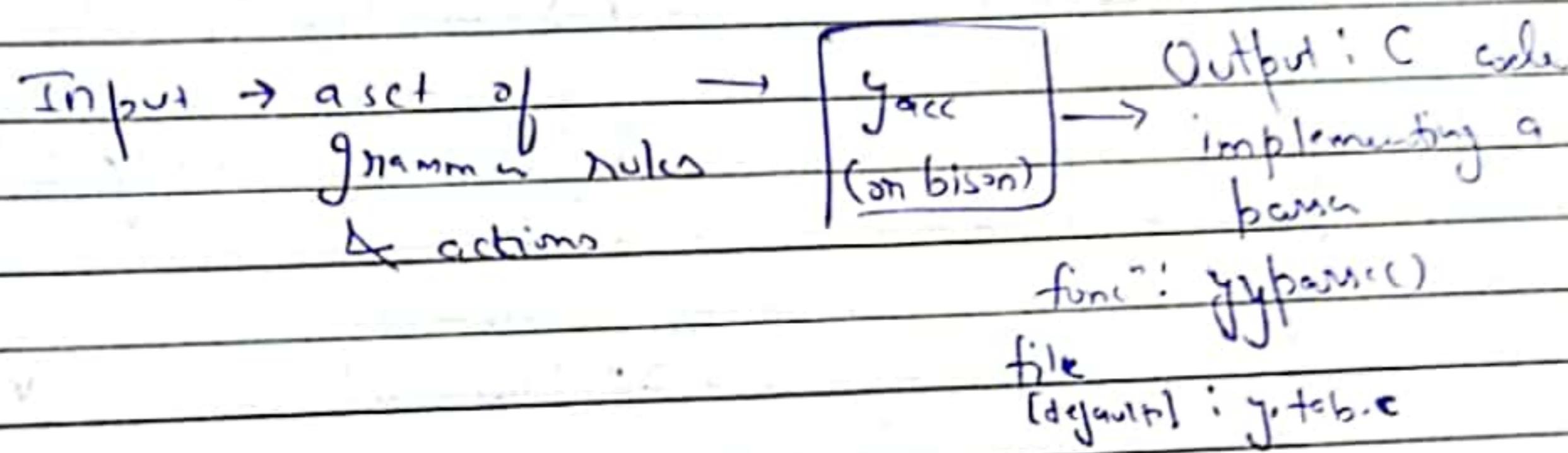
GOTO

	a	b	c	d	\$	S	A	B
0			13.		14	1	2	11
1						acc.		
2		15			18		6	7
3								
4								
5								
6								
7								
8								
9								
10								
11								
12								

Venbatim → as it is  
(word to word)

Date .....

- \* Yacc → Yet another compiler compiler
- \* package → bison
- \* Parser generator



Note - In windows bison -yvd options are used  
bison -yvEnepoint = add testy for closure also

yyparse → called from main (user-supplied)  
Repetitively calls yylex() until done

\* On system error, calls yyerror.

Spiral

Mon 2<sup>nd</sup>, 2023

Date Feb 3.....

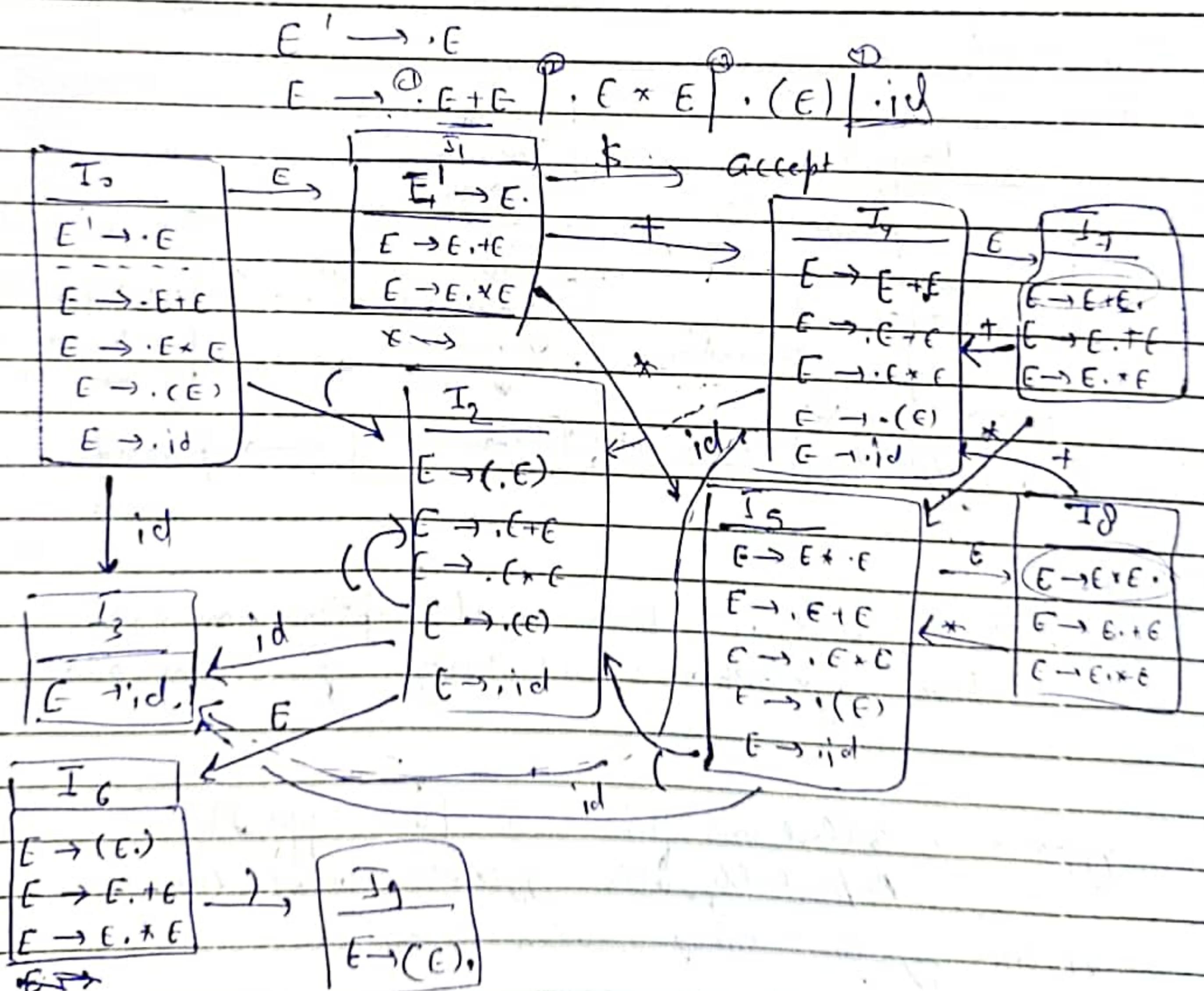
# Using Ambiguous Grammars

Conflicts

Precedence & Associativity to  
Resolve Conflicts

LR(0) Automata

Automaton for Expression Grammar VI



Date .....

Parsing Table for SLR(1)

State	Action	Final
0	\$3	ε
1	\$4 \$5	acc.
2	A3	ε
3	\$4 \$4 \$4	ε
4	A3	ε
5	A3	ε
6	\$4 \$5 \$6	ε
7	\$4 \$5 \$6 \$7	ε
8	\$2 \$2 \$2	ε
9	\$3 \$3 \$3	ε

String  $\rightarrow$  ① id + id  $\Rightarrow$  id  
 ② id + id + id

Stack	Input	Action
state Symbol		
0 \$	id + id * id \$	shift to 3
0 3 \$ id	+ id * id \$	reduce by $E \rightarrow id$
0 1 \$ C	+ id * id \$	shift to 4
0 1 4 \$	\$ C + \$	shift to 3
0 1 4 3 \$	+ id \$	reduce by $C \rightarrow id$
0 1 4 3 \$	* id \$	shift to 5
0 1 4 3 \$ 5	id \$	shift 3
0 1 4 3 \$ 5 3	\$	reduce by $E \rightarrow id$
0 1 4 3 \$ 5 3 8	\$ C + C \$	reduce by $C \rightarrow C * C$
0 1 4 3 \$ 5 3 8	\$	reduce by <del>\$ C + C</del> + C
0 1	\$ E	Accept

Date .....

~~4.8.1~~ The "Dangling - Else" Ambiguity

$$\begin{array}{l} S' \rightarrow S' \\ S \rightarrow iS \end{array}$$

~~4.8.3~~ → Errors Recovery in LR parsing

Date March 17, 2023

## Chapter - 5

### Syntax Directed Translation (SDT)

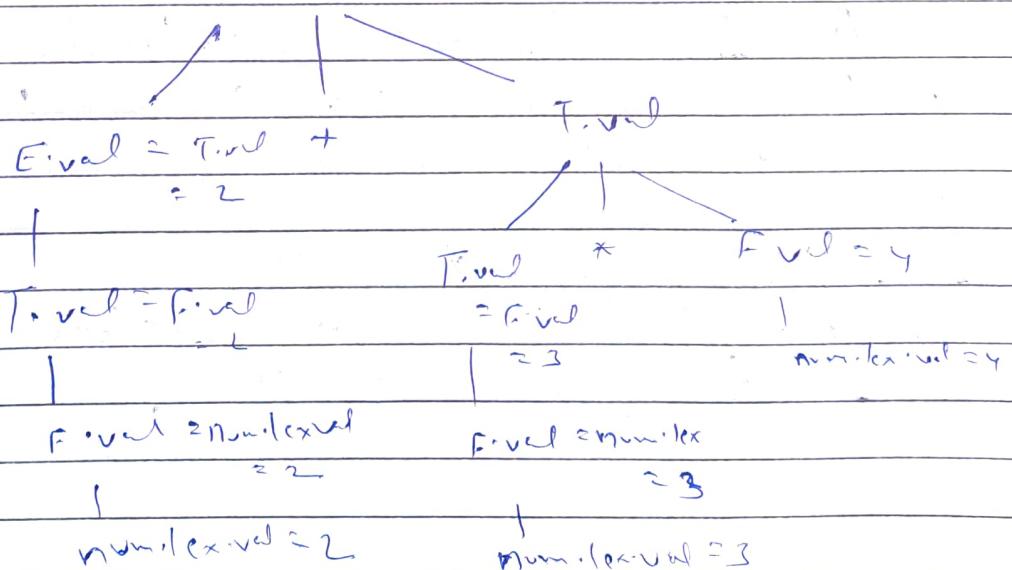
#### Grammar + Semantic Rules

$$E \rightarrow E + E \quad \{ \$\$ = \$1 + \$3 \}$$

- #  $E \rightarrow E + T \quad \{ E.\text{val} = E.\text{val} + T.\text{val} \} \quad - (1)$
- $E \rightarrow T \quad \{ E.\text{val} = T.\text{val} \} \quad - (2)$
- $T \rightarrow T * F \quad \{ T.\text{val} = T.\text{val} * F.\text{val} \} \quad - (3)$
- $T \rightarrow F \quad \{ T.\text{val} = F.\text{val} \} \quad - (4)$
- $F \rightarrow \text{num} \quad \{ F.\text{val} = \text{num.lex.val} \} \quad - (5)$

The attribute which propagates values to its parents which always take it value from the child are called synthesized attributes.

$$E.\text{val} = E.\text{val} + T.\text{val}$$



Date .....

## Syntax Directed Translation

Embeds program fragments called symmetric actions within production bodies. They are generally enclosed {}.

Aim → To make the translating machine efficient.

Attributed → are associated with grammar symbols (Terminal / Non-terminal) & rules are associated with the production.

$X$  is a symbol &  $a$  is an attribute of  $X$ .  
Hence  $X.a$  denotes value of  $a$  at a particular node.

### Types of Attributes

A synthesized attribute for a Non-terminal at a parse tree node  $N$  is defined by a semantic rule associated with the production at  $N$ .

A synthesized attribute at node  $N$  is defined only in terms of attribute values at the children of  $N$  & of  $N$  itself.

Date .....

H An inherited attribute of a Non-terminal at a parse tree Node N is defined by the semantic rule N at with the production at the parent of N.

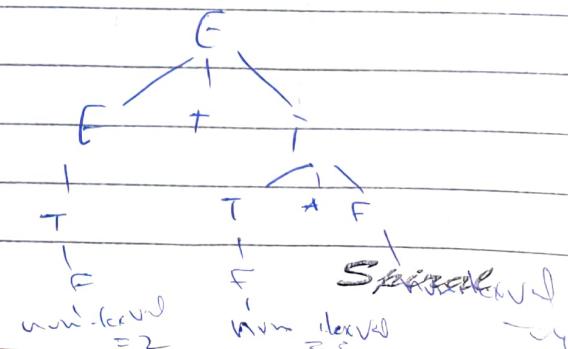
An inherited attribute at Node N is defined only in terms of attributes values of N's parent, N itself, N's sibling.  
 (non-terminal)

$L \rightarrow E_n$	{ $L\text{-val} = F\text{-val}$ }
$E \rightarrow E_1 + T$	{ $E\text{-val} = E_1\text{-val} + T\text{-val}$ }
$E \rightarrow T$	{ $E\text{-val} = T\text{-val}$ }
$T \rightarrow T_1 * F$	{ $T\text{-val} = T_1\text{-val} * F\text{-val}$ }
$T \rightarrow F$	{ $T\text{-val} = F\text{-val}$ }
$F \rightarrow (E)$	{ $F\text{-val} = E\text{-val}$ }
$F \rightarrow \text{digit}$	{ $F\text{-val} = \text{digit}\text{-lexval}$ }

$2 + 3 * 4$  {fig 5.3}

$E \rightarrow E_1 + T$	{ $b\text{printf}(1+1)$ } ①
$T \rightarrow T_1 * F$	{ $\quad \quad \quad$ } ②
$T \rightarrow F$	{ $.b\text{printf}('*')$ } ; } ③
$F \rightarrow \text{num}$	{ $.b\text{printf}(\text{num},1\text{lexval}),$ } ④

2 + 3 \* 4 {fig 5.3}



In exam → Panic mode Recovery? → for exam { Identify the inh. & syn attr in the semantic rules & the value of attr at the time the value of attr Date March 20, 2023

\* ) Dependency on the sibling will be always from left to right

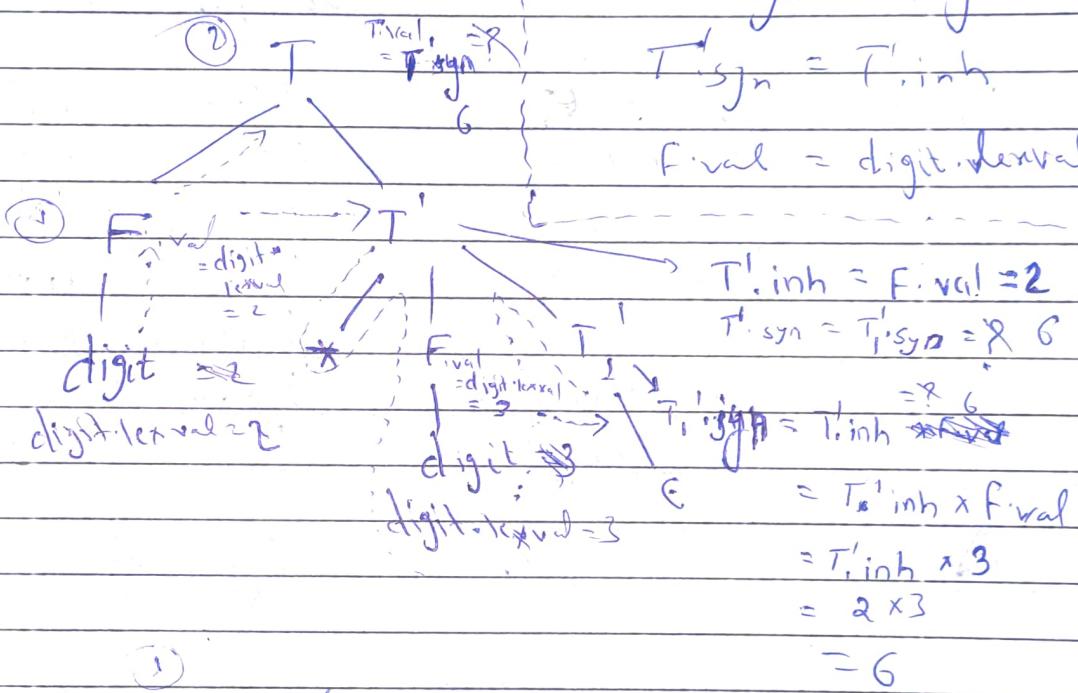
\* ) DFS tree

### Production Rules

$$\begin{array}{l} \Gamma \rightarrow FT' \\ T' \rightarrow *FT'_1 \\ T' \rightarrow \epsilon \\ F \rightarrow \text{digit} \end{array}$$

### Semantic Rules

$$\begin{array}{l} T'.inh = \text{Final} \\ \text{Final} = T'.syn \\ T'_1.inh = T'.inh \times \text{Final} \\ T'.syn = T'_1.syn \\ T'_1.syn = T'.inh \\ \text{Final} = \text{digit}.final \end{array}$$



Final = synthesized

(and) Final = synthesized

March 20, 2023

~~2.30 pm~~

$$\begin{array}{l} N \rightarrow L \\ L \rightarrow LB \mid B \\ B \rightarrow 0 \mid 1 \end{array}$$

~~2.45 pm~~

Special

Date .....

Rewriting the grammar as

$$N \rightarrow L \quad \{ N.\text{count} = L.\text{count} \}$$

$$\begin{array}{l} L \rightarrow LB \\ | B \end{array} \quad \begin{array}{l} \{ L.\text{count} = L_1.\text{count} + B.\text{count} \} \\ \{ L_1.\text{count} = B.\text{count} \} \end{array}$$

$$\begin{array}{l} B \rightarrow D \\ | I \end{array} \quad \begin{array}{l} \{ B.\text{count} = 1 \} \\ \{ B.\text{count} = 1 \} \end{array}$$

for lots

$$N.\text{count} = L.\text{count}$$

$$\begin{array}{c|c} & = 4 \\ & | \\ & | \end{array}$$

$$L.\text{count} = L_1.\text{count} + B.\text{count}$$

$$\begin{array}{c} = 3+1 \\ = 4 \end{array}$$

$$L_1.\text{count} = B.\text{count} = 1$$

$$\begin{array}{c|c} & + B.\text{count} \\ & = 2+1 \\ & = 3 \end{array}$$

$$B.\text{count} = L.\text{count} - B.\text{count} = 1$$

$$\begin{array}{c|c} & + B.\text{count} \\ & = 1+1-1 \\ & = 1 \end{array}$$

$$L.\text{count}$$

$$= B.\text{count}$$

$$= 1$$

$$B.\text{count} = 1$$

$$(P)$$

$$B.\text{count} = 1$$

$$0$$

$$B.\text{count} = 1$$

$$0$$

$$0$$

# Binary to Decimal

Date .....

$$N \rightarrow L$$

$$L \rightarrow L_1, B$$

$$\mid B$$

$$B \rightarrow 0$$

$$\mid \mid$$

$$\left\{ \begin{array}{l} N_{dual} = L_{dual} \\ N_{count} = L_{count} \end{array} \right\}$$

$$L_{count} = L_1_{count} + B_{count}$$

$$L_{dual} = L_1_{dual} + B_{dual}$$

$$\left\{ \begin{array}{l} B_{count} = 1, B_{dual} = 0 \\ B_{count} = 1, B_{dual} = 1 \end{array} \right\}$$

for 1011

$$N_{dual} = L_{dual}$$

$$\mid \mid = 11$$

$$L_{dual} = L_{1dual} \times 2 + B_{0dual}$$

$$\mid = 5 \times 2 + 1$$

$$\mid = 11$$

$$L_{1dual} = L_{1dual} \times 2 + B_{1dual}$$

$$\mid = 2 \times 2 + 1$$

$$B_{0dual} = 1$$

$$L_{1dual} = L_{1dual} \times 2 + B_{1dual}$$

$$\mid = 1 \times 2 + 1$$

$$\mid = 2$$

$$(L_{1dual} = B_{0dual}, B_{1dual} = 0)$$

$$\mid \mid = 1$$

$$\mid \mid = 0$$

$$\mid B_{0dual} = 1$$

$$\mid \mid = 1$$

$$\mid \mid = 0$$

cl\_val = decimal value

Specify it explicitly

## Binary to Decimal (float)

Date .....

$$\begin{array}{l} S \rightarrow L \cdot L \mid L \\ L \rightarrow LB \mid R \\ B \rightarrow 0 \mid 1 \end{array} \quad \left. \begin{array}{c} \\ \\ \end{array} \right\} S \cdot \text{count} = L \cdot \text{count}$$

#  
Running

$$\begin{array}{l} S \rightarrow L \cdot L, \quad \left. \begin{array}{c} S \cdot \text{count} = L \cdot \text{dval} + L \cdot \text{dval}/L \cdot \text{count} \\ S \cdot \text{dval} = L \cdot \text{dval} + L \cdot \text{dval}/L \cdot \text{count} \end{array} \right\} \\ L \rightarrow LB \quad \left. \begin{array}{c} S \cdot \text{count} = L \cdot \text{dval} \\ S \cdot \text{dval} = L \cdot \text{dval} \\ L \cdot \text{dval} = 2 \times L \cdot \text{dval} + B \cdot \text{dval}, L \cdot \text{count} \\ B \cdot \text{dval} = B \cdot \text{dval}, \dots \end{array} \right\} \\ \quad \mid B \quad \left. \begin{array}{c} B \cdot \text{dval} = 0 \quad B \cdot \text{count} = 1 \\ B \cdot \text{dval} = 1 \quad B \cdot \text{count} = 1 \end{array} \right\} \\ B \rightarrow 0 \quad \left. \begin{array}{c} \\ \end{array} \right\} \\ \quad \mid 1 \end{array}$$

1001.1

$$S \cdot \text{dval} = 2 + \frac{1}{2} = 2.5$$

$$L_1 \cdot \text{count} = L_1 \cdot \text{dval} + B_1 \cdot \text{count} = 2 + 1 = 3$$

$$L_1 \cdot \text{dval} = 2 \times 2 + 1 = 5$$

$$L_2 \cdot \text{count} = 1$$

$$\begin{array}{l} L_2 \cdot \text{dval} = 1 \\ B_1 \cdot \text{count} = 1 \\ B_1 \cdot \text{dval} = 1 \\ B_2 \cdot \text{count} = 1 \\ B_2 \cdot \text{dval} = 0 \\ B_3 \cdot \text{count} = 1 \\ B_3 \cdot \text{dval} = 1 \\ B_4 \cdot \text{count} = 1 \\ B_4 \cdot \text{dval} = 0 \\ B_5 \cdot \text{count} = 1 \\ B_5 \cdot \text{dval} = 1 \\ B_6 \cdot \text{count} = 1 \\ B_6 \cdot \text{dval} = 0 \\ B_7 \cdot \text{count} = 1 \\ B_7 \cdot \text{dval} = 1 \\ B_8 \cdot \text{count} = 1 \\ B_8 \cdot \text{dval} = 0 \\ B_9 \cdot \text{count} = 1 \\ B_9 \cdot \text{dval} = 1 \\ B_{10} \cdot \text{count} = 1 \\ B_{10} \cdot \text{dval} = 0 \end{array}$$

$$\begin{array}{l} L_1 \cdot \text{dval} = 2 \times 2 + 1 = 5 \\ B_1 \cdot \text{dval} = 1 \\ B_2 \cdot \text{dval} = 0 \\ B_3 \cdot \text{dval} = 1 \\ B_4 \cdot \text{dval} = 0 \\ B_5 \cdot \text{dval} = 1 \\ B_6 \cdot \text{dval} = 0 \\ B_7 \cdot \text{dval} = 1 \\ B_8 \cdot \text{dval} = 0 \\ B_9 \cdot \text{dval} = 1 \\ B_{10} \cdot \text{dval} = 0 \end{array}$$

$$B_{10} \cdot \text{dval} = 0$$

$$B_9 \cdot \text{dval} = 1$$

$$B_8 \cdot \text{dval} = 0$$

$$B_7 \cdot \text{dval} = 1$$

$$B_6 \cdot \text{dval} = 0$$

$$B_5 \cdot \text{dval} = 1$$

$$B_4 \cdot \text{dval} = 0$$

$$B_3 \cdot \text{dval} = 1$$

$$B_2 \cdot \text{dval} = 0$$

$$B_1 \cdot \text{dval} = 1$$

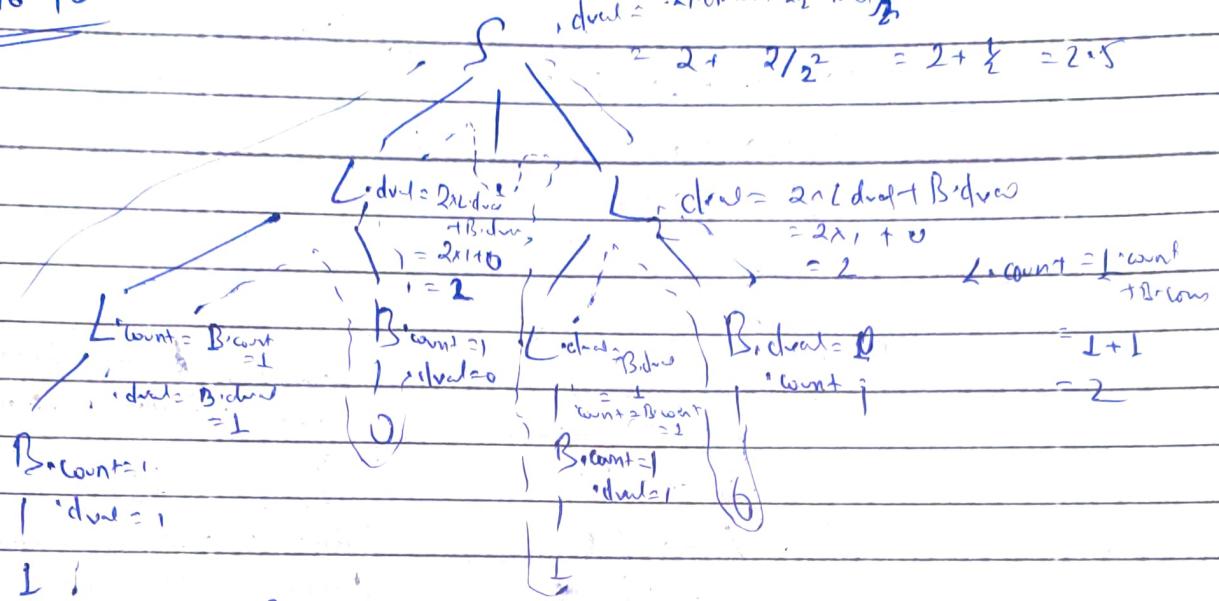
$$B_0 \cdot \text{dval} = 0$$

Date .....

10.10

$L_{count} = \text{Lcount} + \text{Bcount}$

$$= 2 + 2/2 = 2 + 1 = 2.5$$



Dependency graph

T.inh at node 5  
is inherited

T.inh at node 9  
is synthesized

F.inh at node 3  
is synthesized

F.inh at node 4, is  
synthesized

③ F.inh

inh → T ⑧

T.syn at node 8  
is synthesized

T.inh at node 6  
is inherited.

F.inh

digit.lexval

T.syn at  
node 7 is

synthesized,  
(maybe  
inherited)

Topological Sort

1, 3, 5, 2, 4, 6, 7, 8, 9,

Spiral

Date .....

Ex 5.2.4  $\rightarrow$  L-attributed SDD

$$S \rightarrow L \cdot L \mid L$$

$$L \rightarrow LB \mid B$$

$$B \rightarrow 0 \mid 1$$

## Chapter - 6

### Intermediate

### Code Generation

#### 3-address Code

for  $x + y * z$ ,

$$t_1 = y * z$$

$$t_2 = x + t_1$$

$t_1, t_2$  are compiler-generated temporary numbers.

for evaluation of  $a + a * (b - c) + (b - c) * d$

$$t_1 = b - c$$

$$t_2 = a * t_1$$

$$t_3 = a + t_2$$

$$t_4 = t_1 * d$$

$$t_5 = t_3 + t_4$$

$$a[i] = *(a + i * \gamma)$$

Date .....

Three different ways to represent 3-address code

Quadruples

Triples

Inclined Triples

Three address <sup>instructions</sup> code can be formed:-

→  $x = y \text{ op } z$

→  $x = \text{op } y$

→  $x = y$

→ GOTO L

→ If  $x$  goto L & if false  $x$  goto M

→ if  $x$  relOp  $y$  goto L

relOp, C <, =, >  $\Rightarrow$  ctrl

→ Procedure call

→ Inclined w/p instruction  $x = y[i]$  &  $x[i] = y$

→ 
$$\begin{cases} x = & y \\ x = & *y \\ *x = & y \end{cases}$$

→ do  $i = i + 1$ , while  $(a[i] < v)$  ;

L :  $t_1 = i + 1$

$i = t_1$

$t_2 = i * \gamma$

$t_3 = a[t_3]$

if  $t_3 < v$  goto L

{if array  
elements (int)  
takes 4  
units of space}

Spiral

Date .....

## Quadruples

$$a = b * -c + b * c$$

$$\begin{aligned} t_1 &= -c \\ t_2 &= b * t_1 \\ t_3 &= t_2 + t_2 \\ a &= t_3 \end{aligned}$$

} 3 additions  
cycle

	op	arg1	arg2	result
0	minus	c	-	t <sub>1</sub>
1	*	b	t <sub>1</sub>	t <sub>2</sub>
2	+	t <sub>2</sub>	t <sub>2</sub>	t <sub>3</sub>
3	=	t <sub>3</sub>	-	a

## Tribles

	op	arg1	arg2
0	minus	c	-
1	*	b	(0)
2	+	(1)	(1)
3	=	a	(2)

## Indirect Triples

Instructions			op	arg1	arg2
35	(0)	0	minus	c	-
36	(1)	1	*	b	(0)
37	(2)	2	+	(1)	(1)
38	(3)	3	=	a	(2)

# Unification

March 27, 2023  
Date .....

## Types & Declarations

- ① Type checking → uses logical rule to reason about the behaviour of a program at run time. Specifically, it ensures that the types of the operands match the type expected by an operator.
- ② Translation Applications : From the type of a name, a compiler can determine the storage that will be needed for that name.

Type Expressions → int [2][3]  
 2D Arrays of size 3  
`array(2, array(3, integer))`

## Type Equivalence

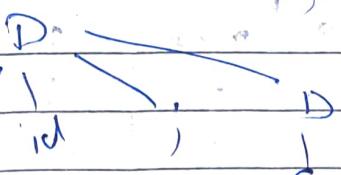
If two type expr. are equal then return a certain type err. error.

## Name Equivalent or Semantically Equivalent

### Declarations

int (num) id;

D → T{id}; D | E  
T → BC



B → int | float  
C → E | (num) | C

Spiral

# Type & Declaration

Date .....

## Semantic action

$T \rightarrow B$

C

$t = B \cdot \text{type}$      $w = B \cdot \text{width}$

$\Gamma \bullet \text{type} = C \cdot \text{type}$      $T \cdot \text{width} = C \cdot \text{width}$

$B \rightarrow \text{int}$

$B \rightarrow \text{float}$

$B \cdot \text{type} = \text{integer}$ ,     $B \cdot \text{width} = 4$

$B \cdot \text{type} = \text{float}$ ,     $B \cdot \text{width} = 8$

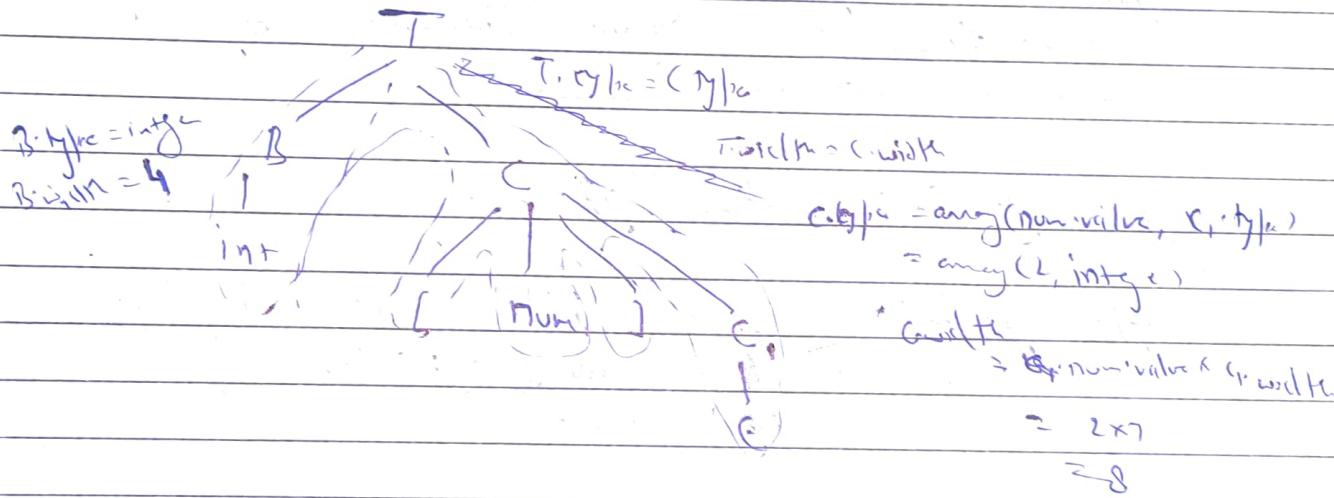
$C \rightarrow E$

$C \cdot \text{type}/x = t$ ;     $C \cdot \text{width} = w$

$C \cdot \text{width} = \text{num.value} \times C \cdot \text{width}_i$

`int [num] a;`

`num = 2`



`int [2][3] a;`

$\text{type} = \text{int}$   
width = 4

int

$T \cdot \text{type} = \text{array}(2, \text{array}(3, \text{integer}))$

width = 24

$\text{type} = \text{array}(2, \text{array}(3, \text{integer}))$   
width = 24

$\text{type} = \text{array}(3, \text{integer})$   
width = 24

T

Stacked integer  
width = 7

~~Do my notes~~ ~~(Chayal n)~~

Date April 3<sup>rd</sup>, 2023

## Type checking

It is used to catch errors in program. Each operation executed in a program respects the type system of the language. A sound type system eliminates the need of runtime checking for type errors.

PL is strongly typed if the compiler guarantees that the program it accepts will ~~not~~ run without any type error.

The type checking can be done at ~~most~~ static & dynamic.

Python is dynamically typed language. Python interpreter does type checking only when code is reached.

## Type synthesis & Type Inference

Type Synthesis - It builds up the type of an expression from the types of its subexpression.

Type Inference → Determines the type of language construct from the way it is used.

Date .....

- \* Compiler infers the missing type information based on contextual information

### Type Conversions :-

$2 * 3.14$

$$t_1 = (\text{float}) 2 \quad \text{from}$$
$$t_2 = t_1 * 3.14$$

$$E \rightarrow E_1 + E_2 \quad \{ E\text{type} = \min(E_1\text{type}, E_2\text{type}) ;$$

$$a_1 = \text{width}(E_1\text{type}, E_1\text{type}, E\text{type}) \\ \text{addn}$$

$$a_2 = \text{width}(E_2\text{type}, E_2\text{type}, E\text{type})$$

$$\text{gen}(E\text{.addn} = a_1 + a_2); \}$$

### Control flow

\* Alter the flow of control

\* Logical values complete true.

Ex - 6.2)  $\Rightarrow$  The if statement

if ( $x < 100$ ) || ( $x > 200$ )  $\&$  ( $x \neq 0$ )

if  $x < 100$  goto  $L_2$

iffalse  $x > 200$  goto  $L_1$

iffalse  $x \neq 0$  goto  $L_1$

$L_2: x = 0$   
 $L_1:$

Spiral  
Jumping Code.

Date .....

## Example 6.22 → Improvised version

if ( $x < 100$  ||  $x > 200$ )  $\{x = y\}$   $x = 0;$

if ( $x < 100$ ) goto L<sub>1</sub>  
goto L<sub>2</sub>

L<sub>2</sub>: if  $x > 200$  goto L<sub>3</sub>  
goto L<sub>4</sub>

L<sub>3</sub>: if  $x = y$  goto L<sub>1</sub>  
goto L<sub>4</sub>

L<sub>1</sub>:  $x = 0$

L<sub>4</sub>:

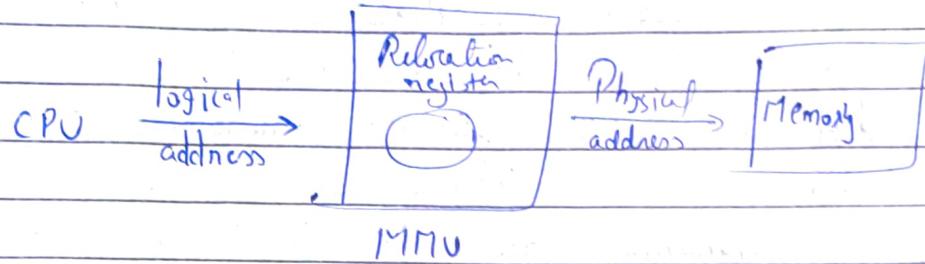
## chapter - 7 Runtime Environment

### Issues →

- i) Layout of address locations
- ii) Allocation of address to objects
- iii) Mechanism to access variables
- iv) Linkages between procedures
- v) Passing parameters.

Date .....

## Storage Organization



The global constants & the data generated by the compiler is placed in statically determined called "static" which may be known at compile time. The size of the generated target code is fixed at compile time so that the compiler can place the executable target code in a statically determined area "code" which is usually placed in the low end of the memory.

## Heap & Stack

To maximize the utilization of space at runtime, the other two areas called stack & heap are at the opposite ends of the remainder of the address space. These areas are dynamic i.e., their size can change as the program executes. The stack is used to store data structures called activation records generated during procedure calls.

Date .....

## Static vs Dynamic Storage Allocation

The layout & allocation of data to memory locations in the runtime environment are the key issues in storage management. The storage allocation is distinguished by the time at which the it is decided is called static & dynamic time.

## Dynamic Storage Allocation

Stack & Heap → Stack stores the names local to a procedure whereas heap allocates the memory to the objects where they are created like in C, malloc & new operator that storage when they are invalidated.

Garbage Collection :- It enables the runtime system to detect

Stack Allocation → Whenever a procedure/function / subroutine/method, space for its local variables are pushed onto the stack. When the procedure terminates, that space is popped off the stack.

Date .....

## Activation Trees

Stack allocation would not be feasible if procedure calls, or activations of procedures, did not nest in time.

If an activation of procedure  $p$  calls procedure  $q$ , then the activation of  $q$  must end before the activation of  $p$  can end. There are three common cases:-

- The activation of  $q$  terminates normally. Then in essentially any language, control resumes just after the point  $p$  at which the call to  $q$  was made.
- The activation of  $q$ , or some procedure  $q$  called, either directly or indirectly aborts, i.e. it becomes impossible for execution to continue. In that case,  $p$  ends simultaneously with  $q$ .
- The activation of  $q$  terminates because of an exception that  $q$  can't handle. Procedure  $p$  may handle the exception, in which case the activation of  $q$  has terminated while activation of  $p$  continues, although not necessarily from the point at which the call to  $q$  was made. If  $p$  can't handle the exception, then this activation of  $p$  terminates at the same time as the activation of  $q$ .

Date .....

## Quicksort

```
int a[11];  
void readArray() {  
    int i;  
    // ...  
}  
  
int partition(int m, int n) {  
    /* picks a separator value (pivot) & partitions a[m...n]  
     * so that a[m...p-1] < v >= a[p+1...n]. Return p */  
    void quickSort(int m, int n) {  
        int i;  
        if (n > m) {  
            i = partition(m, n);  
            quickSort(m, i-1);  
            quickSort(i+1, n);  
        }  
    }  
    main() {  
        readArray();  
        a[0] = -9999;  
        a[10] = 9999;  
        quickSort(1, 9);  
    }  
}
```

Activations →

enter main()

enter readArray()

leave readArray()

enter quickSort(1, 9)

enter Partition(1, 9)

leave Partition(1, 9)

enter quickSort(1, 9)

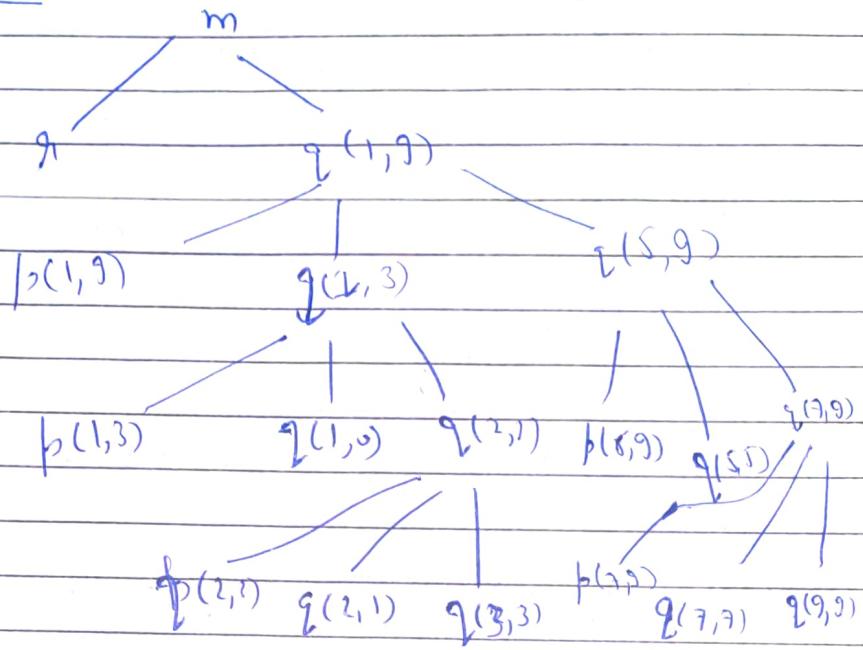
leave quickSort(1, 9)

enter quickSort(5, 9)

leave main() | leave quickSort(1, 9)

Spacial

## Activation Tree



The use of run-time stacks is enabled by several useful relationships between the activation tree & the behaviour of the program.

- The sequence of procedure calls corresponds to a pre-order traversal of activation tree.
- The sequence of returns corresponds to a post order traversal of the activation tree.
- Suppose that control lies within particular activation of some procedure, corresponding to a node N of activation tree. Then the activations that are currently open are those that correspond to node N & its ancestors. The order in which these activations were called is the order in which they appear along the path to N, starting at the root & they will return in the reverse of that order.

Date .....

## Control Stack / Run-time Stack

Procedure calls & returns are usually managed by a run-time stack called the control stack.

Activation Record → Each live activation has an activation record (sometimes called frame) on the control block.

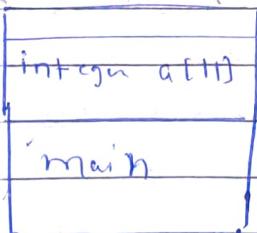
→ Root of activation trees at the bottom content of activation record.

### Content of Activation Records

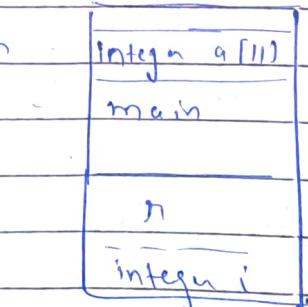
- 1) Actual Parameters → used by calling procedures
- 2) Returned Values → if procedure returns a value
- 3) Control link → pointing to activation of caller
- 4) Access link → used to locate data by called procedure
- 5) Saved Machine Status → state is stored just before calling another procedure.
- 6) Local data → belong to procedure
- 7) Temporaries → arising from evaluating expression.

### Stack

frame for main



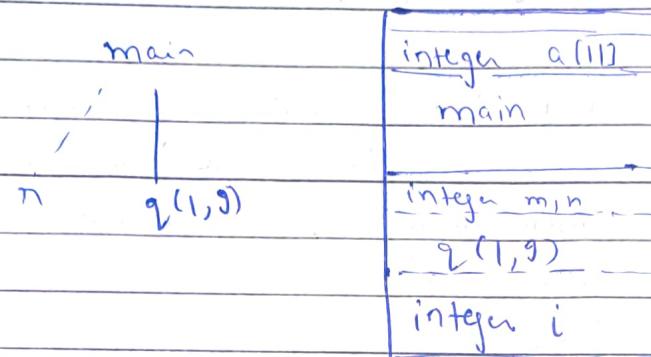
main  
/



n is activated Special

Date .....

c) n has been popped & q(1,9) pushed



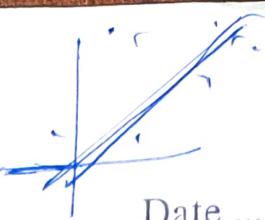
Downward growing stack of activation records

Example → find the Output

```
int f(int x, int *y, int **z) {  
    **z += 1;  
    *y += 2;  
    x += 3;  
    return x + *y + **z;  
}  
int main(){  
    int x, c, *b, **a;  
    c = 4, b = &c, a = &b;  
    x = f(c, b, a);  
    printf ("%d", x);  
    return 0;  
}
```

Ans → 2L

$f(n) = \begin{cases} n & n > 0 \\ 0 & n \leq 0 \end{cases}$   
 ReLu  $\rightarrow$  Rectified Linear Unit



Date .....

Calling Sequence  $\rightarrow$  consists of code that allocates an activation record on the stack.

Return stack  $\rightarrow$  consists of code to restore the state of machine so the calling procedure can continue its execution after call.