

# Causality in Explainable AI

## Motivation and Methods

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# TL; DR

What's this talk about?



Explainability an increasingly core requirement of  
deployed AI/ML systems;  
Actionable and useful explanations are **causal** ones.  
How do the two sit together?

# Our Group's Research

## Explainable, Robust DL

- *Saliency Maps (Grad-CAM++) and Attributions*, AISTATS 2022, IEEE TBIOM 2021, WACV 2018
- *Causality in NNs*, ICML 2022, AAAI 2022, WACV 2021, ICML 2019, ICLR 2019, CVPR 2019
- *Antehoc Interpretability*, CVPR 2022
- *Attributional and Adversarial Robustness*, ECCV 2020, AAAI 2021

## Learning with Limited Labeled Data

### Thesis:

Towards learning robust reliable systems in evolving environments

Deep Learning,  
Machine Learning,  
Computer Vision

# Our Group's Research

## Explainable and Robust Learning

- **Saliency Maps (Grad-CAM++) and Attributions,** AISTATS 2022, IEEE TBIOM 2021, WACV 2018
- **Causality in NNs**, ICML 2022, AAAI 2022, WACV 2022, ICML 2019, CVPRW 2021
- **Antehoc Interpretability**, CVPR 2022
- **Attributional and Adversarial Robustness**, NeurIPS 2021, ECCV 2020, AAAI 2021

## Learning in Data/Label-Deficient Environments

- **Continual Learning**, CVPR 2022, WACV 2022, NeurIPS 2020, TPAMI 2021
- **Open-world Learning**, CVPR 2021
- **Few-shot/Zero-shot Learning**, WACV 2021, WACV 2020, CVPR 2019
- **Deep Generative Models**, WACV 2022, CVPR 2018, ICCV 2017

Deep Learning,  
Machine Learning,  
Computer Vision

On the Layerwise Hessian of Deep Neural Network Models, **AAAI 2021**; Submodular Batch Selection for Training Deep Neural Networks, **IJCAI 2019**; On Noise and Optimality in Neural Networks, **ICML 2018 Workshops**

*Causality in XAI*

# Explainability in AI: An Increasing Need



## European Union's General Data Protection Regulation (GDPR)

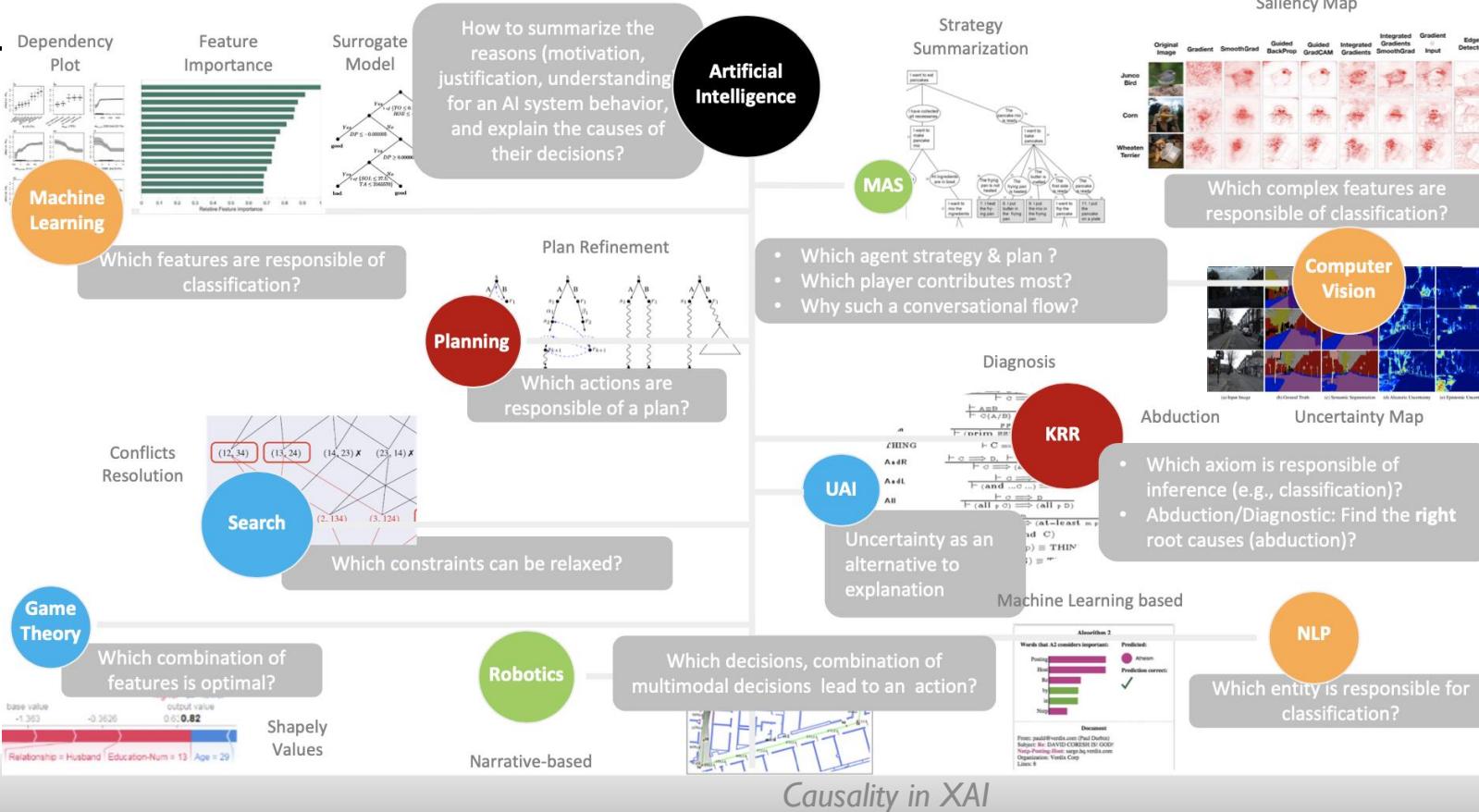
*“.....a business using personal data for automated processing must be able to explain how the system makes decisions. See Article 15(1)(h) and Recital 71 of GDPR.”*

**Algorithmic Accountability Act 2019:** Requires companies to provide an assessment of risks posed by an automated decision system to privacy or security and the risks that contribute to inaccurate, unfair, biased, or discriminatory decisions impacting consumers

**Right to Explanation:**  
[https://en.wikipedia.org/wiki/Right\\_to\\_explanation](https://en.wikipedia.org/wiki/Right_to_explanation)



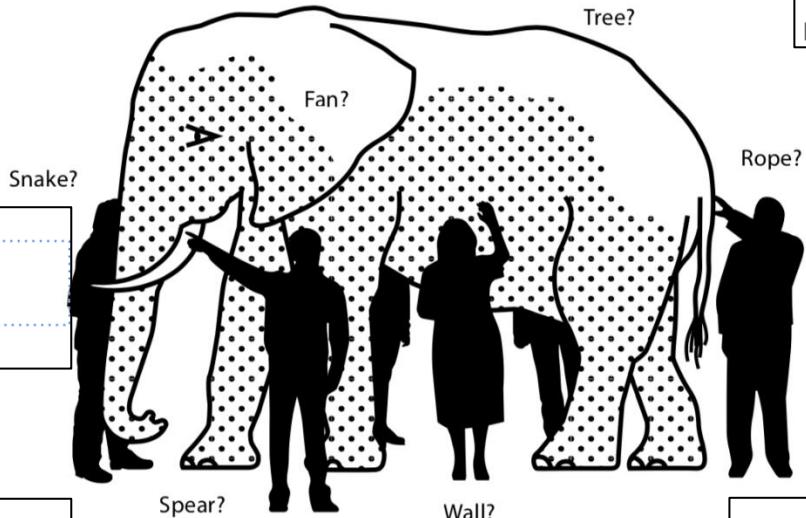
# Explainable ML: What is being done?



# The Elephant in the Room

What is it really?

**Functional:** For those who use it



Can I trust our AI decisions?



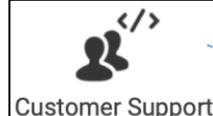
Is this the best model that can be built?



How do I monitor and debug this model?



Are these AI system decisions fair?



How do I answer this customer complaint?

# The Elephant in the Room

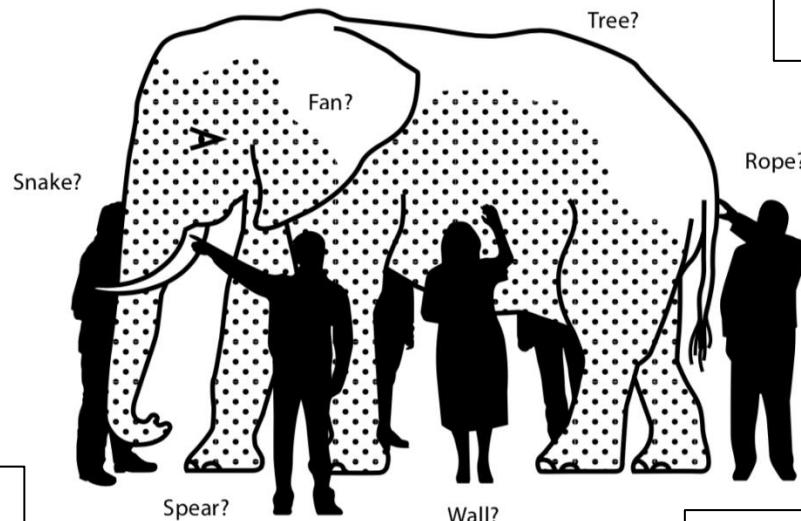
What is it really?

**Technical:** For those who build it

*Post-hoc  
explainable (vs)  
Intrinsically  
interpretable*

*Transparency (vs)  
Reasoning*

*Causal (vs)  
Correlational  
associations*



*Global (vs) Local  
explanations*

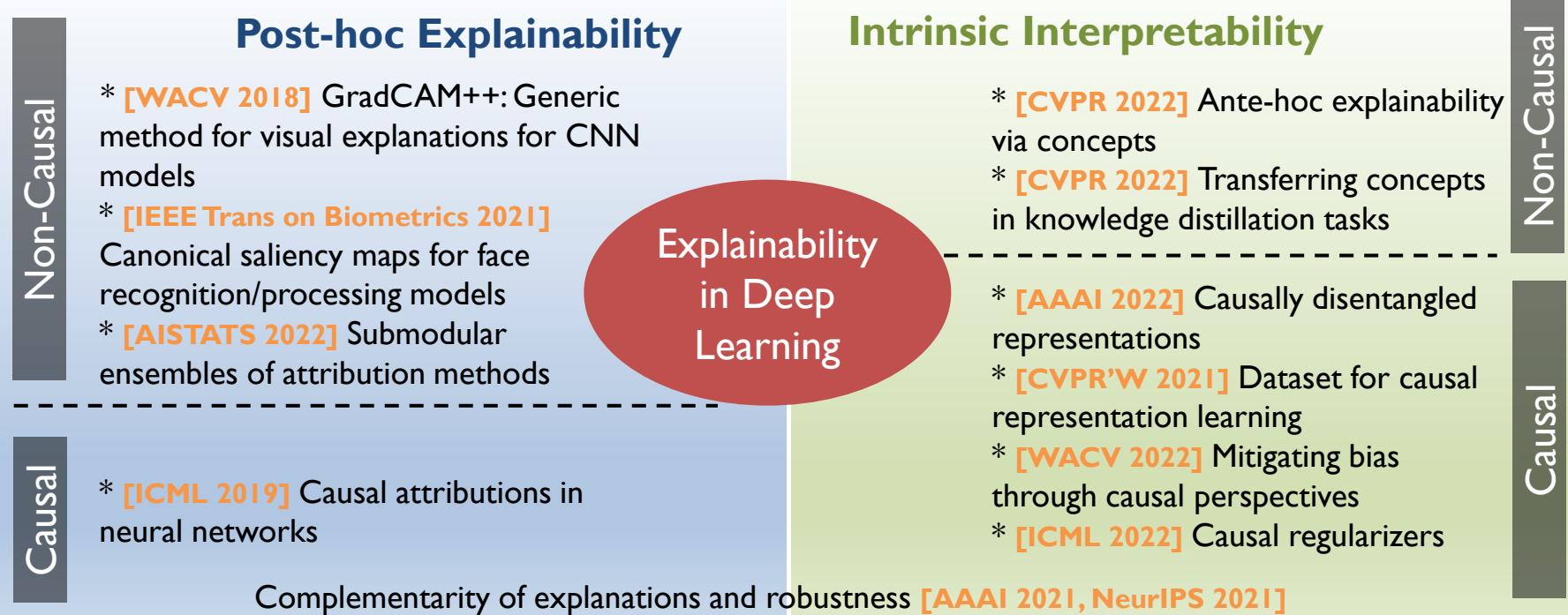
*Model-agnostic  
(vs) Model-specific  
approaches*

*Attributions (vs)  
Actionable  
Explanations*

*Feature-level (vs) Latent  
Concept-level Explanations*

# Viewing XAI from Different Perspectives

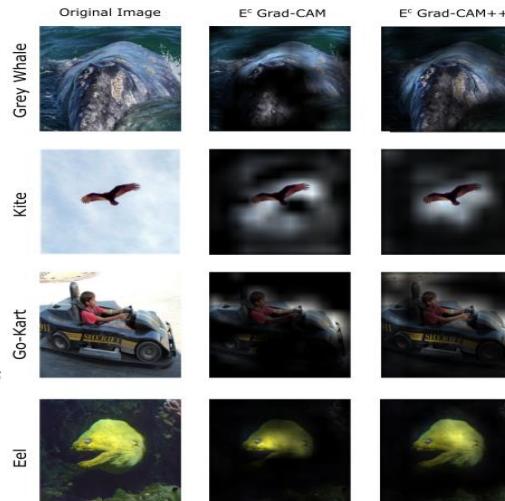
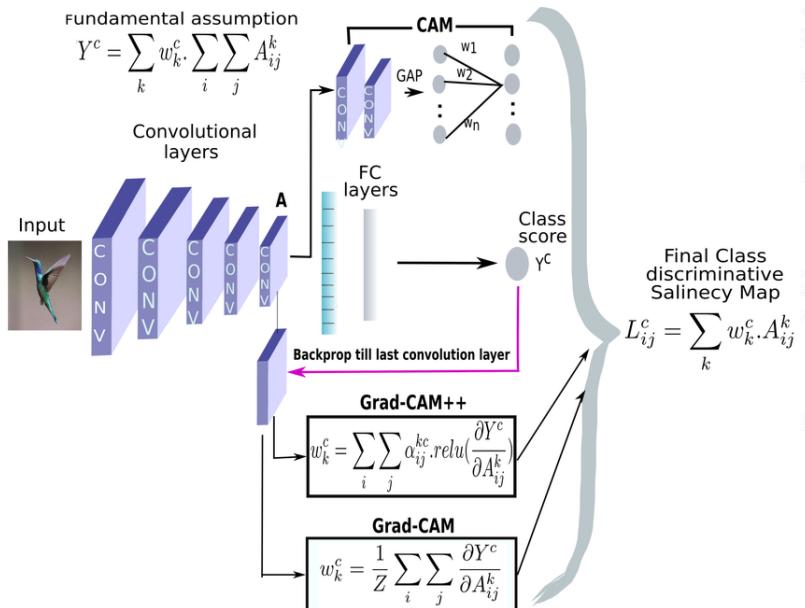
## Our Efforts



# Grad-CAM++

WACV 2018

## A pixel-level weighting strategy while computing gradients for explanations



Available on [arXiv](#),  
code on [Github](#)

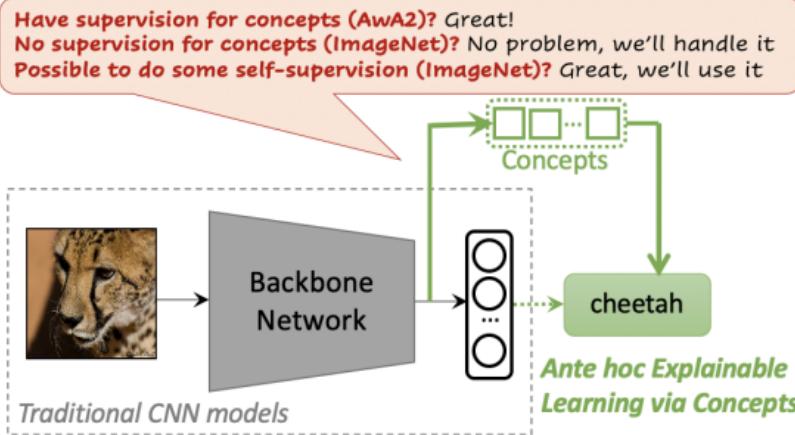
Has been used for:

- Explaining COVID-19 diagnosis in chest X-ray images
  - Finding defective cells in solar arrays
  - Explaining cancer prediction on gene expression data
  - Identification of pathogens in tomograms
  - Leaf counting, Genus classification in plant images
  - ...

*~1500 citations at this time*

# Ante-hoc Explainability via Concepts

CVPR 2022



Dataset	Baselines		OURS	
	SENN <sup>4</sup>	CBM <sup>5</sup>	w/o sup	w sup
CIFAR10	84.50	NA	91.68	NA
ImageNet	58.55	NA	65.09	NA
AwA2	76.41	81.61	81.04	85.70
CUB-200	58.81	64.17	63.05	65.28

Accuracy (in %) using ResNet18 architecture as concept (or base) encoder

- Learn latent concept-based explanations implicitly during training
- Append explanation generation module on any basic network and jointly train whole module.
- Provides explanations that are global (concepts that are most activated on a dataset or a class) or local (concepts that are most activated for prediction on given input image).
- Can be easily integrated with existing backbone networks.
- Works with different levels of supervision

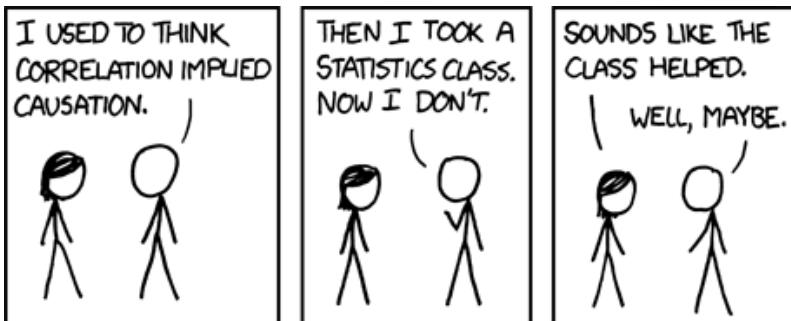
# Causal XAI: What and Why?



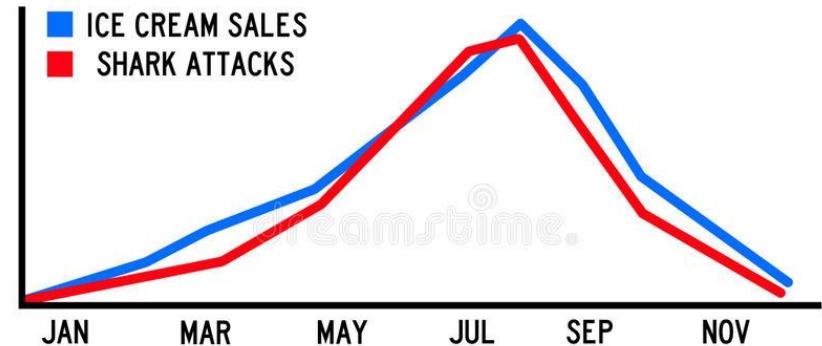
Alright, alright – but why causal?  
What are causal explanations?

# Causation vs Correlation

Is feature correlation of input to output a true explanation?



## CORRELATION IS NOT CAUSATION!



Both ice cream sales and shark attacks increase when the weather is hot and sunny, but they are not caused by each other (they are caused by good weather, with lots of people at the beach, both eating ice cream and having a swim in the sea)

# Simpson's Paradox

- Consider vaccines for COVID-19
  - Treatment T (Vaccine):** A (0) or B (1)
  - Condition C:** Mild (0) or Severe (1)
  - Outcome Y:** Alive (0) or Dead (1)

Mortality Rate Table

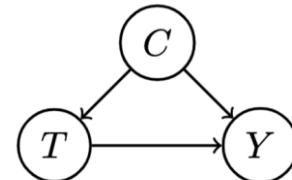
	Total
A	16% (240/1500)
B	19% (105/550)
	$\mathbb{E}[Y T]$

Which treatment to choose?

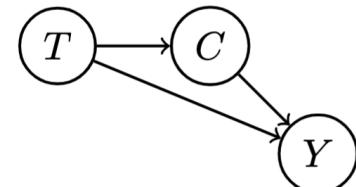
	Mild	Severe	Total
A	15% (210/1400)	30% (30/100)	16% (240/1500)
B	10% (5/50)	20% (100/500)	19% (105/550)
	$\mathbb{E}[Y T, C = 0]$	$\mathbb{E}[Y T, C = 1]$	$\mathbb{E}[Y T]$

Now, which treatment to choose?

Depends on the causal graph!



Treatment B

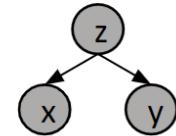
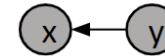
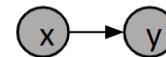


Treatment A

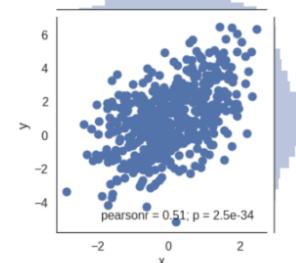
# Let's see a different perspective

Core objective in supervised ML tasks  
– how are  $x$  (data) and  $y$  (labels)  
related?

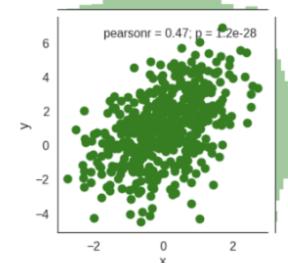
Same joint distribution  $p(x,y)$  can  
be generated by different variable  
relations!



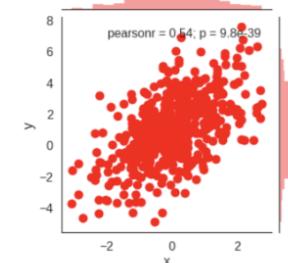
```
x = randn()
y = x + 1 + sqrt(3)*randn()
```



```
y = 1 + 2*randn()
x = (y-1)/4 + sqrt(3)*randn()/2
```



```
z = randn()
y = z + 1 + sqrt(3)*randn()
x = z
```



Credit: Gautam Gare, CMU

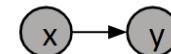
# Let's see a different perspective

Core obj  
– how

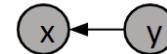
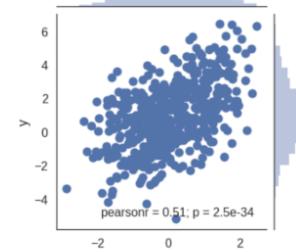
Why does it matter, so  
long it fits the data  
perfectly?

Same job  
be gene

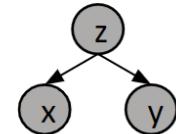
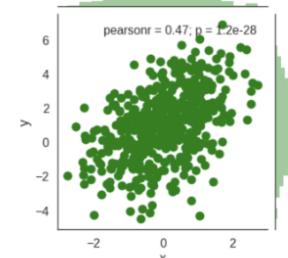
It only fits this data  
perfectly



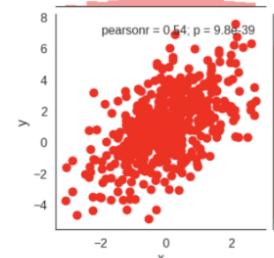
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x = randn()  
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```



```
y = 1 + 2*randn()  
x = (y-1)/4 + sqrt(3)*randn()/2
```



```
z = randn()  
y = z + 1 + sqrt(3)*randn()  
x = z
```



Credit: Gautam Gare, CMU

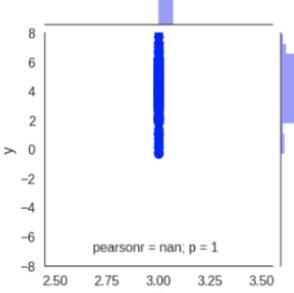
Causality in XAI

# Evaluate on data from other distributions?

Let's change a variable



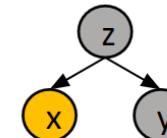
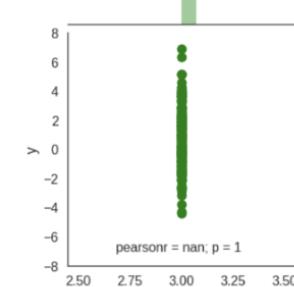
```
x = randn()  
x = 3  
y = x + 1 + sqrt(3)*randn()  
x = 3
```



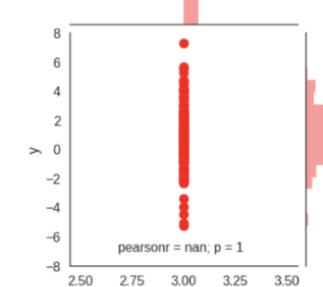
Set x to 3



```
y = 1 + 2*randn()  
x = 3  
x = (y-1)/4 + sqrt(3)*randn()/2  
x = 3
```



```
z = randn()  
x = 3  
x = z  
x = 3  
y = z + 1 + sqrt(3)*randn()  
x = 3
```

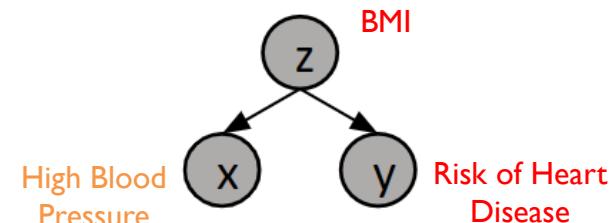
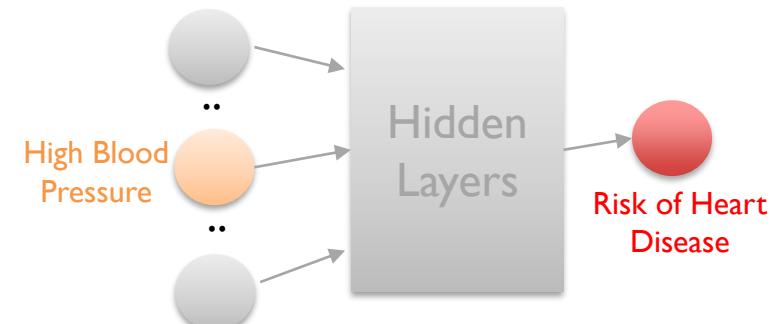


Knowing the true causal relationships makes a difference!

Credit: Gautam Gare, CMU

# Does this matter in XAI?

- Training a NN model to predict risk of heart disease
- Post-hoc explanations focus on data correlations  
NN has learned to provide input-output attributions
- ...but what if the causal graph had a “confounder”?  
Would the explanation address the problem?



He et al, Causal effects of cardiovascular risk factors on onset of major age-related diseases: A time-to-event Mendelian randomization study, *Exp Gerontol*. 2018

More  
generally..

## The Three Layer Causal Hierarchy

Level (Symbol)	Typical Activity	Typical Questions	Examples
1. Association $P(y x)$	Seeing	What is? How would seeing $X$ change my belief in $Y$ ?	What does a symptom tell me about a disease? What does a survey tell us about the election results?
2. Intervention $P(y do(x), z)$	Doing Intervening	What if? What if I do $X$ ?	What if I take aspirin, will my headache be cured? What if we ban cigarettes?
3. Counterfactuals $P(y_x x', y')$	Imagining, Retrospection	Why? Was it $X$ that caused $Y$ ? What if I had acted differently?	Was it the aspirin that stopped my headache? Would Kennedy be alive had Oswald not shot him? What if I had not been smoking the past 2 years?

Figure 1: The Causal Hierarchy. Questions at level  $i$  can only be answered if information from level  $i$  or higher is available.

Judea Pearl, *The Seven Tools of Causal Inference with Reflections on Machine Learning*, 2018  
Judea Pearl, *The Book of Why: The New Science of Cause and Effect*, 2018

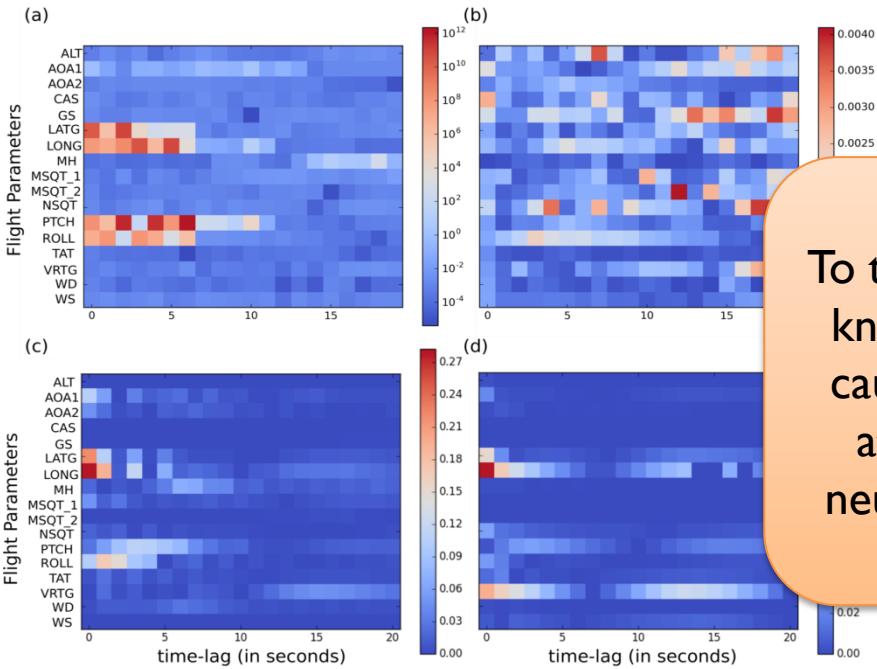
# Causal XAI: How?



How can we get causal explanations?  
How can we integrate causal perspectives  
into model explanations?

# Causal Attributions in Neural Networks

ICML 2019



Joint work with:



Aditya  
Chattpadhyay

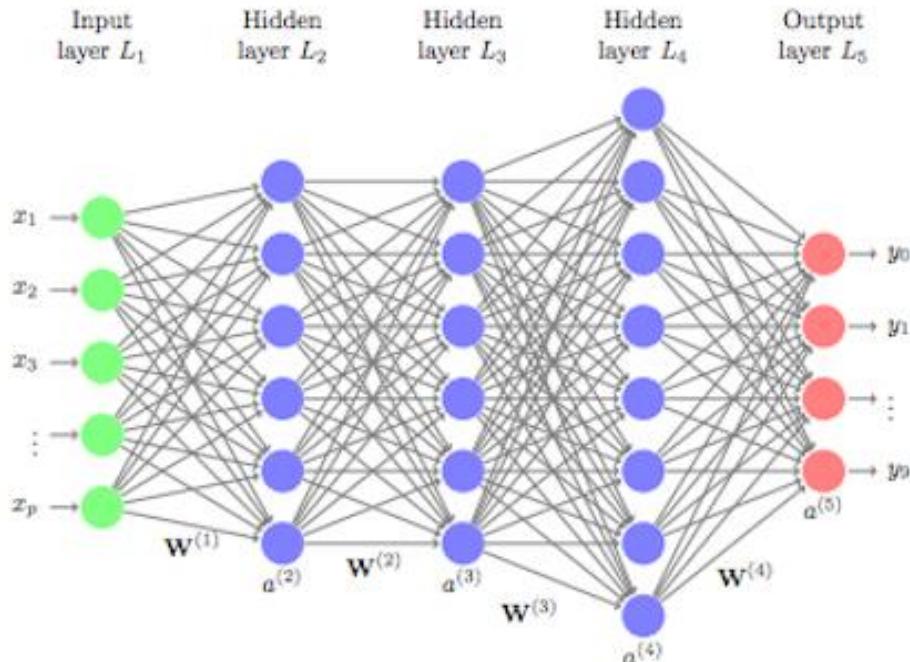


Piyushi  
Manupriya



Anirban  
Sarkar

# Do NNs Learn Causal Relationships?

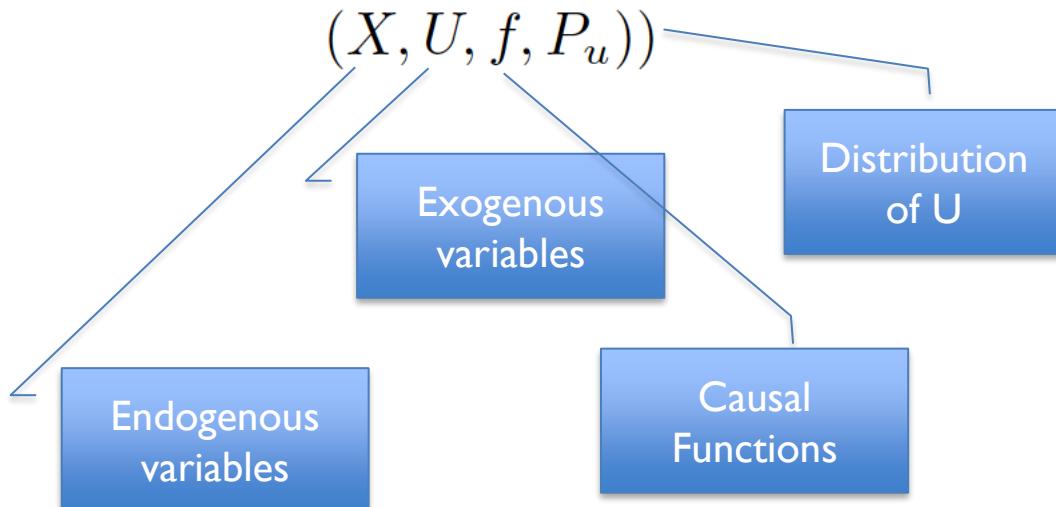


Consider a trained NN model.  
Did it learn causal relationships  
between input and output?

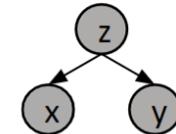
# SCMs and Causal Effect

## Preliminaries

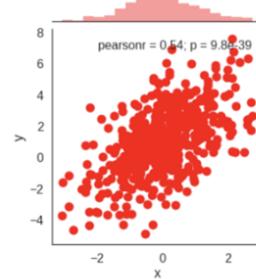
### Structural Causal Model



Example:

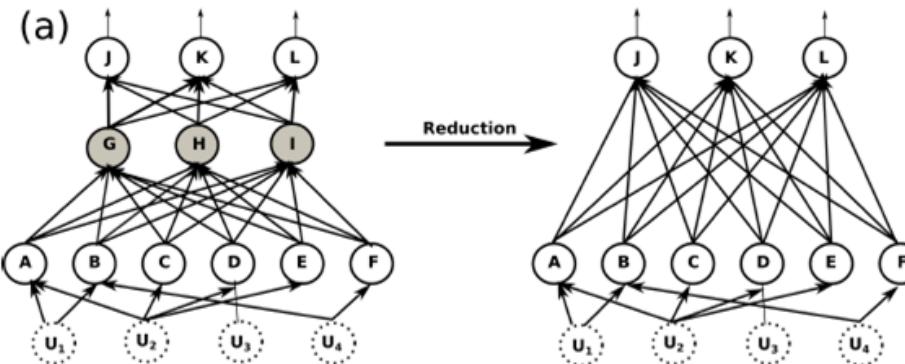


```
z = randn()
y = z + 1 + sqrt(3)*randn()
x = z
```



# Neural Network as an SCM

Feedforward neural network



$$M([l_1, l_2, \dots, l_n], U, [f_1, f_2, \dots, f_n], P_U)$$

$$M'([l_1, l_n], U, f', P_U)$$

- $l_i$  – neurons in layer  $i$
- $f_i$  – corresponding causal functions

# Defining Causal Effect

For binary variables:  $\mathbb{E}[y|do(x = 1)] - \mathbb{E}[y|do(x = 0)]$

For continuous variables:  $ACE_{do(x_i=\alpha)}^y = \mathbb{E}[y|do(x_i = \alpha)] - baseline_{x_i}$

How to compute causal effect for a trained NN?

- **Connection to Attribution:** Effect of an input feature on prediction function's output
- Existing attribution/explanation methods
  - Gradient-based
    - “How much would perturbing a particular input affect the output?” Not a causal analysis
  - Using surrogate models (or interpretable regressors)
    - Correlation-based again

# Computing Average Causal Effect in NN

General case (continuous variables):

$$ACE_{do(x_i=\alpha)}^y = \mathbb{E}[y|do(x_i = \alpha)] - baseline_{x_i}$$

Interventional expectation:  
How to compute?

How to define and compute?

$$\mathbb{E}[y|do(x_i = \alpha)] = \int_y yp(y|do(x_i = \alpha))dy$$

- Can come from domain knowledge
- Else, we use  $\mathbb{E}_{x_i}[\mathbb{E}_y[y|do(x_i = \alpha)]]$

the average ACE across all  $x_i$

# Computing ACE

$$\mathbb{E}[y|do(x_i = \alpha)] = \int_y yp(y|do(x_i = \alpha))dy$$

Let:  $y = f'_y(x_1, x_2, \dots, x_k)$        $\mu_j = \mathbb{E}[x_j|do(x_i = \alpha)] \forall x_j \in l_1$   
 $\mu = [\mu_1, \mu_2, \dots, \mu_k]^T$

Consider the Taylor-series  
expansion:

$$f'_y(l_1) \approx f'_y(\mu) + \nabla^T f'_y(\mu)(l_1 - \mu) + \\ \frac{1}{2}(l_1 - \mu)^T \nabla^2 f'_y(\mu)(l_1 - \mu)$$

Marginalizing over all other  
input neurons:

$$\mathbb{E}[f'_y(l_1)|do(x_i = \alpha)] \approx f'_y(\mu) + \\ \frac{1}{2} Tr(\nabla^2 f'_y(\mu) \mathbb{E}[(l_1 - \mu)(l_1 - \mu)^T | do(x_i = \alpha)])$$

# Computing ACE

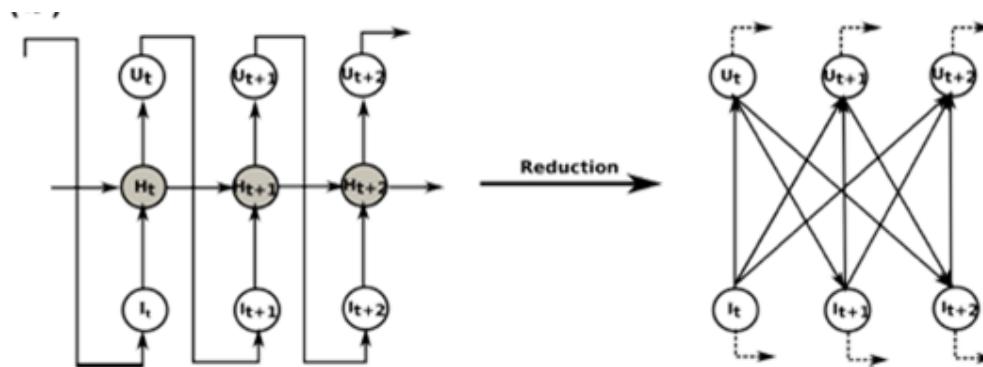
$$\mathbb{E}[y|do(x_i = \alpha)] = \int_y yp(y|do(x_i = \alpha))dy \longrightarrow \mathbb{E}[f'_y(l_1)|do(x_i = \alpha)] \approx f'_y(\mu) + \frac{1}{2} Tr(\nabla^2 f'_y(\mu) \mathbb{E}[(l_1 - \mu)(l_1 - \mu)^T | do(x_i = \alpha)])$$

**Proposition 2.** Given an  $l$ -layer feedforward neural network  $N(l_1, l_2, \dots, l_n)$  with  $l_i$  denoting the set of neurons in layer  $i$  and its corresponding reduced SCM  $M'([l_1, l_n], U, f', P_U)$ , the intervened input neuron is d-separated from all other input neurons.

- Given an intervention on a particular variable, the probability distribution of all other input neurons doesn't change, i.e. for  $x_j \neq x_i$   
 $P(x_j|do(x_i = \alpha)) = P(x_j)$
- Interventional means and covariances of non-intervened neurons same as observational means and covariances; can be pre-computed!

# Only for feedforward NNs?

Recurrent neural network

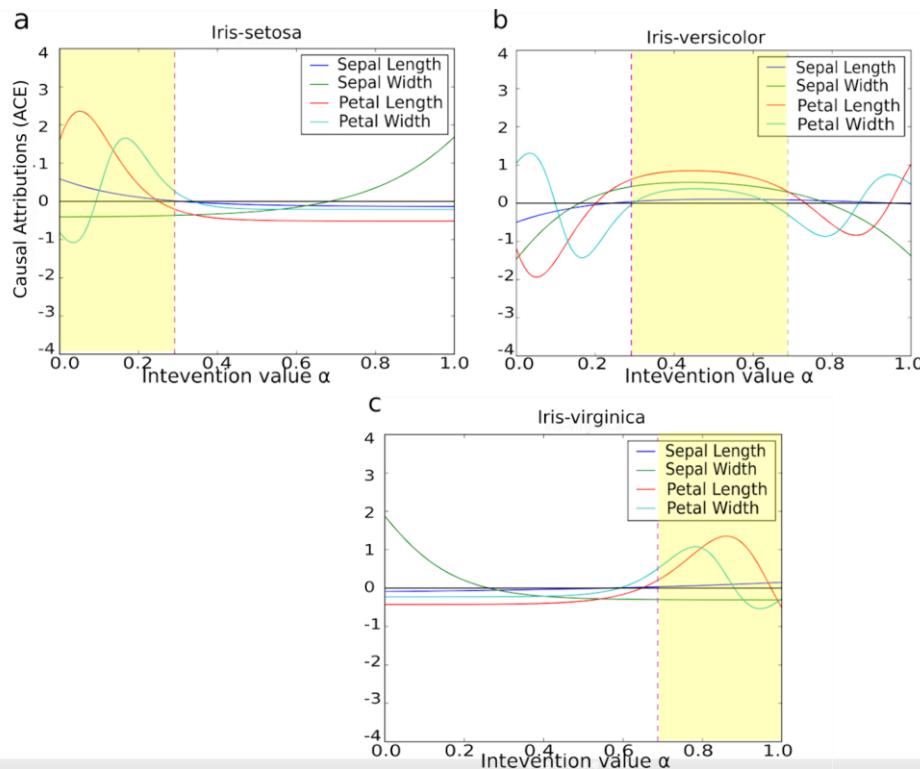


Depends on a particular RNN architecture.

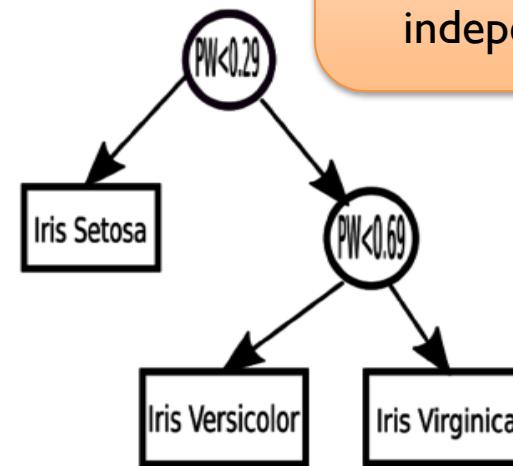
Where output does not feed into input, same idea can be used

# Results

## Iris Dataset



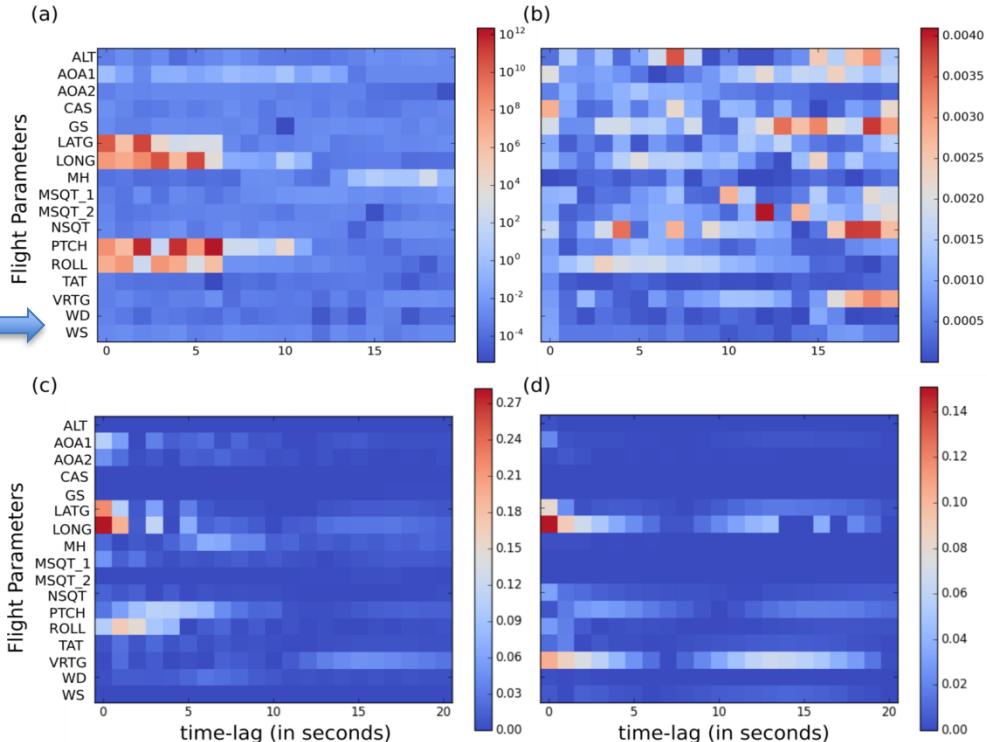
ACE values match  
a decision tree  
learned  
independently



# Results

## Aircraft Data (NASA Dashlink Dataset)

FDR report: “*....due to slippery runway, the pilot could not apply timely brakes, resulting in a steep acceleration in the airplane post-touchdown...”*



**arXiv:**

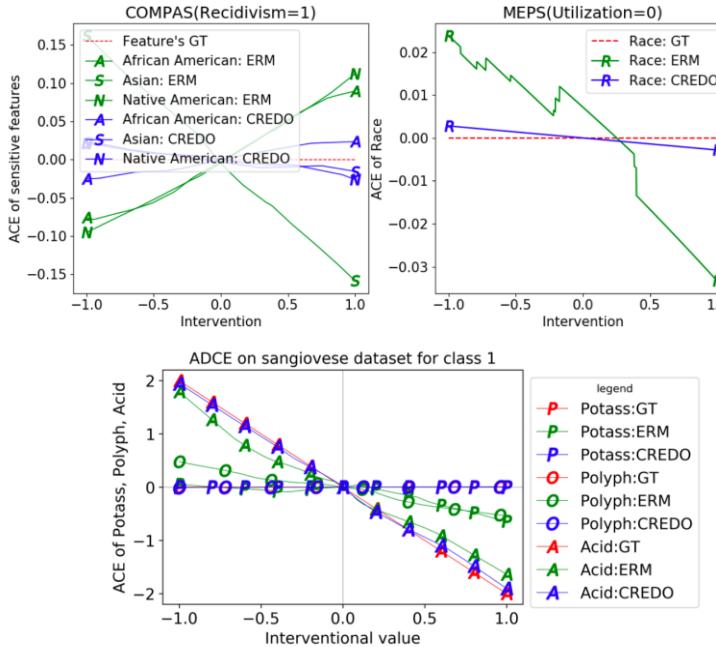
<https://arxiv.org/abs/1902.02302>

**Code:**

<https://github.com/Piyushi-0/ACE>

# Causal Regularization with Domain Priors

ICML 2022



Joint work with:

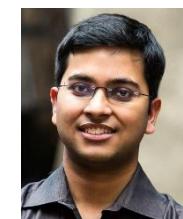
Gowtham Reddy A



Sai Srinivas K



Amit Sharma



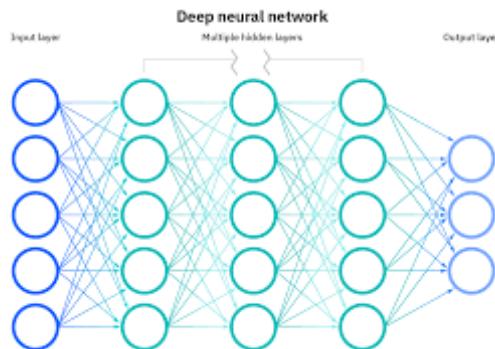
To the best of our knowledge, first effort to integrate causal knowledge for attribution in neural networks



# Do NNs Learn Causal Relationships?

ICML 2019 and ICML 2022

Consider a trained NN model.  
Did it learn causal relationships  
between input and output?



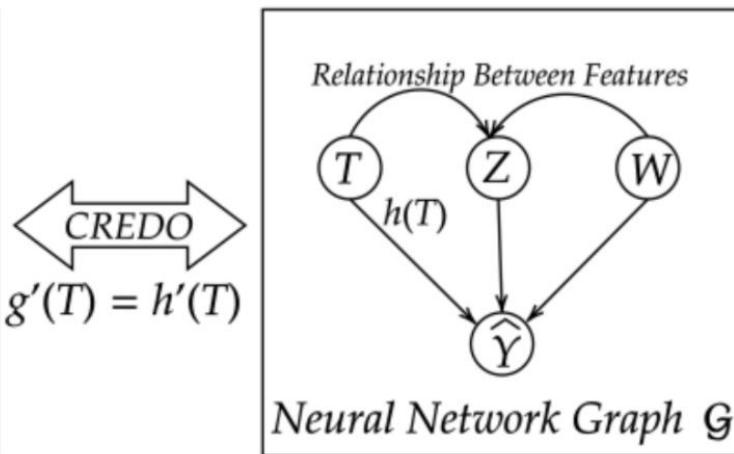
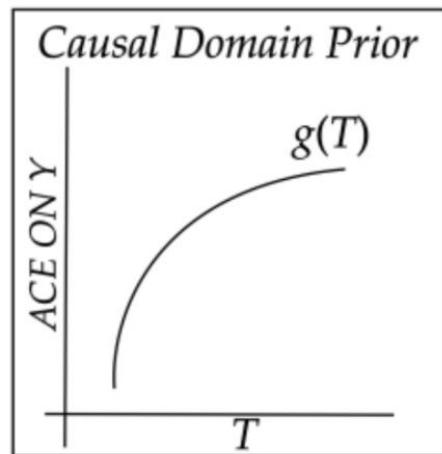
If we had access to prior causal  
relationships, can we integrate  
them while training NN  
models?

Causal Attributions in Neural Networks  
**ICML 2019**

Causal Regularization with Domain Priors  
**ICML 2022**

# Key Idea

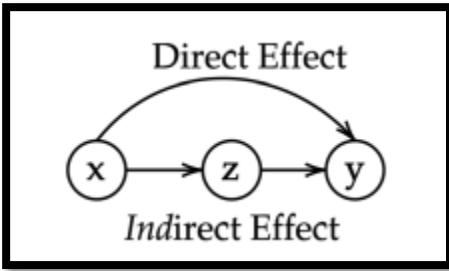
Match causal effects learned by a neural network to effects we want it to learn



$$\xleftarrow{\text{CREDO}} \quad g'(T) = h'(T)$$

**CREDO:** Causal  
REgularization with  
DOmain Priors

# Causal Graph and Effects



We handle three kinds of causal effect  
NN models in this work:

- Controlled direct effect
- Natural direct effect
- Total causal effect

Let  $Y_{x=\alpha} := Y|do(x = \alpha)$

## Definition

(Controlled Direct Effect in NN). Controlled Direct Effect (NN – CDE) measures the causal effect of treatment  $T$  at an intervention  $t$  (i.e.,  $do(T = t)$ ) on  $\hat{Y}$  when all parents of  $\hat{Y}$  except  $T$  ( $PA\hat{Y}$ ) are intervened to pre-defined control values  $\alpha$ . Average Controlled Direct Effect (NN – ACDE) is defined as:  $NN - ACDE_t^{\hat{Y}}_{t, PA\hat{Y} = \alpha} := \mathbb{E}_U[\hat{Y}_{t, PA\hat{Y} = \alpha}] - \mathbb{E}_U[\hat{Y}_{t^*, PA\hat{Y} = \alpha}] = \hat{Y}_{t, PA\hat{Y} = \alpha} - \hat{Y}_{t^*, PA\hat{Y} = \alpha}$ .

$$NN - ACDE_t^{\hat{Y}} := \mathbb{E}_{PA\hat{Y}}[\hat{Y}_{t, PA\hat{Y}}] - \mathbb{E}_{PA\hat{Y}}[\hat{Y}_{t^*, PA\hat{Y}}]$$

# Identifiability in Causality

## Identifiability:

the condition that permit to measure causal quantity from observed data

### Proposition

(ACDE Identifiability in Neural Networks) For a neural network with output  $\hat{Y}$ , the ACDE of a feature  $T$  at  $t$  on  $\hat{Y}$  is identifiable and given by  $ACDE_t^{\hat{Y}} = \mathbb{E}_{PA^{\hat{Y}}}[\hat{Y}|t, PA^{\hat{Y}}] - \mathbb{E}_{PA^{\hat{Y}}}[\hat{Y}|t^*, PA^{\hat{Y}}]$ .

$$\begin{aligned} ACDE_t^{\hat{Y}} &= \mathbb{E}_{Z,W,U}[\hat{Y}_{t,Z,W}] - \mathbb{E}_{Z,W,U}[\hat{Y}_{t^*,Z,W}] \\ &= \mathbb{E}_{Z,W}[\hat{Y}_{t,Z,W}] - \mathbb{E}_{Z,W}[\hat{Y}_{t^*,Z,W}] \\ &= \mathbb{E}_{Z,W}[\hat{Y}|t, Z, W] - \mathbb{E}_{Z,W}[\hat{Y}|t^*, Z, W] \end{aligned}$$

# Regularizing for Causal Effect

## Proposition

(ACDE Regularization in Neural Networks) The  $n^{th}$  partial derivative of ACDE of  $T$  at  $t$  on  $\hat{Y}$  is equal to the expected value of  $n^{th}$  partial derivative of  $\hat{Y}$  w.r.t.  $T$  at  $t$ , that is:  $\frac{\partial^n ACDE_t^{\hat{Y}}}{\partial t^n} = \mathbb{E}_{PA^{\hat{Y}}} \left[ \frac{\partial^n [\hat{Y}(t, PA^{\hat{Y}})]}{\partial t^n} \right]$ .

$$\begin{aligned}\frac{\partial^n ACDE_t^{\hat{Y}}}{\partial t^n} &= \frac{\partial^n [\mathbb{E}_{Z,W}[\hat{Y}|t, Z, W] - \mathbb{E}_{Z,W}[\hat{Y}|t^*, Z, W]]}{\partial t^n} \\ &= \frac{\partial^n [\mathbb{E}_{Z,W}[\hat{Y}|t, Z, W]]}{\partial t^n} (\because t^* \text{ is a constant}) \\ &= \mathbb{E}_{Z,W} \left[ \frac{\partial^n [\hat{Y}(t, Z, W)]}{\partial t^n} \right]\end{aligned}$$

# Our Regularizer

$$\hat{\theta} = \arg \min_{\theta} ERM + \lambda \frac{1}{N} \sum_{j=1}^N \max\{0, \|\nabla_j f \odot M - \delta G^j\|_1 - \epsilon\}$$

where  $\nabla_j f$  is the  $C \times d$  Jacobian of  $f$  w.r.t.  $x^j$ ;  $M$  is a  $C \times d$  binary matrix that acts as an indicator of features for which prior knowledge is available;  $\odot$  represents the element-wise (Hadamard) product;  $N$  is the size of training data; and  $\epsilon$  is a hyperparameter to allow a margin of error.

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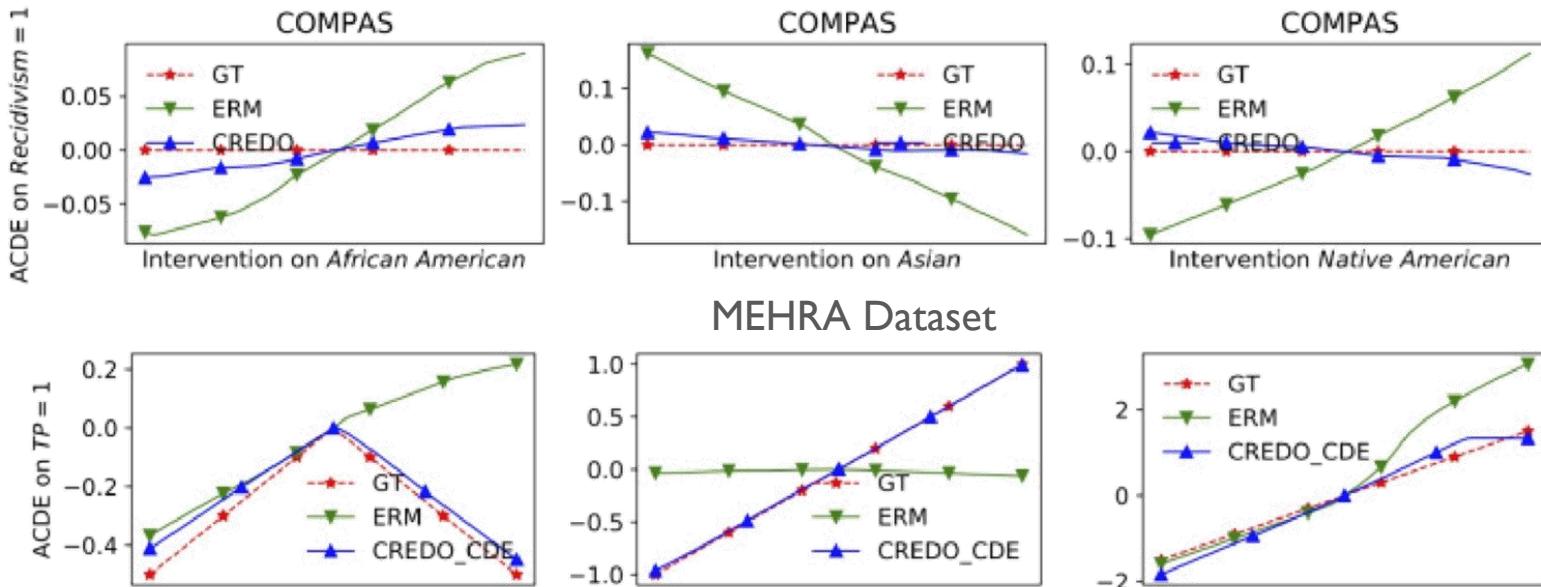
**Algorithm 1** CREDO Regularizer

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**Result:** Regularizers for ACDE, ANDE, ATCE in  $f$ .  
**Input:**  $\mathcal{D} = \{(x^j, y^j)\}_{j=1}^N$ ,  $y^j \in \{0, 1, \dots, C\}$ ,  $x^j \sim X^j$ ;  
 $\mathbb{Q} = \{i | \exists g_i^c \text{ for some } c\}$ ;  $\mathbb{G} = \{g_i^c | g_i^c \text{ is prior for } i^{\text{th}} \text{ feature w.r.t. class } c\}$ ;  $\mathbb{F} = \{f^1, \dots, f^K\}$  is the set of structural equations of the underlying causal model s.t  $f^i$  describes  $Z^i$ ;  $\epsilon$  is a hyperparameter  
**Initialize:**  $j = 1, \delta G^j = \mathbf{0}_{c \times d} \forall j = 1, \dots, N, M = \mathbf{0}_{c \times d}$   
**while**  $j \leq N$  **do**  
    **foreach**  $i \in \mathbb{Q}$  **do**  
        **foreach**  $g_i^c \in \mathbb{G}$  **do**  
             $\delta G^j[c, i] = \nabla g_i^c|_{x^j}; M[c, i] = 1$   
            **case 1: regularizing ACDE do**  
                 $\nabla_j f[c, i] = \frac{\partial Y}{\partial x_i}|_{x^j}$   
            **case 2: regularizing ANDE do**  
                /\* causal graph is known \*/  
                 $t = x_i$   
                 $\nabla_j f[c, i] = \frac{\partial \hat{Y}}{\partial x_i}|_{(t^j, z_{i*}^j, w^j)}$   
            **case 3: regularizing ATCE do**  
                /\* causal graph is known \*/  
                 $\nabla_j f[c, i] = \left[ \frac{d\hat{Y}}{dx_i} + \sum_{l=1}^K \frac{\partial \hat{Y}}{\partial Z^l} \frac{df^l}{dx_i} \right]|_{x^j}$   
        **end**  
    **end**  
     $j = j + 1$   
**end**  
**return**  $\frac{1}{N} \sum_{j=1}^N \max\{0, \|\nabla_j f \odot M - \delta G^j\|_1 - \epsilon\}$ 


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# Sample Results

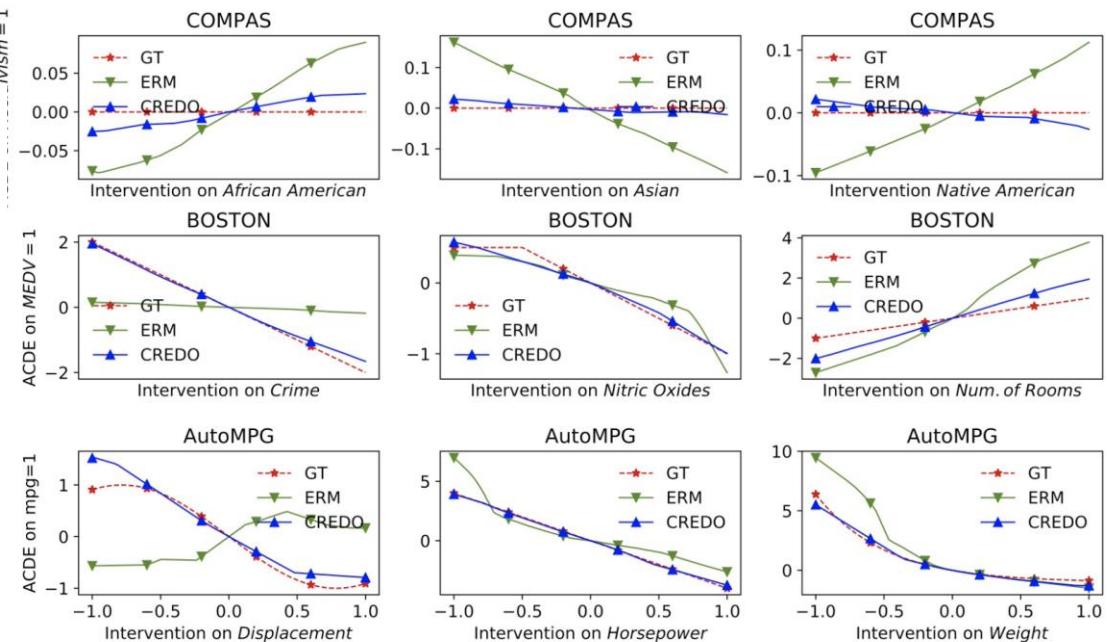


CREDO shows promising performance in matching causal domain priors with no significant impact on model accuracy/training time

# Sample Results

## Causal graph unknown

Feature	RMSE		Frechet Score		Corr. Coeff.	
	ERM	CREDO	ERM	CREDO	ERM	CREDO
COMPAS ( $\lambda_1 = 5$ ) (ERM test accuracy is 67.90%, CREDO test accuracy is 67.09%)						
African American	0.055	<b>0.016</b>	0.088	<b>0.025</b>	-	-
Asian	0.092	<b>0.018</b>	0.162	<b>0.021</b>	-	-
Native American	0.059	<b>0.011</b>	0.109	<b>0.025</b>	-	-
AutoMPG ( $\lambda_1 = 1.5$ ) (ERM test accuracy is 88.6%, CREDO test accuracy is 87.34%)						
Displacement	1.144	<b>0.212</b>	<b>0.566</b>	1.524	-0.945	<b>0.977</b>
Horsepower	1.036	<b>0.081</b>	6.978	<b>3.908</b>	0.922	<b>0.999</b>
Weight	1.780	<b>0.25</b>	9.453	<b>5.510</b>	0.986	<b>0.992</b>

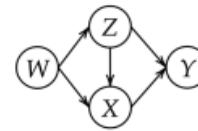
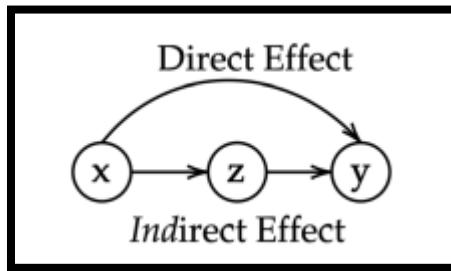


arXiv:

<https://arxiv.org/abs/2111.12490>

# Causal Attributions: Going Beyond Direct Effects

arXiv Preprint  
**2303.13850**



$$W \leftarrow \text{Uniform}(0, 1)$$
$$Z \leftarrow 2W + \mathcal{N}(0, 0.1)$$
$$X \leftarrow 2W - Z + \mathcal{N}(0, 0.1)$$
$$Y \leftarrow 3X + e^{3Z} + \mathcal{N}(0, 0.1)$$

Table 1: Synthetic Data 1

Feature	IG [S 2017]	CA [AC 2019]	CREDO [SK 2022]	Ours
Synthetic Data 1				
RMSE ( $\downarrow$ )	W 0.869 Z 0.569 X 0.000 Average	0.869 0.569 0.000 0.479	0.835 0.804 0.229 0.622	1.114 0.373 0.314 0.618
Frechet ( $\downarrow$ )	W 1.000 Z 1.000 X 0.000 Average	1.000 1.000 0.000 0.667	1.000 1.883 0.397 0.667	1.000 0.883 0.352 1.109

Joint work with:

Gowtham Reddy A



Saketh Bachu



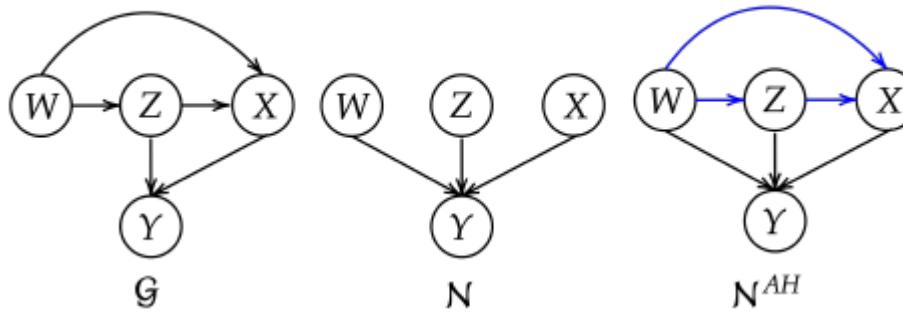
Varshaneya



Honeywell



# Going Beyond Direct Effects: Key Idea



We introduce connections among input features to capture underlying causal relationships to learn indirect causal attributions of inputs on  $y$

# Identifiability and Training Algorithm

**Proposition 4.1:** Given a neural network  $\mathcal{N}$  with directed edges among input features  $x_1, \dots, x_n$  denoting causal relationships among the features in the underlying causal graph  $\mathcal{G}$ , the  $AICE_{x_i}^y$  of an input feature  $x_i$  on an output neuron  $y$  is identifiable in  $\mathcal{N}$ .

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## Algorithm 1 Training Algorithm for Proposed $\mathcal{N}^{AH}$

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**Input:** Causal graph  $\mathcal{G}$ ,  $D = \{(x_1^i, \dots, x_n^i, y^i)\}_{i=1}^m$ ,  $l_0$  = edges among  $\{x_1, \dots, x_n\}$   
**Output:** Trained  $\mathcal{N}^{AH}$

for each epoch do

- for phase in [freeze, full] do
- if phase = freeze then
- Freeze  $l_0$ , train  $l_1, \dots, l_n$  of  $\mathcal{N}^{AH}$  using  $D$
- else
- $X^r = \{x_i : pa(x_i) = \emptyset\}$
- Sample  $X \setminus X^r$  using  $l_0, X^r$
- Train  $l_0, \dots, l_n$  of  $\mathcal{N}^{AH}$  using  $(X, y)$ .
- end if

end for

return trained  $\mathcal{N}^{AH}$

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# Results

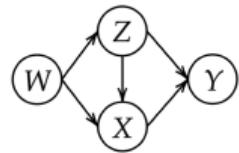
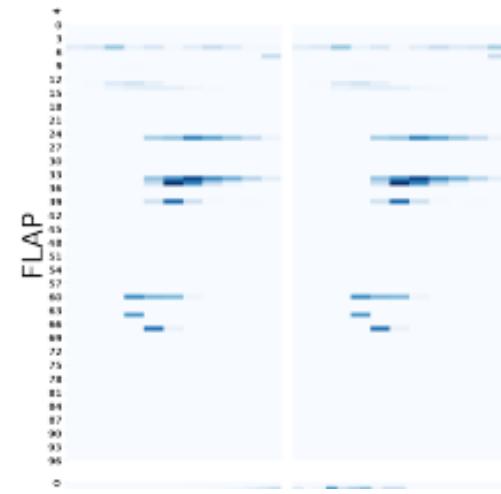

$$\begin{aligned}W &\leftarrow \text{Uniform}(0, 1) \\Z &\leftarrow 2W + \mathcal{N}(0, 0.1) \\X &\leftarrow 2W - Z + \mathcal{N}(0, 0.1) \\Y &\leftarrow 3X + e^{3Z} + \mathcal{N}(0, 0.1)\end{aligned}$$

Table 1: Synthetic Data 1

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Synthetic Data 1				
RMSE ( $\downarrow$ )	W 0.869	0.869	0.835	1.114
	Z 0.569	0.569	0.804	0.373
	X 0.000	0.000	0.229	0.314
Average	0.479	<b>0.326</b>	0.622	0.618
Fréchet ( $\downarrow$ )				
	W 1.000	1.000	1.000	1.000
	Z 1.000	1.000	1.883	0.883
	X 0.000	0.000	0.397	0.352
Average	<b>0.667</b>	<b>0.667</b>	1.109	0.745

## Flight anomaly datasets

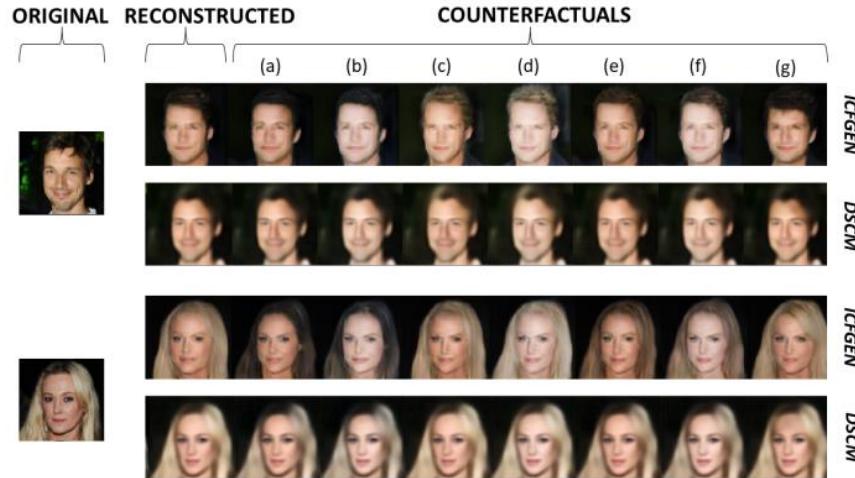


arXiv:

<https://arxiv.org/abs/2303.13850>

# Evaluating and Mitigating Bias in Image Classifiers: A Causal Perspective Using Counterfactuals

WACV 2022



Joint work with:

Saloni Dash



Amit Sharma



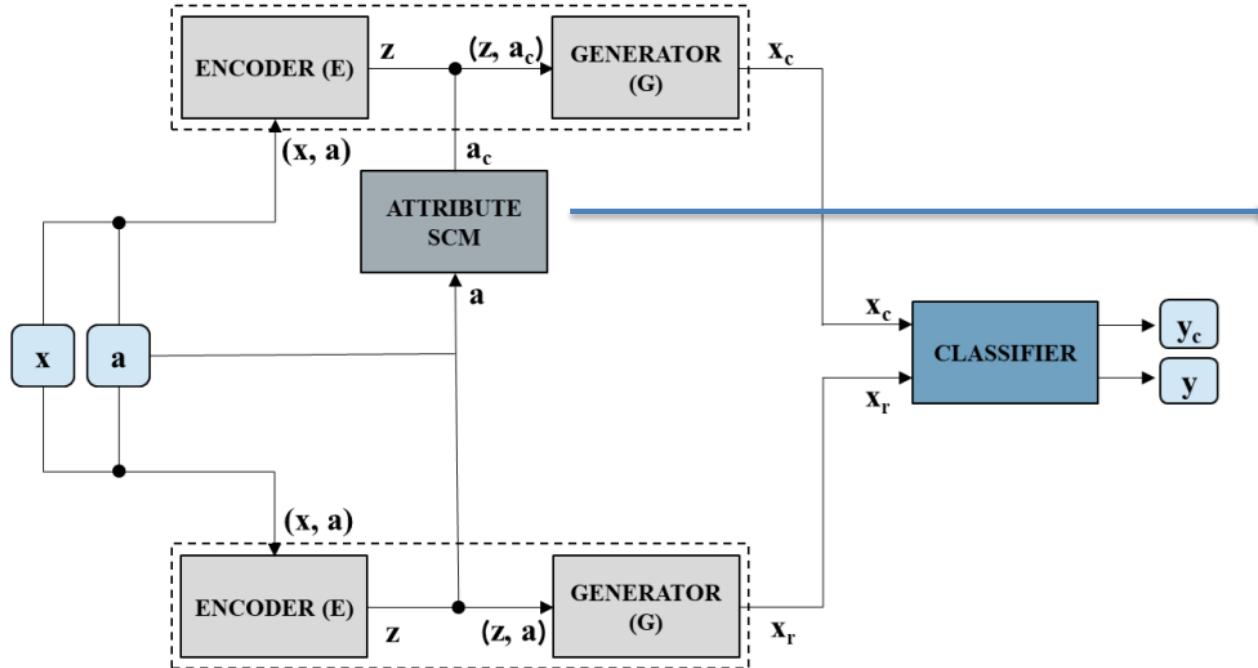
Microsoft  
Research



# Causal Perspective to Counterfactual Generation

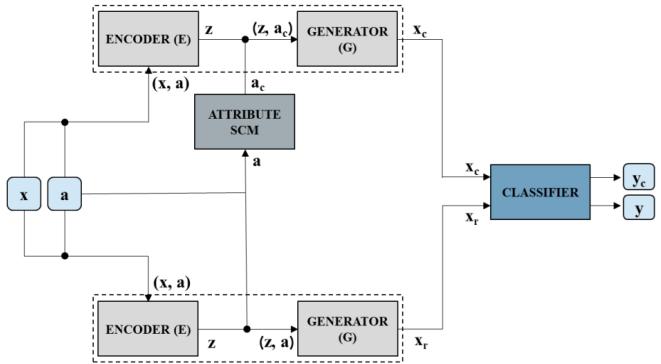
- Existing perspectives to counterfactuals in DL very weak and scattered – not truly causal
- How to integrate a causal perspective in counterfactual generation, and what could be its applications?
- Image we want to generate the counterfactual for:  $\mathbf{x} \in \mathcal{X}$
- Corresponding attributes:  $\mathbf{a} = \{a_i\}_{i=1}^n \in \mathcal{A}$ 
  - E.g. Smiling, Brown hair for Celeb-A; Thickness, Intensity for MNIST
- Given  $(\mathbf{x}, \mathbf{a})$  goal is to generate a counterfactual image with the attributes changed to  $\mathbf{a}_c$

# Counterfactual Generation



- Individual local SCMs learned over attributes
- Overall model learned similar to a GAN (using ALI)

# Counterfactual Generation



- An encoder  $E : (\mathcal{X}, \mathcal{A}) \rightarrow \mathbf{Z}$  infers the latent vector  $\mathbf{z}$  from  $\mathbf{x}$  and  $\mathbf{a}$ , i.e.  $\mathbf{z} = E(\mathbf{x}, \mathbf{a})$  where  $\mathbf{Z} = \mathbf{z} \in \mathbb{R}^m$ .
- The Attribute-SCM intervenes on the desired subset of attributes that are changed from  $\mathbf{a}$  to  $\mathbf{a}'$ , resulting in output  $\mathbf{a}_c$ .
- Generator  $G : (\mathbf{Z}, \mathcal{A}) \rightarrow \mathcal{X}$  takes as input  $(\mathbf{z}, \mathbf{a}_c)$  and generates a counterfactual  $\mathbf{x}_c$ , where  $\mathbf{z} \in \mathbf{Z} \subseteq \mathbb{R}^m$ .

- Abduction
- Action
- Prediction

# Applications?

- Evaluating fairness of a classifier

$$\begin{aligned} \text{bias} &= p(y_r \neq y_c)(p(y_r = 0, y_c = 1 | y_r \neq y_c) \\ &\quad - p(y_r = 1, y_c = 0 | y_r \neq y_c)) \end{aligned} \longrightarrow \text{bias} = p(y_r = 0, y_c = 1) - p(y_r = 1, y_c = 0)$$

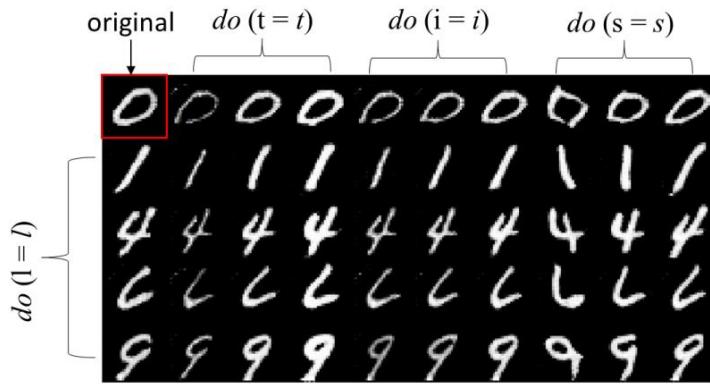
- Explaining a classifier (in terms of attributes)

$$\begin{aligned} \mathbb{E}_Y[Y_{\mathbf{a}_i \leftarrow a'} | \mathbf{x}, \mathbf{a}] - \mathbb{E}_Y[Y_{\mathbf{a}_i \leftarrow a} | \mathbf{x}, \mathbf{a}] \\ = y_{\mathbf{a}_i \leftarrow a'} | \mathbf{x}, \mathbf{a} - y_{\mathbf{a}_i \leftarrow a} | \mathbf{x}, \mathbf{a} \end{aligned}$$

- Bias mitigation:

Train using  $\text{BCE}(y_{true}, \hat{f}(\mathbf{x})) + \lambda \text{MSE}(\text{logits}(\mathbf{x}_r), \text{logits}(\mathbf{x}_c))$

# Counterfactual Generation



**Figure 3: Morpho-MNIST Counterfactuals.** Top-left cell shows a real image sampled from the test set. Vertically, rows correspond to interventions on the label,  $do(l = 1, 4, 6, 9)$ . Moving horizontally, columns correspond to interventions on thickness:  $do(t=1, 3, 5)$ , intensity:  $do(i = 68, 120, 224)$ , and slant:  $do(s = -0.7, 0, 1)$  respectively.

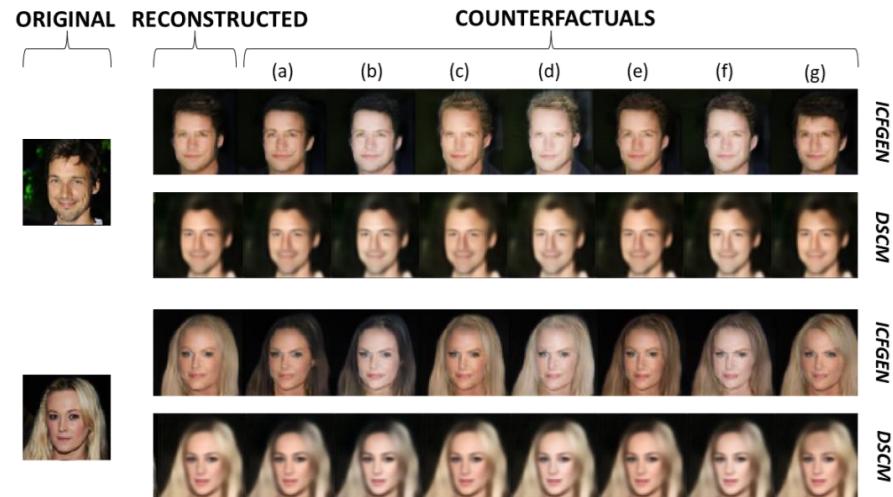


Figure 5: ***ImageCFGGen*** and **DeepSCM** Counterfactuals. (a) denotes  $do(\text{black hair} = 1)$  and (b) denotes  $do(\text{black hair} = 1, \text{pale} = 1)$ . Similarly (c) denotes  $do(\text{blond hair} = 1)$ ; (d) denotes  $do(\text{blond hair} = 1, \text{pale} = 1)$ ; (e) denotes  $do(\text{brown hair} = 1)$ ; (hf) denotes  $do(\text{brown hair} = 1, \text{pale} = 1)$ ; and (g) denotes  $do(\text{bangs} = 1)$ .

# Counterfactual Generation

	$p(a_r \neq a_c)$	$p(0 \rightarrow 1)$	bias
horizontal_flip	0.073	0.436	-0.009
brightness	0.192	0.498	-0.001
black_h	0.103	0.586	0.018
black_h, pale	0.180	0.937	<b>0.158</b>
blond_h	0.115	0.413	-0.02
blond_h, pale	0.155	0.738	<b>0.073</b>
brown_h	0.099	0.704	0.041
brown_h, pale	0.186	0.942	<b>0.164</b>
bangs	0.106	0.526	0.005

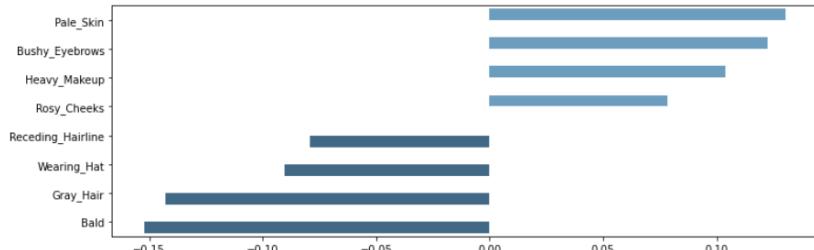


Figure 7: **Explaining a Classifier.** Attribute ranking of top 4 positive and top 4 negative influential attributes.

Table 3: **Bias Estimation.** Bias values above a threshold of 5% are considered significant.

**Bias Mitigation.** Using generated CFs reduces bias to 0.032 for black hair and pale, and 0.012 for brown hair and pale

Classifying a face as attractive

For more details:  
<https://arxiv.org/abs/2009.08270>

# On Causally Disentangled Representations

AAAI 2022



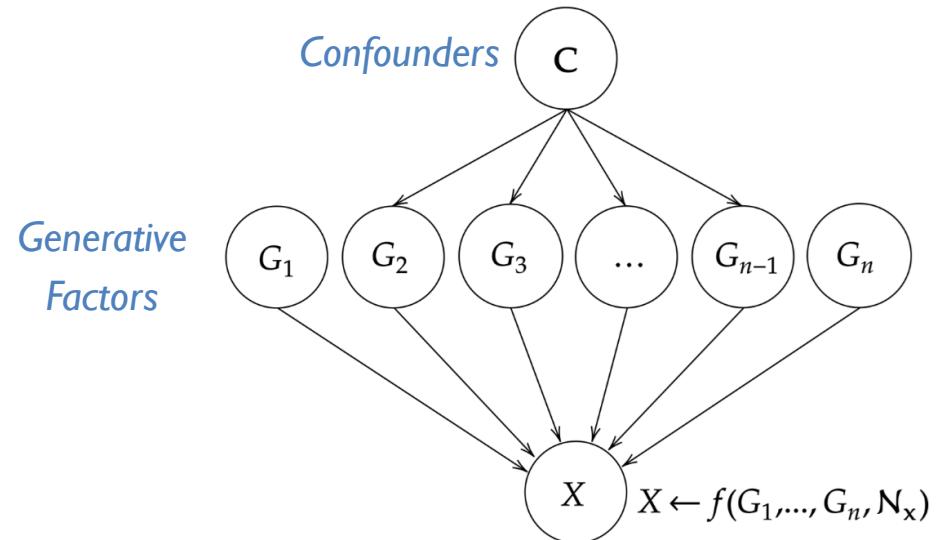
Joint work with:  
Gowtham Reddy A      Benin Godfrey



# Causal Disentanglement

## Our Work

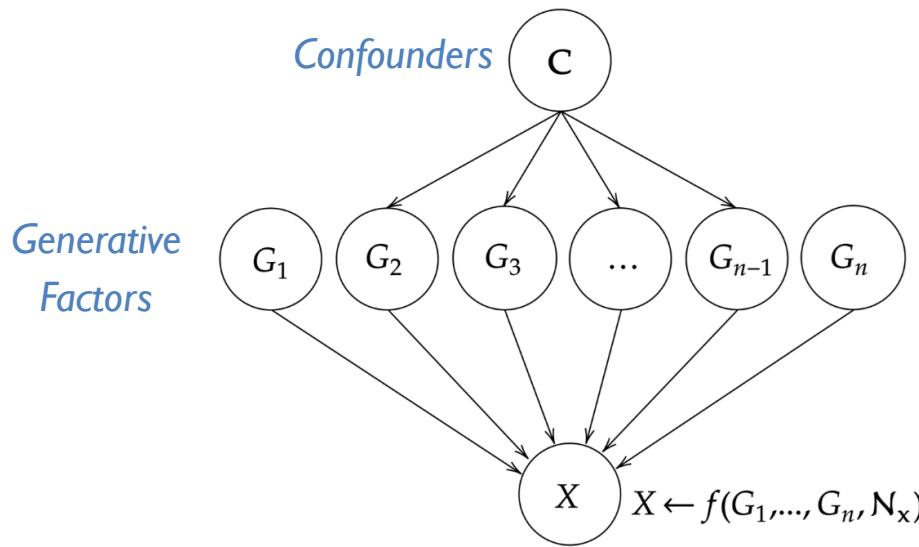
- Disentanglement has been a topic of recent interest – however most existing methods assume independence among latent variables (generative factors)
- We present two evaluation metrics based on the properties of causally disentangled LVMs
- We develop a new weakly supervised disentanglement algorithm



# Causal Disentanglement

## Our Work

### Disentangled Causal Process



Causal model for  $X$  is **disentangled**  
(iff)  
it can be described by the SCM:

$$\begin{aligned} C_j &\leftarrow \mathcal{N}_{c_j}; j \in \{1, \dots, l\} \\ G_i &\leftarrow g_i(PA_i^C, \mathcal{N}_{G_i}); i \in \{1, \dots, n\} \\ X &\leftarrow f(G_1, \dots, G_n, \mathcal{N}_x) \end{aligned}$$

$f, g_i$  are independent causal mechanisms

Suter et al, Robustly disentangled causal mechanisms: Validating deep representations for interventional robustness, ICML 2019

# Evaluating Causal Disentanglement

Can Latent Variable Models (LVMs) learn to *causally* disentangle?

## Metric 1: Unconfoundedness

- Encoder  $e$  of a LVM  $\mathcal{M}$  ( $e, g, p_x$ ) should learn the *mapping* from  $G_i$  to  $\mathbf{Z}_I$  without any influence from  $C$ .

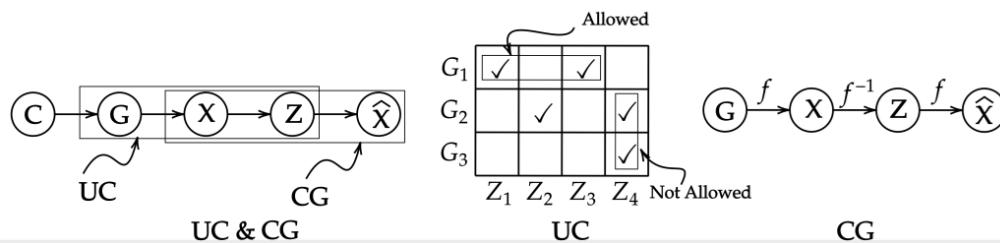
$$UC := 1 - \mathbb{E}_{x \sim p_X} \left[ \frac{1}{S} \sum_{I,J} \frac{|\mathbf{Z}_I^x \cap \mathbf{Z}_J^x|}{|\mathbf{Z}_I^x \cup \mathbf{Z}_J^x|} \right]$$

## Metric 2: Counterfactual Generativeness

- If  $\mathbf{Z}$  is unconfounded, the counterfactual of  $x$  w.r.t.  $G_i$ ,  $x_I^{cf}$  can be generated by intervening on  $\mathbf{Z}_I^x$ .
- Any change in  $\mathbf{Z}_{\setminus I}^x$ , should have no influence on  $x_I^{cf}$  w.r.t.  $G_i$ .

$$CG := \mathbb{E}_I[|ACE_{\mathbf{Z}_I^x}^{X_I^{cf}} - ACE_{\mathbf{Z}_{\setminus I}^x}^{X_I^{cf}}|]$$

ACE = Average Causal Effect



# Weakly Supervised Disentanglement

## A Method

- Reconstruction vs Disentanglement!
- We use bounding box supervision for better trade-off
- We call our method *Semi-Supervised Factor-VAE with additional Bounding Box supervision (SS-FVAE-BB)*.
- Augment Factor-VAE loss as:

$$\mathcal{L}_{SS-FVAE-BB} = \mathcal{L}_{(Factor-VAE)} + \lambda \sum_{i=1}^L ||x_i \odot w_i - \hat{x}_i \odot w_i||_2^2 \quad (4)$$

- $w_i \in \{0, 1\}^{320 \times 240 \times 3}$  is an indicator tensor with 1s in the region of the bounding box and 0s elsewhere.

# Results

## A Method

Model	<i>IRS</i>	<i>DCI</i>	<i>UC</i>	<i>CG</i>	<i>UC</i>	<i>CG</i>
		( <i>D</i> )	$\rho = 5$	$\rho = 5$	$\rho = 7$	$\rho = 7$
$\beta$ -VAE	0.85	0.18	0.11	0.24	0.08	0.22
$\beta$ -TCVAE	0.82	0.10	0.11	0.25	0.08	0.25
DIP-VAE	0.33	0.08	0.11	0.21	0.15	0.22
Factor-VAE	<b>0.88</b>	0.15	0.13	0.26	0.08	<b>0.28</b>
SS- $\beta$ -VAE	0.74	<b>0.18</b>	0.11	<b>0.28</b>	0.08	0.19
SS- $\beta$ -TCVAE	0.68	0.17	0.11	0.23	0.08	0.19
SS-DIP-VAE	0.35	0.08	0.11	0.22	0.15	0.22
SS-Factor-VAE	0.61	0.16	0.24	<b>0.28</b>	0.14	0.22
<b>SS-FVAE-BB</b>	0.61	0.13	<b>0.27</b>	<b>0.28</b>	<b>0.18</b>	<b>0.28</b>

- Low *UC*, *CG* scores indicate limitations in disentanglement achieved by SOTA models.
- SS-FVAE-BB achieves better *UC*, *CG* scores.

# More information?

For more details:

<https://arxiv.org/abs/2112.05746>

<https://github.com/causal-disentanglement/CANDLE>



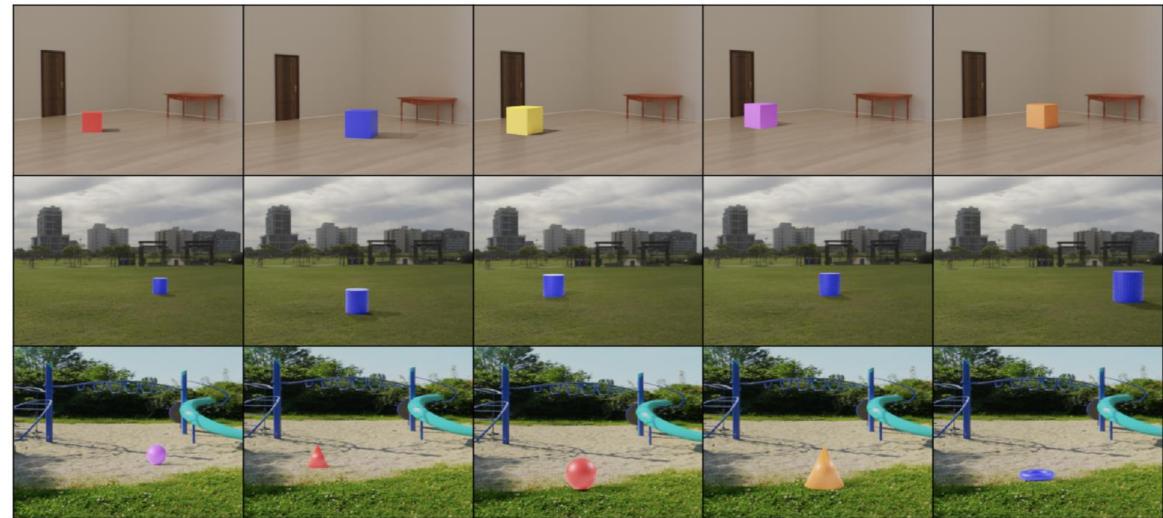
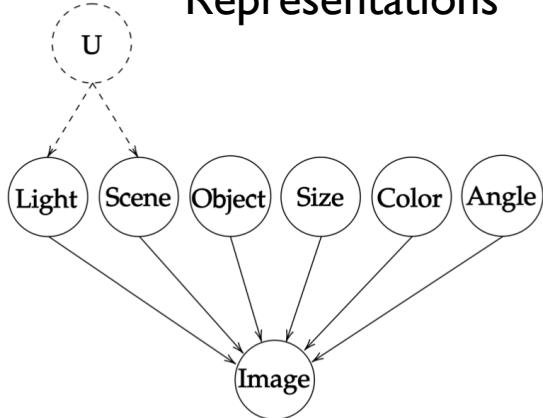
# Our Other Ongoing Efforts in XAI

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- Learning Causal Models on Latent Variables in Vision
- Concept-based Explanations in Vision
- Counterfactual Generation under Confounding
- Learning Disentangled Generative Processes and Mechanisms
- Causal Representation Learning
- ....

# Need for Datasets/Benchmarks

CANDLE: An Image Dataset for Causal Analysis in Disentangled Representations



Best Paper Award, CVPR 2021 Workshop on Causality in Vision

<https://github.com/causal-disentanglement/CANDLE>

# Open Problems and Challenges

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- Is there a universal formalization for explainable ML?
- How to balance accuracy/performance vs interpretability tradeoff?  
Is interpretability always required?
- How to evaluate explainable systems?
- Who owns the explanation? Model or explanation methodology?
- How can connectionist and symbolic AI work together for ‘logical’ explanations?

# Thank you!

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## Questions?



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