



## The Realizable Case - Quadratic program



 Start of transcript. Skip to the end.

We can also solve the problem by actually solving

the optimization problem.

So for example, if we take the simple case

where we don't allow any errors, the problem

is linearly separable and we don't allow any errors.

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## The realizable case 1

1/1 point (graded)

In the realizable case, which of the following is true?

- $\bigcirc$  There is exactly one  $( heta, heta_0)$  that satisfies  $y^{(i)}\,( heta\cdot x^{(i)}+ heta_0)>=1$  for  $i=1,\dots n$ .
- $\bigcirc$  There are more than one, but finite number of  $( heta, heta_0)$  that satisfy  $y^{(i)}$   $( heta\cdot x^{(i)}+ heta_0)$  >=1 for  $i=1,\dots n$ .
- lacksquare There are infinitely many  $( heta, heta_0)$  that satisfy  $y^{(i)}$   $( heta\cdot x^{(i)}+ heta_0)$  >=1 for  $i=1,\dots n$ .



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You have used 2 of 2 attempts

## The realizable case 2

1/1 point (graded)

Remember the objective function

$$J\left( heta, heta_0
ight) = rac{1}{n}\sum_{i=1}^n \operatorname{Loss}_h\left(y^{(i)}\left( heta\cdot x^{(i)} + heta_0
ight)
ight) + rac{\lambda}{2}\mid\mid heta\mid\mid^2$$

In the realizable case, we can always find  $(\theta, \theta_0)$  such that the sum of the hinge losses is 0. In this case, what does the objective function J reduce to?

