Exercise 3

1. Revmutation

formula:
$$p_r^n = \frac{n!}{(n-r)!}$$

n = amount

r = how you want it arranged.

$$p_{4} = \frac{8!}{(4-8)!} = \frac{8!}{8!} = \frac{8:7.6.5.41}{9:7.6.5.41} = \frac{1680}{1680}$$

2. combination

n = amount

v = items vandomly setore selected

$$C_{4}^{7} = \frac{7!}{4!(4-4)!} = \frac{7!}{(4-4)!} = \frac{7!}{3!} = \frac{7!}{35}$$

3. combination

formula:
$$C_{r}^{n} = \frac{n!}{(n-r)! r!}$$

$$C_3^{10} = \frac{10!}{(10-3)!3!} = \frac{10!}{7!3!} = \frac{10 \cdot 9 \cdot 8 \cdot 7!}{7!3 \cdot 2} = \frac{720}{6} = 120$$

$$C_{2}^{15} = \frac{15!}{(15-2)! \, 2!} = \frac{15!}{13! \, 2!} = \frac{15 \cdot 14 \cdot 13!}{13! \, 2} = \frac{15 \cdot 14}{2} = \frac{210}{2} = 105$$

$$C_{5}^{25} = \frac{25!}{(25-5)!5!} = \frac{25!}{20!5!} = \frac{25 \cdot 24 \cdot 23 \cdot 22 \cdot 21 \cdot 20!}{20!5!4 \cdot 3 \cdot 2 \cdot 1} = 53 \cdot 130$$

$$P = \frac{120 \times 105}{53130} = \frac{12600}{53130} = 0.2372 \approx 23.72\%$$

1.
$$Q_1 = 18$$
 Thean: $Q_1 + 2Q_2 + Q_3$ $18 + 60 + 4$
 $Q_2 = 30$ 4
 $Q_3 = 42$ $= 30$

2. GM:
$$\left(\prod_{i=1}^{n} |1+9i|\right)^{\frac{1}{n}}$$

$$= (1.05) \cdot (1.10) \cdot (0.97) \cdot (1.06)$$

$$= \sqrt{1.05 \times 1.10 \times 0.97 \times 1.66}$$

$$= 1.044 - 1 = 0.044 = 4.47, \text{ Per year.}$$

3.
$$68, 70, 72, 75, 80, 85, 90, 92, 100$$

$$70 + 72 + 75 + 80 + 85 + 90 + 92$$

$$8$$

$$10% = 82.575$$

forma

SD
$$\int \frac{1}{n} \sum_{i=1}^{n} (x_i - \overline{x})^2$$
 -7 use n tor regular SD (Population)

when n-1 for t-test (sample)

xi = every of the data

又 = wear of every all anta.

1.

2

Group A

min : 7

25th : 9

50th : 13

75th: 15

Max: 16

Exercise 7

1. ONE Way ANOVA = F-Table

1) Make the hypothsis

Ho: All means for different fertilizers are the same

HI: There is at least one difference

1) Find wear for A, B & C

$$\overline{X}_{a}$$
: 15. 4 \overline{X} : 10.53

(5) Crit Value

dto Adte = Zaiz

C = 28 3.8853

If F value is far value is far beyond he crit val, reject Ho.

3) sum of squares

SST =
$$\mathcal{E}(\vec{x}_{ij} - \vec{x})^2$$

All the data minus w overall mean tos u squared & add

(15-19.53)2+.... (24-19.53)2= +

exercell mean - overall mean tro squared

\$ = 3 [(15.4-19.53) + |20.4-19.53)2+ (26-19.53) = b

(4) degree of freedom

 $7 MSB = \frac{b}{dfb} = mb$ $7 MSE = \frac{e}{dfe} = me$ $7 MSE = \frac{e}{dfe} = me$

2. Chi-squared

1) Make hypothesis

Ho: He observed matches expected

H1 = observed does not match expectation

2) formula:

$$\chi^2 \cdot \sum \frac{(0i_5 - \epsilon i_5)^2}{}$$

$$\chi^{2} \cdot \sum \frac{(0i_{3} - Ei_{3})^{2}}{Ei_{3}} \quad 0: \text{ observed}$$

$$\chi^{2} \cdot \sum \frac{(0i_{3} - Ei_{3})^{2}}{Ei_{3}} \quad E: \text{ expected}$$

$$\xi_{i_{3}} = \sum_{i_{3}} \mathbb{E} \mathbb{R} \times \mathbb{E} \mathbb{C} - \text{ column}$$

$$\chi^{2} \cdot \sum_{i_{3}} \mathbb{E} \mathbb{R} \times \mathbb{E} \mathbb{C} - \text{ column}$$

$$\chi^{2} \cdot \sum_{i_{3}} \mathbb{E} \mathbb{R} \times \mathbb{E} \mathbb{C} - \text{ column}$$

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$$\chi^{2} \cdot \sum_{i_{3}} \mathbb{E} \mathbb{E} \mathbb{R} \times \mathbb{E} \mathbb{E} \times \mathbb{E} \times \mathbb{E} \mathbb{E} \times \mathbb$$

$$\chi^{2} = \left(\frac{10 - \frac{1200}{90}}{\frac{1200}{90}}\right)^{2} + \dots + \left(\frac{10 - \frac{500}{50}}{\frac{500}{90}}\right)^{2} = \chi^{2}$$
degree of freedom test some

3 degree of freedom

$$df = (Y-1)(C-1) = (3-1)(3-1) = (2)(2) = 4$$

row column

Crit val by thi-squared table

C = 9.488

is χ^2 is more than the the crit val, reject to.

ga failure

$$\overline{X} = \frac{78 + 82 + 85 + 90 \dots 75 + 80}{6 \times 3} =$$

$$\overline{X}_{R1} = \frac{78 + 82 + 85 + 90 + 88 + 92}{6}$$
 $\overline{X}_{R2} = \frac{78 + 82 + 85 + 90 + 88 + 92}{6}$
 $\overline{X}_{R3} = \frac{78 + 82 + 85 + 72 + 72 \dots 168}{6}$
 $\overline{X}_{R3} = \frac{78 + 82 + 85 + 90 + 88 + 92}{6}$
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$$I \rightarrow \sum n_{ij} \left(\overline{x_{i}} - \overline{x} \right)^{2} + \left(\overline{x_{i}} - \overline{x} \right)^{2} + \left(\overline{x_{i}} - \overline{x} \right)^{2}$$

+...
$$3\left(\frac{78+75+80}{3}-\frac{1}{X_{Fis}}-\frac{1}{X_{Ciz}}+\frac{1}{X}\right)^2 =$$

SSE:
$$\sum (X_{15}A - \overline{X_0})^2$$

= $(78 - \frac{78 + 82 + 85}{3})^2 + (62 - \frac{78 + 82 + 85}{3})^2 + \dots \left(80 - \frac{78 + 15 + 15}{3}\right)^2$

Crit val
$$\frac{k_R}{2} = \frac{dfR}{2} + \frac{dfe}{12} = 3.89$$

$$F_{R} = \frac{MSBR}{MSE}$$

$$Compare$$

$$Landrone$$

$$Strong one Th$$

Exercise 4

1. Percentage returns.

2.

$$\frac{4}{52}$$
 * $\frac{1}{2}$ = $\frac{4}{104}$ = $\frac{2}{52}$

4.

h = humb of experiments

x = numb of success

P = Probability of Success

9 = Puobability of fail (1 - P)

$$C_3^5 \cdot \left(\frac{1}{2}\right)^3 \left(\frac{1}{2}\right)^{5-5}$$

$$=\frac{5!}{3!2!} \cdot \frac{1}{8} \cdot \frac{1}{4} = \frac{10}{32} = \frac{5}{16}$$