


[New posts](#) [Search forums](#)
[Forums](#) [Career](#) [Quant Interviews](#)

Big List of Quant Interview Questions with Answers

quantguyquantgirl · 9/16/18



quantguyquantgirl

I

Joined: 9/16/18
Messages: 2
Points: 13

9/16/18

#1

I thought this would help some people out as we get into interview season. Good luck to everyone!

Questions:

1. For a 3 sets tennis game, would you bet on it finishing in 2 sets or 3 sets?
2. I have a square, and place three dots along the 4 edges at random. What is the probability that the dots lie on distinct edges?
3. You have 10 people in a room. How many total handshakes if they all shake hands?
4. Two decks of cards. One deck has 52 cards, the other has 104. You pick two cards separately from a same pack. If both of two cards are red, you win. Which pack will you choose?
5. What is 39×41 ?
6. A group of people wants to determine their average salary on the condition that no individual would be able to find out anyone else's salary. Can they accomplish this, and, if so, how?
7. How many digits are in 99 to the 99th power?
8. A line of 100 passengers is waiting to board a plane. They each hold a ticket to one of the 100 seats on that flight. (For convenience, let's say that the n th passenger in line has a ticket for the seat number n .) Unfortunately, the first person in line is crazy, and will ignore the seat number on their ticket, picking a random seat to occupy. All of the other passengers are quite normal, and will go to their proper seat unless it is already occupied. If it is occupied, they will then find a free seat to sit in, at random. What is the probability that the last (100th) person to board the plane will sit in their proper seat (#100)?
9. What is the sum of the numbers one to 100?
10. You have a 3 gallon jug and 5 gallon jug, how do you measure out exactly 4 gallons? Is this possible?
11. You have 17 coins and I have 16 coins, we flip all coins at the same time. If you have more heads then you win, if we have the same number of heads or if you have less then I win. What's your probability of winning?

12. What is the probability you draw two cards of the same color from a standard 52-card deck? You are drawing without replacement.
13. You're in a room with three light switches, each of which controls one of

[Home](#)[Rankings](#) New[Online Courses](#)[Forums](#)[Resources](#) [Log in](#)[Register](#)

- room from the other. You can inspect the other room only once. How can you find out which switches are connected to which bulbs? Is this possible?
14. In world series, what are the odds it goes 7 games if each team equal chance of winning?
15. Given 100 coin flips, what is the probability that you get an even number of heads?
16. There are 5 balls, 3 red, and 2 black. What is the probability that a random ordering of the 5 balls does not have the 2 black balls next to each other?
17. What is the least multiple of 15 whose digits consist only of 1's and 0's?
18. Is 1027 a prime number?
19. Does the price of a call option increase when volatility increases?
20. 2 blue and 2 red balls, in a box, no replacing. Guess the color of the ball, you receive a dollar if you are correct. What is the dollar amount you would pay to play this game?
21. What is the singles digit for 2^{230} ?

Answers:

1. **Two sets** - Let p =prob team 1 wins and q =prob team 2 wins. $p^2 + q^2$ = probability finish in two sets. $2*p*q$ = probability finish in three sets. $p^2 + q^2$ always $\geq 2*p*q$, so the answer is two sets.
2. **3/8** - Given the edge the first dot is on, the probability the other two dots are on distinct edges is $(3/4)*(2/4)$
3. **45** - $(10 \text{ choose } 2) = 45$ -- this is the total number of ways two people can shake hands.
4. **104 card pack** - $(52/104)*(51/103) > (26/52)*(25/51)$, or $51/103 > 25/51$
5. **1599** - $39*41 = (40-1)*(40+1) = 40*40 - 1 = 1599$
6. **Yes, it's possible** - The first person thinks of a random number, say X . This person adds this number to her salary. The rest of the group simply adds their salary to the initial number. Then, the first person subtracts the random number X and divides the total salary sum by the size of the group to obtain the average.
7. **198** - $99^{99} = (100)^{99} * (.99)^{99} = (10)^{198} * (.99)^{99}$. You can convince yourself 10^{198} has 199 digits, and 0.99^{99} approaches $1/e$. Thus, $(10)^{198} * (.99)^{99}$ has 198 digits.
8. **0.5** - The fate of the last passenger is determined the second either the first or last seat on the plane is taken. This statement is true because the last person will either get the first seat or the last seat. All other seats will necessarily be taken by the time the last passenger gets to pick his/her seat. Since at each choice step, the first or last seat has an equal probability of

This site uses cookies to help personalise content, tailor your experience and to keep you logged in if you register.
By continuing to use this site, you are consenting to our use of cookies.

[✓ Accept](#)
[Learn more...](#)

this problem by pairing off numbers - 1 and 100, 2 and 99, 3 and 98, 4 and 97, etc. We have 50 of these pairs, and each pair sums up to 101, so the final sum = $50 \times 101 = 5050$.

10. **Yes, it's possible** - Fill up the 3 gallon jug. Then, pour the liquid into the 5 gallon jug. Fill the 3 gallon jug again, and then fill the 5 gallon jug until it is full. We now have 1 gallon remaining in the 3 gallon jug. We empty the five gallon jug and pour the remaining 1 gallon into our 5 gallon jug. Finally, we fill the 3 gallon jug and add this to the 5 gallon jug (which already had 1 gallon). We are left with 4 gallons in the 5 gallon jug.
11. **0.5** - Use recursion - The initial 16 flips have the same probability of everything. Thus, the game completely depends on if the last coin flip is tails or head (50/50 chance of H vs. T).
12. **25/51** - You either draw a black or a red card first. Then, there are 51 cards left in the deck and 25 of these cards have the same color. Thus, the probability is 25/51.
13. **Yes, it's possible** - Leave switch 1 off. Then, turn switch 2 on for ten minutes. After the ten minutes, turn it off and quickly turn on switch 3. Now, go into the room. The currently lit up bulb connects to switch 3. The bulb that off but still warm is from switch 2, and the remaining bulb is from switch 1.
14. **20/64** - Out of the first three games, each team needs to win three. Thus, $(6 \text{ choose } 3) \times (.5^6) = 20/64$, as each team has a 1/2 probability of winning each game.
15. **1/2** - Whether there is an odd or even number of heads is ultimately determined by the final flip (50/50 chance of being heads vs. tails), for any number of flips.
16. **0.6** - Because of repeats of black/red balls, there are 10 combinations of red/black balls: (5 choose 2) or (5 choose 3) spots to put the black or red balls, respectively. There are 4 places that 2 black balls can be next to each other, so the other 6 combinations do NOT have two black balls next to each other.
17. **1110** - The last digit must be zero (30, 45, 60, 75, etc.). Multiples of 15 never end in 1. Then, starting checking numbers. 10, 100, 110, 1000, 1100, 1110. You will quickly arrive at the answer if you are good with your mental math.
18. **No** - $1027 = 1000 + 27 = 10^3 + 3^3$. We know $a^3 + b^3$ can be factored, so 1027 is NOT prime.
19. **Yes** - sometimes a rare finance question is included in these interviews; remember that both time and volatility increase the prices of both calls and puts
20. **17/6 dollars** - You'll always get the last ball right as your sampling w/o replacement. The first ball you have a 50% chance of getting right. The second ball you have a 2/3 chance of getting right.
21. **4** - Repeating patterns -- 2,4,8,6,2 -- follow the pattern.

I also included Jane Street's interview guide (attached).

Attachments



janestreet_guide.pdf

[Reply](#)

👍 efffff, QAnonOG, Ruquaya Sayeeda and 5 others

Q

quantguyquantgir

I

Joined: 9/16/18
 Messages: 2
 Points: 13

9/16/18

🔗 #2

Does anybody know other good sites?

[Reply](#)

N

Ng Hong Wai

Joined: 5/10/19
 Messages: 10
 Points: 13

2/14/20

🔗 #3

For question 17, a number is divisible by 15 if and only if it is divisible by 3 and 5.

A number is divisible by 3 if the sum of its digits is also divisible by 3. So, the smallest number that satisfies this is 1110.

Clearly it is also divisible by 5.

[Reply](#)

👍 joe_boy and ciciyang

W

wikkt


Joined: 9/30/24
 Messages: 1
 Points: 1

9/30/24

🔗 #4


1. Is wrong. Do I even care to read on?

[Reply](#)



ironnyn

Joined: 10/6/24
Messages: 2
Points: 1


10/6/24  #5

wikkt said:

1. Is wrong. Do I even care to read on?


Can you explain why it's wrong? I got the same answer

[Reply](#)



DracoDM


Joined: 10/9/24
Messages: 1
Points: 1

10/9/24  #6

its right


Last edited: 10/9/24

[Reply](#)



ironnyn

Joined: 10/6/24
Messages: 2
Points: 1


10/9/24  #7

DracoDM said:


isnt probability for winning in 3 sets = $2(qp^2 + pq^2)$
as the ways the game will end in 3 sets is
team 1 win : pqp or qpp
team 2 win : qpq or pqq
ie. $P(\text{game ends in 3 sets}) = 2(qp^2) + 2(pq^2) = 2(qp^2 + pq^2)$
and $2(qp^2 + pq^2) > p^2 + q^2$ so its more likely to go to 3 sets?

From my understanding, what you calculated is the probability that *if* three games total are played (instead of stopping at 2 games if someone won the first two), what the probability is of those specific outcomes you listed.
What the original poster's answer considers is that we will only get to a third game if the first two games have different outcomes. In other words, pq or qp is the condition for a third game, giving us $2pq$. The match will stop at two games in the case of pp and qq, giving us $p^2 + q^2$. We don't need to consider the outcome of the third game to know whether it will get to the third game.

[Reply](#)



Ashley_

11/22/24  #8

ironnyn said:

From my understanding, what you calculated is the probability that *if* three games total are played (instead of stopping at 2 games if someone won the first two), what the probability is of those specific outcomes you listed.

Joined: 11/22/24
Messages: 1
Points: 1

What the original poster's answer considers is that we will only get to a third game if the first two games have different outcomes. In other words, pq or qp is the condition for a third game, giving us $2pq$. The match will stop at two games in the case of pp and qq , giving us p^2+q^2 . We don't need to consider the outcome of the third game to know whether it will get to the third game

$2(pq^2+pq^2) = 2pq(p + q) = 2pq \leq p^2 + q^2$. Though I'd argue assuming sets are independent and identically distributed is a bit silly in this setting

Reply

?

B

I

T

☺

f(x)

:

≡

¶

≡

:

GIF

:

:

Write your reply...

Post reply

Similar threads

An Open-Source, Big List of Quant Employers

quant-bobby · 2/13/23 · Quant Jobs

Replies: 5
Views: 6K

2/15/23

Andy Nguyen

Big List of Quant Employers 2

Jacob Moore · 11/27/16 · Quant Jobs

Replies: 29
Views: 40K

2/21/23

Andy Nguyen

Big List of Quant Employers

Jacob Moore · 10/17/16 · Quant Jobs

Replies: 11
Views: 59K

3/15/23

Phi-quant

P

S

Two quant interview questions (one stat, one programming) - need help!!!

sellisa · 11/28/16 · Quant Interviews

Replies: 1
Views: 6K

7/19/17

JerryCheng

Quant interview questions you should always expect

Andy Nguyen · 2/21/11 · Quant Interviews

Replies: 4
Views: 11K

2/22/11

Andy D.

Share:

Forums

Career

Quant Interviews

https://quantnet.com/threads/big-list-of-quant-interview-questions-with-answers.36240/

6/7

