Variable Eddington Factor for Mixed Hybrid Finite Element/Linear Discontinuous Galerkin Source Iteration

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Abstract

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Running Head
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1 Introduction

2 Variable Eddington Method

3 Computational Results

3.1 Diffusion Limit

4 Conclusions and Future Work

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