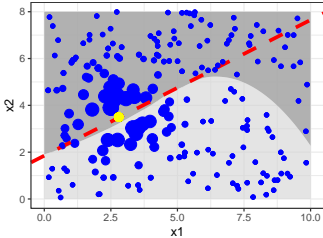


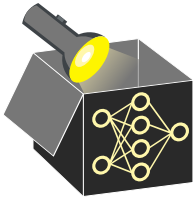
Interpretable Machine Learning

LIME Pitfalls



Learning goals

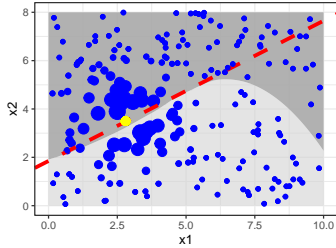
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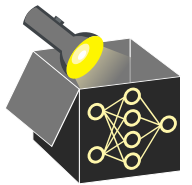
Local Explanations: LIME

LIME Pitfalls



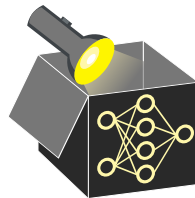
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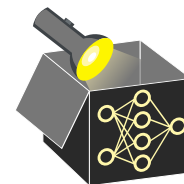
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 - **Locality definition** – kernel width and distance metrics affect sensitivity
 - **Local vs. global features** – global signals may overshadow local ones
 - **Faithfulness** – trade-off between sparsity and local accuracy
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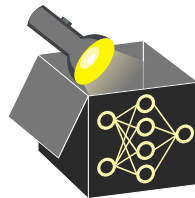
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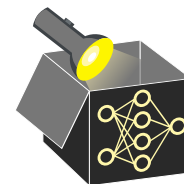
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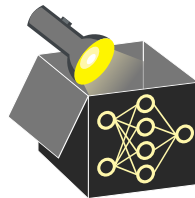
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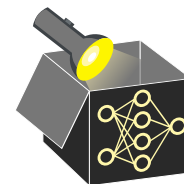
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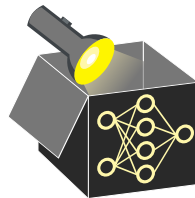
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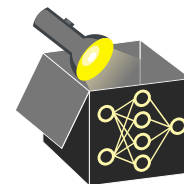
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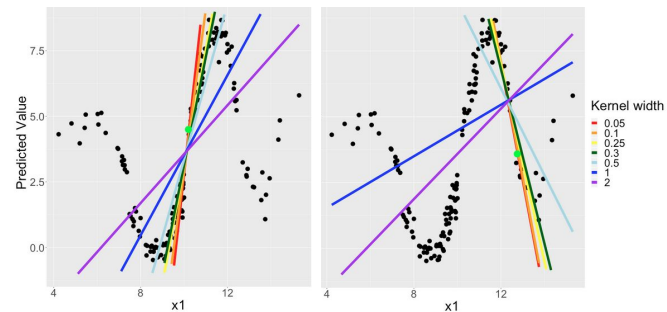
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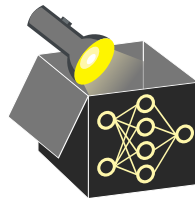
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Line colors: different kernel widths used for proximity weighting

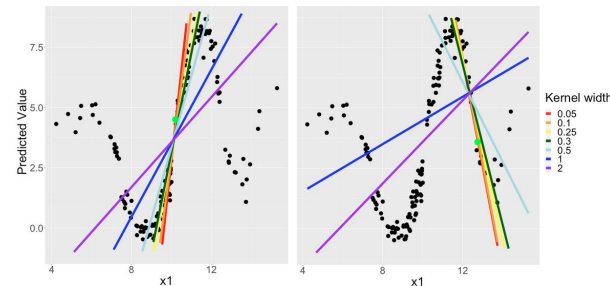
Right: larger kernel widths affect lines more



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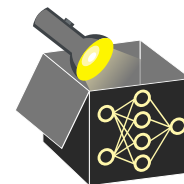
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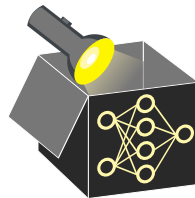
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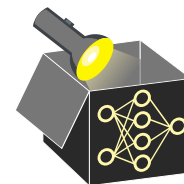
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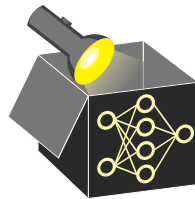
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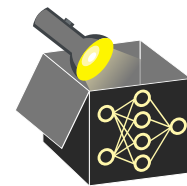
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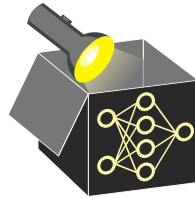
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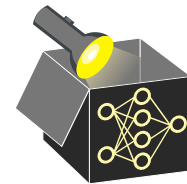
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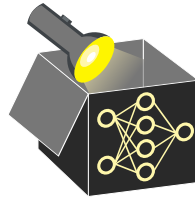
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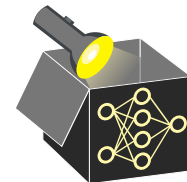
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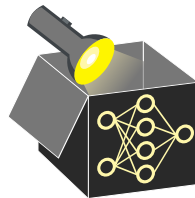
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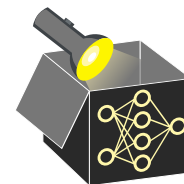
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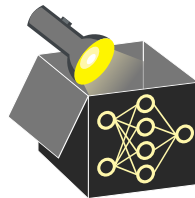
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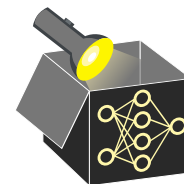
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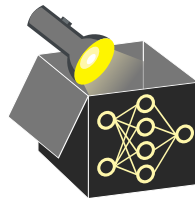
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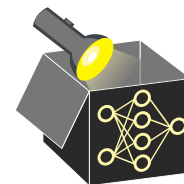
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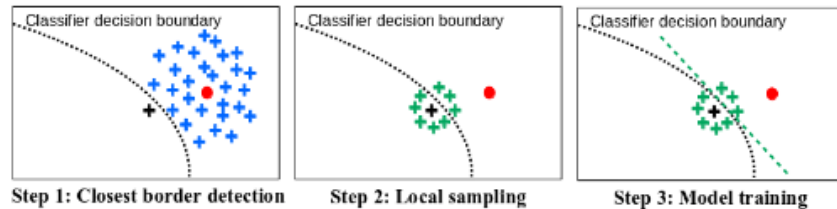


PITFALL: LOCAL VS. GLOBAL FEATURES ► Laugel et al. 2018

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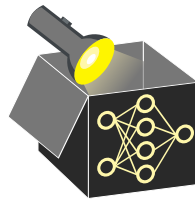
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- Step 1: Find closest point to \mathbf{x} (red dot) from opposite class (black cross)
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 \rightsquigarrow better approximates the local direction of the decision boundary



Example: \mathbf{x} (red point), closest point from other class (black cross)

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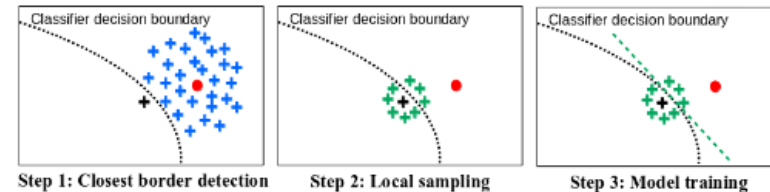


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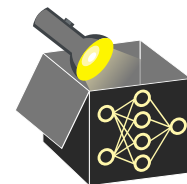
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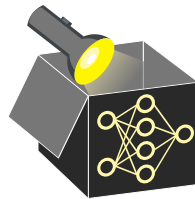
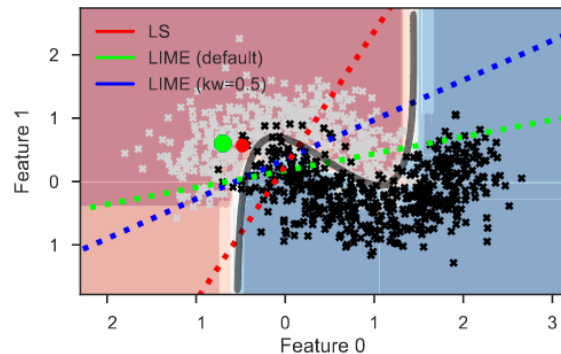
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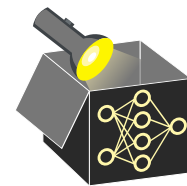
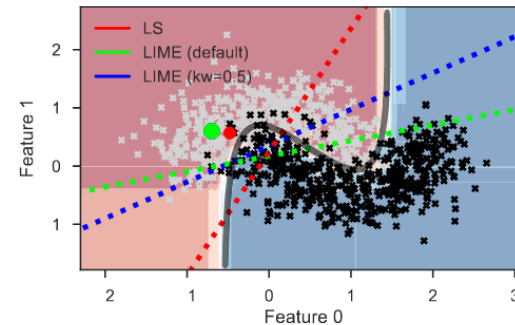
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- Random forest (RF) classification on half-moons dataset
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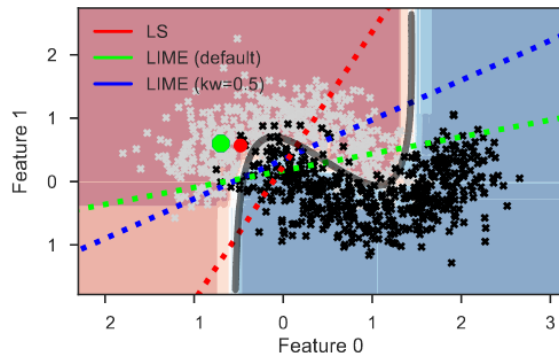
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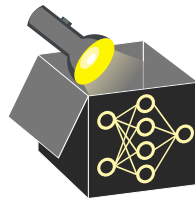
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Feature 0 is global; class always flips when moving left (red) to right (blue)

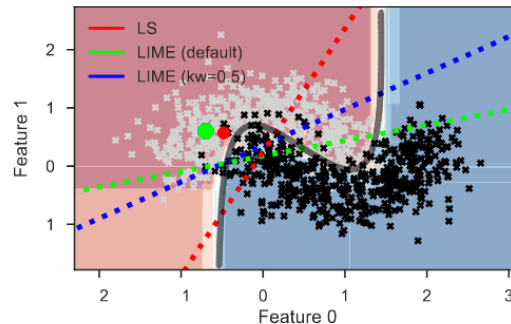
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PITFALL: LOCAL VS. GLOBAL FEATS – EXAMPLE

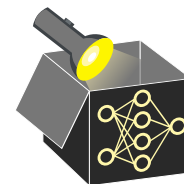
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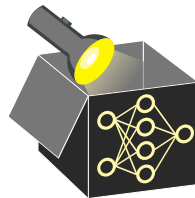
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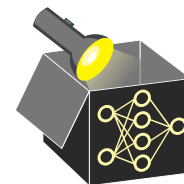
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- Too simple model \rightsquigarrow low fidelity \rightsquigarrow unreliable explanations
- Complex model \rightsquigarrow high fidelity \rightsquigarrow difficult to interpret surrogate

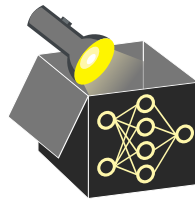
- **Example: Credit data**

- Random forest prediction for \mathbf{x} : $\hat{f}(\mathbf{x}) = \hat{\mathbb{P}}(y = \text{bad} \mid \mathbf{x}) = 0.143$
- Sparse LM with 3 features (age, checking.account, duration):

$$\hat{g}_{lm}(\mathbf{x}) = \hat{\theta}_0 + \hat{\theta}_1 x_{age} + \hat{\theta}_2 x_{checking.account} + \hat{\theta}_3 x_{duration} = 0.283$$

- Generalized additive model (with all 9 features) is more complex:

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PITFALL: FAITHFULNESS

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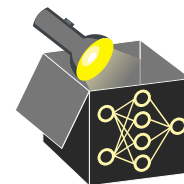
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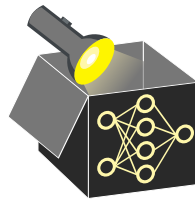
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PITFALL: HIDING BIASES

► Slack et al. 2020

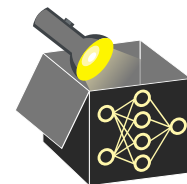
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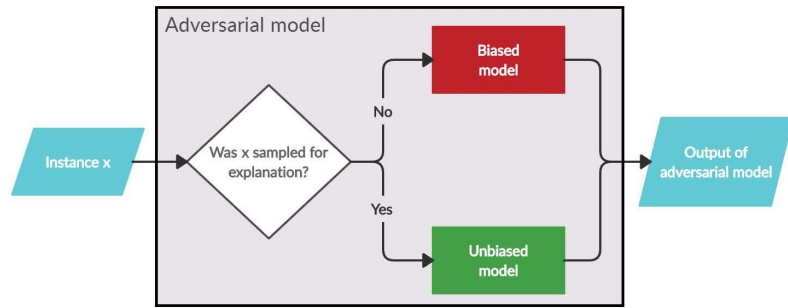
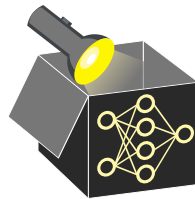


Image Source: ► Vres, Sikonja (2021)



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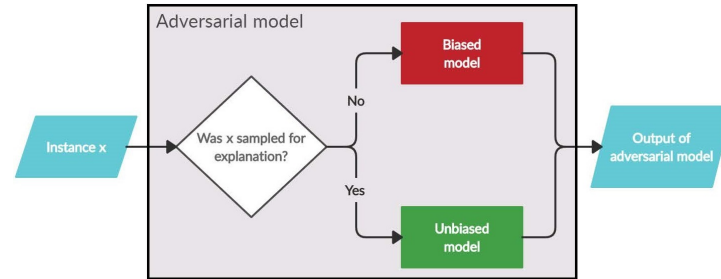
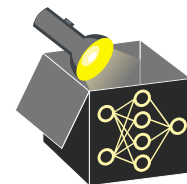


Image Source: ► Sikonja 2021

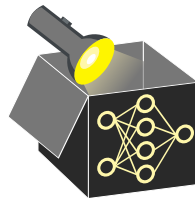


PITFALL: HIDING BIASES ▸ Slack et al. 2020

Key insight: LIME can be fooled if explanations rely on model behavior outside the true data manifold.

Example: Credit approval

- Biased model uses features correlated with gender (parental leave duration)
~> used to make biased/unfair predictions
- Unbiased model uses only features unrelated to gender for fairness
~> used to produce explanations based on unbiased predictions to hide bias
- LIME's extrapolated samples trigger the unbiased model
⇒ explanation appears fair, but original predictions are biased

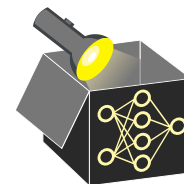


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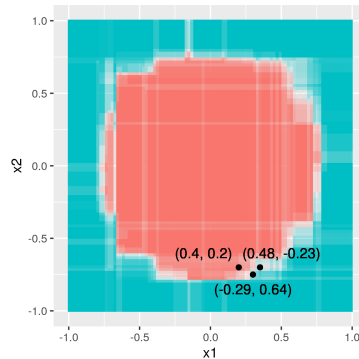
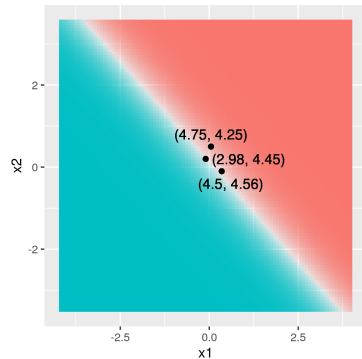
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PITFALL: ROBUSTNESS

► Alvarez-Melis, D., & Jaakkola, T. 2018

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- **Observation:** Explanations of two very close points could vary greatly
 \rightsquigarrow Variability driven by the stochastic sampling of \mathbf{z} for each explanation
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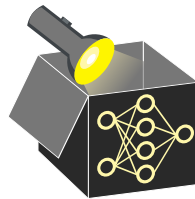


Linear task (logistic regression).

LIME returns similar coefficients for similar points.

Nonlinear task (random forest).

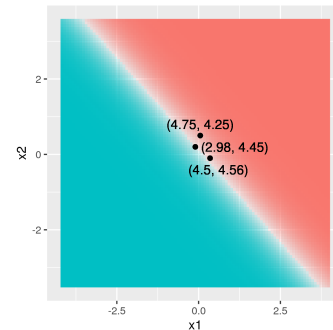
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PITFALL: ROBUSTNESS

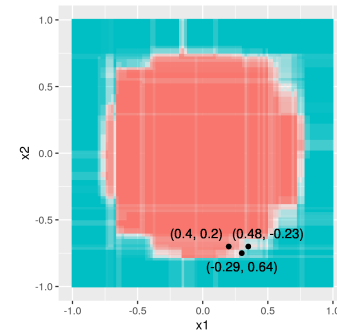
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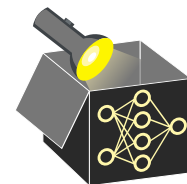
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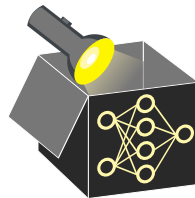
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PITFALL: DEFINITION OF SUPERPIXELS

► Achanta et al. 2012

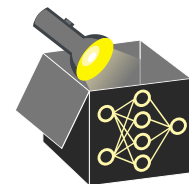
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► ACHANTA_2012

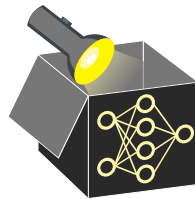
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