

SOC 5050: Lab-02

Standard Deviation by Hand

| x_i | \bar{x} | $x - \bar{x}$ | $(x - \bar{x})^2$ | $s^2 = \frac{\sum (x_i - \bar{x})^2}{n-1}$ |
|--|-----------|---------------|-------------------|--|
| 587000 | 666100 | -79100 | 6,256,810,000 | $s^2 = \frac{15,427,760,000}{9-1}$ |
| 706600 | 666100 | 40500 | 1,640,250,000 | |
| 625300 | 666100 | -40800 | 1,664,640,000 | |
| 680000 | 666100 | 13900 | 192,100,000 | $s^2 = \frac{19,284,700,000}{9-1}$ |
| 634000 | 666100 | -32100 | 1,030,410,000 | |
| 700000 | 666100 | 33900 | 1,149,210,000 | |
| 722000 | 666100 | 55900 | 3,124,810,000 | $s = \sqrt{s^2}$ |
| 657000 | 666100 | -9100 | 82,810,000 | |
| 683000 | 666100 | 16900 | 285,410,000 | |
| $\sum (x - \bar{x}) = 0$ $\sum (x - \bar{x})^2 = 15,427,760,000$ | | | | $s = \sqrt{1,928,470,000}$ |
| $n = 9$ | | | | $s = 43,914.35$ |
| $\bar{x} = 666100$ | | | | |

$$\bar{x} = \frac{\sum x_i}{n}$$

$$\bar{x} = \frac{587000 + 706600 + 625300 + 680000 + 634000 + 700000 + 722000 + 657000 + 683000}{9}$$

$$\bar{x} = \frac{5994900}{9}$$

$$\bar{x} = 666100$$