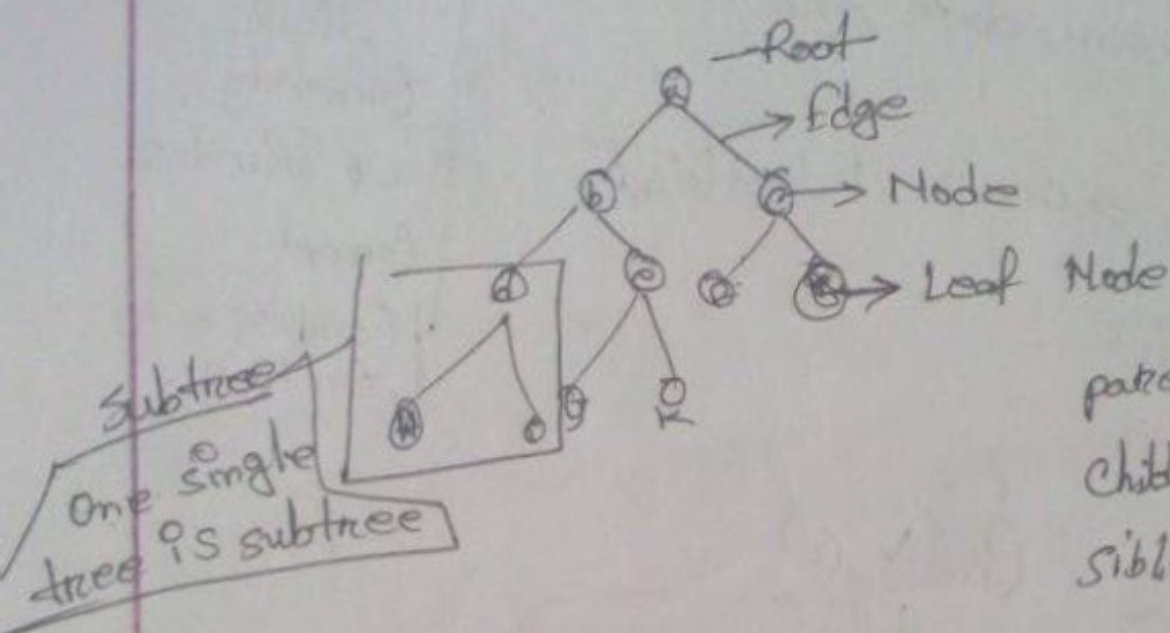


Tree



Level $\rightarrow 0$ ~~give~~ start $\rightarrow 3$

height \rightarrow level + 1 $\rightarrow 3 + 1 = 4$

Degree \rightarrow Number of edge

$$a = 2$$

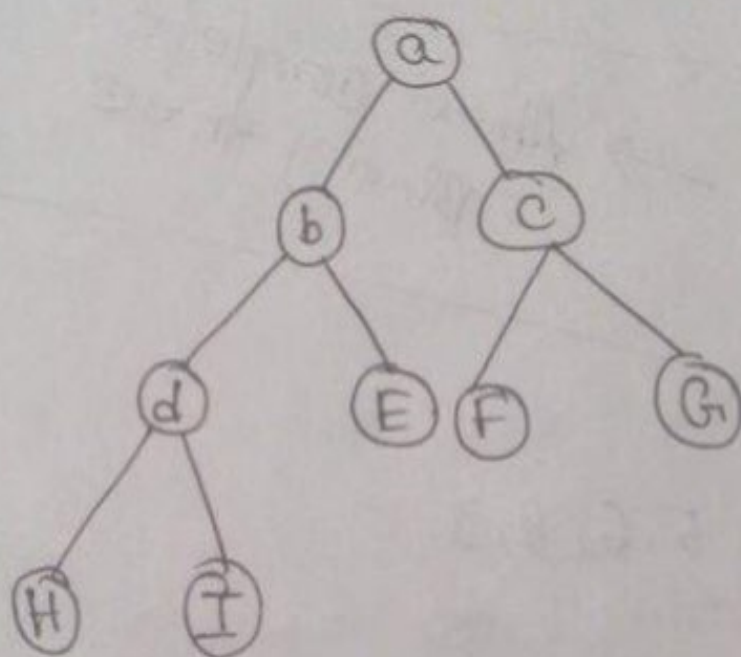
$$c = 5$$

Ancenstore of "f" $\rightarrow a, c$

Descendant of "b" $\rightarrow d, e$

Tree-traversal

1. Pre-side \rightarrow Root, L, R
2. In-side \rightarrow L, Root, R
3. post-side \rightarrow L, R, Root



pre \rightarrow a, b, d, H, I, E, c, F, G

In \rightarrow H, d, I, b, E, a, F, c, G,

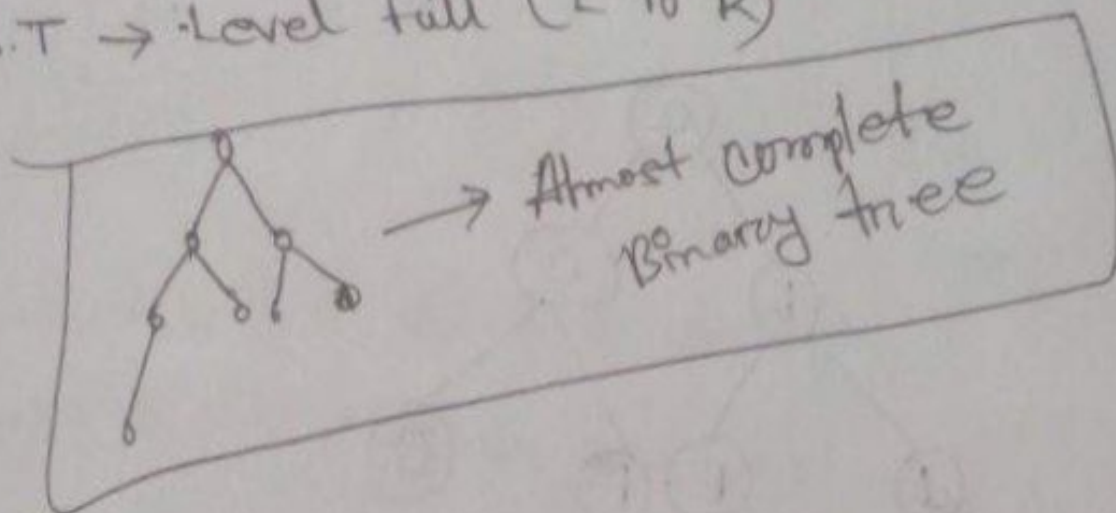
post \rightarrow H, I, d, E, b, F, G, c, a

Binary tree \rightarrow At most 2 (0/1/2)

Full B.T \rightarrow 0/2

~~BT~~

A.C.B.T \rightarrow Level full (L to R)



B.S.T

key \geq 11, 42, 5, 6, 8, 3

Root $>$ L

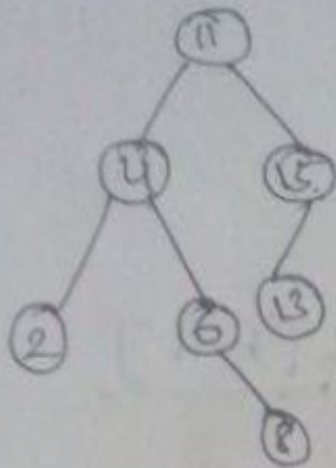
Root $<$ R

Note: Root = key ~~note~~ रहता,

Condition $\text{key} \leq \text{Root}$ then
Left.

It's called left bias
Condition $\text{key} > \text{Root}$ then
Right

It's called Right bias.



pre: 11, 4, 2, 6, 8, 15, 13

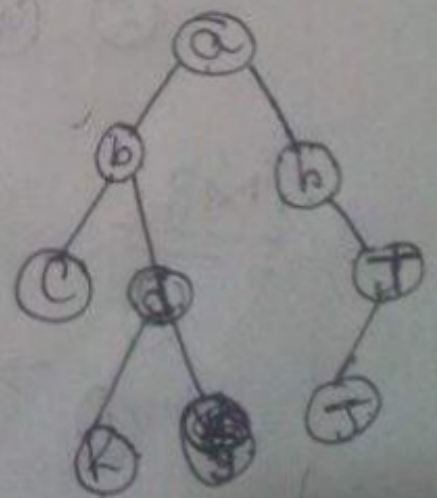
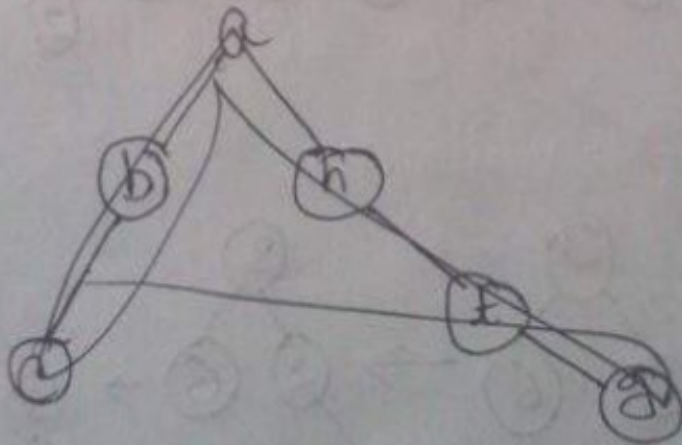
in: 2, 4, 6, 8, 11, 13, 15

post: 2, 8, 6, 4, 13, 15, 11

pre \rightarrow a, b, c, d, k, y, h, t, j

in \rightarrow c, b, k, d, y, a, h, j, t

post \rightarrow c, k, y, d, j, h, a



Heap \rightarrow 'Operative', order

struct \rightarrow A.C.B.T

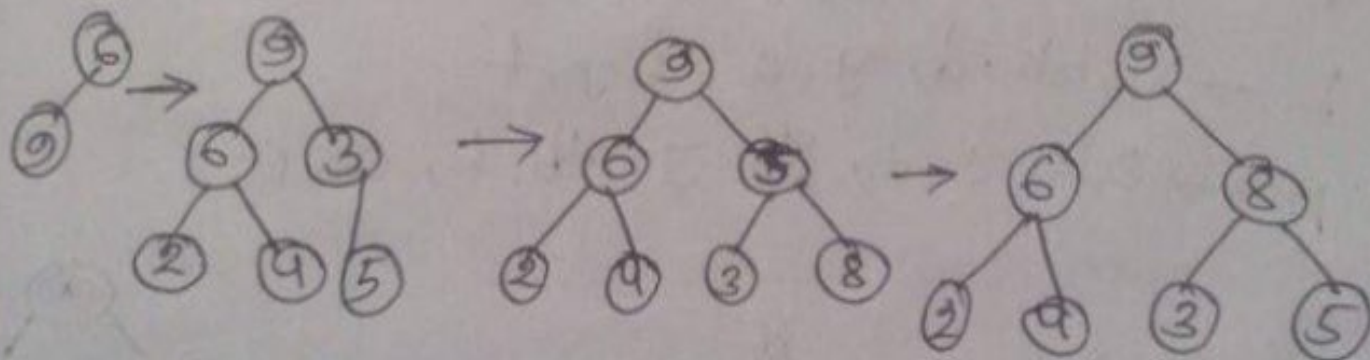
Max - Min [Heap]

Parent $>$ child \rightarrow in Max

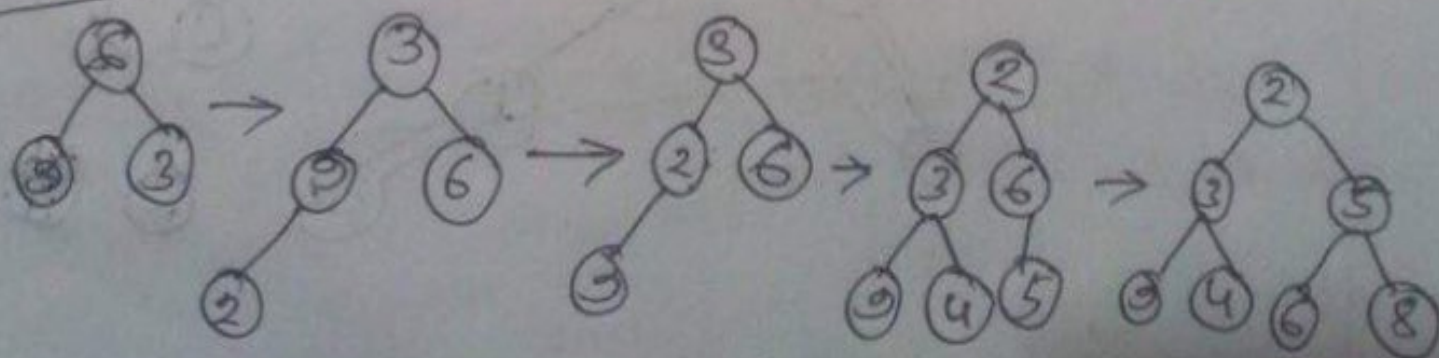
Parent $<$ child \rightarrow in Min

Example: Max

6, 9, 3, 2, 4, 5, 8

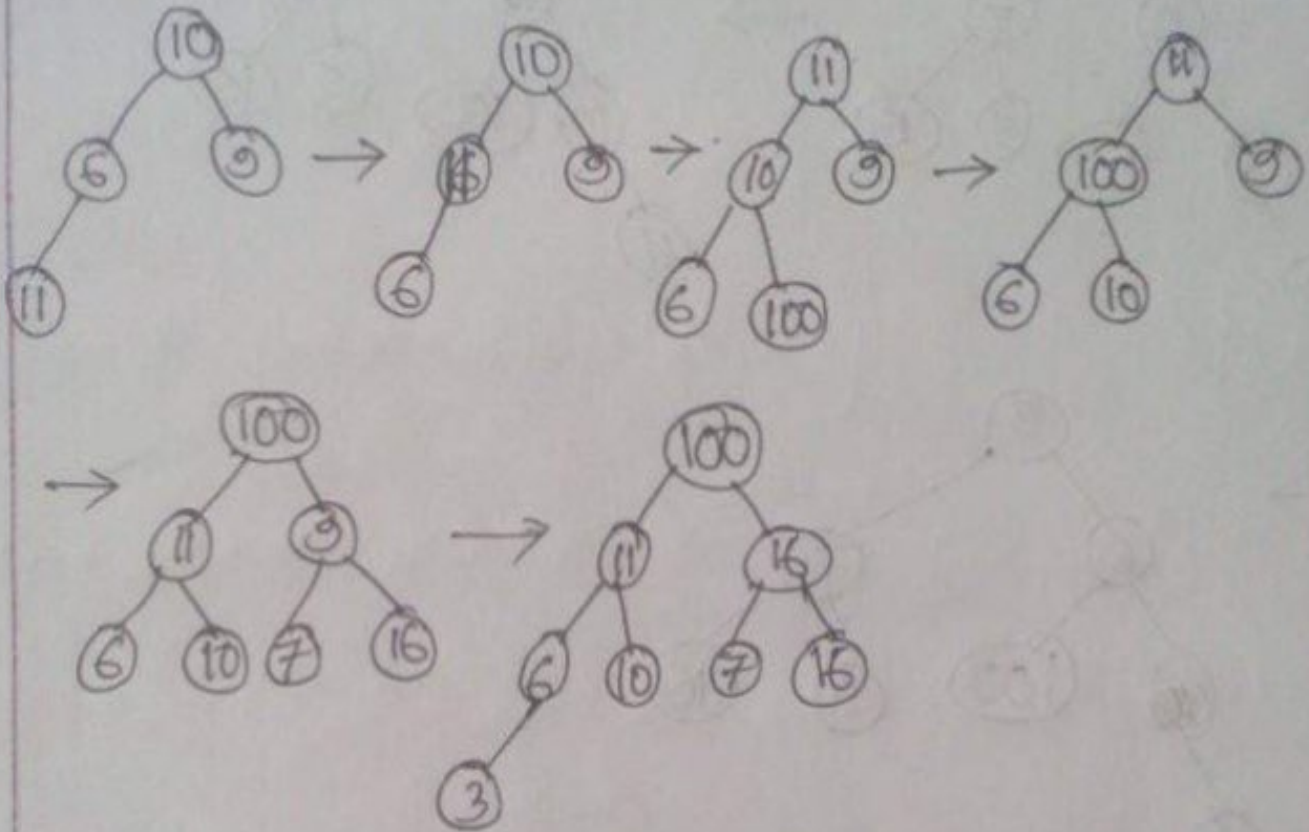


Min:

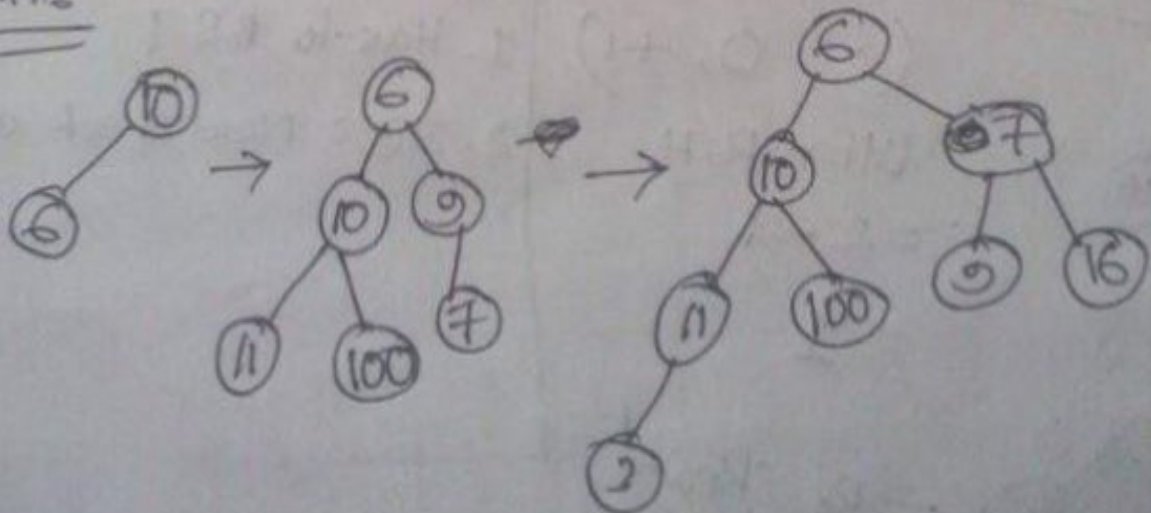


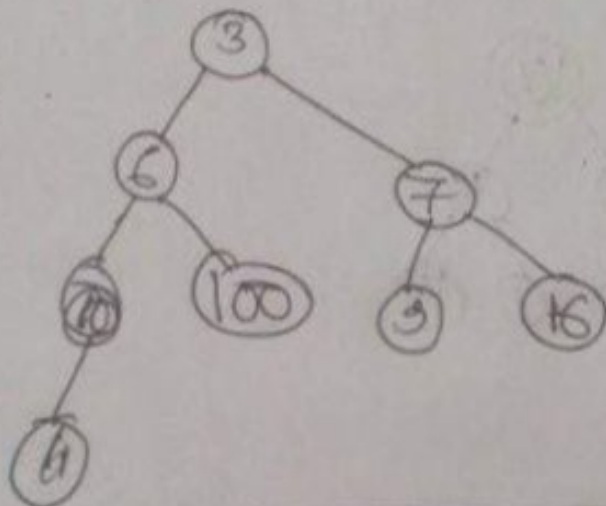
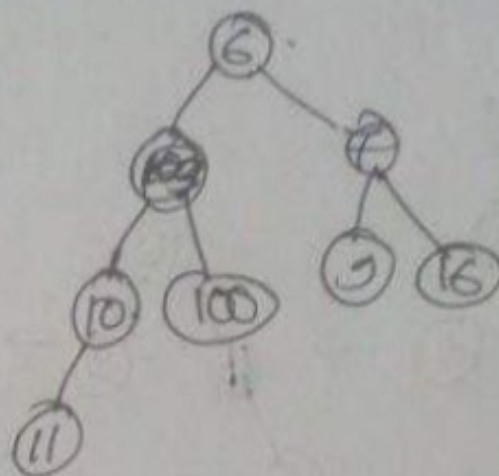
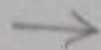
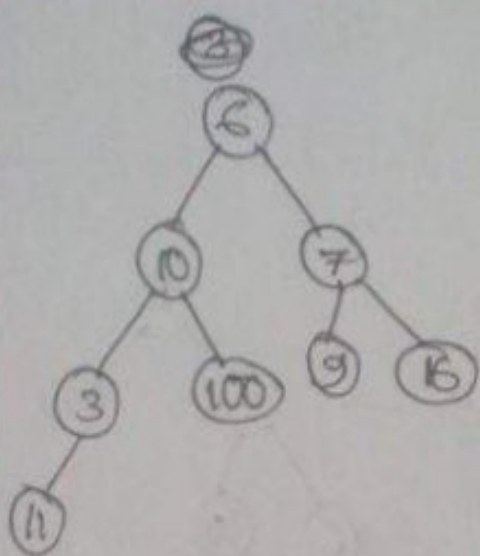
10, 6, 9, 11, 100, 7, 16, 3

Max:



Min:





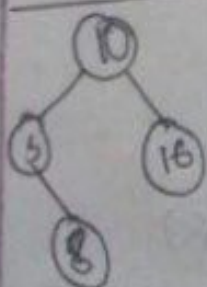
Balanced B.S.T \rightarrow ALL

H \rightarrow Height

अथ

1. Has to B.S.T

2. प्रत्येक Node check करे रहे



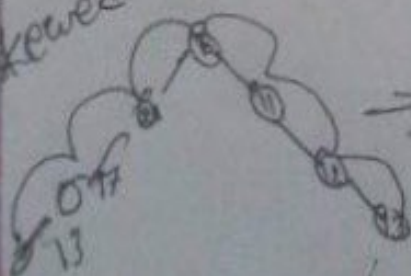
$(-1, 0, +1)$

L.H - R.H

$= 2 - 1$

$= 1$

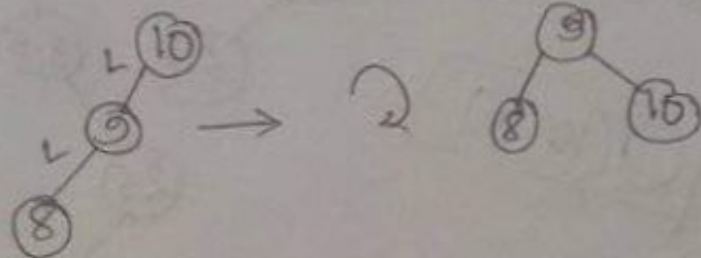
Left skewed



\rightarrow Right skewed tree

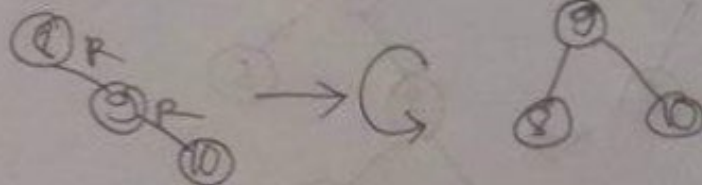
LL, RR, LR, RL

LL: 10, 9, 8



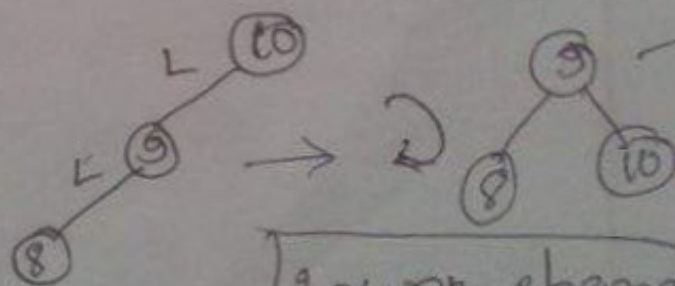
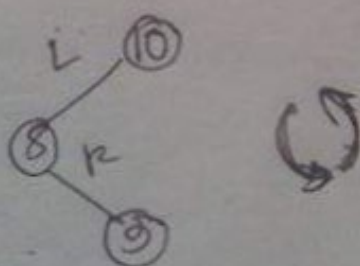
Upper change

RR: 8, 9, 10



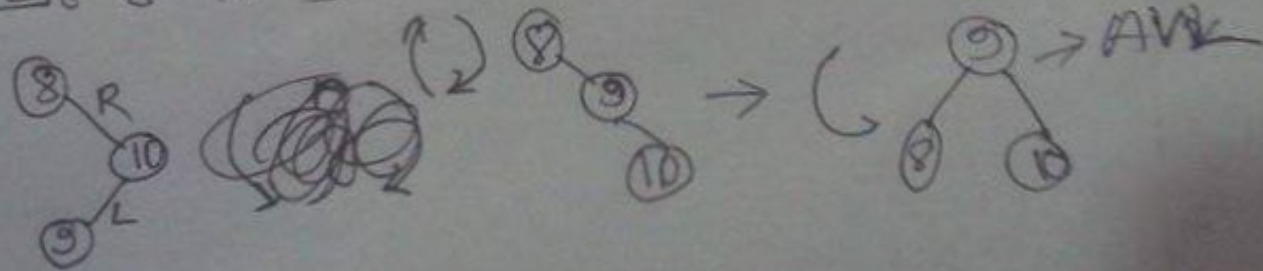
LR: 10 8 9

Left child LL case



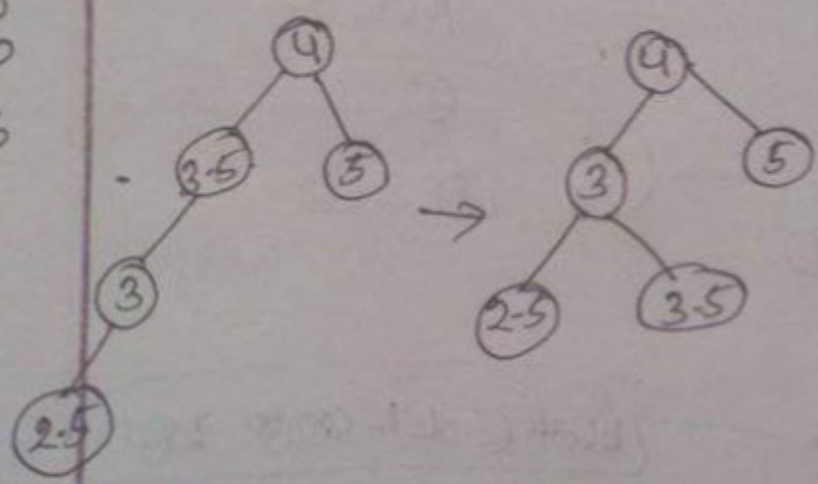
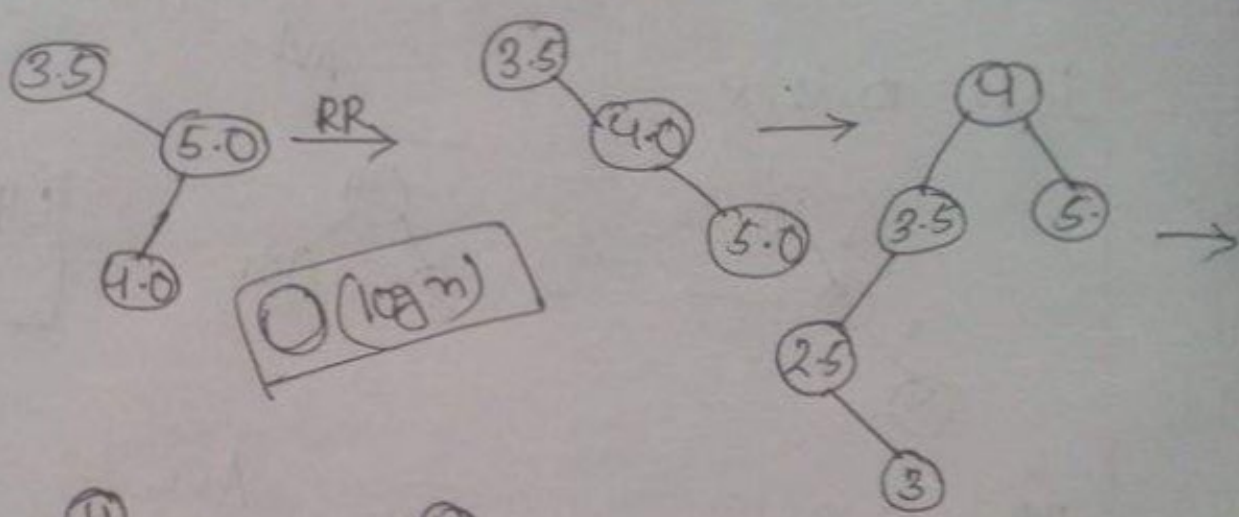
Lower change

RL: 8 10 9



3.5, 5.0, 4.0, 2.5, 3.0, 6.0, 7.8, 2.0,
2.8

7th
for binary tree & binary search



Delete

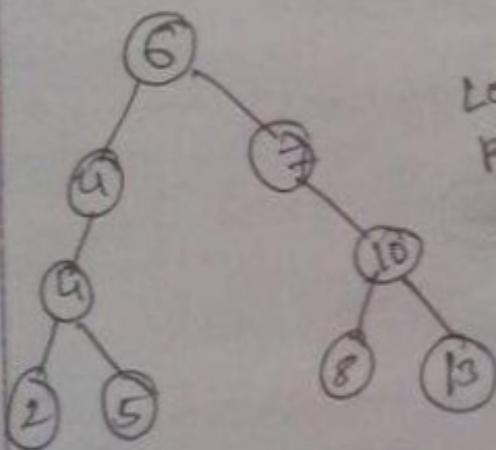
~~Mother~~ node

leaf node delete \rightarrow only delete

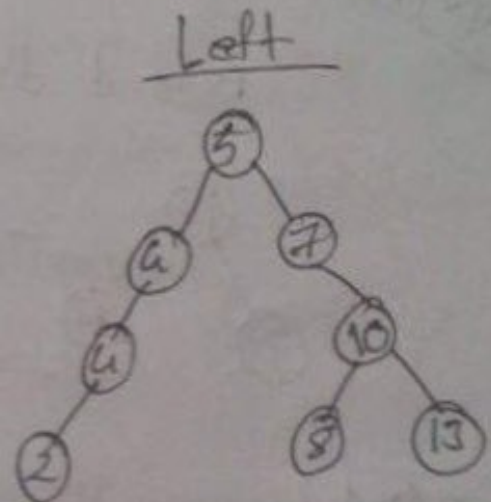
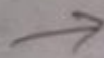
intermediat node delete \rightarrow delete middle add
grand mom and child

mother node delete.

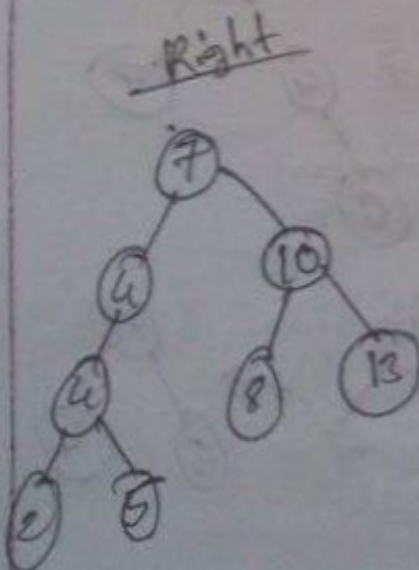
* ~~Node~~ left er bro child, Right child ~~er~~ choto child



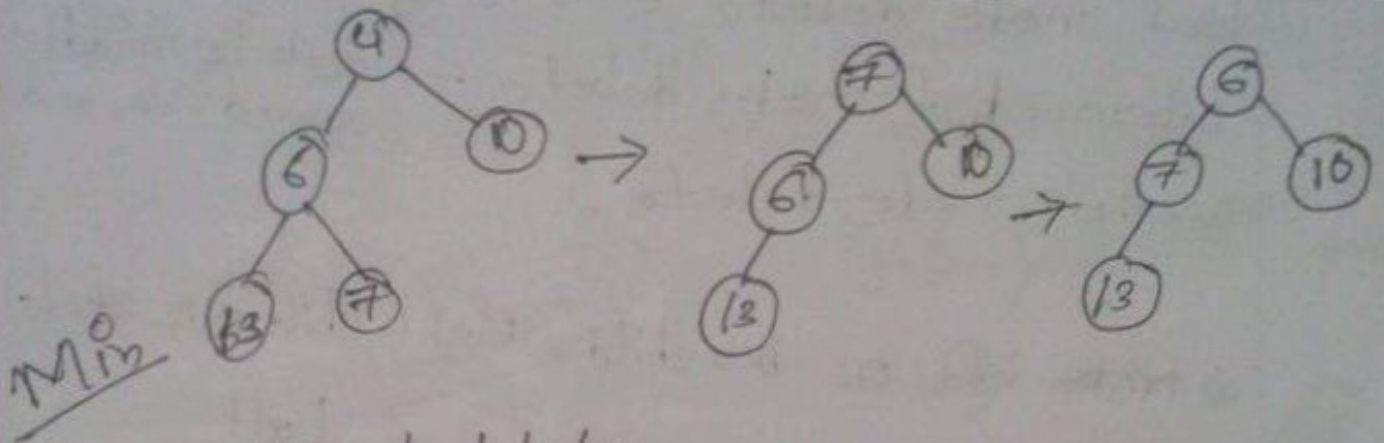
Left - ~~bro~~
Right - choto



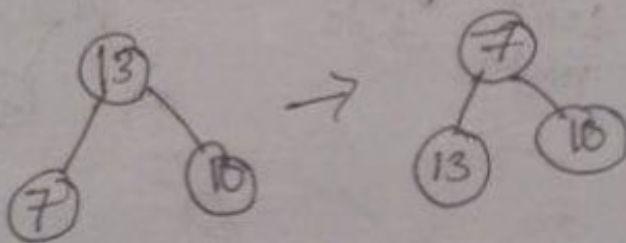
Mother



If Δ delete root there \rightarrow ^{inserted} last node
 replace root



Second delete



Max

