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A CADEMIC INTEGRATION OF A TENTENT
ACADEMIC INTEGRITY STATEMENT
\$
% ENGR 132
% Program Description
% This program delves into the ignition delay of a turbine engine
which
% is the time interval between the fuel enter the compressor and the
% fuel to actually combust. Mainly, the relation between the
% temperature and the ignition delay is modelled graphically for two
% different types of fuels.
% Assignent Information
% Assignment: PS 05, Problem 2
% Author: Tomoki Koike, koike@purdue.edu
% Team ID: 002-08
% Contributor: no contributor
% My contributor(s) helped me:
% [] understand the assignment expectations without
telling me how they will approach it.
% [] understand different ways to think about a solution
<pre>% without helping me plan my solution.</pre>
% [] think through the meaning of a specific error or
bug present in my code without looking at my code.
\$

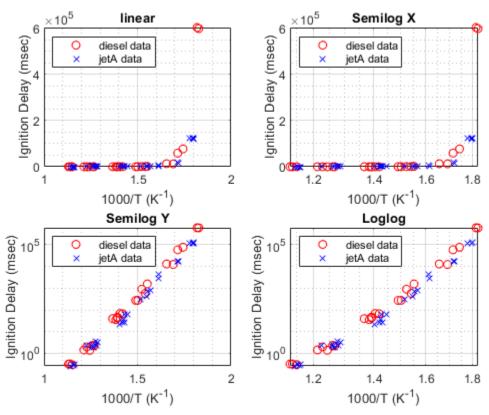
INITIALIZATION

```
% the data for the jet-A fuel
% setting variables for the columns in the data
% the diesel data
dieselTemp = dieselData(:,1);  % the temperature factor 1000/T (K^-1)
dieselDel = dieselData(:,2);  % the ignition delay (msec)
% the jet fuel data
jetTemp = jetData(:,1);  % the temperature factor 1000/t (K^-1)
jetDel = jetData(:,2);  % the ignition delay (msec)
```

SUBPLOT FIGURE(S)

```
% plotting the two data sets together in the form of linear, semilogX,
% semilogY, and loglog
figure
% the subplot for the linear graph
subplot(2,2,1)
plot(dieselTemp,dieselDel,"or")
title('linear')
xlabel('1000/T (K^{-1})')
ylabel('Ignition Delay (msec)')
grid on
grid minor
hold on
plot(jetTemp, jetDel, "xb")
hold off
legend('diesel data','jetA data','location','northwest')
% the subplot for the semilogx
subplot(2,2,2)
semilogx(dieselTemp, dieselDel, "or")
title('Semilog X')
xlabel('1000/T (K^{-1})')
ylabel('Ignition Delay (msec)')
grid on
grid minor
hold on
semilogx(jetTemp,jetDel,"xb")
hold off
legend('diesel data','jetA data','location','northwest')
% the subplot for the semilogy
subplot(2,2,3)
semilogy(dieselTemp, dieselDel, "or")
title('Semilog Y')
xlabel('1000/T (K^{-1})')
ylabel('Ignition Delay (msec)')
grid on
grid minor
hold on
```

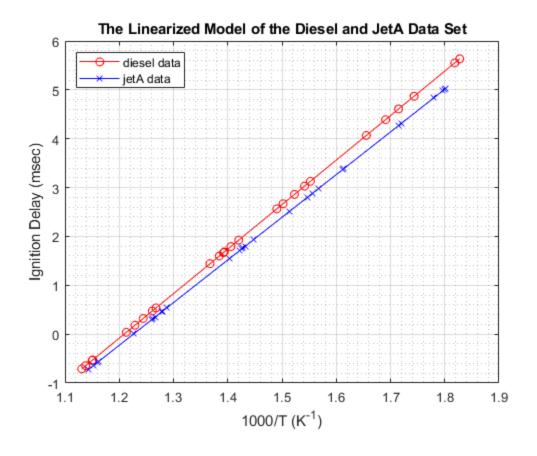
```
semilogy(jetTemp,jetDel,"xb")
hold off
legend('diesel data','jetA data','location','northwest')
% the subplot for the loglog
subplot(2,2,4)
loglog(dieselTemp,dieselDel,"or")
title('Loglog')
xlabel('1000/T (K^{-1})')
ylabel('Ignition Delay (msec)')
grid on
grid minor
hold on
loglog(jetTemp,jetDel,"xb")
hold off
legend('diesel data','jetA data','location','northwest')
```



LINEARIZATION

```
% transforming the y-values to log(y)
% diesel
dieselLogDel = log10(dieselDel);
% jetA
```

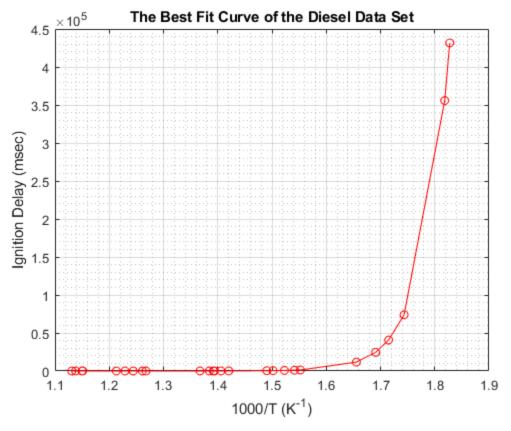
```
jetLogDel = log10(jetDel);
% manipulating the linear regression
% diesel
pfitDiesel = polyfit(dieselTemp,dieselLogDel,1);
            % finding the slope and the y-intercept for the
            % regression line
dieselSlope = pfitDiesel(1,1);
            % the slope value
dieselY_incpt = pfitDiesel(1,2);
            % the y-intercept value
pvalDiesel = polyval(pfitDiesel,dieselTemp);
            % the y-values corresponding to the x-values on the
            % modeled regression line
% jetA
pfitJet = polyfit(jetTemp,jetLogDel,1);
            % finding the slope and the y-intercept for the
            % regression line
jetSlope = pfitJet(1,1);
            % the slope value
jetY_incpt = pfitJet(1,2);
            % the y-intercept value
pvalJet = polyval(pfitJet,jetTemp);
            % the y-values corresponding to the x-values on the
            % modeled regression line
% printing the predicted regression model equation
fprintf("The linear regression line for the diesel data set is y =
 %.3fx + %.3f .\n", dieselSlope, dieselY_incpt);
fprintf("The linear regression line for the jetA data set is y = %.3fx
 + %.3f .\n", jetSlope, jetY_incpt);
% plotting the linearized data and the trend line for the two data
 sets
figure
plot(dieselTemp,pvalDiesel,"-or")
title('The Linearized Model of the Diesel and JetA Data Set')
xlabel('1000/T (K^{-1})')
ylabel('Ignition Delay (msec)')
grid on
grid minor
hold on
plot(jetTemp,pvalJet,"-xb")
hold off
legend('diesel data','jetA data','location','northwest')
The linear regression line for the diesel data set is y = 9.109x +
 -11.012 .
The linear regression line for the jetA data set is y = 8.732x +
 -10.707 .
```

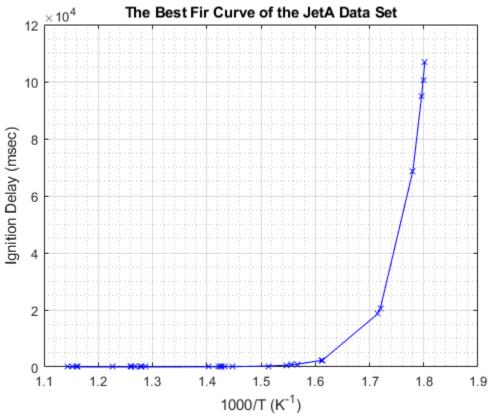


MODEL

```
% Because the linear regression model is
% \log 10(y) = a*x + b //a and b are calculated by polyfit
% by manipulating this formula we can get
% y = 10^{(ax+b)}
% printing and plotting the general equation (best fit curve) for
% each data set
% diesel
dieselGenFormX = dieselTemp;
        % the x-values for the general form
dieselGenFormY = 10.^(dieselSlope*dieselGenFormX + dieselY_incpt);
        % the y-values for the general form
fprintf("\nThe general form of the best fit equation is y = 10^(%.3dx+
%.3d) .",dieselSlope, dieselY_incpt);
        % printing the equation on the command window
% jet
jetGenFormX = jetTemp;
        % the x-values for the general form
jetGenFormY = 10.^(jetSlope*jetGenFormX + jetY_incpt);
        % the y-values for the general form
```

```
fprintf("\nThe general form of the best fit equation is y = 10^(%.3dx+
%.3d) .\n",jetSlope, jetY_incpt);
        % printing the equation on the command window
% plotting
% diesel
figure
plot(dieselGenFormX, dieselGenFormY, "-or")
title('The Best Fit Curve of the Diesel Data Set')
xlabel('1000/T (K^{-1})')
ylabel('Ignition Delay (msec)')
grid on
grid minor
% jetA
figure
plot(jetGenFormX, jetGenFormY, "-xb")
title('The Best Fir Curve of the JetA Data Set')
xlabel('1000/T (K^{-1})')
ylabel('Ignition Delay (msec)')
grid on
grid minor
The general form of the best fit equation is y = 10^{\circ}(9.109e+00x)
+-1.101e+01) .
The general form of the best fit equation is y = 10^{(8.732e+00x)}
+-1.071e+01) .
```





ANALYSIS

-- Q1

The model of the semilog y is possibly the best data representing model because the scattered data points line up linearly the best and also the x axis scaling does not have much difference by transforming the x-values to $\log(x)$. Namely, the normal x axis spans x-values from approximately 1.12 to 1.84, whereas the $\log(x)$ x axis spans x-values from approximately 0 to 1.82. This means that transforming the x to $\log(x)$ is unecessary.

ACADEMIC INTEGRITY STATEMENT

I have not used source code obtained from any other unauthorized source, either modified or unmodified. Neither have I provided access to my code to another. The script I am submitting is my own original work.

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