Siddharth Mishra-Sharma (MIT/IAIFI) | IAIFI Summer School



Neural compression: Rate-distortion theory

Autoencoding is a form of (neural) compression!

$$-\text{ELBO} = -\left\langle \log p_{\vartheta}(x \mid z) \right\rangle_{q_{\varphi}} + D_{\text{KL}} \left(q_{\varphi}(z \mid x) \parallel p(z) \right)$$

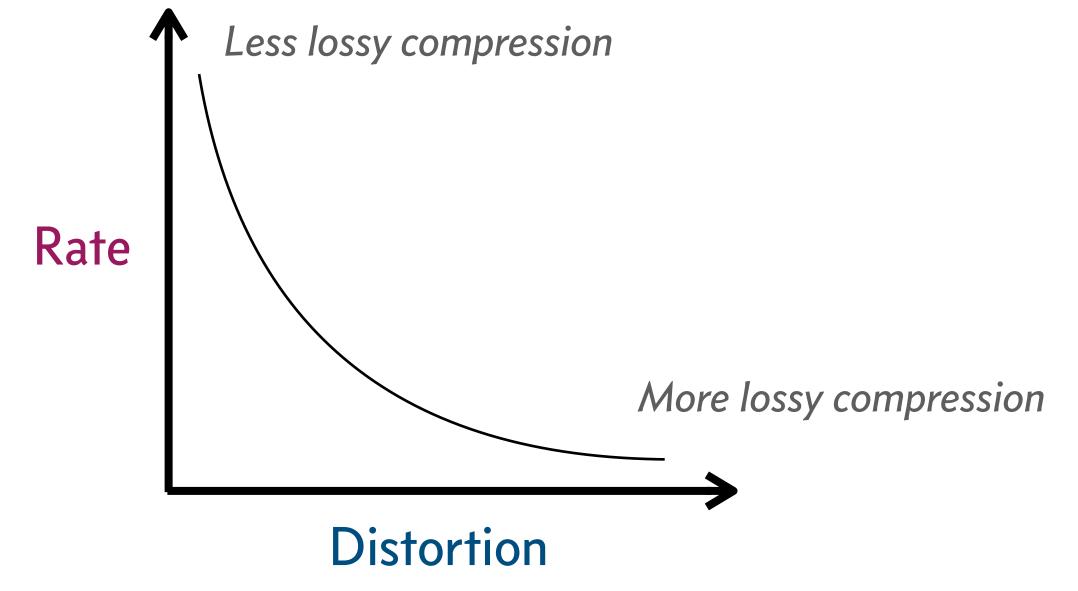
Rate

"Amount of compression"

Distortion

"Reconstruction loss"

Rate-distortion curve quantified this tradeoff



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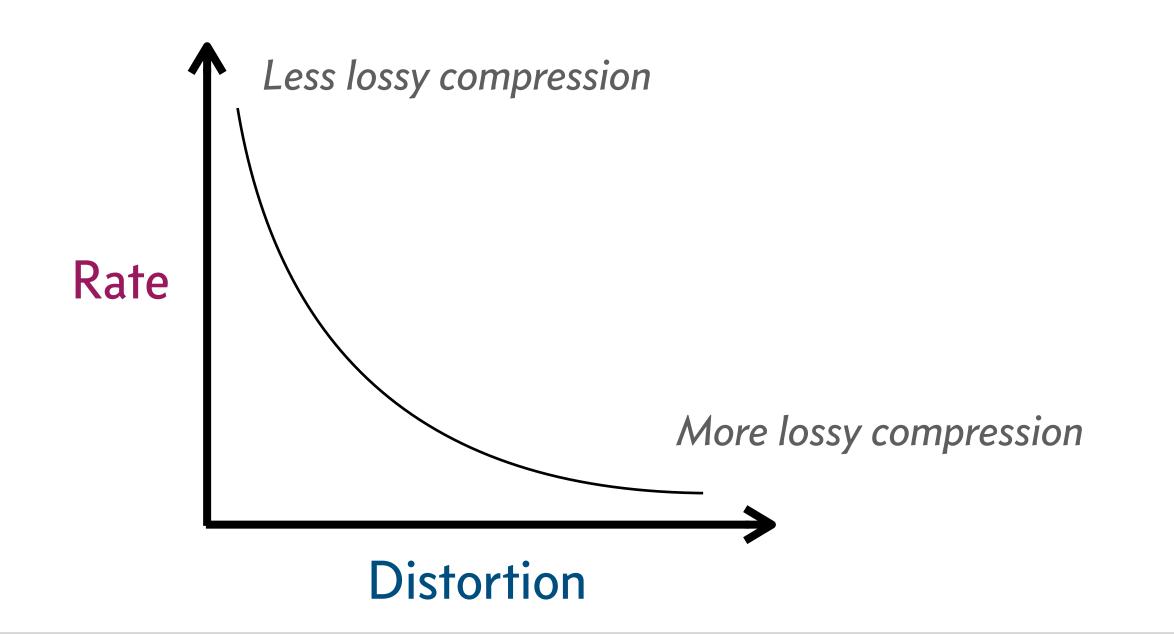
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Controlling compression and disentanglement: β -VAEs

$$-\text{ELBO} = -\left\langle \log p_{\vartheta}(x \mid z) \right\rangle_{q_{\varphi}} + \beta \cdot D_{\text{KL}} \left(q_{\varphi}(z \mid x) \parallel p(z) \right)$$

Distortion

Rate