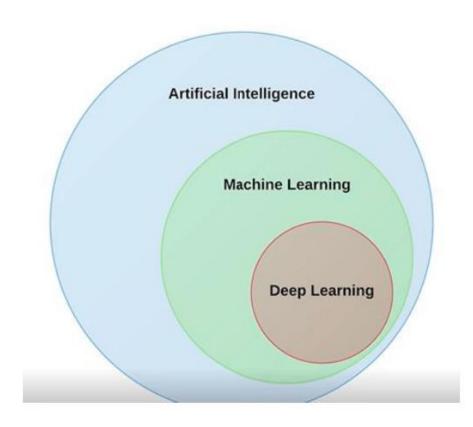
11 & 12기 정규세션 ToBig's 10기 신훈철

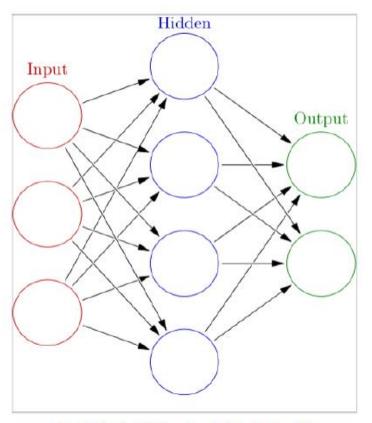
Deep Learning

Neural Network - 1

Ont nts

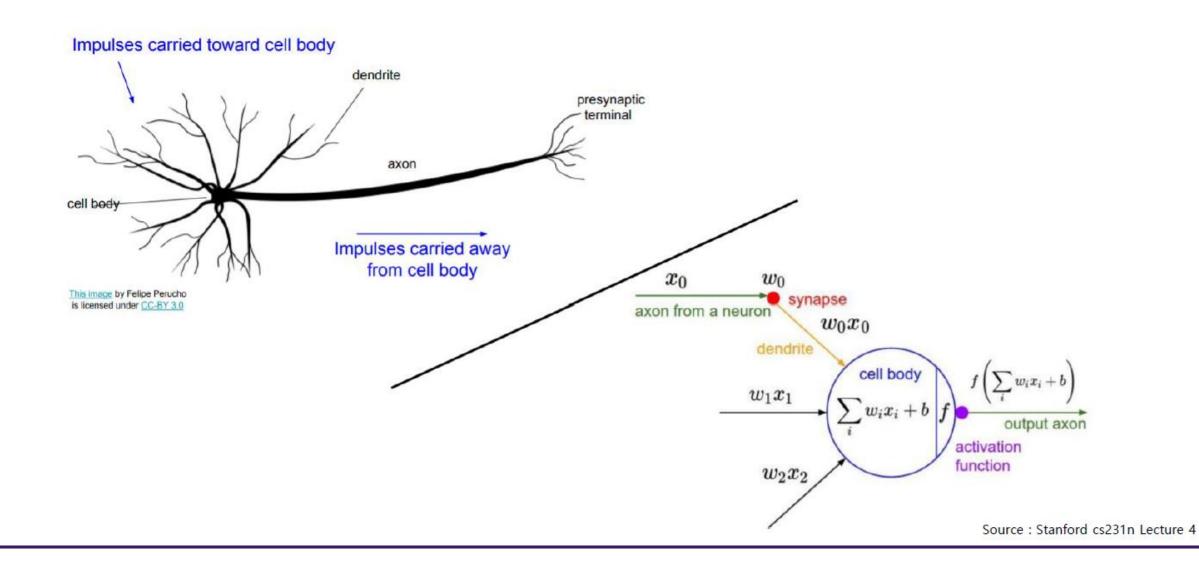
```
Unit 01 | 딥러닝이란?
Unit 02 | Neural Network – 기본 개념
Unit 03 | 퍼셉트론
Unit 04 | Neural Network - Forward
Unit 05 | Neural Network - Backpropagation
```

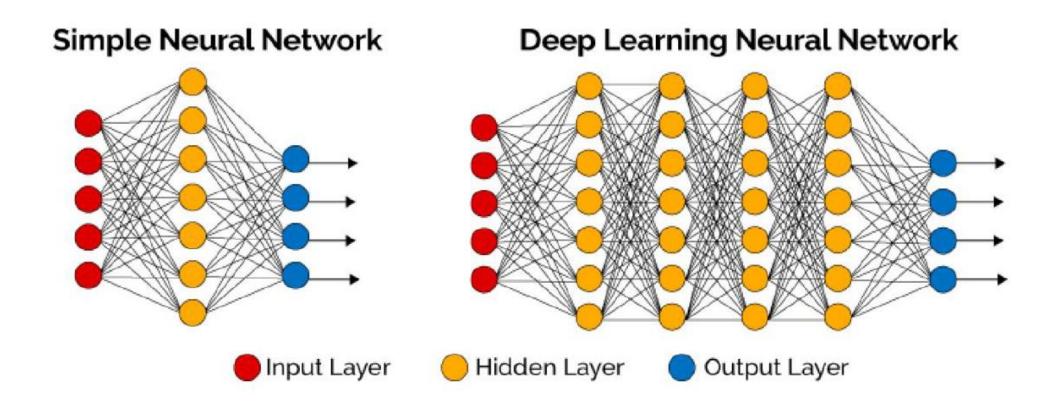


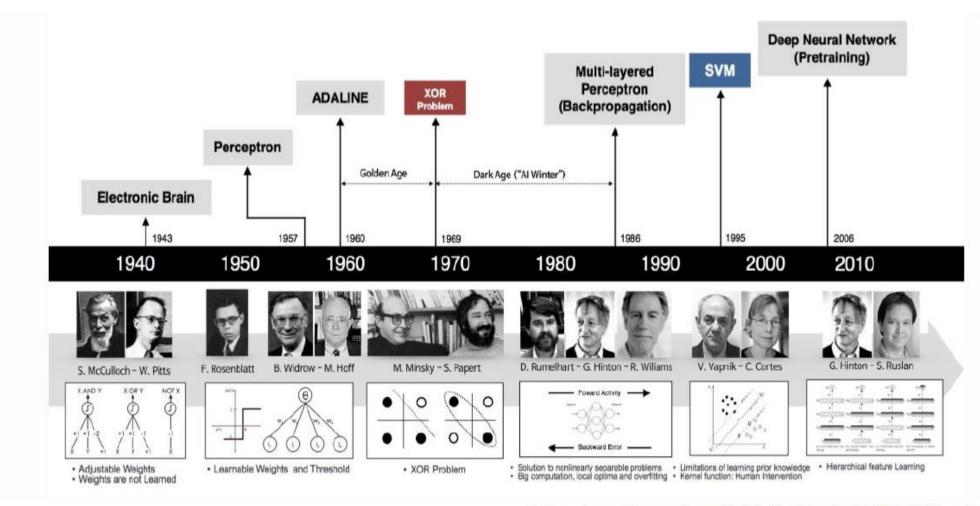


Artificial Neural Network

Source: https://en.wikipedia.org/wiki/Artificial_neural_network







Source: https://beamandrew.github.io/deeplearning/2017/02/23/deep_learning_101_part1.html

Why is Deep Learning Hot Now?

I. Big Data

- Larger Datasets
- Easier
 Collection &
 Storage







2. Hardware

- Graphics
 Processing Units
 (GPUs)
- Massively Parallelizable



3. Software

- Improved Techniques
- New Models
- Toolboxes



Deep Learning Success: Vision

Image Recognition



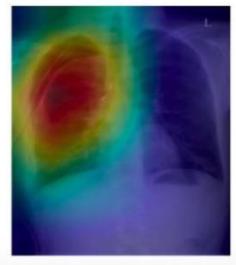
Source: MIT 6.S191: Introduction to Deep Learning

Deep Learning Success: Vision

Detect pneumothorax in real X-Ray scans







Deep Learning Success: Audio

Music Generation



Deep Learning Success

And so many more...



동영상 시청: 남세동의 인공지능(딥러닝) 이야기

https://www.youtube.com/watch?v=kMGEpIYPCiM

Lin근래서 Neural Network가 뭔데? 루기

Linear function

$$W_{11}X_1 + W_{12}X_2 + W_{13}X_3 + \dots + b_1 = H_1$$

$$W_{21}X_1 + W_{22}X_2 + W_{23}X_3 + \dots + b_2 = H_2$$



$$W_{H1}X_1 + W_{H2}X_2 + W_{H3}X_3 + \dots + b_H = H_H$$

결국 여기서도 회귀식이!

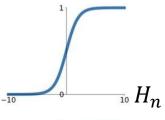
X 변수 개수만큼 가중치 생성

만드는 만큼 만들 수 있다!

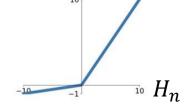
Activation function

Sigmoid

$$\sigma(x) = \frac{1}{1 + e^{-x}}$$

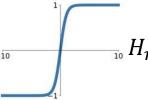


Leaky ReLU max(0.1x, x)



tanh

tanh(x)

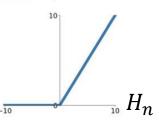


Maxout

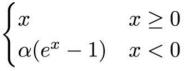
 $\max(w_1^T x + b_1, w_2^T x + b_2)$

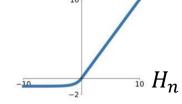
ReLU

 $\max(0,x)$



ELU

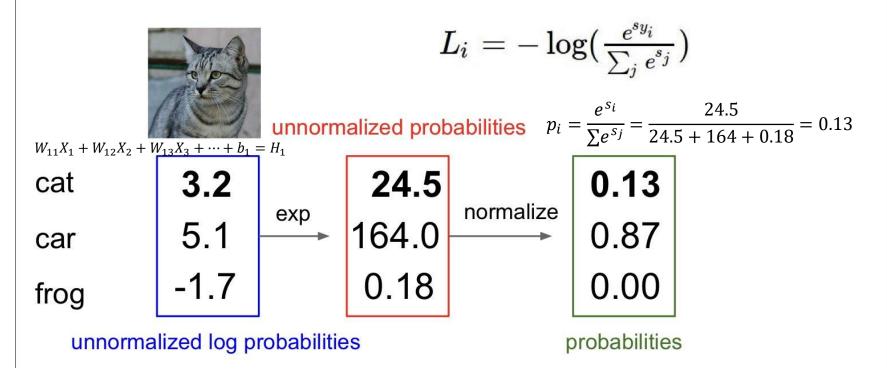




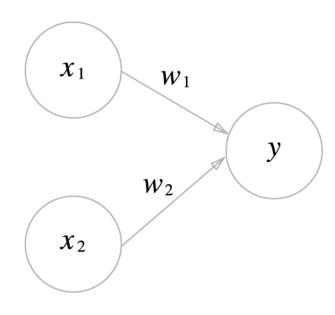
선형과 비선형이 만난다는 것

분류기

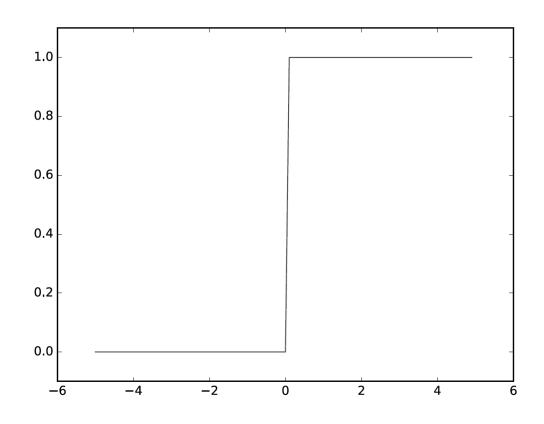
Softmax Classifier (Multinomial Logistic Regression)



Sigmoid 분류기의 일반화



$$y = \begin{cases} 0 & (b + w_1 x_1 + w_2 x_2 \le 0) \\ 1 & (b + w_1 x_1 + w_2 x_2 > 0) \end{cases}$$
Linear function



Activation function : 계단 함수

<i>X</i> ₁	<i>X</i> ₂	у	<i>x</i> ₁	<i>X</i> ₂	у	$\boldsymbol{\mathcal{X}}_1$	χ_2	у
0	0	0	0	0	1	0	0	0
1	0	0	1	0	1	1	0	1
0	1	0	0	1	1	0	1	1
1	1	1	1	1	0	1	1	1

AND 문제

NAND 문제

OR 문제

$w_1 = 0.5, w_2 = 0.5, b = -0$

<i>X</i> ₁	<i>X</i> ₂	у
0	0	0
1	0	0
0	1	0
1	1	1

$$= 0.5, b = -0.7$$
 $w_1 = -0.5, w_2 = -0.5, b = 0.7$ $w_1 = 0.5, w_2 = 0.5, b = -0.2$

	x_1	χ_2	y
	0	0	1
	1	0	1
	0	1	1
-	1	1	0

$$w_1 = 0.5, w_2 = 0.5, b = -0.2$$

<i>X</i> ₁	χ_2	у
0	0	0
1	0	1
0	1	1
1	1	1

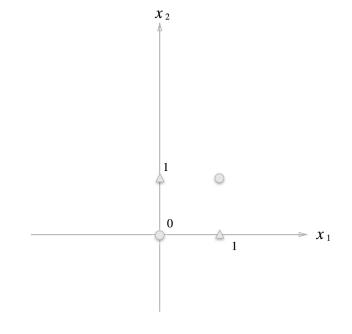
AND 문제

NAND 문제

OR 문제

x_1	x_2	y
0	0	0
1	0	1
0	1	1
1	1	0

XOR 문제



어떤 선형으로도 XOR 문제를 풀 수 없다.

인공지능 암흑기의 첫 윈인

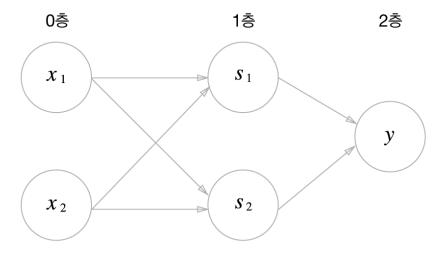
층을 쌓는 것으로 해결!

<i>x</i> ₁	χ_2	\boldsymbol{S}_1	S_2	у
0	0	1	0	0
1	0	1	1	1
0	1	1	1	1
1	1	0	1	0

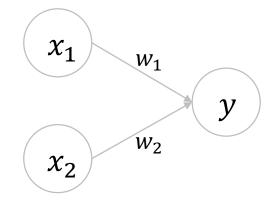
$$s_1 \Rightarrow w_1 = -0.5, w_2 = -0.5, b = 0.7$$

$$s_2 \Rightarrow w_1 = 0.5, w_2 = 0.5, b = -0.2$$

$$y \Rightarrow w_1 = 0.5, w_2 = 0.5, b = -0.7$$



Network

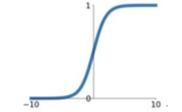


Linear

$$W_{11}X_1 + W_{12}X_2 = H$$

Activation/분류기

Sigmoid
$$\sigma(x) = \frac{1}{1+e^{-x}}$$

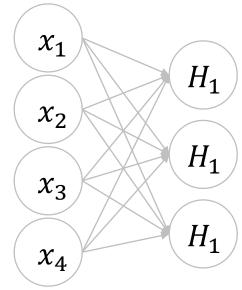


X1	X2	Υ
1	2	1

W1	W2	Н	р
2	3	8	0.99966
-4	-3	-10	0.0000454

번외

Network



Linear

$$w_{11}x_1 + w_{12}x_2 + w_{13}x_3 + w_{14}x_4 + b_1 = H_1$$

$$w_{21}x_1 + w_{22}x_2 + w_{23}x_3 + w_{24}x_4 + b_2 = H_2$$

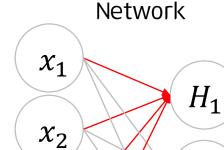
$$w_{31}x_1 + w_{32}x_2 + w_{33}x_3 + w_{34}x_4 + b_3 = H_3$$

$$p_i = \frac{e^{H_i}}{\sum e^{H_j}}$$

x1	x2	х3	x4	label
6.3	2.7	4.9	1.8	2

w11	w12	w13	w14	b1	H1	exp(H1)	P1
0.231595	0.613372	-0.89624	-0.41208	1.123884	-0.89428	0.408902	0.035734
w21	w22	w23	w24	b2	H2	exp(H2)	P2
0.076107	-0.22382	0.20313	-0.05043	0.319879	1.099584	3.002917	0.262425
w31	w32	w33	w34	b3	H3	exp(H3)	Р3
-0.30772	-0.38941	0.693168	0.462622	0.844128	2.083326	8.031135	0.701841

번외



 X_3 H_2 H_3

Linear

$$w_{11}x_1 + w_{12}x_2 + w_{13}x_3 + w_{14}x_4 + b_1 = H_1$$

$$w_{21}x_1 + w_{22}x_2 + w_{23}x_3 + w_{24}x_4 + b_2 = H_2$$

$$w_{31}x_1 + w_{32}x_2 + w_{33}x_3 + w_{34}x_4 + b_3 = H_3$$

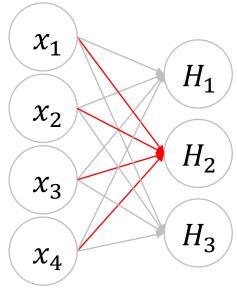
$$p_i = \frac{e^{H_i}}{\sum e^{H_j}}$$

x1	x2	х3	x4	label
6.3	2.7	4.9	1.8	2

<mark>w11</mark>	<mark>w12</mark>	<mark>w13</mark>	<mark>w14</mark>	<mark>b1</mark>	H1	exp(H1)	<mark>P1</mark>
0.231595	0.613372	-0.89624	-0.41208	1.123884	-0.89428	0.408902	0.035734
w21	w22	w23	w24	b2	H2	exp(H2)	P2
0.076107	-0.22382	0.20313	-0.05043	0.319879	1.099584	3.002917	0.262425
w31	w32	w33	w34	b3	Н3	exp(H3)	Р3
-0.30772	-0.38941	0.693168	0.462622	0.844128	2.083326	8.031135	0.701841

번외





Linear

$$w_{11}x_1 + w_{12}x_2 + w_{13}x_3 + w_{14}x_4 + b_1 = H_1$$

$$w_{21}x_1 + w_{22}x_2 + w_{23}x_3 + w_{24}x_4 + b_2 = H_2$$

$$w_{31}x_1 + w_{32}x_2 + w_{33}x_3 + w_{34}x_4 + b_3 = H_3$$

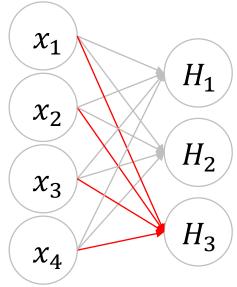
$$p_i = \frac{e^{H_i}}{\sum e^{H_j}}$$

x1	x2	х3	x4	label
6.3	2.7	4.9	1.8	2

w11	w12	w13	w14	b1	H1	exp(H1)	P1
0.231595	0.613372	-0.89624	-0.41208	1.123884	-0.89428	0.408902	0.035734
<mark>w21</mark>	w22	<mark>w23</mark>	<mark>w24</mark>	<mark>b2</mark>	H2	exp(H2)	<mark>P2</mark>
0.076107	-0.22382	0.20313	-0.05043	0.319879	1.099584	3.002917	0.262425
w31	w32	w33	w34	b3	Н3	exp(H3)	Р3
-0.30772	-0.38941	0.693168	0.462622	0.844128	2.083326	8.031135	0.701841

번외





Linear

$$w_{11}x_1 + w_{12}x_2 + w_{13}x_3 + w_{14}x_4 + b_1 = H_1$$

$$w_{21}x_1 + w_{22}x_2 + w_{23}x_3 + w_{24}x_4 + b_2 = H_2$$

$$w_{31}x_1 + w_{32}x_2 + w_{33}x_3 + w_{34}x_4 + b_3 = H_3$$

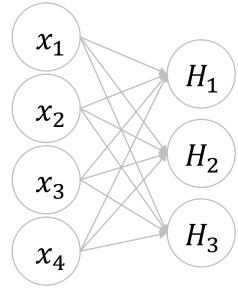
$$p_i = \frac{e^{H_i}}{\sum e^{H_j}}$$

x1	x2	х3	x4	label
6.3	2.7	4.9	1.8	2

	w11	w12	w13	w14	b1	H1	exp(H1)	P1
(0.231595	0.613372	-0.89624	-0.41208	1.123884	-0.89428	0.408902	0.035734
	w21	w22	w23	w24	b2	H2	exp(H2)	P2
(0.076107	-0.22382	0.20313	-0.05043	0.319879	1.099584	3.002917	0.262425
	<mark>w31</mark>	<mark>w32</mark>	<mark>w33</mark>	<mark>w34</mark>	<mark>b3</mark>	H3	exp(H3)	P3
	-0.30772	-0.38941	0.693168	0.462622	0.844128	2.083326	8.031135	0.701841

번외





Linear

$$w_{11}x_1 + w_{12}x_2 + w_{13}x_3 + w_{14}x_4 + b_1 = H_1$$

$$w_{21}x_1 + w_{22}x_2 + w_{23}x_3 + w_{24}x_4 + b_2 = H_2$$

$$w_{31}x_1 + w_{32}x_2 + w_{33}x_3 + w_{34}x_4 + b_3 = H_3$$

Softmax

$$p_i = \frac{e^{H_i}}{\sum e^{H_j}}$$

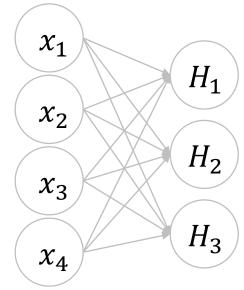
만약 b2에 +1을 한다면?

x1	x2	х3	x4	label
6.3	2.7	4.9	1.8	2

w11	w12	w13	w14	b1	H1	exp(H1)	P1
0.231595	0.613372	-0.89624	-0.41208	1.123884	-0.89428	0.408902	0.035734
w21	w22	w23	w24	b2	H2	exp(H2)	P2
0.076107	-0.22382	0.20313	-0.05043	0.319879	1.099584	3.002917	0.262425
w31	w32	w33	w34	b3	Н3	exp(H3)	Р3
-0.30772	-0.38941	0.693168	0.462622	0.844128	2.083326	8.031135	0.701841

번외

Network



Linear

$$w_{11}x_1 + w_{12}x_2 + w_{13}x_3 + w_{14}x_4 + b_1 = H_1$$

$$w_{21}x_1 + w_{22}x_2 + w_{23}x_3 + w_{24}x_4 + b_2 = H_2$$

$$w_{31}x_1 + w_{32}x_2 + w_{33}x_3 + w_{34}x_4 + b_3 = H_3$$

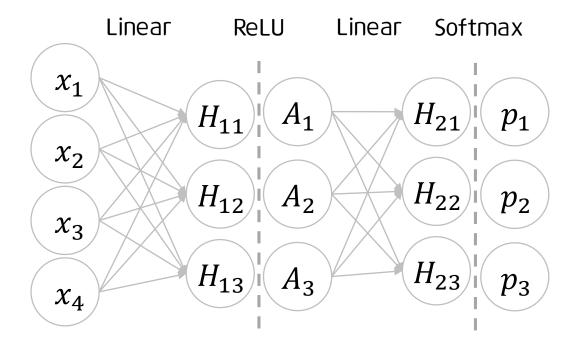
Softmax

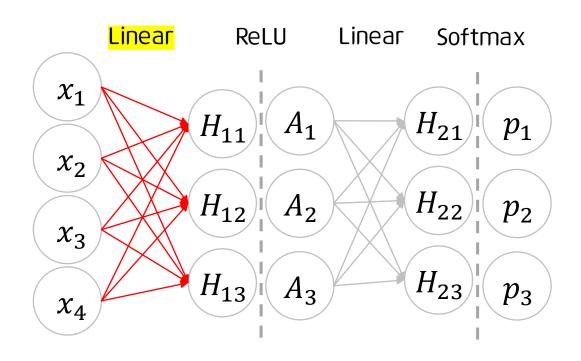
$$p_i = \frac{e^{H_i}}{\sum e^{H_j}}$$

만약 b2에 +1을 한다면?

x1	x2	х3	x4	label
6.3	2.7	4.9	1.8	2

w11	w12	w13	w14	b1	H1	exp(H1)	P1
0.231595	0.613372	-0.89624	-0.41208	1.123884	-0.89428	0.408902	0.024628
w21	w22	w23	w24	b2	H2	exp(H2)	P2
0.076107	-0.22382	0.20313	-0.05043	1.319879	2.099584	8.162775	0.49165
w31	w32	w33	w34	b3	Н3	exp(H3)	Р3
-0.30772	-0.38941	0.693168	0.462622	0.844128	2.083326	8.031135	0.483721

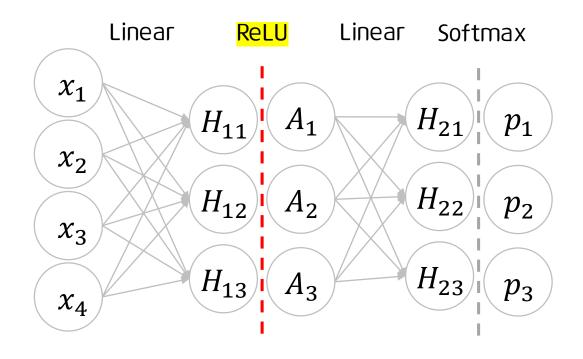


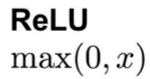


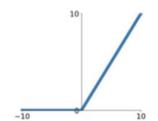
$$w_{11}x_1 + w_{12}x_2 + w_{13}x_3 + w_{14}x_4 + b_1 = H_{11}$$

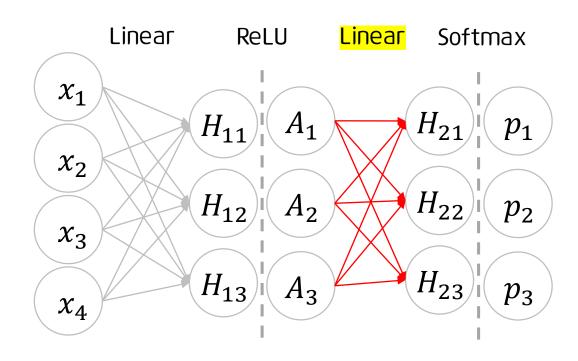
$$w_{21}x_1 + w_{22}x_2 + w_{23}x_3 + w_{24}x_4 + b_2 = H_{12}$$

$$w_{31}x_1 + w_{32}x_2 + w_{33}x_3 + w_{34}x_4 + b_3 = H_{13}$$







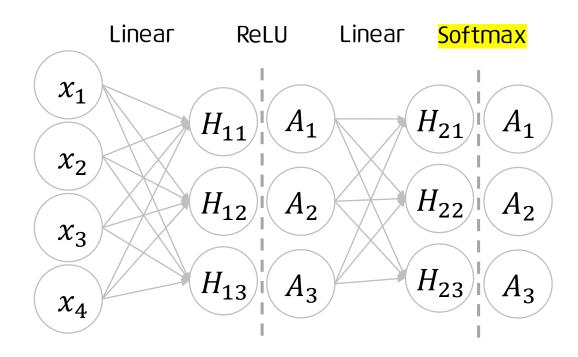


$$w'_{11}x_1 + w'_{12}x_2 + w'_{13}x_3 + b'_1 = H_{21}$$

$$w'_{21}A_1 + w'_{22}A_2 + w'_{23}A_3 + b'_2 = H_{22}$$

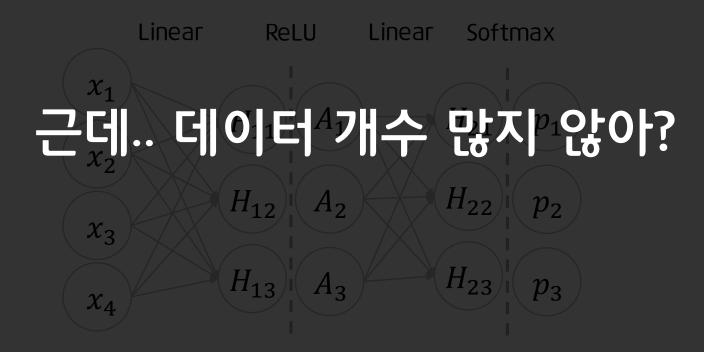
$$w'_{31}A_1 + w'_{32}A_2 + w'_{33}A_3 + b'_3 = H_{23}$$

Network

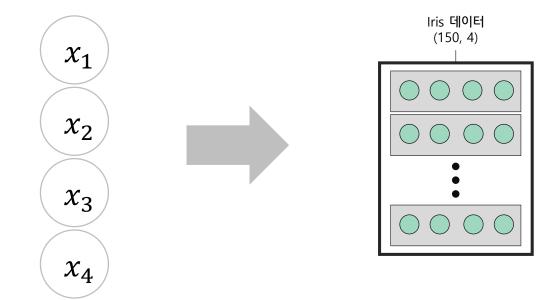


$$p_i = \frac{e^{H_i}}{\sum e^{H_j}}$$

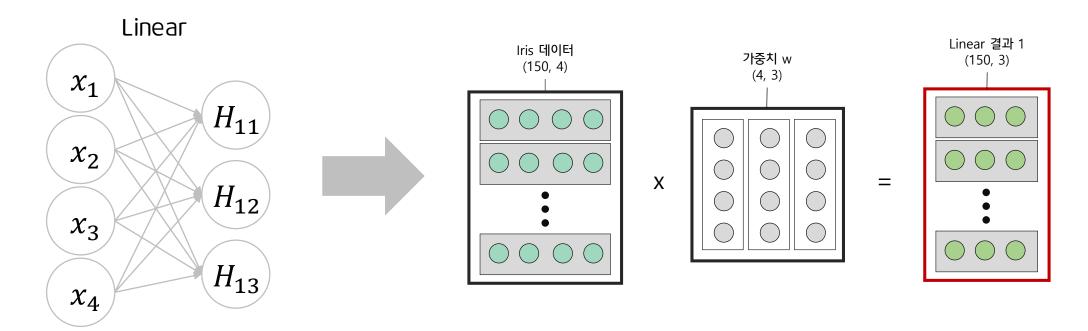
고정된 가중치로, 특정 확률 더 나아가 Loss를 뽑아내는 과정



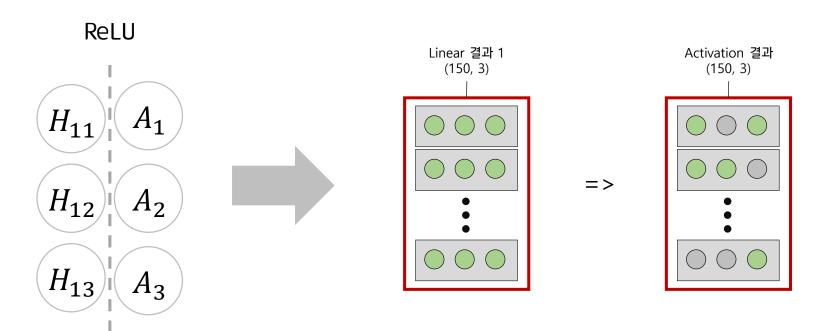
데이터는 이렇게 표현된다.



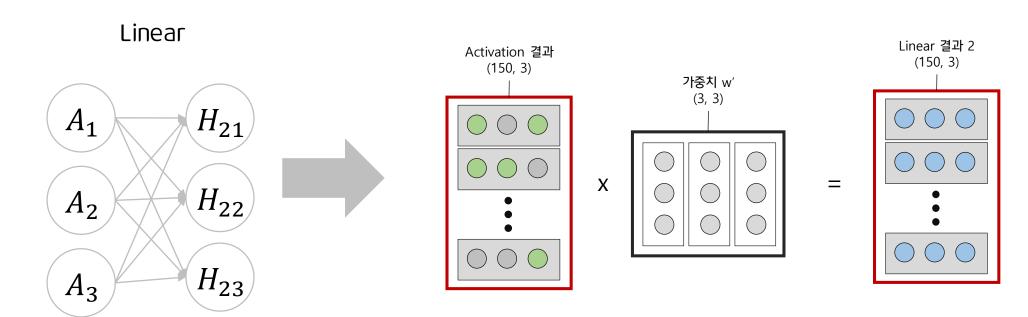
Linear는 이렇게 표현된다.



Activation는 이렇게 표현된다.

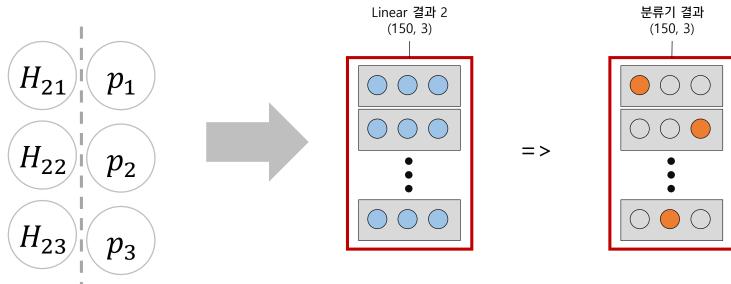


다시 Linear는 이렇게 표현된다.



분류기 결과는 이렇게 표현된다.

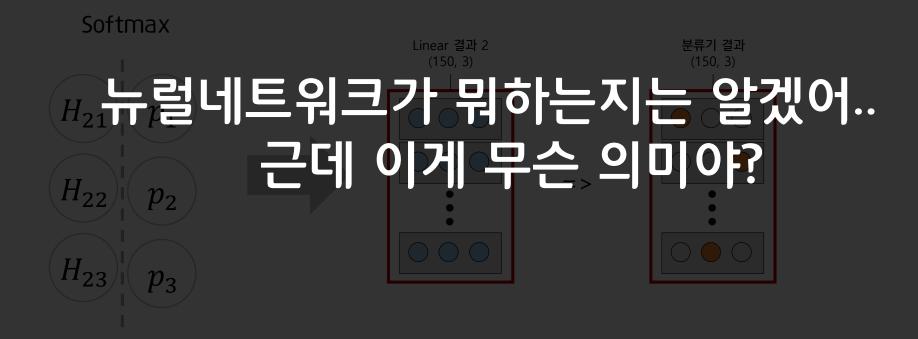


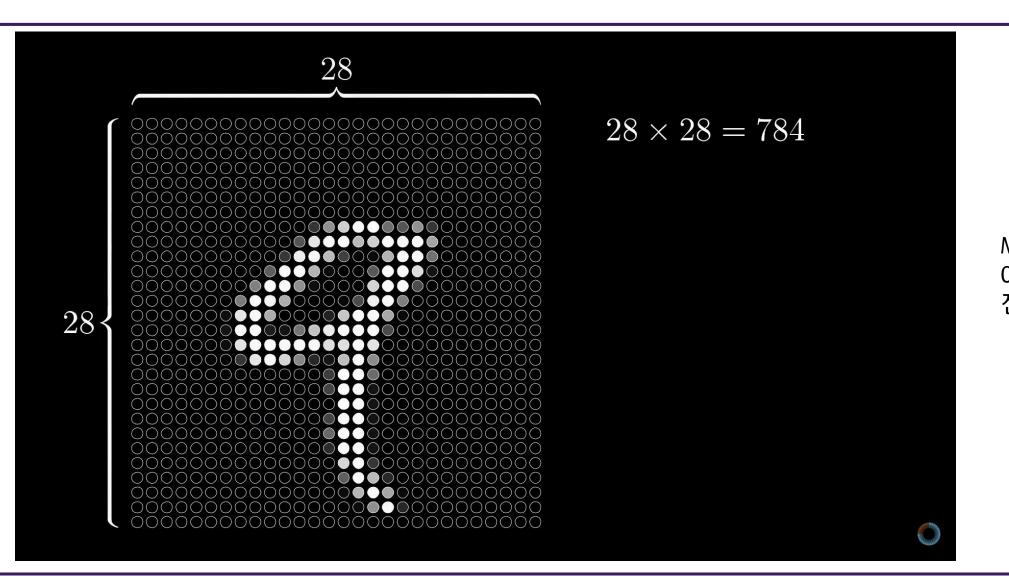


Forward 코드 예시

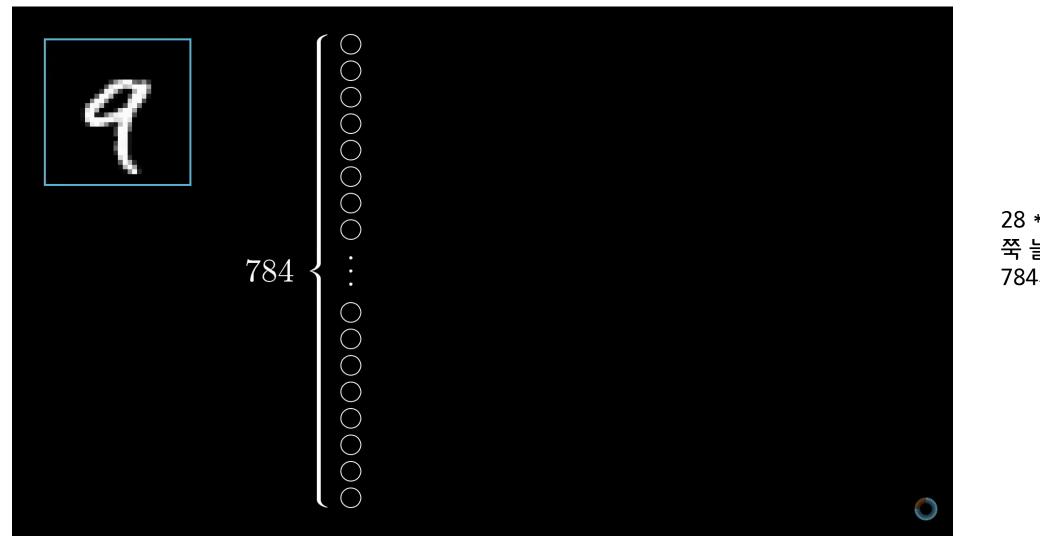
```
def __init__(self):
    self.params = {}
    self.params['W'] = 0.0001 * np.random.randn(4, 3)
    self.params['b'] = np.ones(3)
def forward(self, X):
   W = self.params['W']
    b = self.params['b']
    h = np.dot(X, W) + b
    a = np.exp(h)
    p = a/np.sum(a, axis = 1).reshape(-1,1)
    return p
```

분류기 결과는 이렇게 표현된다.

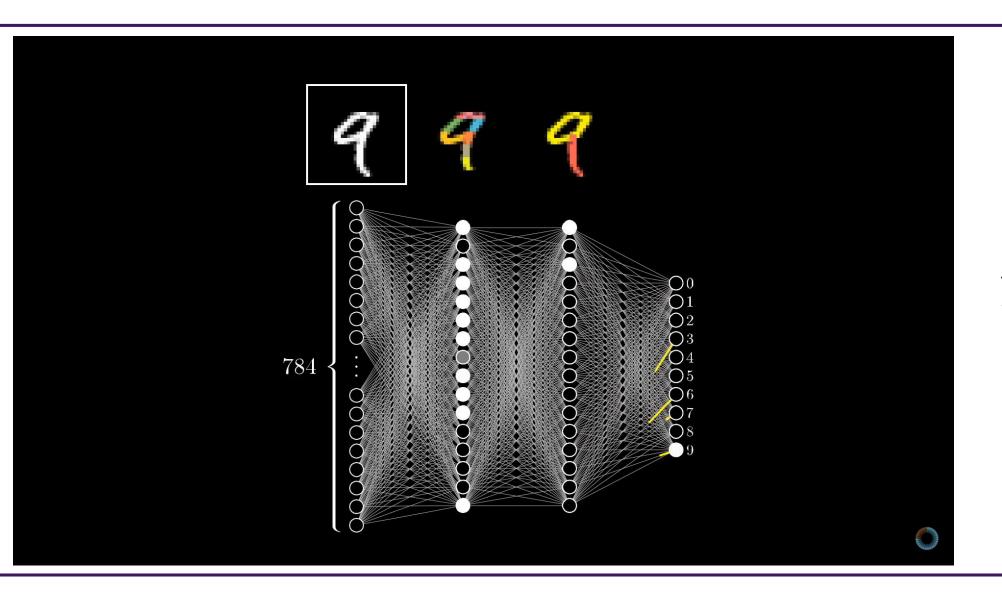




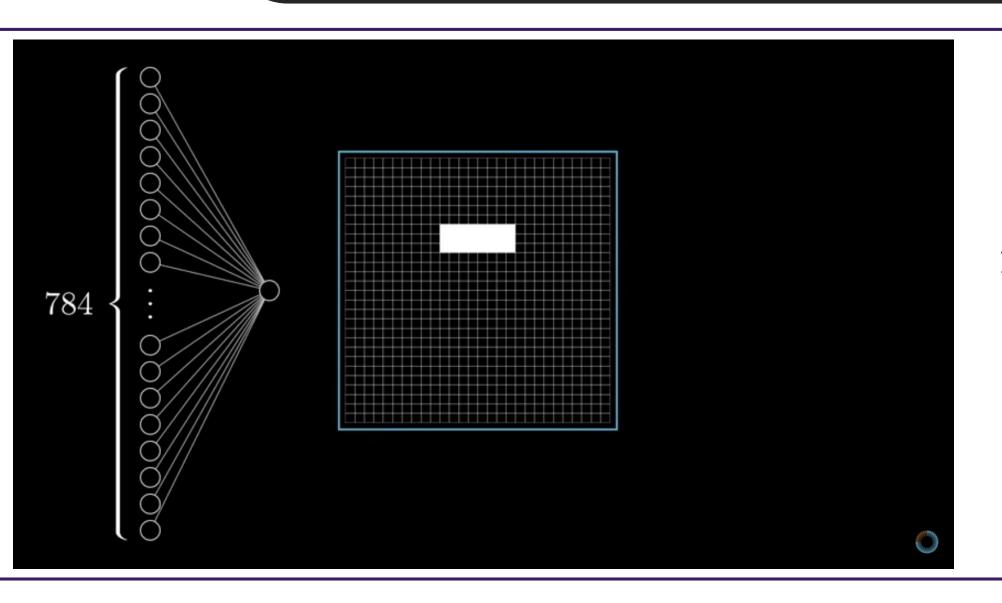
MNIST 데이터 0~9 손글씨 숫자 데이터 진할수록 1에 가깝다



28 * 28 데이터를 쭉 늘여서 784개의 변수로 만든다.



각 반응하는 hidden은 특정 부분에 집중해서 활성화된다.



특정 부분의 가중치가 784개의 변수중 어디에 집중할지를 판단.

좋은 가중치 w를 어떻게 찾을 수 있을까?

기존 가중치를 이용하여 확률 p를 구할 수 있다. 해당 p를 이용하여 현재의 Loss를 구할 수 있다.

이 Loss를 줄이자!!

$$p_i = \frac{\exp(h_i)}{\sum \exp(h_k)}$$

$$L = -\sum y_j \log(p_j)$$

Y1	P1	log(P1)
0	0.0357	-1.44692
Y2	P2	log(P2)
0	0.2624	-0.58099
Y3	Р3	log(P3)
1	0.7018	-0.15376

$$L = 0.15376$$

$$L = 0.31541$$

$$NLL = -\sum y_j \log(p_j)$$

$$H(P,Q) = -\sum_{x} P(x)logQ(x)$$

$$D_{KL}(P||Q)$$

$$= E_{X \sim \widehat{P}_{data}}[log\widehat{P}_{data}(x)$$

$$- logP_{model}(x)$$

Maximum Likelihood 관점에서, <u>우도를 최대로 하는 분포를 만들기 위해</u> Negative Log Likelihood 수식 사용

Cross-Entropy 관점에서, <u>두 분포를 비교하여 정보량을 최소로 하는</u> <u>분포</u>를 찾고자 함

우도 최대화와 정보량 최소화는 본질적으 로 같음

가지고 있는 데이터에 대해 좋은 가중치를 가지는 분포를 찾고자 함

$$L = -\sum y_i \log(p_i)$$
 미분 따라가보기

$$\left(\frac{y}{x}\right)' = \frac{y'x - yx'}{x^2}$$

$$\log(x)' = \frac{1}{x}$$

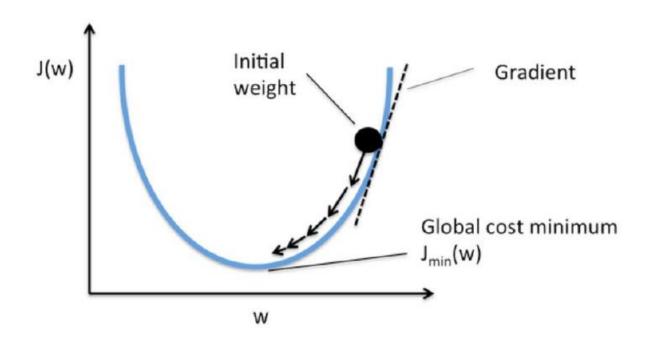
$$\frac{\partial L}{\partial a_i} = p_i - y_i$$

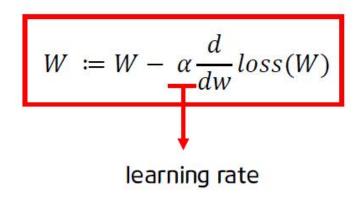
Loss 코드 예시

```
def loss(self, X, T):
    p = self.forward(X)
    n = T.shape[0]
    log_likelihood = 0
    log_likelihood -= np.log(p[np.arange(n), T]).sum()
    Loss = log_likelihood / n
    return Loss
```

Gradient Descent : loss function을 최소화 하기 위해 사용하는 알고리즘

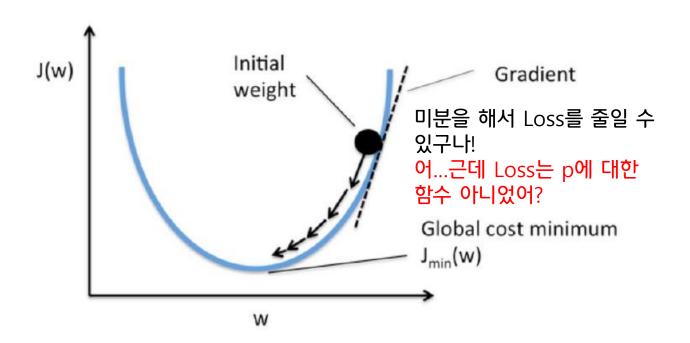
- 1) Weight에 random 한 숫자로 초기값 부여
- 2) Loss를 minimize 하는 방향으로 w를 업데이트!

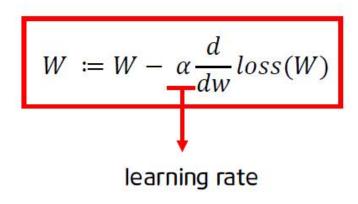




Gradient Descent : loss function을 최소화 하기 위해 사용하는 알고리즘

- 1) Weight에 random 한 숫자로 초기값 부여
- 2) Loss를 minimize 하는 방향으로 w를 업데이트!





Chain Rule을 통해 Loss를 타고 타고 w에 대해서 미분하자!

Chain Rule

$$y = 5x + 3$$
$$z = 4y^2$$

$$\frac{dz}{dy} = 8y, \frac{dy}{dx} = 5$$

$$\frac{dz}{dx} = \frac{dz}{dy}\frac{dy}{dx} = 8y * 5 = 40y = 40(5x + 3)$$

$$H = XW$$

$$P = Softmax(H)$$

$$L = -loglikelihood(P)$$

$$\frac{dL}{dH} = P - y$$
(y:실제 레이블)

$$\frac{dH}{dW} = X^T$$

$$\frac{dL}{dH} = \frac{dL}{dH}\frac{dH}{dW} = X^{T}(P - y)$$

Backpropagation: a simple example

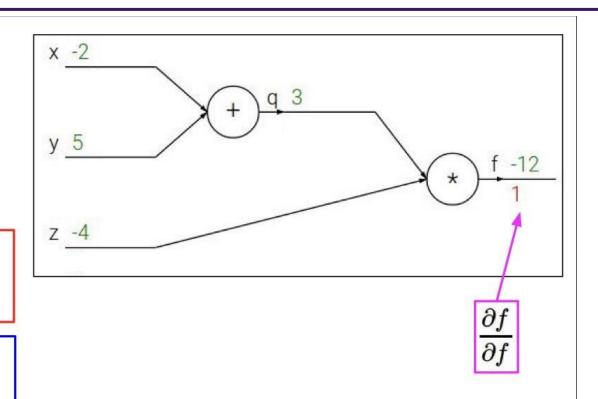
$$f(x, y, z) = (x + y)z$$

e.g. $x = -2$, $y = 5$, $z = -4$

$$q=x+y \qquad rac{\partial q}{\partial x}=1, rac{\partial q}{\partial y}=1$$

$$f=qz$$
 $rac{\partial f}{\partial q}=z, rac{\partial f}{\partial z}=q$

Want: $\frac{\partial f}{\partial x}, \frac{\partial f}{\partial y}, \frac{\partial f}{\partial z}$



Backpropagation: a simple example

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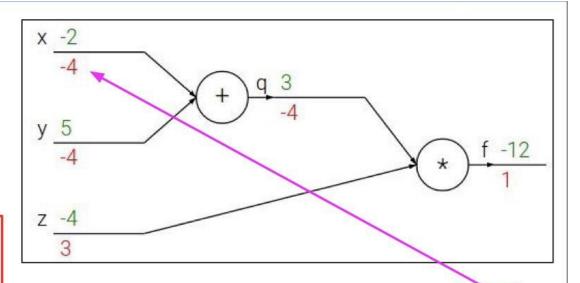
$$q=x+y \qquad rac{\partial q}{\partial x}=1, rac{\partial q}{\partial y}=1$$

<u>덧셈 게이트에서는 그대로</u> 넘긴다!

$$f=qz$$
 $rac{\partial f}{\partial q}=z, rac{\partial f}{\partial z}=q$

곱셈 게이트에서는 상대방을 곱한다!

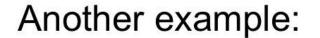
Want: $\frac{\partial f}{\partial x}, \frac{\partial f}{\partial y}, \frac{\partial f}{\partial z}$



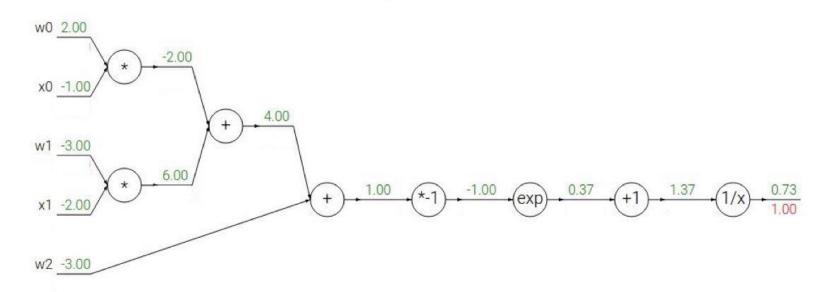
Chain rule:

$$\frac{\partial f}{\partial x} = \frac{\partial f}{\partial q} \frac{\partial q}{\partial x}$$

$$\frac{\partial f}{\partial x}$$



Another example:
$$f(w,x)=rac{1}{1+e^{-(w_0x_0+w_1x_1+w_2)}}$$



$$f(x) = e^x \qquad o \qquad rac{df}{dx} = e^x \ f_a(x) = ax \qquad o \qquad rac{df}{dx} = a$$

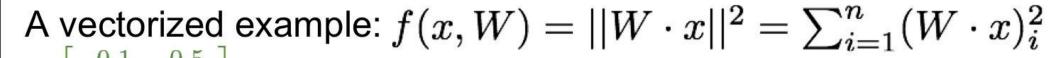
w2 -3.00

0.20

$$f(w,x) = \frac{1}{1+e^{-(w_0x_0+w_1x_1+w_2)}} \qquad \qquad \sigma(x) = \frac{1}{1+e^{-x}} \quad \text{sigmoid function}$$

$$\frac{d\sigma(x)}{dx} = \frac{e^{-x}}{(1+e^{-x})^2} = \left(\frac{1+e^{-x}-1}{1+e^{-x}}\right) \left(\frac{1}{1+e^{-x}}\right) = (1-\sigma(x))\sigma(x)$$

(0.73) * (1 - 0.73) = 0.2



$$\begin{bmatrix} -0.3 & 0.8 \end{bmatrix}_{\mathbf{W}}$$

$$\begin{bmatrix} 0.2 \\ 0.4 \end{bmatrix}_{\mathbf{X}}$$

$$*$$

$$\begin{bmatrix} 0.22 \\ 0.26 \end{bmatrix}$$

$$\mathbf{L2}$$

$$\underbrace{ 1.00}_{\mathbf{I}}$$

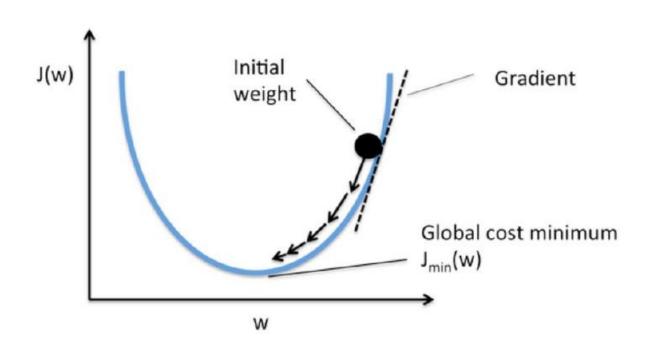
$$|q = W \cdot x = \left(egin{array}{c} W_{1,1}x_1 + \cdots + W_{1,n}x_n \ dots \ W_{n,1}x_1 + \cdots + W_{n,n}x_n \end{array}
ight)$$
 $|f(q) = ||q||^2 = q_1^2 + \cdots + q_n^2$

$$\frac{\partial f}{\partial q_i} = 2q_i$$

$$abla_q f = 2q$$

Gradient Descent : loss function을 최소화 하기 위해 사용하는 알고리즘

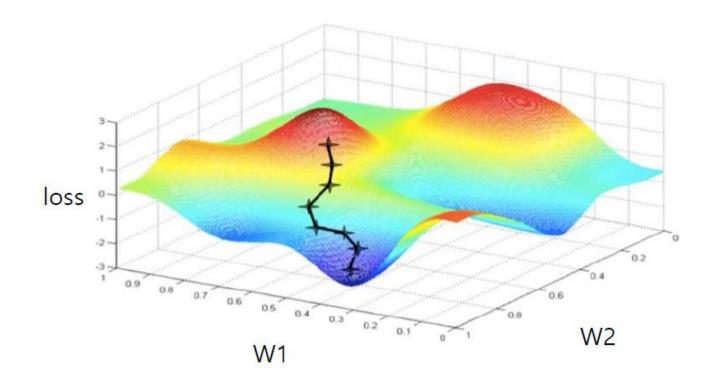
- 1) Weight에 random 한 숫자로 초기값 부여
- 2) Loss를 minimize 하는 방향으로 w를 업데이트!



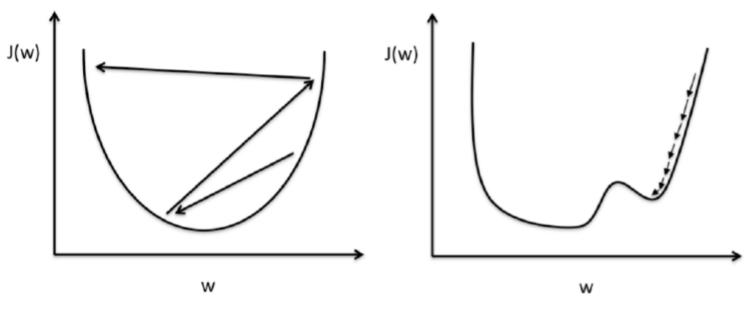
결국 미분한 값을 Learning_rate를 곱해서 현재 W 가중치에서 빼준다!

$$W \coloneqq W - \underbrace{\alpha \frac{d}{dw} loss(W)}_{\text{learning rate}}$$

Gradient Descent : loss function을 최소화 하기 위해 사용하는 알고리즘



Learning rate (α)



Learning rate 가 큰 경우

-> overshooting

Learning rate 가 작은 경우

-> 학습하는데 시간이 오래 걸린다 최저점이 아닌 데서 멈추거나, local minimum에 빠진다.

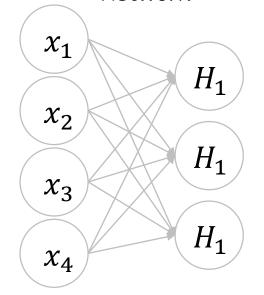
GD 코드 예시

```
def gradient(self, X, T, learning_rate = 0.0001):
   p = self.forward(X)
    t = np.zeros((T.shape[0], 3))
   t[np.arange(T.shape[0]), T] = 1
   dp = p.copy()
   dp[np.arange(len(T)), T] = 1
   grads = \{\}
   grads['W'] = np.zeros((4, 3))
   grads['b'] = np.zeros(10)
   grads['W'] = (1/len(T)) * np.dot(X.T, p-t)
   grads['b'] = (1/len(T)) * np.sum(p-t, axis = 0)
    self.params['W'] -= learning_rate * grads['W']
    self.params['b'] -= learning_rate * grads['b']
```

```
-3.23668516e-05 4.42560055e-06 -2.56037962e-05]
 [ -2.43068233e-05  9.68563102e-05  -6.81574199e-05]
 -1.63824136e-04 2.12286420e-04
                                 7.43973291e-05]]
[[-0.00321581 0.00061467 0.0025906]
 0.02404027 -0.01065741 -0.01343641]
[-0.05779136 0.01472877 0.04306699]
[-0.0255728 0.00370264 0.02199303]]
[[ 0.00861248 -0.00040284 -0.00822019]
 0.05412096 -0.02178615 -0.03238836]
[-0.10186908 0.02754678 0.07432669]
[-0.04607576 0.00652109 0.03967753]]
[[ 0.02155924 -0.00163555 -0.01993423]
 0.08324693 -0.03262187 -0.0506786
[-0.1418079 0.03937622 0.10243607]
[-0.06481271 0.00892456 0.05601101]]
[[ 0.03370442 -0.00258894 -0.03112603]
 0.11051824 -0.0428869 -0.06768488]
[-0.17908648 0.05050046 0.12859041]
 [-0.08228968 0.01100061 0.07141193]]
```

Gradient Descent로 가중치가 변하는 실제 예시

Network



Iris 데이터에 적용한 것

가중치는 4 * 3 매트릭스

150개 데이터에 대해 5000번씩 학습시키고,

1000번째마다 가중치를 찍어본 것

```
Gradient Descent로 가중치가 변하는 실제 예시
                  Network
방금.. 150개 데이터에 대해 시는 4 * 3 매트릭스
  5000번 학습시켰다구?
                            150개 데이터에 대해 5000번씩
                            학습시키고,
                            1000번째마다 가중치를 찍어본 것
```

Epoch:

150개 데이터에 대해서 1바퀴 다 도는 것을 뜻한다. 방금 예시에서는 Epoch가 5000

Batch_size:

150개가 너무 많아 데이터를 나눠서 1Epoch를 학습하는 것을 뜻한다. Ex) Batch_size 가 50이면 1Epoch에 3번 돈다.

즉 학습에 대해 Epoch for문이 있고,

그 안에 데이터갯수/Batch_size(위 예시에서 3번) 만큼 for문이 돈다.

Numpy로 2 Layer Neural Network 구현하기

- 1. 6_NeuralNetwork_참고.ipynb 를 살펴보세요.
- 2. 6_NeuralNetwork_HW.ipynb 의 3번째 Backward 부분의 ?를 채워주세요.
- 3. 강의록 p54~p59를 참고하여 Network의 그래프를 손으로 직접 그리고 각 matrix들의 차원을 표시해주세요.
- 4. 6_NeuralNetwork_HW.ipynb를 차근차근 읽으며 Model.py를 완성시켜주세요.
- 5. 하이퍼파라미터를 바꿔가며 성능을 올려주세요.

참고문헌

밑바닥부터 시작하는 딥러닝, 사이토고키, 개앞맵시

https://www.youtube.com/channel/UCYO jab esuFRV4b17AJtAw (유튜브 영상), 3 Brown 1 Blue

http://cs231n.stanford.edu/2017/ (CS231N 강의), 스탠포드 대학교

9기 임소정 자료

Q&A

들어주셔서 감사합니다.