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CSE204

Enrol. No.

[ET]

END SEMESTER EXAMINATION: APRIL-MAY, 2018

THEORY OF COMPUTATION

Time: 3 Hrs.

Maximum, Marks: 70

Note: Attempt questions from all sections as directed.

SECTION - A

(30 Marks)

Attempt any five questions out of six.

Each question carries 06 marks.

- N. Analyze the languages proposed by Chomsky with the help of examples.
- 2. Convert the given Context Free Grammar into Chomsky Normal form.

A->bAA/aS/b

B->aBB/bS/b

S->AB

3. State Post Correspondence Problem (PCP). Prove that the following instance of PCP has no solution over $\Sigma = \{0,1\}$, X and Y be lists of three strings as follows:

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(2133)



	List X	List Y
Ĺ	w _i	x _i
1	10	101
2	011	11
3	101	011

- 4. Under what circumstances we use total, partial and recursive functions. Justify your answer.
- 5. Describe the TM that accepts the language $L = \{a^n b^n | n>0\}.$

Also derive the computation sequence for the input sequence w=aaabbb.

6. State pumping Lemma Theorem. Prove that $L = \{a^n \mid n \text{ is a prime}\}\$ is not a context free language.

SECTION - B (20 Marks)

Attempt any two questions out of three.

Each question carries 10 marks.

7. (a) Explain Arden's theorem. Construct regular expression from the following DFA using arden's theorem.

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(b) Design a mealy machine for modulo-4 problem. (4)

(a) State Universal TM. Design a TM which computes 8. the following function.

> f(w)=ww^R, where w^R is the reverese of string w. (7)(w €(a,b)*)

(b) Show that halting problem of a hiring machine is (3)undecidable.

(a) Convert the following CFG to PDA. (5)

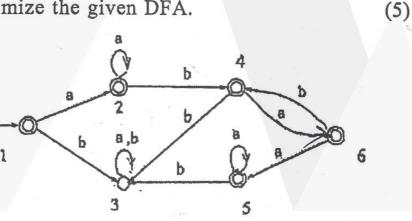
S->aABB / aAA

A -> aBB / a

B->bBB / ACa

C -> b

(b) Minimize the given DFA.



DFA Example 2

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SECTION - C

(20 Marks)

(Compulsory)

10. (a) Convert the following CFG into GNF

S -> AB

A -> BS/b

 $B \rightarrow SA/a$

(8)

(b) Design a turing machine which computes the multiplication of two numbers. $\leq = 1$ (10)

(c) Differentiate between Non Deterministic and Deterministic Finite Automata (2)