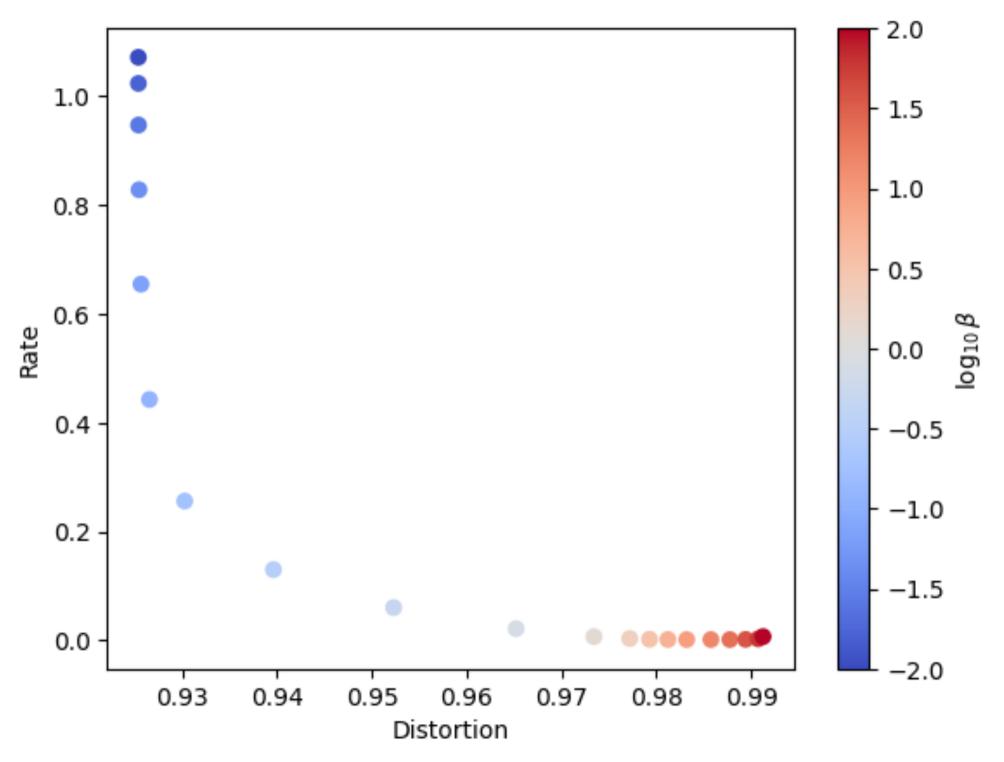
Siddharth Mishra-Sharma (MIT/IAIFI) | IAIFI Summer School



Controlling compression and disentanglement: β -VAEs



 $ELBO = \left\langle \log p_{\vartheta}(x \mid z) \right\rangle_{q_{\varphi}} - \beta \cdot D_{KL} \left(q_{\varphi}(z \mid x) \parallel p(z) \right)$





Distortion

If the data-generating process is associated with a principled noise model, by using it (the *likelihood*) as the reconstruction loss we are aiming to reconstruct the mean data.

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$$\log p(x \mid z; x') = -\frac{1}{2} \left(\frac{x - x'}{\sigma} \right)^2 + \log \left(\frac{1}{\sigma \sqrt{2\pi}} \right)$$

• Larger σ : More of the data variation is attributed to the likelihood \rightarrow larger " β ", more compression

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• Smaller σ : Latents z try to capture more of the variation in

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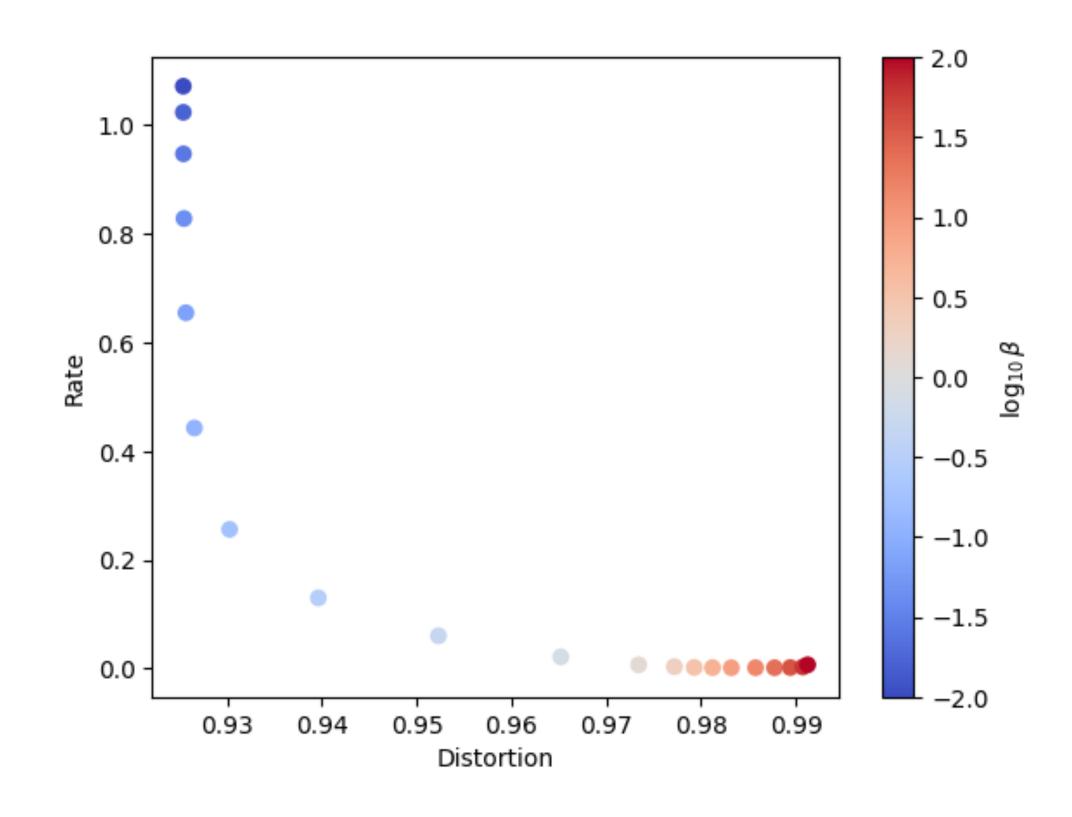
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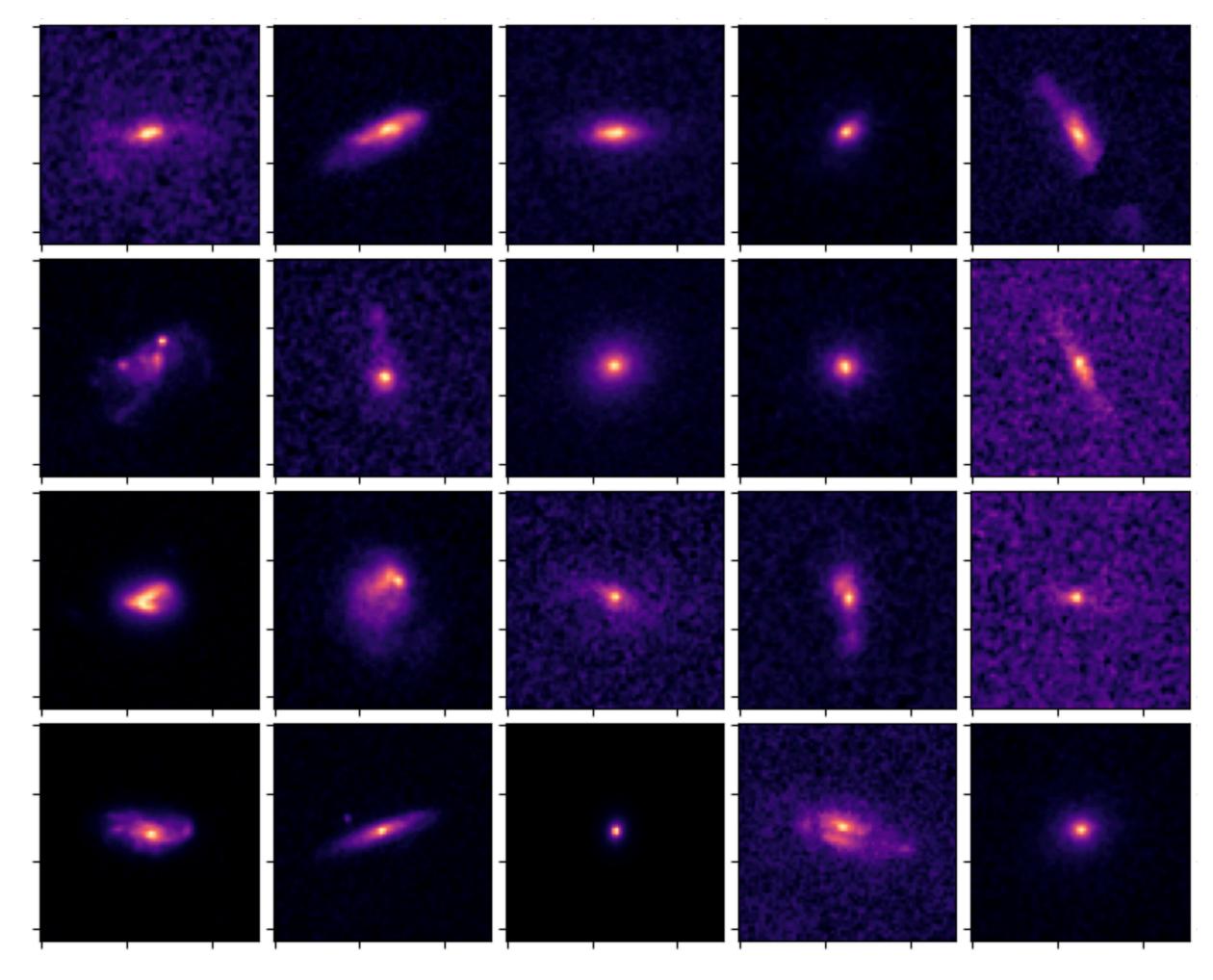
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Rate



Tutorial Task 1



[Mandelbaum et al; https://zenodo.org/record/3242143]

- Construct a VAE and use it to build a generative model of galaxy images using samples form the HST COSMOS dataset
- Boilerplate code for training/reconstruction/ sampling for quick iteration
- Experiment with trade-offs between reconstruction quality and a disentangled latent space