```
\Rightarrow f = @(x) 230*x^4 + 18*x^3 + 9*x^2 - 221*x -9
f =
  function_handle with value:
    @(x)230*x^4+18*x^3+9*x^2-221*x-9
>> tol = 10^-6
tol =
   1.0000e-06
>> max_iter = 1000
max_iter =
        1000
>> p0a = -1; p1a = 0; p0b = 0; p1b = 1;
>> format long
>> [p, iter] = falsePosition(f, p0a, p1a, tol, max_iter)
p =
  -0.040658499043342
```

iter =

```
17
```

>> [p, iter] = falsePosition(f, p0b, p1b, tol, max_iter) p = 0.962398384238757 iter = 9 >> [p, iter] = secant(f, p0b, p1b, tol, max_iter) p = -0.040659288315572 iter = 12 >> [p, iter] = secant(f, p0a, p1a, tol, max_iter) p =

```
iter =
     5
>> [p, iter] = secant(f, p0b, p1b, tol, max_iter)
p =
  -0.040659288315572
iter =
    12
>> [p, iter] = newton(f, -0.5, tol, max_iter)
p =
  -0.040659288315759
iter =
```

4

```
>> [p, iter] = newton(f, 0.5, tol, max_iter)
p =
  -0.040659288315759
iter =
     6
Problem 2.4.2.
>> tol = 10^-5
tol =
     9.999999999999e-06
\Rightarrow f = @(x) 1 - 4*x*cos(x) + 2*x^2 + cos(2*x)
f =
  function_handle with value:
    @(x)1-4*x*cos(x)+2*x^2+cos(2*x)
>> [p, iter] = newton(f, 0.5, tol, max_iter)
p =
```

0.739078679138277

iter =

15

>> f =
$$@(x) x^2 + 6*x^5 + 9*x^4 - 2*x^3 - 6*x^2 + 1$$

f =

function_handle with value:

$$@(x)x^2+6*x^5+9*x^4-2*x^3-6*x^2+1$$

p =

-1.334345940447260

iter =

9

>> f =
$$@(x) \sin(3*x) + 3*exp(-2*x)*sin(x)-3*exp(-x)*sin(2*x)-exp(-3*x)$$

f =

```
function_handle with value:
    @(x)\sin(3*x)+3*\exp(-2*x)*\sin(x)-3*\exp(-x)*\sin(2*x)-\exp(-3*x)
>> [p, iter] = newton(f, 3.5, tol, max_iter)
p =
   3.141567934398657
iter =
     5
\Rightarrow f = @(x) exp(3*x)-27*x^6 + 27*x^4*exp(x) - 9*x^2*exp(2*x)
f =
  function_handle with value:
    @(x)\exp(3*x)-27*x^6+27*x^4*\exp(x)-9*x^2*\exp(2*x)
>> [p, iter] = newton(f, 4, tol, max_iter)
p =
   3.733102841103420
```

iter =

24

Problem 2.4.2.

$$\Rightarrow$$
 f = @(x) 1 - 4*x*cos(x) + 2*x^2 + cos(2*x)

f =

function_handle with value:

$$@(x)1-4*x*cos(x)+2*x^2+cos(2*x)$$

p =

0.739085131072134

iter =

4

$$\Rightarrow$$
 f = @(x) x^2 + 6*x^5 + 9*x^4 - 2*x^3 - 6*x^2 + 1

f =

```
function_handle with value:
    \omega(x)x^2+6*x^5+9*x^4-2*x^3-6*x^2+1
>> [p, iter] = mod_newton(f, -2.5, tol, max_iter)
p =
  -1.334345940447260
iter =
    80
>> f = @(x) \sin(3*x) + 3*exp(-2*x)*sin(x)-3*exp(-x)*sin(2*x)-exp(-3*x)
f =
  function_handle with value:
    @(x)\sin(3*x)+3*\exp(-2*x)*\sin(x)-3*\exp(-x)*\sin(2*x)-\exp(-3*x)
>> [p, iter] = mod_newton(f, 3.5, tol, max_iter)
p =
   3.141567934398660
```

```
iter =
     5
\Rightarrow f = @(x) exp(3*x)-27*x^6 + 27*x^4*exp(x) - 9*x^2*exp(2*x)
f =
  function_handle with value:
    @(x)\exp(3*x)-27*x^6+27*x^4*\exp(x)-9*x^2*\exp(2*x)
>> [p, iter] = mod_newton(f, 4, tol, max_iter)
p =
   3.733067725639929
iter =
```

4