

Laboratory Work 1

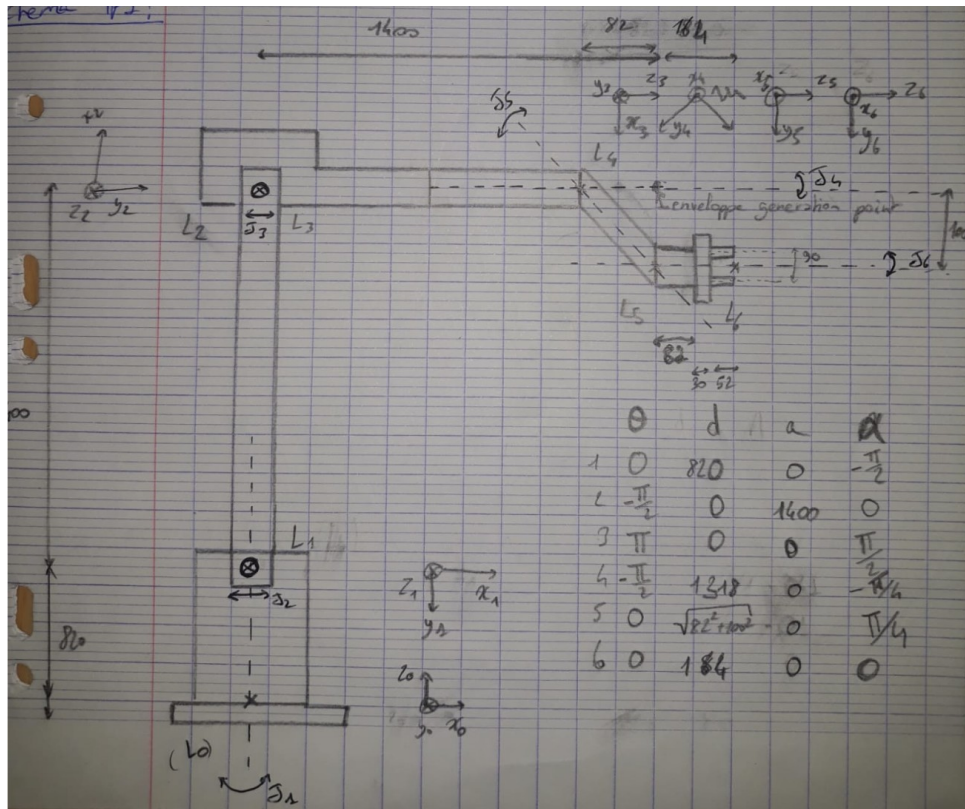
Forward Kinematics

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I- My Manipulator :

For my manipulator, I started to create the **P-250iA/15 paint robot**. However, I needed for the lab a gripper as a tool for my robot. That's why I did some modification.

Here is my sketch:



Here is the DH paramters table :

	θ	d	a	α
1	0	820	0	$-\pi/2$
2	$-\pi/2$	0	1400	0
3	π	0	0	$\pi/2$
4	$-\pi/2$	1318	0	$-\pi/4$
5	0	$\sqrt{82^2+100^2}$	0	$\pi/4$
6	0	164	0	0

II- The manipulator with different values of the joint variables :

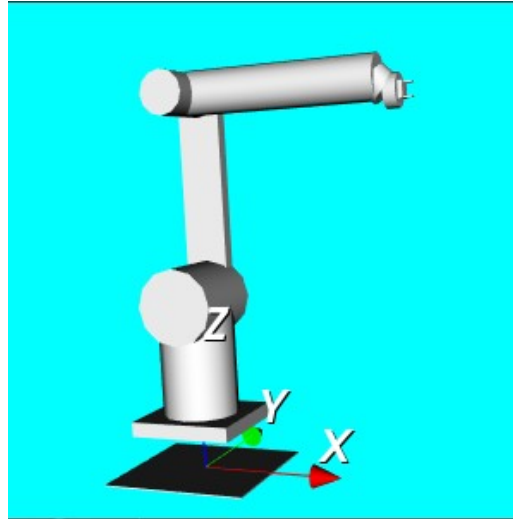
We display the manipulator with different values of the joint variables and we give the homogeneous transformation matrix describing the pose of the tool (which is given by 'print(T6S)').

Values 1 :

θ_1	0
θ_2	0
θ_3	0
θ_4	0
θ_5	0
θ_6	0

Homogeneous transformation T6S:

```
[ -1, 0, 0, 1.50 ]  
[  0, 0, -1, 0   ]  
[  0, -1, 0, 2.47 ]  
[  0, 0, 0, 1    ]
```

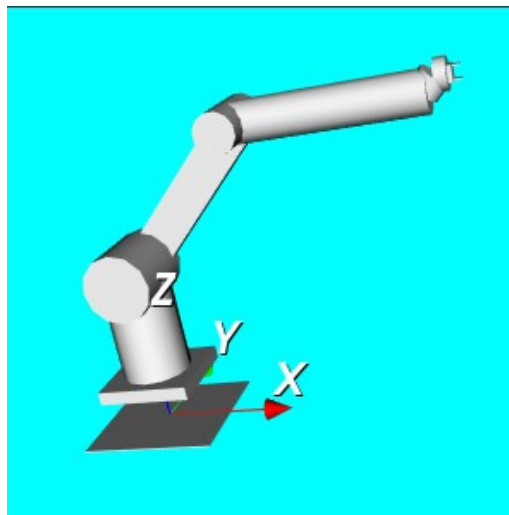


Values 2 :

θ_1	0
θ_2	$\pi/4$
θ_3	$-\pi/4$
θ_4	π
θ_5	0
θ_6	0

Homogeneous transformation T6S :

```
[ -1, 0, 0, 2.50 ]  
[  0, 0, 1, 0    ]  
[  0, 1, 0, 2.25 ]  
[  0, 0, 0, 1    ]
```

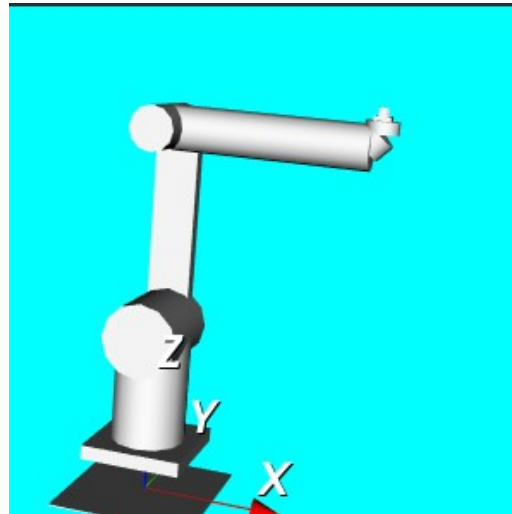


Values 3 :

θ_1	0
θ_2	0
θ_3	0
θ_4	π
θ_5	π
θ_6	$\pi/2$

Homogeneous transformation T6S :

$\begin{bmatrix} 0 & 0 & 1 & 1.40 \\ 0 & 1 & 0 & 0 \\ -1 & 0 & 0 & 2.75 \\ 0 & 0 & 0 & 1 \end{bmatrix}$



III- The cube in the tool :

To describe the pose of a cube which is inside the gripper, we just have to know the pose of the tool and also the rotation of the cube relative to the tool. Indeed, the pose of the tool gives the pose of the point L6 as we can see in the following sketch :



Let's try with the first example of the last part.

We have already the homogeneous transformation T6S.

We can imagine, for example, that the transformation from the tool to the cube is described by the following homogeneous transformation matrix :

$TC_6 = \begin{bmatrix} -1 & 0 & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$

Then, the homogeneous transformation matrix which describe the cube in the gripper is :

$TCS = T6S * TC_6$

In python, we obtain :

```
#cube
Tct = np.array([ [ -1,0,0,0],
                 [ 0,0,1,0],
                 [ 0,1,0,0],
                 [ 0,0,0,1] ])
TCS = Tts @ Tct
vis.set_pose(self.cube, TCS)
```

(Here, $Tts @ Tct == T6S * TC_6$)

