Paint Grid
Time Limit: 3 sec

You are given an **N*N** grid with each cell brown in colour. You need to paint a **H*N** sized banner with blue background. You hired a painter to get the job done. However, being absent minded, he painted a contiguous part of each column of varying size and did not get the job done.

Each of this continuous part in the $\mathbf{i}^{th}$ column is painted from the $\mathbf{l_i}^{th}$ cell to the $\mathbf{h_i}^{th}$ cell (starting from the bottom, 0-indexing). Thus, in the $\mathbf{i}^{th}$ column, the $\mathbf{l_i}^{th}$ cell to the $\mathbf{h_i}^{th}$ cell (both inclusive) have already been painted. In order to build a horizontal space of height **H** passing through all the **N** columns you need to paint some cells blue.

Find out the minimum number of cells which need to be painted. See figure and explanation for clarity.

Input
First line contains an integer **T** - test cases. Each test case starts with two integers **N** and **H** – size of the grid and height of the banner, respectively. In each of the next **N** lines are 2 integers $\mathbf{l_i}$ and $\mathbf{h_i}$, respectively indicating lowest and highest number of painted cells in the $\mathbf{i}^{th}$ column.

Output
One integer – minimum time required.

Constraints
$1 \le T \le 50$
$1 \le N \le 10^4$
$1 \le H \le N$
$0 \le l_i \le h_i < N$

Sample Input:
2
4 3
1 2
1 2
1 2
1 2
5 2
2 3
1 2
2 3
1 2
2 3

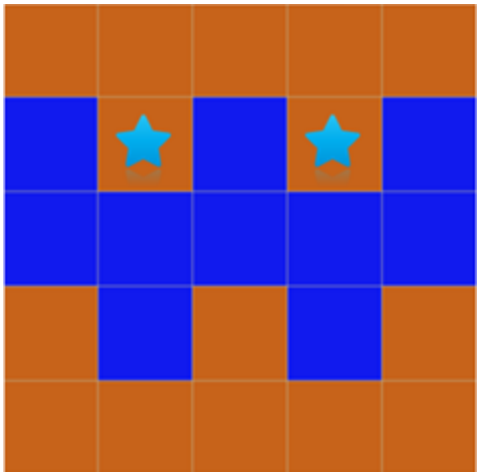
Sample Output:

4

2

Explanation

In the second case, the figure describes the initial grid, where every blue cell denotes a painted cell and the brown cells denote the original coloured grid.



The 2 browns cells marked with stars are the 2 cells which need to be painted blue for an optimal solution.