

# **Deep Learning**

**Chapter 6: Modern Convolutional Neural Networks** 

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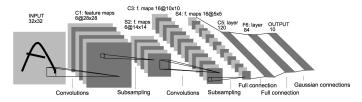
Dense Blocks

DenseNet Model

## From LeNet to AlexNet

## LENET ARCHITECTURE

- Pioneering work on CNNs by Yann Lecun in 1998[?].
- Applied on the MNIST dataset for automated handwritten digit recognition.
- Consists of convolutional, "subsampling" and dense layers.
- Complexity and depth of the net was mainly restricted by limited computational power back in the days.



**Figure:** LeNet architecture: two conv layers with subsampling, followed by dense layers and a 'Gaussian connections' layer.

## LENET ARCHITECTURE

- A neuron in a subsampling layer looks at a 2 × 2 region of a feature map, sums the four values, multiplies it by a trainable coefficient, adds a trainable bias and then applies a sigmoid activation.
- A stride of 2 ensures that the size of the feature map reduces by about a half.
- The 'Gaussian connections' layer has a neuron for each possible class.
- The output of each neuron in this layer is the (squared) Euclidean distance between the activations from the previous layer and the weights of the neuron.

### **ALEXNET**

- AlexNet, which employed an 8-layer CNN, won the ImageNet Large Scale Visual Recognition Challenge 2012 by a phenomenally large margin.
- The network trained in parallel on two small GPUs, using two streams of convolutions which are partly interconnected.
- The architectures of AlexNet and LeNet are very similar, but there are also significant differences:
- First, AlexNet is much deeper than the comparatively small LeNet5. AlexNet consists of eight layers: five convolutional layers, two fully-connected hidden layers, and one fully-connected output layer.
- Second, AlexNet used the ReLU instead of the sigmoid as its activation function.

## **ALEXNET**

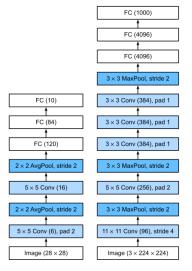


Figure: From LeNet (left) to AlexNet (right).

# **Networks Using Blocks (VGG)**

## **VGG BLOCKS**

- The block composed of convolutions with 3x3 kernels with padding of 1 (keeping height and width) and 2x2 max pooling with stride of 2 (halving the resolution after each block).
- The use of blocks leads to very compact representations of the network definition.
- It allows for efficient design of complex networks.

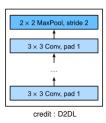


Figure: VGG block.

### **VGG NETWORK**

- Architecture introduced by Simonyan and Zisserman, 2014 [?] as "Very Deep Convolutional Network".
- A deeper variant of the AlexNet.
- Basic ide is to have small filters and Deeper networks
- Mainly uses many convolutional layers with a small kernel size 3x3.
- Stack of three 3x3 conv (stride 1) layers has same effective receptive field as one 7x7 conv layer.
- Performed very well in the ImageNet Challenge 2014.
- Exists in a small version (VGG16) with a total of 16 layers and a larger version (VGG19) with 19 layers.

## **VGG NETWORK**

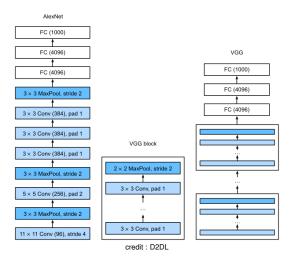


Figure: From AlexNet to VGG that is designed from building blocks.

## **Network in Network (NiN)**

## **NIN BLOCKS**

- The NiN block consists of one convolutional layer followed by two 1×1 convolutional layers that act as per-pixel fully-connected layers with ReLU activations.
- The convolution window shape of the first layer is typically set by the user. The subsequent window shapes are fixed to 1×1.

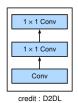


Figure: NiN block.

## **NETWORK IN NETWORK (NIN)**

- NiN uses blocks consisting of a convolutional layer and multiple 1×1 convolutional layers. This can be used within the convolutional stack to allow for more per-pixel nonlinearity.
- NiN removes the fully-connected layers and replaces them with global average pooling (i.e., summing over all locations) after reducing the number of channels to the desired number of outputs (e.g., 10 for Fashion-MNIST).
- Removing the fully-connected layers reduces overfitting. NiN has dramatically fewer parameters.
- The NiN design influenced many subsequent CNN designs.

## **NETWORK IN NETWORK (NIN)**

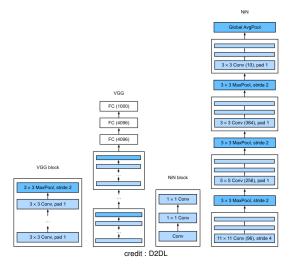


Figure: Comparing architectures of VGG and NiN, and their blocks.

# Networks with Parallel Concatenations (GoogLeNet)

## **INCEPTION MODULES**

- The Inception block is equivalent to a subnetwork with four paths.
- It extracts information in parallel through convolutional layers of different window shapes and max-pooling layers.
- 1×1 convolutions reduce channel dimensionality on a per-pixel level. Max-pooling reduces the resolution.

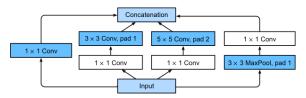


Figure: Inception Block.

## **GOOGLENET ARCHITECTURE**

- GoogLeNet connects multiple well-designed Inception blocks with other layers in series.
- The ratio of the number of channels assigned in the Inception block is obtained through a large number of experiments on the ImageNet dataset.
- GoogLeNet, as well as its succeeding versions, was one of the most efficient models on ImageNet, providing similar test accuracy with lower computational complexity.

## **GOOGLENET ARCHITECTURE**

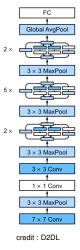


Figure: The GoogLeNet architecture.

# **Residual Networks (ResNet)**

- Problem setting: theoretically, we could build infinitely deep architectures as the net should learn to pick the beneficial layers and skip those that do not improve the performance automatically.
- But: this skipping would imply learning an identity mapping x = F(x). It is very hard for a neural net to learn such a 1:1 mapping through the many non-linear activations in the architecture.
- Solution: offer the model explicitly the opportunity to skip certain layers if they are not useful.
- Introduced in [He et. al, 2015] and motivated by the observation that stacking evermore layers increases the test- as well as the train-error (≠ overfitting).

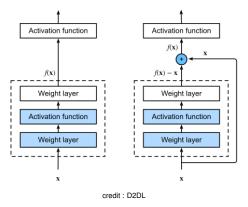
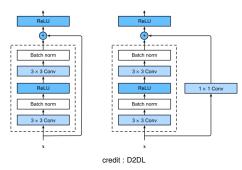


Figure: A regular block (left) and a residual block (right).



**Figure:** ResNet block with and without 1×1 convolution. The information flows through two layers and the identity function. Both streams of information are then element-wise summed and jointly activated.

- Let  $\mathcal{H}(\mathbf{x})$  be the optimal underlying mapping that should be learned by (parts of) the net.
- x is the input in layer / (can be raw data input or the output of a previous layer).
- $\mathcal{H}(\mathbf{x})$  is the output from layer *l*.
- Instead of fitting  $\mathcal{H}(\mathbf{x})$ , the net is ought to learn the residual mapping  $\mathcal{F}(\mathbf{x}) := \mathcal{H}(\mathbf{x}) \mathbf{x}$  whilst  $\mathbf{x}$  is added via the identity mapping.
- Thus,  $\mathcal{H}(\mathbf{x}) = \mathcal{F}(\mathbf{x}) + \mathbf{x}$ , as formulated on the previous slide.
- ullet The model should only learn the **residual mapping**  $\mathcal{F}(\mathbf{x})$
- Thus, the procedure is also referred to as Residual Learning.

- The element-wise addition of the learned residuals \( \mathcal{F}(\mathbf{x}) \) and the identity-mapped data \( \mathbf{x} \) requires both to have the same dimensions.
- To allow for downsampling within  $\mathcal{F}(\mathbf{x})$  (via pooling or valid-padded convolutions), the authors introduce a linear projection layer  $W_s$ .
- $W_s$  ensures that  $\mathbf{x}$  is brought to the same dimensionality as  $\mathcal{F}(\mathbf{x})$  such that:

$$y = \mathcal{F}(\mathbf{x}) + W_{s}\mathbf{x},$$

- y is the output of the skip module and  $W_s$  represents the weight matrix of the linear projection (# rows of  $W_s$  = dimensionality of  $\mathcal{F}(\mathbf{x})$ ).
- This idea applies to fully connected layers as well as to convolutional layers.

### RESNET ARCHITECTURE

- The residual mapping can learn the identity function more easily, such as pushing parameters in the weight layer to zero.
- We can train an effective deep neural network by having residual blocks.
- Inputs can forward propagate faster through the residual connections across layers.
- ResNet had a major influence on the design of subsequent deep neural networks, both for convolutional and sequential nature.

## **RESNET ARCHITECTURE**

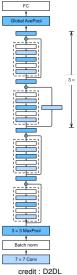


Figure: The ResNet-18 architecture.

# **Densely Connected Networks (DenseNet)**

- ResNet significantly changed the view of how to parametrize the functions in deep networks.
- DenseNet (dense convolutional network) is to some extent the logical extension of this [Huang et al., 2017].
- Dense blocks where each layer is connected to every other layer in feedforward fashion.
- Alleviates vanishing gradient, strengthens feature propagation, encourages feature reuse.
- To understand how to arrive at it, let us take a small detour to mathematics:
  - Recall the Taylor expansion for functions. For the point x = 0 it can be written as:

$$f(x) = f(0) + f'(0)x + \frac{f''(0)}{2!}x^2 + \frac{f'''(0)}{3!}x^3 + \dots$$

- The key point is that it decomposes a function into increasingly higher order terms. In a similar vein, ResNet decomposes functions into: f(x) = x + g(x).
- That is, ResNet decomposes f into a simple linear term and a more complex nonlinear one. What if we want to capture (not necessarily add) information beyond two terms? One solution was DenseNet [Huang et al., 2017].

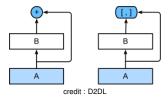


Figure: DensNet Block.

As shown in previous Figure, the key difference between ResNet and DenseNet is that in the latter case outputs are concatenated (denoted by [,]) rather than added. As a result, we perform a mapping from x to its values after applying an increasingly complex sequence of functions:

$$\mathbf{x} \to [\mathbf{x}, f_1(\mathbf{x}), f_2([\mathbf{x}, f_1(\mathbf{x})]), f_3([\mathbf{x}, f_1(\mathbf{x}), f_2([\mathbf{x}, f_1(\mathbf{x})])]), \ldots].$$

In the end, all these functions are combined in MLP to reduce the number of features again. In terms of implementation this is quite simple: rather than adding terms, we concatenate them. The name DenseNet arises from the fact that the dependency graph between variables becomes quite dense. The last layer of such a chain is densely connected to all previous layers.

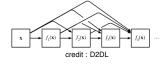


Figure: The DensNet architecture.

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