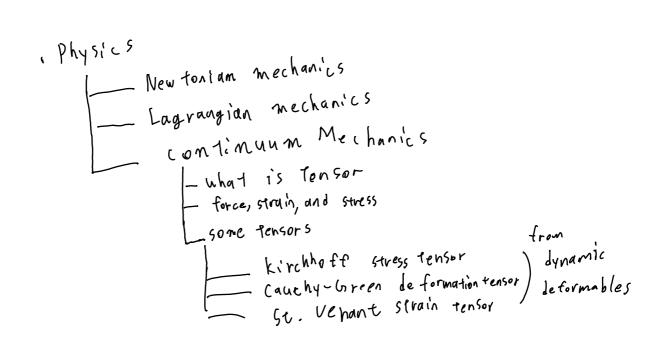


, position based method Efficient simulation Interactive simulation of In extensible cloth(2007) of Elastic Deformable Materials ·fast projection (2006) , constraints with the phisically-based compliant constraint formulation Strain based Dynamics (2014) . The constraints from strain tensor · Decoupling stretch from shear resistance XPBD has an advantage aggin st to Strain based Dyn. X PBD (2017 · Physicall - based comst raints , total lagrange multiplier t



Numerical Integration

The linear solvers

Newton's method

Levative solver and what is global solver

Terative facobi type

Grawss seidel type

Global

Misc. topics

Lagrange Multiplier

LV decomposition

Schur decomposition

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Verlet's integration

Verlet's integration

Explicit/Implicit euler scheme

constrained Dynamics Column

shape matching Newton, Euler, Lagrangian

Interpret the papers Jacobi, Newton-kaphthon, Newton-Euler

Position Based Dynamics Jacobian

Lange steps in Cloth Simulation (1998)

Advanced Character Physics (2001)

Advanced Character Physics (2001)

H versetile and Robast Model for Geometrically complex beformable solids (2004)

Position Rased Dynamics (2006)
· Numerical physics
                       - Geometric, Variational Integrators for

Computer Animation (2006)

Interactive simulation of Elastic Deformable

Materials (2006)

Efficient simulation of Inextensible Cloth (2001)

XPBD (2017)

Small steps in Physics simulation (2018)
                               Projective Dynamics
```

Projective bymanics

Example-Based Elastic Muterials 12.11)

Fast simulation of Mass-Spring System (2013)

Projective by namics

ADMM 2 Projective bymamics

Post XPBD

```
XPBD P.3.
              M(x^{n+1} - \bar{\chi}) - \nabla C(x^{n+1})^{7} 2^{n+1} = 0 \dots \infty
                     ((xn11) + 22n-1 = 0
           Let 2n1 = 2n+bx, 2n1 = 2n+b2 ... B
and from M(x^{n}+Dx-\overline{x})-\overline{C}(x^{n+1})^{T}(x^{n}+D\overline{x})=0
    M\Delta x - \nabla C \left( \frac{X^{n+1}}{T^{n-2}} \right)^{T} x^{n} + \nabla C \left( \frac{X^{n+1}}{T^{n-2}} \right)^{T} \Delta z = -M \left( \frac{X^{n-2}}{T^{n-2}} \right)
y M<sub>Δx</sub> - {∇c (x<sup>n</sup>+1) - ∇c (x<sup>n</sup>) } 2<sup>n</sup> - ∇c (x<sup>n</sup>) 2<sup>n</sup>
                    -\left\{\nabla c\left(\mathbf{x}^{n+1}\right)-\nabla c\left(\mathbf{x}^{n}\right)\right\}\Delta\lambda-\nabla c\left(\mathbf{x}^{n}\right)\Delta\lambda^{m}=-M(\mathbf{x}^{n}-\mathbf{x}^{n})\right\}
         M\Delta x - V_{c}(x^{n})\Delta x^{n} - (V_{c}(x^{n})) - V_{c}(x^{n}))(x^{n} + \Delta x^{2}) = -g(x,x)
     -\frac{\int C(x)}{\int \Delta x - \nabla c(x^n) \Delta z^n - \frac{\partial C(x)}{\partial x}(z^n + \Delta z) \Delta z} = -\frac{g(x, z)}{2}
     -\left(\left(\frac{1}{1}\right)^{2}\right)^{2}\Delta x - \nabla_{c}\left(\left(\frac{1}{1}\right)^{2}\right)^{2} - \frac{\partial_{c}\left(\frac{1}{1}\right)}{\partial x}^{2} + \frac{\partial_{c}\left(\frac{1}{1}\right)}{\partial x}^{2} + \frac{\partial_{c}\left(\frac{1}{1}\right)}{\partial x}^{2} - \frac{\partial_{c}\left(\frac{1}{1}\right)}{\partial x}^{2}
                                                                                                     drop (: Drsx<1)
  \frac{1}{\left(M - \frac{\partial C(x)}{\partial x}\right) \Delta x} - \nabla c \left(x^{n} \Delta z^{n}\right) = -9 \left(x_{1} z\right) \dots G
                         K = 32 and from, 3 into 2,
                     ((x"+Dx)+~(2"+D2)
                                                                                                                                 ~ D ~ - 0
                        ((xn+0x)-c(xn)+((xn)+ 202 - -
                             \nabla(x_i)\Delta x | finally, \left[\begin{array}{c} |x - \nabla C^{\tau}(x_i)| \\ \nabla C(x_i) & 2 \end{array}\right] \left[\begin{array}{c} \Delta x \\ \Delta z \end{array}\right] = -\left[\begin{array}{c} \vartheta(x_i,\lambda_i) \\ h(x_i,\lambda_i) \end{array}\right]
```