

An Improved k-NN Classification with Dynamic k

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ABSTRACT

In the k-NN algorithm, k is the only parameter and often set to a fixed value empirically. However, it is very difficult to choose an appropriate k in practice, and if the choice is not appropriate, the performance of k-NN will be affected greatly. In order to solve this problem, the paper proposes an improved k-NN algorithm, which is denoted as Dk-NN, by using dynamic k in replace of fixed k value. Firstly, a preprocessed step is designed and added to the traditional k-NN algorithm for determining the dynamic k interval. Then, each class's percentage of test sample is calculated within the dynamic k interval. Finally, three criterions are given to determine the class of the test sample according to the variation tendency of the percentage curves. Experimental results on real-world dataset demonstrate that the proposed algorithm is more effective than the k-NN algorithm with fixed k value.

CCS Concepts

• Theory of computation → Theory and algorithms for application domains → Machine learning theory → Models of learning.

Keywords

k-Nearest neighbors; dynamic K; classification algorithm.

1. INTRODUCTION

The k-Nearest Neighbors (k-NN) algorithm, which is the most common classification algorithm with the features of simple structure, high accuracy, no sensitive to outliers and no data input hypothesis, is widely used in pattern recognition, text classification, and even radicalization detection [1]-[4].

In the k-NN algorithm, the k value is the only parameter and is often set to a fixed value. But it does not give the method how to determine the k value in practice. On the one side, the k value is wished to be large in order to minimize the probability of a non-Bayes decision. On the other side, it is also wished to be small in order to give an accurate estimate of the posterior probabilities of the true class [5]. So the selection of k value would have a great influence on the performance of k-NN, and how to find an appropriate k value would be a big challenge.

To address this problem, an improved k-NN algorithm, named as Dk-NN, is proposed in this paper. In this algorithm, k is designed

as dynamic value in replace of fixed one and the classification result is determined based on the variation tendency of their k-nearest Neighbors, which are calculated in the dynamic value. Furthermore, three criteria are given as the basis for the identification of the test samples. The experimental results on real datasets show that the proposed Dk-NN algorithm, which fully considers the influence of k value, can get more accurate result than the traditional k-NN algorithm does.

2. Related Works

As a type of instance-based learning or lazy learning, k-NN algorithm is firstly proposed by T. M. Cover and P. E. Hart for the classification problem [4]. For its high performance in real applications and the nonparametric setting [6], the k-NN was regarded as one of top 10 algorithms in data mining.

However, the k-NN algorithm has its inherent disadvantages [7], such as sheer complexity of time and space with too large training sample set or too many feature items, depending too much on the k value selection.

To overcome these disadvantages, numerous investigations have been done to improve the k-NN algorithm. All the existing solutions can be usually classified in one of the following categories:

- (1) Managing feature space or sample datasets;
- (2) Improving parameter k selection method.

Feature selection by removing irrelevant or redundant features, is ended to data dimension reduction and increment of classification accuracy [8]. In [8] and [9], a comprehensive review of feature selection methods has been done. These feature selection methods include forward and backward sequential selection [10], artificial bee colony (ABC) [11], particle swarm optimization (PSO) [12], biogeography based optimization (BBO) [13], non-negative matrix factorization (NMF) [14] and self-organizing feature maps (SOM) [15].

Some researchers are endeavoring to reduce the dimension of dataset for improving of the accuracy of the k-NN classification. These improvements include dataset shifting [16], dimension reduction [17]-[18] and subset selection [19]. Some other researchers focus on determining the weighted samples and features [20]-[22]. [23]-[25] give the answer on how to deal with unbalance data classification.

The fixed k value ignores the influence of the category and the document number of training text. Reference [7] analyses the influence of selecting different k value, and presents a dynamic k classifier with similarity calculation for improving classification accuracy. An approximate method can be found in [26]. Reference [27] reconstructs test samples with training samples to obtain the optimal k value for each test sample, and proposes a non-parametric test point specific k estimation strategy. In [28], an efficient method for selecting k value based on cross-validation

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strategies is demonstrated. All these works only consider the dynamic characteristics of parameter k , but set it as a fixed value.

In this paper, we take a full consideration of the dynamic characteristics of parameter k , and set k value within an interval. Furthermore, we present an algorithm how to classify samples with this interval. Reference [29] discussed this interval, but only chose a random k value within this interval as a parameter of k -NN iteration algorithm.

3. THE IMPROVED K-NN CLASSIFICATION ALGORITHM

Given a training dataset D_{train} :

$$D_{train} = \{(x, l) : x \in R^M, l \in L\} \quad (1)$$

where x is a M -dimensional feature vector, l is the objects' label and L is the set of all labels.

For an unlabeled sample y , the traditional k -NN algorithm firstly calculates the distances of each pair (x_i, y) , and finds its k -nearest neighbors $\{x_1, x_2, \dots, x_k\}$, the class labels of which are $\{l_1, l_2, \dots, l_k\}$ respectively. And then, the algorithm uses the implest majority vote approach to determine the class label of sample y and the classification formulation can be denoted as follows [30]:

$$l_{k-NN}(y) = \arg \max_{l \in L} \sum_{i=1}^k \delta(l, l_i) \quad (2)$$

We can see that there is only one parameter k in formula 2 and this parameter is often selected empirically. Generally, the value of k is fixed to 1, 3, 5, 7 [31] or $\lceil \sqrt{N} \rceil$ [32]-[33], where N denotes the cardinality of the training dataset. However, the selection of the fixed k value can cause some errors and Figure 1 gives an example for these problems. In Figure 1, the size of training dataset is set to 600 and the test sample is selected as a negative one. Obviously, when $k = \lceil \sqrt{600} \rceil$, formula 2 give the right label of the test sample, but when $k=5$, the result is wrong because there are four outliers around the test sample. That is to say, the fixed value of k with experience is impracticable, and the k value will directly influence the precision and accuracy of the classification, even lead to wrong classification result.

In order to solve this problem, the paper proposed a novel dynamic k method. The proposed method includes an interval of parameter k , which denoted as $[k_{min}, k_{max}]$, and a matrix $\mathbf{T} = [\mathbf{T}_1, \mathbf{T}_2, \dots, \mathbf{T}_{len(L)}]^T$, where \mathbf{T}_j is a row to store the percentage of the sample that belong to the j class when $k \in [k_{min}, k_{max}]$. Make $t_{jk} \in \mathbf{T}_j$, and t_{jk} can be expressed as follows:

$$t_{jk} = \frac{1}{k} \sum_{i=1}^k \delta(l_j, l_i) \quad k \in \mathbf{Z} \text{ and } k \in [k_{min}, k_{max}] \quad (3)$$

For every test example, matrix \mathbf{T} gives the variation tendency curves of each class within interval $[k_{min}, k_{max}]$. There are three different situations in the real case. Figure1 shows the first one, and Figure 2 gives the variation tendency curves of the test sample which is shown in figure1.

In Figure 2, the percentages of negative label are lower than those of positive label when $k \in [1, 8]$. The reason of this phenomenon is that there are outliers very close to the test sample. But when $k > 8$, the percentage of the two labels are reversed and with the increase of k value, the percentage of negative label tend to be close to 1, while the percentage of positive label tend to be close to 0. Consequently, analyzing the variation tendency curves with matrix \mathbf{T} can avoid the influence of outliers and give the right answer. Criterion 1 gives the judge basis in this case.

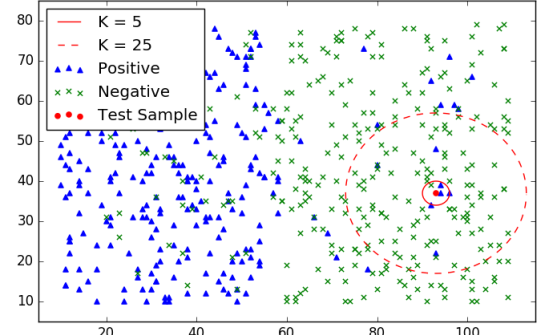


Figure 1. An illustration on a binary classification for the selection of fixed k value with $k = 5$ and $k = 25$.

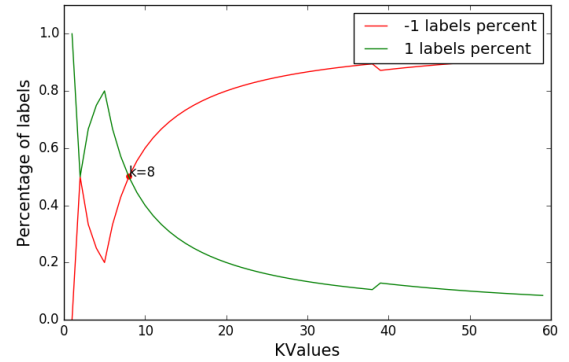


Figure 2. Variation tendency curves of test sample in Figure 1.

Criterion 1: If there are a few intersections in the end of the interval $[k_{min}, k_{max}]$, but in the other parts, there are no intersections and the percentage difference is obvious, the label of the sample should be set to the class which has the highest percentage in the intermediate part of the interval $[k_{min}, k_{max}]$.

In addition, there are two kinds of datasets and curves in practice, which are shown in Figure 3 and Figure 4 respectively. Figure 3(a) shows that there are few outliers around the test sample and the corresponding tendency curves are given in Figure 3 (b). We can see that the two curves have no intersection. In this situation, the test sample's class can be determined by criterion 2.

Criterion 2: If there is no intersections within $[k_{min}, k_{max}]$. The label of the test sample can be set as the class which has highest percentage in the interval $[k_{min}, k_{max}]$.

Figure 4(a) shows another situation, in which there are a few outliers around the test sample. Figure 4(b) gives the corresponding tendency curves. At the beginning, two curves have a great distance. But with the increase of k value, the outliers are included in, so the distance between two curves decrease gradually. When $k=16$, the two curves intersect and then change gently. In this situation, the outliers don't have a large influence

on classification results and the test sample can be classified as follows:

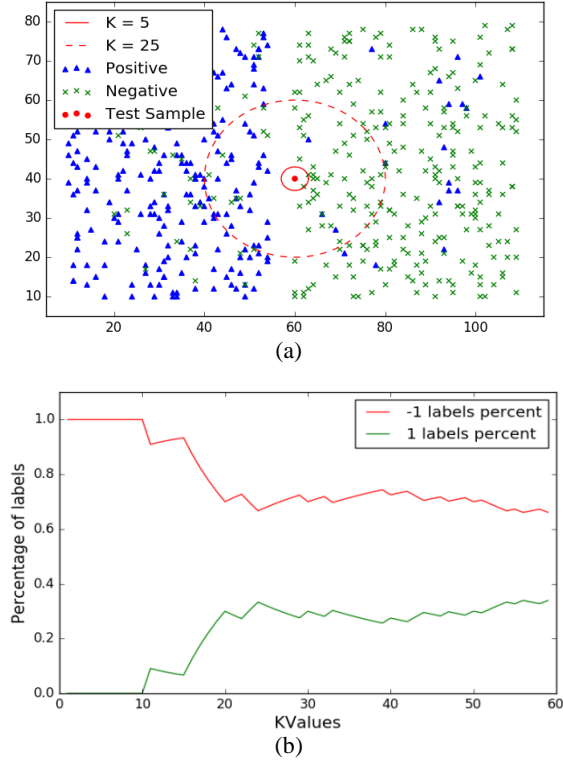


Figure 3. The second real situation. (a) The second real situation with 600 samples and one test sample. (b) The second real situation with variation tendency curves.

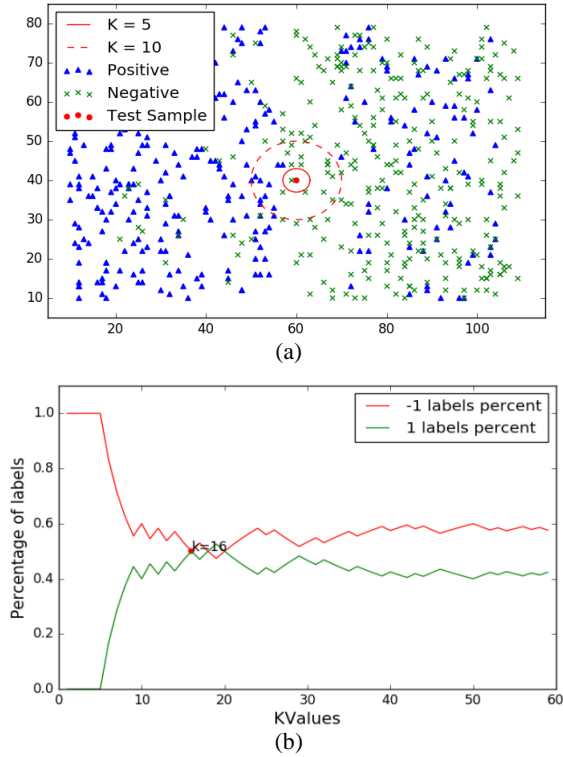


Figure 4. The third real situation. (a) The third real situation with 600 samples and one test sample. (b) The third real situation with variation tendency curves.

Criterion 3: If the percentage difference in the left-inclusive interval $[k_{\min}, k_{\max}]$ is obvious, but in other parts, this difference is very small, the label of the test sample should be set to the class which has highest percentage within the left-inclusive interval $[k_{\min}, k_{\max}]$.

It can be seen from the above, the interval $[k_{\min}, k_{\max}]$ should be figured out before these criteria are carried out. Since k-NN is a typical example of lazy learning and simply stores training instances at training time and delays its learning process until classification time [30], a preprocessed step should be added to the traditional k-NN algorithm at first.

For the purpose of setting the interval $[k_{\min}, k_{\max}]$, an iterative algorithm is given in Algorithm 1. In each iterative, the training dataset and the testing dataset are selected randomly. And then, the intersections of each testing sample are calculated. After the iteration, the frequency of the intersections are counted up and the interval $[k_{\min}, k_{\max}]$ is fixed according to the frequency of the intersections with a frequency threshold.

Algorithm 1: interval selection

Input sample dataset: $D = \{(x, l) : x \in R^M, l \in L\}$, Iterative times N , threshold h , percentage of random selection p , kList=NULL, fList=NULL

Output: interval: $[k_{\min}, k_{\max}]$

- 1: For each iterative do
 - 2: Select p of samples randomly as training dataset D_{train} , testing dataset D_{test} contains The remaining samples.
 - 3: Calculate matrix T of each sample in D_{test} with samples in D_{train} .
 - 4: for each T do
 - 5: Calculate intersections, get k value list k_{x_i} and frequency list f_{x_i} of these intersection.
 - 6: Combine k_{x_i} to kList and f_{x_i} to fList.
 - 7: According to h , get list $\{k_i, k_{i+1}, \dots, k_j\}$ by removing the k value whose frequency is beyond h .
 - 8: set $k_{\min} = \min\{k_i, k_2, \dots, k_j\}$
 $k_{\max} = \min\{k_i, k_2, \dots, k_j\}$
 - 9: Output $[k_{\min}, k_{\max}]$
-

4. EXPERIMENTS

4.1 Dataset Description

The dataset used in the experiments are the Facebook dataset from the myPersonality project [34]. The myPersonality is a popular Facebook application in which users take a standard BIG5 Factor Model psychometric questionnaire and give consent to record their responses and Facebook profiles. For a given Facebook user's profile, the experiments use Dk-NN to predict the user's BIG5 label.

The original personality trait score is in the range of 1 to 5. In order to get classify label, this interval can be transformed into the

following classes: low, medium and high [35]. Considering the distribution of personality score of all users, for each personality trait, the low class is assigned to those scores that are below the 33th percentile, the medium class is assigned to those scores that are between the 33th and 66th percentiles, and the high class is assigned to those scores that are exceed 66th.

In this paper, we mainly focus on the prediction of the high and the low class users. As a result, 10,718 high score samples and 9,422 low score samples are selected from the Facebook dataset. Table I shows the description about these samples. Two thirds of them are chosen as the training samples randomly, and the left is the testing samples.

Table 1. Experiment Facebook datasets.

Dataset	Label	Number of Profiles	Number of Samples
High Score Dataset	+1	64	10,718
Low Score Dataset	-1	64	9,422

4.2 Process of Experiments

First of all, the interval $[k_{min}, k_{max}]$ is fixed according to Algorithm 1. Each test sample's matrix \mathbf{T} is calculated using Formula 3 and the frequency of k value is showed in figure 5. According to the frequency threshold, the k value, whose frequency is below 10, is removed from the k value list. Thus, the interval $[k_{min}, k_{max}]$ is fixed as $[2, 232]$.

Secondly, based on the matrix of each test sample is calculated. And then, the class of the test sample is determined by analyzing the variation tendency of the percentage curves according to three criterions. As a result, 5921 testing samples are labeled correctly by Dk-NN algorithm. Among these right labeled samples, about 51 percent samples are labeled by criterion 2. This indicates that nearly half part of Facebook users have obvious difference with the samples which have different label. About 27 percent and 22 percent samples are classified by Criterion 1 and 3 respectively. The result shows that the Facebook testing dataset contains outliers.

Finally, the classification accuracy of the Dk-NN algorithm with dynamic k is compared with that of the traditional k -NN algorithm with $k=1, 3, 5, 7$ and $\lceil \sqrt{N} \rceil$. Table 2 gives the comparison results.

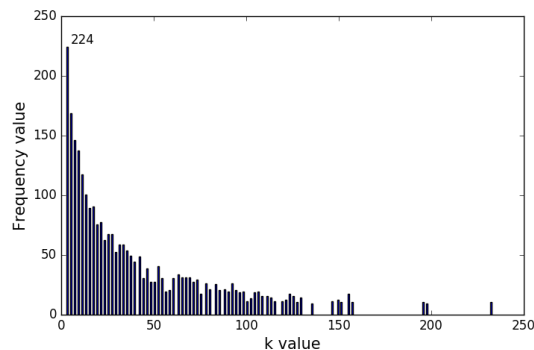


Figure 5. The frequency of k value list.

It can be seen that the Dk-NN algorithm has outperformed the traditional k -NN algorithm. The classification precision of the Dk-NN is equivalent to the k -NN with fixed $k=130$, but it is higher than the other k -NN algorithm. In the recall and F value, the

proposed algorithm has much improved performance compared to the other k -NN algorithms.

Table 2. Experiments result of Dk-NN and k -NN.

	k value type	k value	precision	recall	F
k-NN	Fixed	1	0.7467	0.7196	0.7329
k-NN	Fixed	3	0.8328	0.7601	0.7948
k-NN	Fixed	5	0.8560	0.7670	0.8091
k-NN	Fixed	130	0.9081	0.7046	0.7935
Dk-NN	dynamic	[2,232]	0.8911	0.7800	0.8319

5. CONCLUSIONS

This paper proposes an improved k -NN algorithm, which is called as Dk-NN. In this algorithm, the parameter k , which is fixed in the traditional k -NN, is designed as a dynamic value. Furthermore, an algorithm is presented to determine the interval of the dynamic k value. Experiments on real dataset demonstrate that our proposed algorithm has better classification accuracy in comparison with the traditional k -NN algorithm.

In the future, how to cope with imbalance samples and multi-label classification problems will be studied.

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