## SC 627

## Assignment 2

21323600 I

Smit Reserve

9) Plan a path using given potential planner

Uest = \int 1 \( \lambda^2 (q, q good) \\ d \( \lambda^2 \) good \( \lambda^2 \) good \( \lambda^2 \) \( \lambda^2 \) good \( \lambda^2 \) g

Unof =  $\int_{1}^{2} \left(\frac{1}{2}, \frac{1}{2}\right)$   $\int_{0}^{2} \left(\frac{1}{2}, \frac{1}{2}\right)$ 

To plan path using potential function we need to find the gradients of attractive and repulsive function and minimize the attractive gradients and repulsive gradients

 $\nabla u(q) = \left\{ \frac{\partial}{\partial n} u(q), \frac{\partial}{\partial q} u(q) \right\}$ 

gradient gives a vector in the increasing direction of the function

:. Tuad = \( 0.8 (x-ng), 0.8(y-yg), d(q, qgod < L)
\[ \left( \frac{1.6}{0.8(y-yg)}, \frac{1.6(n-ng)}{0.6(q, qgod)}, \frac{0.8(y-yg)}{0.8(y-yg)}, \frac{0.8(y-yg)}

 $\sqrt{1 - \frac{1}{2}} = \frac{0.8}{2} \left(\frac{1}{2} - \frac{1}{2}\right) \frac{1}{2} \left(\frac{1}{$ 

di (e) is the olistence from point o to'i' obstacle

final potential path planner is

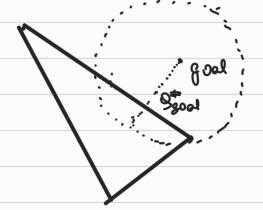
Dir=- Tuat - (\$\frac{5}{2}\taurep(i))

Where Turep(i) is Turep for ith state

Dir is the direction in which the robot should move stop size distance.

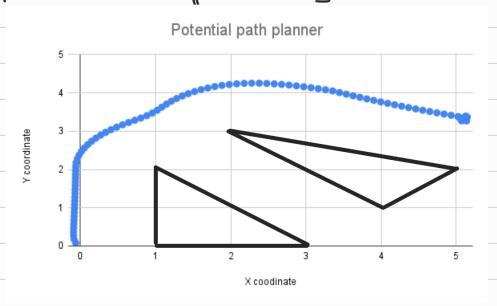
: en itallisse ref meitanis lax ?

The robot should stop at minima of altractive function but here, the quantity of expects the minima



The factor 3t good says that if the robot is in the distance but then equal to 9t good, then it will emporione supulsive force. Since our good point is in the 9t good radius from the obstace, the robot will emporione supulsive force, but at the sense time it will experience attreutive force as it moves away from good. Hence the solvent obtilistes

## Path planned and followed by robot:



## Distance to goal with time

