Recession project report

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1 Analysis of Safety net program participation

Participation rates of households in different safety net programs were analyzed, to detect any significant difference in participation of households with a disabled adult. The following programs were analyzed:

- Supplemental Security Income (SSI)
- Unemployment Income (Unemp)
- Food stamps (FdStp)

The following control variables were included in the models:

- Year and month, from August 2008 April 2013
- Race (asian, black, others and white) 4 levels
- Household type (interaction between gender and marital status of household head) 4 levels

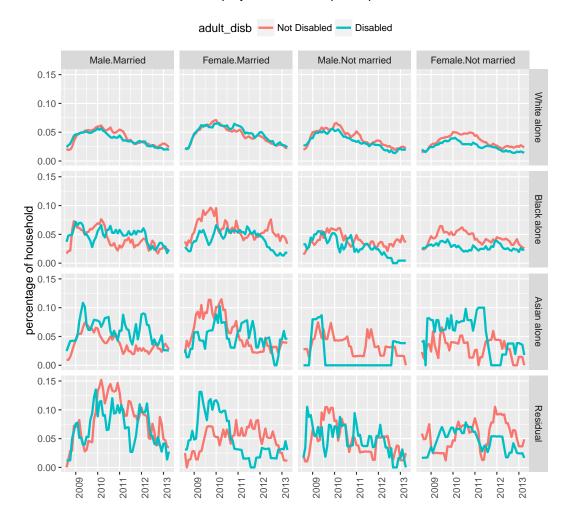
The response variable (p) is the program participation rate of different types of household. Since $0 \le p \le 1$, a binomial logistic regression model was fit, to estimate the effect of disability on the the odds ratio of program participation rates, after controlling for the demographic variables. The model is of the form

$$logit(p(x)) = log\left(\frac{p(x)}{1 - p(x)}\right) = \alpha + \beta_1 x_1 + \beta_2 x_2 + \beta_3 x_3$$

where, p(x) is the participation rate, as a function of the covariates x. The three program participation rates were analyzed separately and together. Below are the results.

1.1 Unemployment income participation

Unemployment Income participation

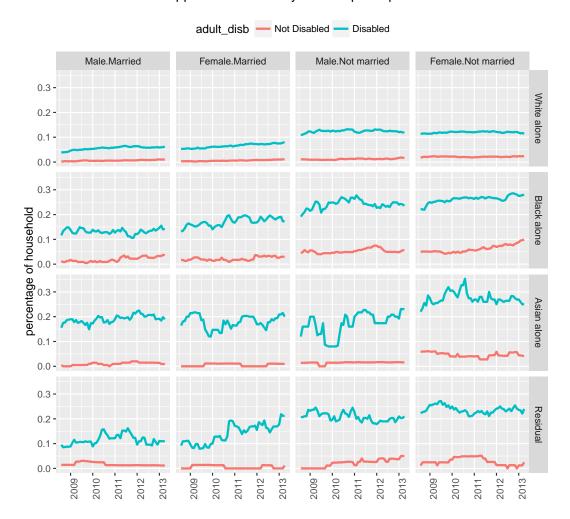


The plots above are of participation rates of different households in "unemployment income". To incorporate the nonlinear behavior of the participation rate a quadratic term was introduced.

$$logit(p(x)) = log\left(\frac{p(x)}{1 - p(x)}\right) = \alpha + \beta_1 \cdot yrmon + \beta_2 \cdot yrmon^2 + \beta_3 \cdot race + \beta_4 \cdot hh_t + ype + \gamma \cdot disab$$

1.2 Supplemental security income participation

Supplemental Security Income participation



The plots above are of participation rates of different households in "supplemental security income". The following model was fit:

$$\operatorname{logit}(p(x)) = \log\left(\frac{p(x)}{1 - p(x)}\right) = \alpha + \beta_1 \cdot \operatorname{yrmon} + \beta_2 \cdot \operatorname{race} + \beta_3 \cdot \operatorname{hh_type} + \gamma \cdot \operatorname{disab}$$

We are interested in $\hat{\gamma}$, the estimate of γ , the contribution of disability in participation rate.

	\hat{eta}	S.E.	Z	p-value	Odds Ratio	2.5%	97.5%
(Intercept)	-91.6394	122.7252	-0.7467	0.4552	0.0000	0.0000	Inf
yearmon	0.0431	0.0610	0.7067	0.4798	1.0441	0.9264	1.1771
race (Black alone)	0.9913	0.2645	3.7481	0.0002	2.6948	1.6238	4.5989
race (Asian alone)	0.8967	0.2671	3.3575	0.0008	2.4514	1.4684	4.2016
race (Residual)	0.7257	0.2724	2.6645	0.0077	2.0662	1.2228	3.5730
Female.Married	0.1020	0.2653	0.3845	0.7006	1.1074	0.6581	1.8690
Male.Not married	0.5163	0.2488	2.0755	0.0379	1.6758	1.0341	2.7506
Female.Not married	0.7868	0.2410	3.2653	0.0011	2.1963	1.3794	3.5575
Disabled	2.2330	0.2443	9.1391	0.0000	9.3279	5.9201	15.5045

1.3 Food stamps participation

Food stamps participation



The plots above are of participation rates of different households in "Food stamp programs". The following model was fit:

$$\operatorname{logit}(p(x)) = \log \left(\frac{p(x)}{1 - p(x)} \right) = \alpha + \beta_1 \cdot \operatorname{yrmon} + \beta_2 \cdot \operatorname{race} + \beta_3 \cdot \operatorname{hh_type} + \gamma \cdot \operatorname{disab}$$

We are interested in $\hat{\gamma}$, the estimate of γ , the contribution of disability in participation rate. Below are the coefficients.

	Beta	S.E.	Z	p-value	Odds Ratio	2.5%	97.5%
(Intercept)	-190.7829	100.8751	-1.8913	0.0586	0.0000	0.0000	663.6447
yearmon	0.0932	0.0502	1.8576	0.0632	1.0977	0.9951	1.2115
race (Black alone)	1.0083	0.2030	4.9662	0.0000	2.7410	1.8528	4.1134
race (Asian alone)	0.0811	0.2284	0.3549	0.7227	1.0845	0.6928	1.7005
race (Residual)	0.8712	0.2055	4.2393	0.0000	2.3897	1.6065	3.6014
Female.Married	0.1015	0.2302	0.4412	0.6591	1.1069	0.7049	1.7421
Male.Not married	0.7041	0.2109	3.3387	0.0008	2.0221	1.3442	3.0786
Female.Not married	1.2347	0.2013	6.1345	0.0000	3.4374	2.3343	5.1467
Disabled	0.9047	0.1433	6.3145	0.0000	2.4712	1.8718	3.2842

2 Data description

In the original data-set there were 42,030 unique households. In the disability data-set (panel 2008, wave 6), there were 33,363 households. Only those households who have responded to the survey from wave 1 through wave 15 were analyzed. In addition, if reference person of a household changed over the duration of the survey, that household was dropped. The reference person of the households also needed to be 18 or older, at the beginning of the survey. There were a total of 22,002 unique households that satisfied all the above criteria.

3 Methods

The primary aim of this study was to estimate how the households with disability coped through the great recession, in terms of income poverty. We used the ratio of total monthly household income and the monthly federal poverty level to quantify income poverty. We name this income poverty ratio (IPR). Households with IPRs lower than 1 were below 100% Federal poverty levels. Data from June 2008 through May 2013 were analyzed. The baseline value of IPR (of June 2008) of each household was subtracted from the rest of that household's responses. This helped us analyze the isolated effect of the great recession on income poverty of different socio-economic strata. A mixed effect model was fit between IPR and disability, controlling for demographic variables like race, gender and marital status of household head. Since this is a panel survey, with longitudinal observations from each household, to account for "between household" variability, we included a random effect for each household. Our conclusion is that the great recession has had a detrimental impact on IPR. Households with unmarried female adults as the head fared much worse than other types of households.