单纯性法实验报告

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- 1)调用 Getdata()函数:根据输入构造线性规划模型
- 2)调用 Dea1()函数,将线性规划标准化:统一转化成 max 问题并添加松弛变量
- 3)调用 Base()函数:逐列匹配单位矩阵的列与约束条件系数矩阵的列,判断原约束条件矩阵是否存在单位阵
 - i)不存在单位阵则添加人工变量并将人工变量加入基向量,根据原变量和人工变量得到 初始基变量,进行两阶段单纯性法
 - ii)存在单位阵,则直接根据原变量构造初始基变量,进行一次单纯性法即可
- 4)得到基向量后,调用 simplex 进行单纯性法
 - 计算检验值,根据检验值选择换入变量
 - 1)如果所有检验值都不大于0
 - i)检查检验值,如果检验值中 0 的个数多余约束条件个数,返回 3
 - ii) 0的个数等于约束条件个数,返回1
 - 2)有检验值大于 0,选作换入变量,根据 \mathbf{b}_{i}/A_{ii} 选择换出变量
 - i)如果所有 A_{ij} 都不大于0,返回2
 - ii)选择出合适的换入变量

进行基变量的变换,并更新单纯性表

重复上述步骤直到结束

- 1.一次单纯性法:直接调用 simplex,根据 simplex 返回值判断解情况并输出
- 2. 二次单纯性法:

更改目标函数系数,进行一次单纯性法计算,结束后,判断人工变量是 否全0,

- i)不全0则为情况4,直接结束
- ii)全0,进行二阶段
- 5)根据 simplex 返回值进行情况判断,进行输出

case1:唯一最优解

case2:无界解

case3: 无穷多最优解

case4:无解

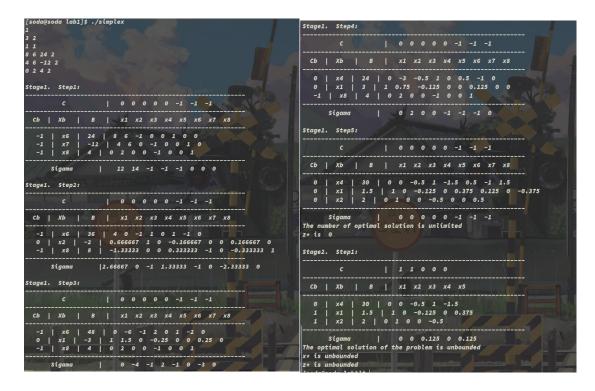
测试结果:

1a)

```
[soda@soda lab1]$ ./simplex
                                                              Stage1. Step3:
                                                                    C | 0 0 0 0 -1 -1
                                                               Cb | Xb | B | x1 x2 x3 x4 x5 x6
                                                               0 | x1 | 0.5 | 1 0 -0.8 0.2 0.8 -0.2
0 | x2 | 0 | 0 1 0.6 -0.4 -0.6 0.4
Stagel. Step1:
   С
                 | 0000-1-1
                                                              Sigama | 0 0 0 -1 -1
The number of optimal solution is unlimited
z* is -0
 Cb | Xb | B | x1 x2 x3 x4 x5 x6
 -1 | x5 | 1 | 2 1 -1 0 1 0
-1 | x6 | 1.5 | 3 4 0 -1 0 1
                                                              Stage2. Step1:
                                                                C | -6 -4 -0 -0
    Sigama | 5 5 -1 -1 0 0
Stage1. Step2:
 c | 0 0 0 0 -1 -1
                                                                -6 | x1 | 0.5 | 1 0 -0.8 0.2
-4 | x2 | 0 | 0 1 0.6 -0.4
 Cb | Xb | B | x1 x2 x3 x4 x5 x6
 0 | x1 | 0.5 | 1 0.5 -0.5 0 0.5 0
-1 | x6 | 0 | 0 2.5 1.5 -1 -1.5 1
                                                              Sigama | 0 0 -2.4 -0.4
The optimal solution of the problrm is
x* = [0.5 0 0 0 ]
  Sigama | 0 2.5 1.5 -1 -2.5 0
```

1b)

```
[soda@soda lab1]$ ./simplex
2 2
4 8
2 2 10 1
-1 1 8 2
Stage1. Step1:
      C | 0 0 0 0 -1
Cb | Xb | B | x1 x2 x3 x4 x5
  0 | x3 | 10 | 2 2 1 0 0
-1 | x5 | 8 | -1 1 0 -1 1
    Sigama | -1 1 0 -1 0
Stage1. Step2:
           0 0 0 0 -1
 Cb | Xb | B | x1 x2 x3 x4 x5
  0 | x2 | 5 | 1 1 0.5 0 0
  -1 | x5 | 3 | -2 0 -0.5 -1 1
               -2 0 -0.5 -1 0
The problem doesn't has a feasible solution.
[soda@soda lab1]$
```



1d)



							3	9	0							
сь	I	Хb	I	В			x1	,	x2	хЗ	х4	х5	х6	Maria Com		
θ	ī	хЗ	ī	2	6	,	Θ	1	1	-4	Θ	4				
		x2			6		1	0								
		x1			į ı		0	0	-1	1	0					
0	i I	х6		26	1	0	0	0	2	3	1					

```
[soda@soda lab1]$ ./simplex
1
3 3
4 5 1
3 2 1 18 2
2 1 0 4 1
1 1 -1 5 0
Stage1. Step1:
   -1 | x6 | 18 | 3 2 1 -1 0 1 0
0 | x5 | 4 | 2 1 0 0 1 0 0
-1 | x7 | 5 | 1 1 -1 0 0 0 1
        Sigama | 4 3 0 -1 0 0 0
Stage1. Step2:
          C
  Cb | Xb | B | x1 x2 x3 x4 x5 x6 x7
   -1 | x6 | 12 | 0 0.5 1 -1 -1.5 1 0
0 | x1 | 2 | 1 0.5 0 0 0.5 0 0
-1 | x7 | 3 | 0 0.5 -1 0 -0.5 0 1
                              0 1 0 -1 -2 0 0
        Sigama
Stage1. Step3:
                         | 0 0 0 0 0 -1 -1
 Cb | Xb | B | x1 x2 x3 x4 x5 x6 x7
   -1 | x6 | 10 | -1 0 1 -1 -2 1 0
0 | x2 | 4 | 2 1 0 0 1 0 0
-1 | x7 | 1 | -1 0 -1 0 -1 0 1
Sigama \mid -2 0 0 -1 -3 0 0 The problem doesn't has a feasible solution.
```

2b)

