

$$y = Ax + \xi$$

Tomographic Measurement

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A = linop.DiagonalStack(
    3*[linop.radon astra.TomographicProjector(
        x.shape[1:], 1, x.shape[1], angles)],)
Ax = A   x
w = scico.numpv.exp(-Ax)
W = linop.Diagonal(w)
\xi = \sigma * scico.random.randn(w.shape)[0] * (1/w) ** 0.5
y = Ax + \xi
C1 = linop.Identity(x.shape)
g1 = functional.NonNegativeIndicator()
C2 = linop.FiniteDifference(x.shape, axes=(1, 2), append=0)
g2 = \alpha * functional.L21Norm(l2_axis=(0, 1))
solver = optimize.admm.ADMM(
    f=loss.SquaredL2Loss(y=y, A=A, W=W),
    q list=[q1, q2],
    C list=[C1. C2].
    rho list=[1.0e0, 1.0e2],
    x0=scico.numpy.zeros(x.shape),
    maxiter=30.
    subproblem_solver=optimize.admm.LinearSubproblemSolver(
        cg_kwargs={"tol": 5e-5, "maxiter": 25}),
    itstat options={"display": True, "period": 1})
x_hat = solver.solve()
```





$$\hat{\boldsymbol{x}} = \arg\min_{\boldsymbol{x} \ge 0} \frac{1}{2} ||A\boldsymbol{x} - \boldsymbol{y}||_W^2 + \alpha ||D\boldsymbol{x}||_{2,1}$$
$$= \arg\min_{\boldsymbol{x}} f(\boldsymbol{x}) + \sum_{i=1}^N g_i(C_i \boldsymbol{x})$$

Reconstruction