




BetterReg: An R package for Useful Regression Statistics

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Summary

Statistics such as squared semi partial correlation, tolerance, and Mahalanobis Distances are useful for reporting the results of OLS Regression (e.g., [Tabachnick et al., 2019](#)). Similarly, values such as the Likelihood Ratio χ^2 (e.g. [Cohen et al., 2015](#)) and Likelihood R^2 ([Menard, 2010](#)).

Squared semipartial correlations sr^2 provide a measure of uniquely explained variances that is on the same scale as R^2 values. R^2 change values quantify how much a set of predictors improves prediction. Comparisons of both dependent and independent regression coefficients provide a significance test addressing whether one coefficient is stronger than another. Tolerance values address multicollinearity by addressing variance unexplained in a predictor. Mahalanobis Distances are a popular measure of multivariate outliers presented on an χ^2 scale. The Likelihood Ratio χ^2 provides a significance test that is more stable than the commonly presented Wald Test for logistic regression. The Likelihood Ratio χ^2 is the most widely recommended Pseudo R^2 statistic for logistic. BetterReg is available on CRAN and GitHub (for developmental versions).

Statement of Need

The statistics provided in this package are not part of base R ([R Core Team, 2021](#)) or popular packages such as *car* ([Fox & Weisberg, 2019](#)). To fill these gaps, I developed BetterReg.

Usage

BetterReg functions require existing regression models (either OLS or Logistic for most statistics), dataset (for some approaches), number of predictors (some functions), and desired amount of output (Mahal function).

part function for squared semipartial correlations

The part function requires an existing LM model and indication of number of predictors.

```
library(BetterReg)
mymodel<-lm(y~x1+x2+x3+x4+x5, data=testreg)
parts(model=mymodel, pred=5)

## Predictor 1: semi partial = 0.032; squared semipartial = 0.001
## Predictor 2: semi partial = 0.307; squared semipartial = 0.094
## Predictor 3: semi partial = 0.268; squared semipartial = 0.072
## Predictor 4: semi partial = 0.134; squared semipartial = 0.018
## Predictor 5: semi partial = 0.241; squared semipartial = 0.058
```

```

37 R2change function for addressing improvement in  $R^2$  between models
38 The R2change function requires two models. Each model must have the same number of rows.
39 R2change(model1=mymodel1, model2=mymodel2)
40
41 ## R-square change = 0.09
42 ## F(2,995) = 54.764, p = 2.73174803699611e-23

43 depbcomp function for comparing dependent regression coefficients
44 The depbcomp function takes requires data and variable names. Dependent coefficients are
45 coefficients from the same regression model.
46 depbcomp(data=testreg,y=y,x1=x1,x2=x2,x3=x3,x4=x4,x5=x5, numpred=5,comps="abs")
47
48 ## Pred 1 vs. Pred 2 : t = 7.004, p = 4.57522908448027e-12
49 ## Pred 1 vs. Pred 3 : t = 6.21, p = 7.79647457704868e-10
50 ## Pred 1 vs. Pred 4 : t = 2.751, p = 0.00604702058333784
51 ## Pred 1 vs. Pred 5 : t = 5.31, p = 1.3508334650858e-07
52 ## Pred 2 vs. Pred 3 : t = 0.681, p = 0.495955077475793
53 ## Pred 2 vs. Pred 4 : t = 4.189, p = 3.05299716290008e-05
54 ## Pred 2 vs. Pred 5 : t = 1.612, p = 0.107363700946729
55 ## Pred 3 vs. Pred 4 : t = 3.444, p = 0.000596991746199649
56 ## Pred 3 vs. Pred 5 : t = 0.891, p = 0.373356929374812
57 ## Pred 4 vs. Pred 5 : t = 2.553, p = 0.0108146623166698

58 indbcomp function for comparing independent regression coefficients
59 The indbcomp function requires data and variable names from two different samples. Indepen-
60 dent coefficients are coefficients from different samples using the same regression model.
61 indbcomp(model1 = model1_2, model2 = model2_2, comps="abs")
62 ## Predictor 1: t = 0.362, p = 0.718
63 ## Predictor 2: t = 0.265, p = 0.792

64 tolerance function for multicollinearity assumptions
65 The tolerance function requires only a model.
66 mymodel<-lm(y~x1+x2+x3+x4+x5, data=testreg)
67 tolerance(model=mymodel)
68
69 ##          x1          x2          x3          x4          x5
70 ## 0.9976977 0.9990479 0.9931082 0.9953317 0.9980628

71 Mahal function for detecting multivariate outliers
72 The Mahal function requires model, predictors, and desired number of values to output.
73 mymodel<-lm(y~x1+x2+x3+x4+x5, data=testreg)
74 Mahal(model=mymodel, pred=5, values=10)
75
76 ##          537          770          342          760          299          982          446          174
77 ## 14.56342 15.03188 15.56224 15.60986 16.52869 16.80958 17.38597 18.11072
78 ##          458          530
79 ## 20.02762 25.09934

```

LRchi function for Logistic Regression Coefficients

The LRchi function takes input for the dependent variable name (y), up to 10 predictors (x1, x2, etc.), and the number of predictors.

```
LRchi(data=testlog, y="dv", x1="iv1", x2="iv2", numpred=2)
```

```
## Predictor: iv1; LR squared 34.09, p= 0
```

```
## Predictor: iv2; LR squared 0.19, p= 0.67
```

Pseudo function for Logistic Regression Effect Size

The Psuedo function takes an existing model as input

```
mymodel<-glm(dv~iv1+iv2+iv3+iv4, testlog,family = binomial())
```

```
pseudo(model=mymodel)
```

```
## Likelihood Ratio R-squared (McFadden, Recommended) = 0.26
```

```
## Cox-Snell R-squared) = 0.301
```

```
## Nagelkerk R-squared = 0.402
```

References

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