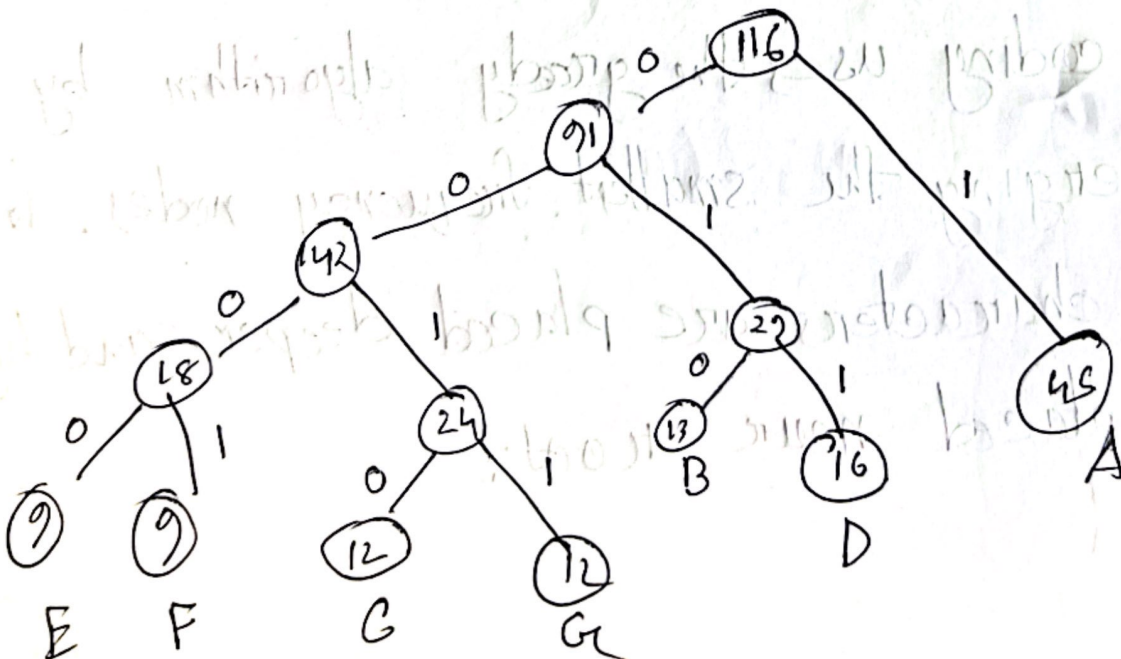


Ans 1

Chan	Freq	code	
A	45	1	$1 \times 45 = 45$
B	13	0110	$3 \times 13 = 39$
C	12	0010	$4 \times 12 = 48$
D	16	011	$3 \times 16 = 48$
E	9	0000	$4 \times 9 = 36$
F	9	0001	$4 \times 9 = 36$
G	12	0011	$4 \times 12 = 48$
$\Sigma = 116$			$\Sigma 300 \text{ bits}$

3 bit encoding $\cdot (116 \times 3) = 348 \text{ bits}$



∴ space saved $(348 - 300) = 48$ bits

	code	ans	node
	<u>Ans: b</u>		
	code for each character		
A = 1	0 1	1	A
B = 010	1 1 0	0 1	B
C = 0010	0 0 1 0	0 0 1	C
D = 011	0 1 1	0 1 1	D
E = 0000	0 0 0 0	0 0 0 0	E
F = 0001	0 0 0 1	0 0 0 1	F
G = 0011	0 0 1 1	0 0 1 1	G

Ans: C - (1111) - probability 1/16

Huffman coding uses the greedy algorithm by always merging the smallest frequency nodes. low frequency characters are placed deeper and high ones are placed near root.

This approach ensures that the tree is built bottom up, prioritizing the combination of the least frequency symbol.

Ans: D

Both of them will generate the same output and will generate same total length. Because Huffman coding optimality depends only on frequency. Among them the first friend's approach is the best.

Ans: 2

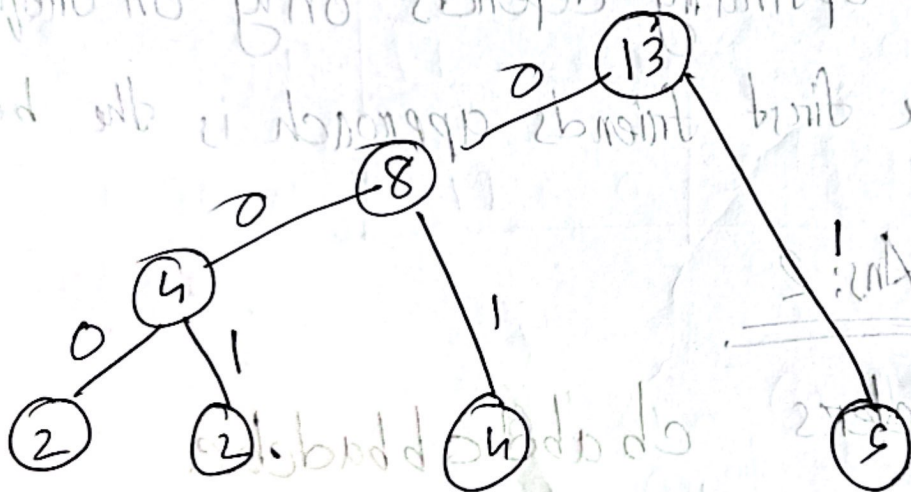
Merged characters

cb abd cbbadcb c

<u>Character</u>	<u>Frequency</u>
a	2
b	5
c	4
d	2
	<u>13</u>

Ans: 2 (ii)

Char	freq	code
a	2	000
b	5	1
c	4	01
d	2	001



Ans: 2 (iii)

a = 000

b = 1

c = 01

d = 001

ans: 2(v)

Encoded msg: ċ b ā b d ċ b b ā d ċ b ċ :

~~0110001000101101~~

011000100101100000101101

ans: 2(v)

For encoded msg = 25 bits

for characters - $(4 \times 8) = 32$ bits

~~∴ code (33)~~

code : 9 bits .