

# 9/9/2022 : BASICS OF MATHEMATICA

`In[ ]:= 2 + 3`

`Out[ ]:= 5`

`In[ ]:= 6 ^ 3`

`Out[ ]:= 216`

`In[ ]:= 23 * 21`

`Out[ ]:= 483`

`In[ ]:= 25 / 4`

`Out[ ]:=  $\frac{25}{4}$`

`In[ ]:= 25 / 5`

`Out[ ]:= 5`

`In[ ]:= 999 - 678`

`Out[ ]:= 321`

`In[ ]:= 2 * 3`

`Out[ ]:= 6`

`In[ ]:= 5 \2`



`...` **Syntax:** 3 octal digits are required after \ to construct an 8-bit character.

`...` **Syntax:** "5 \2" is incomplete; more input is needed.

`In[ ]:= 20 // 3`

`Out[ ]:= 3 [20]`

`times[3, 4]`

`Out[ ]:= times[3, 4]`

`In[ ]:= Divide[45, 5]`

`Out[ ]:= 9`

`In[ ]:= 2.5 * 5.2`

`Out[ ]:= 13.`

`In[ ]:= 2. / 3.`

`Out[ ]:= 0.666667`

`In[ ]:= 2 / 3`

`Out[ ]:=  $\frac{2}{3}$`

`In[ ]:= Plus[5, 7]`

`Out[ ]:= 12`

`In[ ]:= Subtract[45, 7]`

`Out[ ]:= 38`

`In[ ]:= A * B`

`Out[ ]:= A B`

`Out[ ]:=  $\frac{A^2 B}{2}$`


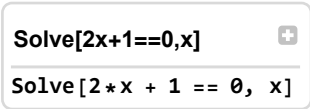
// MATHEMATICA ALLOWS BOTH NUMERIC AND CONSTANT CALCULATION. IN MATLAB, THE VARIABLE SHOULD BE DECLARED FIRST AND THEN USED.

`In[ ]:= 2 * A`

`Out[ ]:= 2 A`

// EVERY INPUT COMMAND IN MATHEMATICA IS INPUT USING THE BRACKETETS

// COMMAND FUNCTION HAS FIRST LETTER CAPITAL IN ITS DEFINITION / DECLARATION

`In[ ]:=  `

$\left\{ \left\{ x \rightarrow -\frac{1}{2} \right\} \right\}$

`In[ ]:=`

**Solve**[{2x+3y==0, 3x+4y==0}, {  
 {{x, y}}  
 { {2\*x + 3\*y == 0, 3\*x + 4\*y == 0}, {{x, y}}} }

`Out[ ]:= { {2 x + 3 y == 0, 3 x + 4 y == 0}, { { {x, y} } } }``In[ ]:= ? Sqrt [ ]``Out[ ]:= Missing[UnknownSymbol, Sqrt [ ] ]`

■ ; - FOR COMMENTS (\*\*) SHOWS THE DECIMAL REPRESENTATION FOR THE GIVEN EXCEPTION

`In[ ]:=``= n[PI, 6]``In[ ]:= Sqrt [400]``Out[ ]:= 20``In[ ]:= N[%%]``Out[ ]:= 2.``In[ ]:= D[y & 2, y^95, 3 + 12]`

General:  $y^{95}$  is not a valid variable.

`Out[ ]:=  $\partial_{y^{95}, 15} (2 (y \&))$` `In[ ]:= Floor [2.3]``In[ ]:= Ceiling [5.6]``:``In[ ]:= Sin [30]`

// %% sign jumps to the number of given to amphasend { &} or any variable / number specified.

`Out[ ]:= Sin [30]``In[ ]:=`

**Sin**[60] >> +  
 Sin [60\*Degree]

`Out[ ]:=  $\frac{\sqrt{3}}{2}$` `N[tan [45]] :``Out[ ]:= tan [45.]`

```
In[ ]:=  tan[45]  
```

```
Tan[45 * Degree]
```

```
1 :=
```

```
In[ ]:= num = {1, 2, 3, A, B, C, D}
```

```
Out[ ]:= {1, 2, 3, A, B, C, D}
```

```
In[ ]:= Length[num]
```

```
Out[ ]:= 7
```

```
// MatrixForm : used to print a given 2 d array into proper matrix form
```

```
m = {{1, 2, 3}, {2, 6, 4}}
```

```
m
```

```
Out[ ]:= {{1, 2, 3}, {2, 6, 4}}
```

```
Out[ ]:= {{1, 2, 3}, {2, 6, 4}}
```

```
In[ ]:= m // MatrixForm
```

```
a
```

```
Out[ ]//MatrixForm=
```

```

$$\begin{pmatrix} 1 & 2 & 3 \\ 2 & 6 & 4 \end{pmatrix}$$

```

```
/. REPLACEMENT OPERATOR
```

```
In[ ]:= X + Y + 4
```

```
Out[ ]:= 4 + X + Y
```

```
In[ ]:= x + y + 4 /. {x -> 4, y -> 7}
```

```
Out[ ]:= 15
```

**MATHEMATICA :: FASTER ANSWERS,  
ACCURATE ANSWERS AND CHANGE THE DESIRED PRECISION FOR A SOLUTION OF THE QUESTION**

**DEFINING FUNCTIONS** → **f[x\_] := x^2** where f is the name of the function.

```
In[ ]:= Clear[x]
```

```
In[ ]:= f[x_] := x^3
```

```
In[ ]:= z = f[4 x + 2 x^3 + 4 * x^2]
```

```
Out[ ]:=  $(4 x + 4 x^2 + 2 x^3)^3$ 
```

```
In[ ]:= N[z]
```

```
Out[ ]:=  $(4. x + 4. x^2 + 2. x^3)^3$ 
```

In[ ]:= **Expand** [  $(4. x + 4. x^2 + 2. x^3)^3$  ]

Out[ ]:=  $64. x^3 + 192. x^4 + 288. x^5 + 256. x^6 + 144. x^7 + 48. x^8 + 8. x^9$

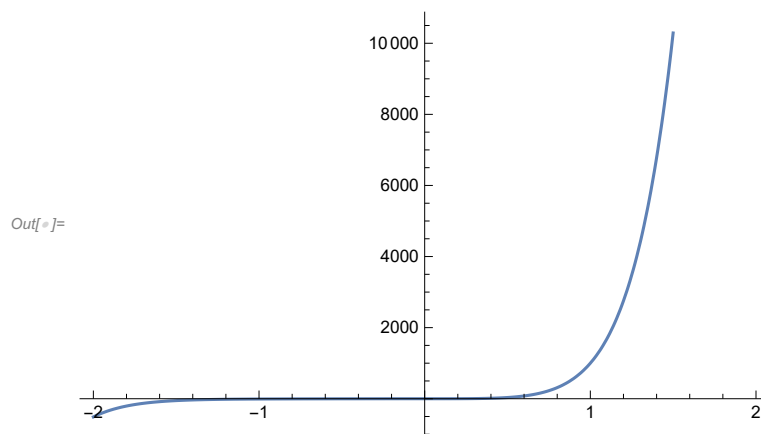
**Expand [ ]** simplifies the whole polynomial equation

In[ ]:= **Expand** [z]

Out[ ]:=  $64 x^3 + 192 x^4 + 288 x^5 + 256 x^6 + 144 x^7 + 48 x^8 + 8 x^9$

**ClearAll** : clears all the values stored in the created Variables

**Plot** [z, {x, -2, 2}]

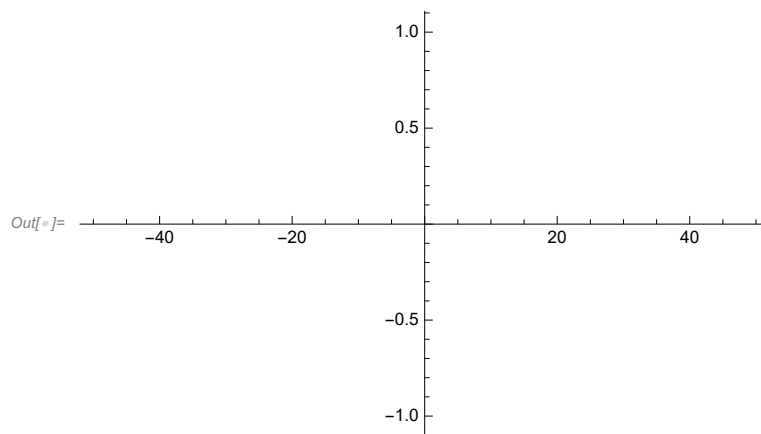


In[ ]:= **f** [m\_] := m^3

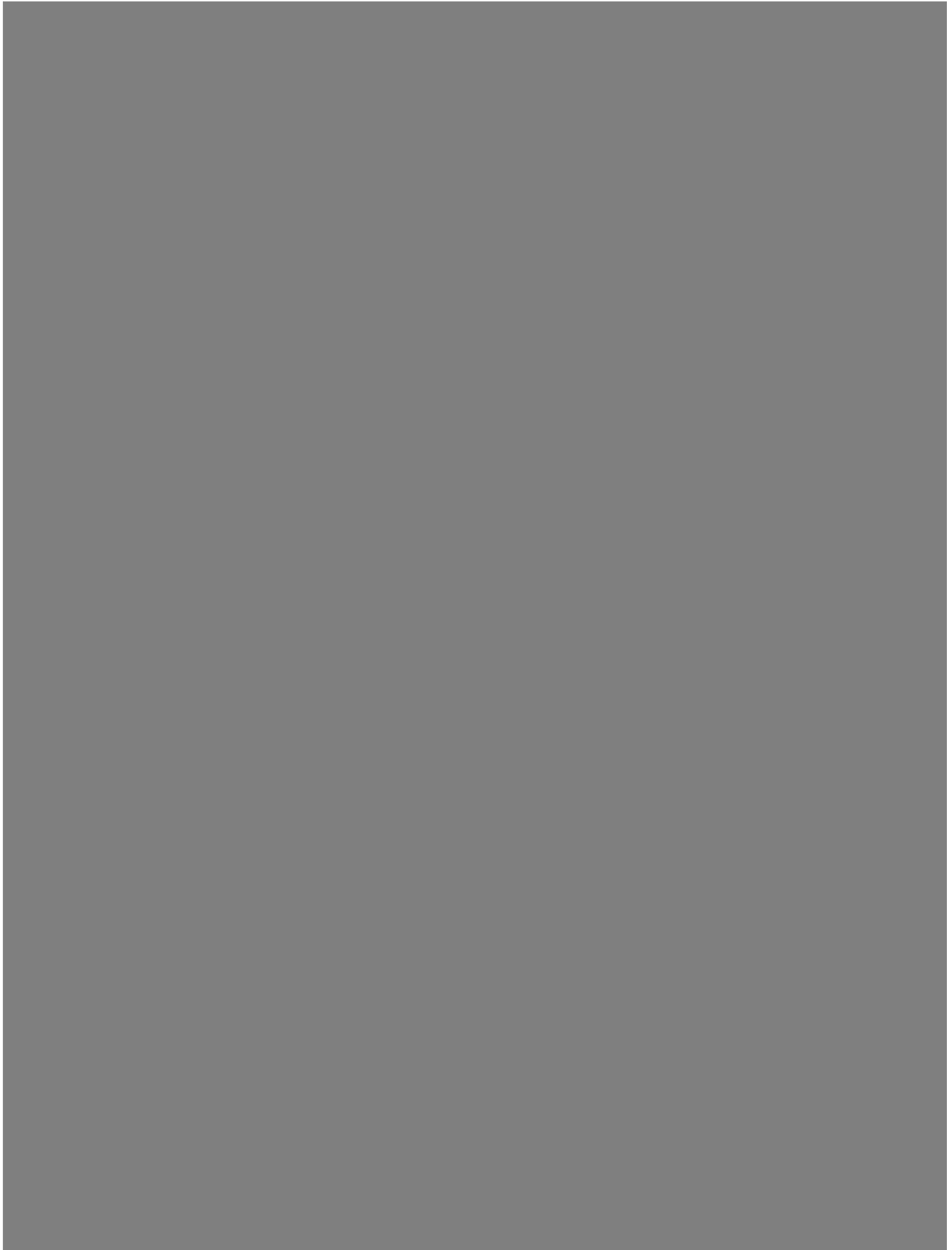
**mm** = **f** [2 x^2 - 3 x + 5]

**Plot** [mm, {m, -50, 50}]

Out[ ]:=  $(5 - 3 x + 2 x^2)^3$



$ln[\#] :=$   **SUM(23+34)**



$\ln[ ] :=$   **2300/23+234-23**





$\ln[ ] :=$ **23.433-22\*23/23**

