## Capacitor and Capacitance

1. use capacitance for a parallel plate capacitor.

$$C = \epsilon_0 \frac{A}{d}$$

2. Energy density,  $u = \frac{1}{2} \epsilon_0 E^2$ 

and. 
$$E = \frac{V}{d}$$
 or,  $E = K \frac{Q}{r^2}$  and  $V = K \frac{Q}{r}$ 

3. Q: unchanged - no way to leave the charge

C: de decreaces C: Encreases as separation increased.

E; unchanged, independent of separation

 $V: voltage increases as, <math>C = \frac{Q}{V}$ 

U: energy increases, as,  $U = \frac{1}{2} \frac{Q^2}{r^2}$ 

4. Q: Lecreases - would fill by battery

c: decreases-

V: voltage unchanged, as connected with battery

U: decreases, as a and c

E: decreases, as E= J

5. Use energy,  $U = \frac{1}{2} \frac{Q^2}{C}$  and capacitance,  $C = 2\pi 6 \frac{L}{ln(4a)}$ 

6. Energy =  $100 \times 10^3 \text{W}$  and 1 hour  $U = \frac{1}{2} \text{QV}$ Potential difference = 1000 V.  $U = \frac{1}{2} \text{QV}$ 

Find  $C = \frac{49}{\text{AV}}$  and use  $C = 60 \frac{\text{A}}{\text{A}}$ 

$$\frac{8}{4} u = \frac{1}{2} \left( \frac{V}{d} \right)^2$$

10, for parallel connection charge relation, 
$$Q = Q_1 + Q_2$$
  
and,  $V = \frac{Q_1}{C} = \frac{Q_2}{2C}$  then,  $Q_1 = \frac{Q}{3}$ .