

# A Microstrip Lowpass Filter With Wide Tuning Range and Sharp Roll-Off Response

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**Abstract**—In this brief, a compact lowpass filter (LPF) with wide stopband, very sharp roll-off response and wide tuning range is presented for microwave diode detector applications. It employs two hexagonal-shaped resonators and multiple open-end stubs as suppression cells. The results of the proposed hexagonal-shaped resonator and LC circuits are in good agreement. The 3 dB cut-off frequency for the proposed LPF is 2.2 GHz and the roll-off-rate (ROR) parameter for the proposed LPF is very sharp and equal to 308.6 dB/GHz. Furthermore, insertion loss (IL) and return loss (RL) in the passband region are better than 0.3 dB and 18 dB, respectively. Moreover, the stopband is wide, ranging from 2.34 to 18 GHz, with a 22 dB rejection level. The tuning range of 3 dB cut-off frequency is also wide, equal 0.48 to 1.7 GHz (71%). As an application demonstrator, an envelope detector was designed and fabricated. The proposed detector (with LPF) highly suppresses any harmonics of the fundamental frequency. The proposed LPF and microwave detector is designed, simulated, fabricated and measured. The results of simulation and measurement are in good agreement.

**Index Terms**—Diode detector circuit, feature selective validation, sharp response, tunable lowpass filter.

## I. INTRODUCTION

RF/MICROWAVE lowpass filters (LPFs) are used in most telecommunication systems for the suppression of harmonics and unwanted signals. LPF is usually essential in the diode-based microwave devices and circuits such as mixers, multipliers, and detectors. Emerging applications such as wireless communications continue to challenge filters with compact size, sharp roll-off rate (ROR), wide stopband, high suppression factor (SF), low insertion loss (IL), high relative stopband (RSB), and high figure-of-merit (FOM) [1]. In recent years, various resonators with different geometries and structures have been offered to design compact filters with good performance [2]–[13]. A compact filter with wide stopband and good performance is presented in [2]. Moreover, in [3], multi open stubs are used to provide LPF, but ROR is poor. To obtain expanded stopband defected ground structure (DGS) has been used to provide LPF [4]–[6]. Also, the compact LPF

proposed in [7] used a T-shaped resonator and results show low IL in the passband and wide stopband.

All the filters reviewed in the articles above [2]–[7] are not tunable. With the development of the RF/Microwave telecommunication systems, the need for tunable filters has been increased. In general, a limited number of articles [8]–[12] has proposed tunable filters. Furthermore, in [9]–[11], a tunable LPF with a wide stopband is proposed. Furthermore, a varactor-tuned LPF with a large cutoff frequency tuning range and a sharp ROR response is presented in [12], but bandwidth stopband is low.

In this brief, an LPF using hexagonal shaped resonator with compact size, sharp ROR, wide stopband, high SF, and low IL is proposed. Furthermore, another tunable LPF with a wide tuning range for 3 dB cut-off frequency is integrated with the envelope detector structure. By changing the bias voltage, harmonics can be controlled for each carrier frequency separately. Its wide tuning range is a significant advantage over prior art as it provides control over the harmonics suppression level. To the best of the authors' knowledge, tunable LPF is considered for the first time as the harmonics controller in the envelope detector.

## II. DESIGN AND EQUIVALENT CIRCUIT MODELING OF THE LPF AND ITS CONFIGURATION

As a primary step, we start with designing a basic rectangular resonator based on the guidelines mentioned in [1] as illustrated in Fig. 1(a). The 3dB cut-off frequency is fixed to 2GHz. One of the important parameters of LPF is the rate of change from passband to stopband (ROR). To calculate the ROR parameter, the following equation is used [14].

$$\text{ROR} = \frac{\alpha_{\max} - \alpha_{\min}}{f_s - f_c} \left( \frac{\text{dB}}{\text{GHz}} \right) \quad (1)$$

In this equation,  $\alpha_{\max}$  is usually  $-40$  dB and  $\alpha_{\min}$  is  $-3$  dB;  $f_s$  is the frequency of  $-40$  dB point, and  $f_c$  is the cut-off frequency. The ROR parameter of the basic resonator is not satisfactory. Thus, to achieve sharper ROR, hexagonal-shaped resonators [5] in the single and double form shown in Fig. 1(a) are investigated. The equivalent circuit which is used in the analysis of the hexagonal resonator is also provided in Fig. 1(a). The transfer function for this equivalent circuit is as follows:

$$\frac{v_{\text{out}}}{v_{\text{in}}} = \frac{a_2 S^4 + a_1 S^2 + a_0}{b_5 S^5 + b_4 S^4 + b_3 S^3 + b_2 S^2 + b_1 S + b_0} \quad (2)$$

where  $S$  is the complex frequency and constants  $a_i, b_i$  are related to equivalent circuit parameters (3), as shown at the

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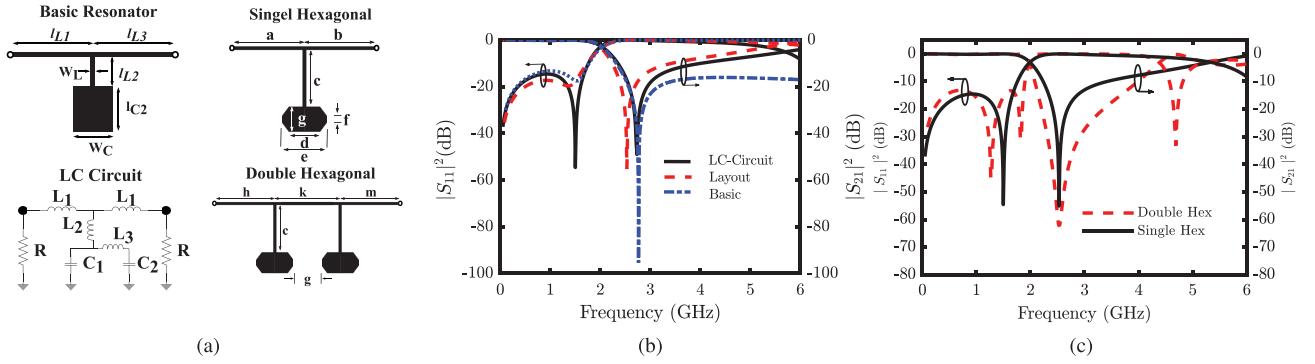


Fig. 1. (a) Basic resonator, single resonator, LC circuit of single resonator, and double hexagonal resonator design ( $L_1 = 3.3$  nH,  $L_2 = 3.4$  nH,  $L_3 = 0.1$  nH,  $C_1 = 0.3$  pF, and  $C_2 = 1$  pF), and topology (Units: mm,  $l_{L1} = 5.8$ ,  $l_{L2} = 4.42$ ,  $l_{L3} = 9.44$ ,  $W_C = 4$ ,  $W_L = 0.4$ ,  $l_{C2} = 5.46$ ,  $a = b = 8$ ,  $c = 7$ ,  $d = 3.4$ ,  $e = 6$ ,  $f = 0.6$ ,  $g = 3.2$ ,  $h = m = 8$ ,  $k = 12$ ), (b) simulation results for different modeling of single hexagonal resonator, (c) single and double hexagonal resonators' simulation results.

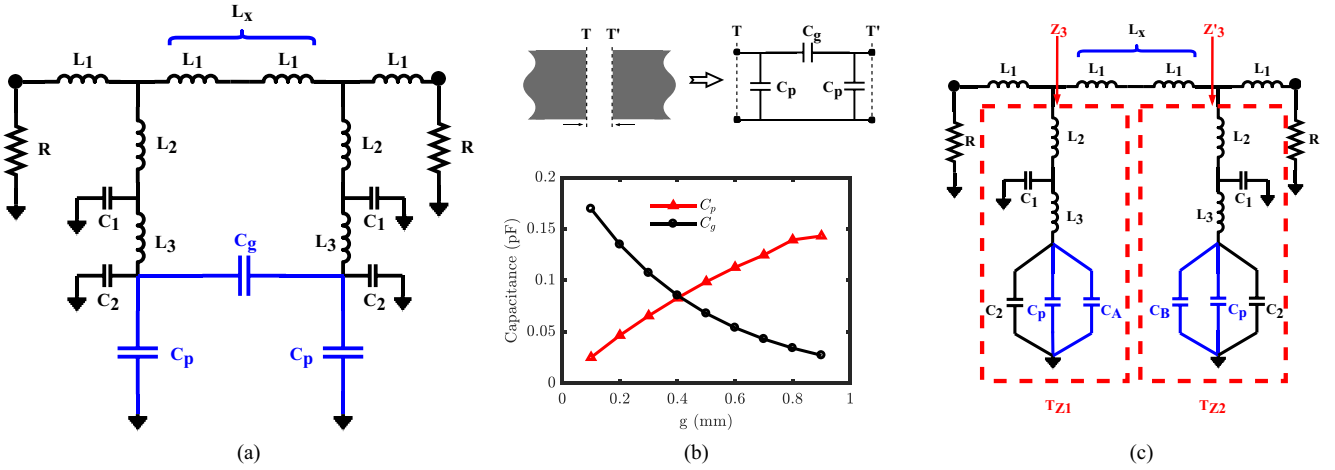


Fig. 2. (a) LC circuit for two series hexagonal shaped resonator, (b) variations of  $C_g$  and  $C_p$  with  $g$ , (c) Simplified equivalent LC circuit.

bottom of the page. The location of TZ can be obtained by finding zeros of (2).

$$f_z = \frac{1}{2\pi} \sqrt{\frac{\sqrt{a_1^2 - 4a_2 - a_1}}{2a_2}} = 2.518 \text{ GHz} \quad (4)$$

Fig. 1(b) illustrates s-parameters of the rectangular and the single hexagonal resonators. There is a good agreement between the results of the hexagonal shaped resonator and LC circuit. According to this figure, the ROR parameter for the basic resonator and the hexagonal-shaped resonator are 56.5 and 77.4 dB/GHz, respectively. Therefore, the hexagonal resonator provides higher ROR in comparison to the rectangular resonator. To achieve the narrow transition band and even sharper ROR parameter, the double hexagonal resonators could be used. S-parameters of the single and double hexagonal resonators are compared in Fig. 1(c). Obviously, the ROR parameter of the double hexagonal resonator (88.73 dB/GHz) is better than that of the single hexagonal. Since the double hexagonal resonator provides better response the focus is now on the design procedure

and analysis of this structure by providing its LC equivalent circuit as shown in Fig. 2(a). The microstrip gap ( $g$ ) between two hexagonal resonators has a major effect on the transfer function. As shown in Fig. 2(b), the gap can be represented by a capacitive  $\pi$ -network. The shunt and series capacitances  $C_p$  and  $C_g$  may be determined based on the guideline given in [13], however the validity of those expressions is within  $0.5 \leq W/h \leq 2.5$  and  $2.5 \leq \epsilon_r \leq 15$  [1]. Therefore, for the sake of accuracy, the shunt and series capacitances  $C_p$  and  $C_g$  may be determined based on the following equations [15]:

$$C_p = C_1 \left( \frac{Q_2 + Q_3}{Q_2 + 1} \right) \times 10^{12} (\text{pF}) \quad (5)$$

$$C_g = 0.5hQ_1 \exp(-1.86(\frac{g}{h}))v (\text{pF}) \quad (6)$$

where auxiliary quantities  $Q_i$  and  $v$  are defined in [15],  $g$  is the space between lines (gap) and  $W$  is the line width of two hexagonal resonators ( $W = 5.6$  mm). Substitution of the substrate Rogers RO4003c parameters ( $h = 0.8128$  mm,  $\epsilon_r = 3.38$ ,  $\tan\delta = 0.0022$ ) results in  $C_p = 0.13$  pF and  $C_g = 0.034$  pF. The variations of  $C_g$  and  $C_p$  with respect to  $g$  are shown in Fig. 2(b). According to Fig. 2(b), one may conclude that by

$$\begin{aligned} a_0 &= R, \quad a_1 = R(L_2C_1 + L_2C_2 + L_3C_2), \quad a_2 = RC_1C_2L_2L_3, \quad b_0 = R + 1 \\ b_1 &= 2L_1, \quad b_2 = a_1/R, \quad b_3 = (C_1 + C_2)L_1^2, \quad b_4 = a_2/R + RC_1C_2L_1L_3, \quad b_5 = C_1C_2L_1^2L_3 \end{aligned} \quad (3)$$

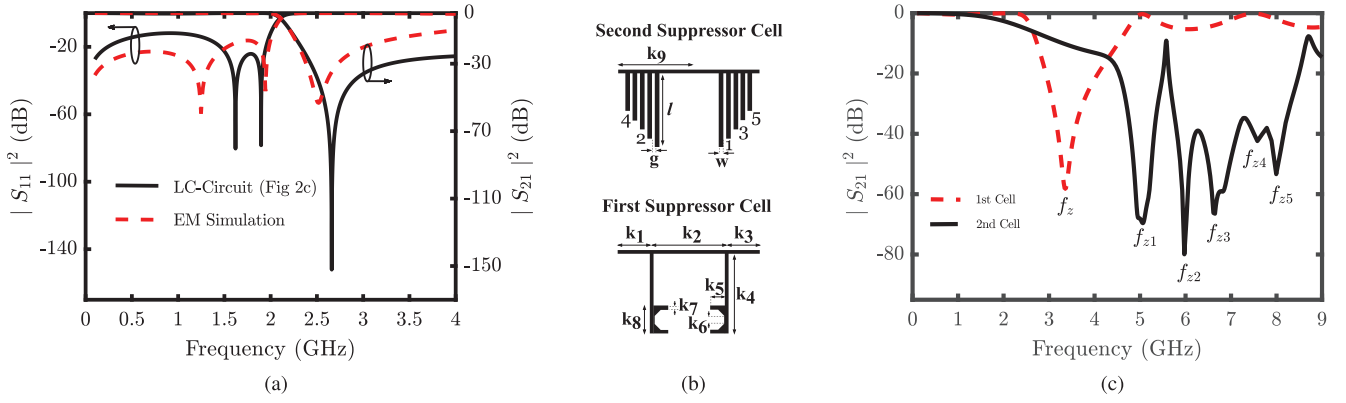


Fig. 3. (a) Simulation results of LC circuit and proposed resonator, (b) suppressor cells; first suppressor cell ( $k_1 = 6$  mm,  $k_2 = 13.4$  mm,  $k_3 = 6$  mm,  $k_4 = 11.5$  mm,  $k_5 = 1.8$  mm,  $k_6 = 1.8$  mm,  $k_7 = 0.4$  mm,  $k_8 = 4.4$  mm); second suppressor cell ( $k_9 = 12.6$  mm,  $l_1 = 10.2$  mm,  $l_2 = 9$  mm,  $l_3 = 7.8$  mm,  $l_4 = 6.8$  mm,  $l_5 = 5.8$  mm,  $w = 0.6$  mm, and  $g = 0.4$  mm), (c) Simulation results for suppressor cells.

adjusting line's spacing  $C_g$  and  $C_p$  capacitors could be controlled. A simplified version of the LC circuit as shown in Fig. 2(c) can be approximated by using the Miller effect.

$$L_x = 2L_1 \quad (7)$$

$$C_A = C_g \left(1 - \frac{V_B}{V_A}\right) \quad (8)$$

$$C_B = C_g \left(1 - \frac{V_A}{V_B}\right) \quad (9)$$

By extracting the transfer function in the simplified LC circuit, one can calculate  $C_A$  and  $C_B$  capacitors as well. The transfer function for the simplified LC circuit in Fig. 2(c) is obtained as follows:

$$\frac{v_{out}}{v_{in}} = \frac{1}{\zeta \xi + \zeta \frac{Z_T}{Z_3} + \xi \frac{Z_T}{Z_3} + \frac{Z_T}{Z_3}} \quad (10)$$

$$\zeta = 1 + \frac{j\omega L_1}{Z_3} \quad (11)$$

$$\xi = 1 + \frac{j\omega L_1}{Z_3} \quad (12)$$

$$Z_3 = j\omega L_2 + (j\omega L_3 + \frac{1}{j\omega C_x}) \parallel \frac{1}{j\omega C_1} \quad (13)$$

$$\dot{Z}_3 = j\omega L_2 + (j\omega L_3 + \frac{1}{j\omega C_y}) \parallel \frac{1}{j\omega C_1} \quad (14)$$

$$Z_T = 2j\omega L_1 - \frac{\omega^2 L_1^2}{Z_3} \quad (15)$$

$$\dot{Z}_T = 2j\omega L_1 - \frac{\omega^2 L_1^2}{\dot{Z}_3} \quad (16)$$

where  $C_x = C_2 + C_p + C_A$  and  $C_y = C_2 + C_p + C_B$ . Extracting TZ of the transfer function (10) gives

$$f_z = \frac{1}{2\pi} \sqrt{\frac{L_3 C_x - L_2 (C_1 + C_2) \pm \sqrt{k}}{2L_2 C_1 L_3 C_x}} \quad (17)$$

where,

$$k = 2C_x L_2 (C_1 (L_3 + L_2) - C_x L_3) + L_2^2 (C_1^2 + C_2^2) + L_3^2 C_x^2 \quad (18)$$

Based on these equations, the location of TZ can be controlled by  $C_2, L_3, C_A, C_B, C_p$  and  $L_2$ . However, a more

TABLE I  
COMPARISON BETWEEN CALCULATED AND SIMULATED RESULTS FOR TRANSMISSION ZERO (TZ)

TZ	EM Simulation	Equations 19 and 20	LC-Circuit
	2.51 GHz	2.7 GHz	2.64 GHz

straightforward approach to determine the TZs is to find the roots of  $\Im m\{Z_3\}$  or  $\Im m\{Z'_3\}$ . Thus, neglecting  $C_1$  results in:

$$f_{z1} = \frac{1}{2\pi \sqrt{(L_2 + L_3) C_x}} \quad (19)$$

$$f_{z2} = \frac{1}{2\pi \sqrt{(L_2 + L_3) C_y}} \quad (20)$$

The values of the LC circuit for the proposed resonator are  $L_1 = 3.1$  nH,  $L_2 = 3.0$  nH,  $L_3 = 0.25$  nH,  $C_1 = 0.1$  pF,  $C_p = 0.13$  pF,  $C_g = 0.036$  pF, and  $C_2 = 0.85$  pF. The calculated and simulated results for  $C_g$  are 0.034 pF and 0.036 pF, respectively. There is a minor difference in results (0.002 pF) and agreement between the calculated and simulated results is acceptable. The comparison between the simulation results of the LC circuit (in Fig. 2(c)) and the EM simulation of the double hexagonal resonator are illustrated in Fig. 3(a). According to Fig. 3(a), the double hexagonal resonator has a TZ at 2.51 GHz (with  $-59.2$  dB) and the LC equivalent circuit has TZ at 2.64 GHz (with  $-155.16$  dB). Hence, there is a good agreement between the simulation results of the proposed resonator and the equivalent LC circuit. The calculated and simulated results for TZ of the proposed resonator are compared in Table I.

### III. IMPROVING STOP-BAND AND DESIGN OF SUPPRESSOR CELLS

To achieve wide stopband, a series of suppressor cells as in Fig. 3(b) were added to the proposed resonator. The first suppressor cell is composed of two inverted-F shape resonators with transfer zero  $f_z$ . The second suppressor cell is composed of five stubs with different lengths and distinct TZs ( $f_{zi}$ ). The simulation results of the first and second suppressor cells are shown in Fig. 3(c) where the corresponding  $f_{zi}$  are also depicted. The simulation and measurement results of the proposed LPF are illustrated in Fig. 4. The 3 dB cut-off

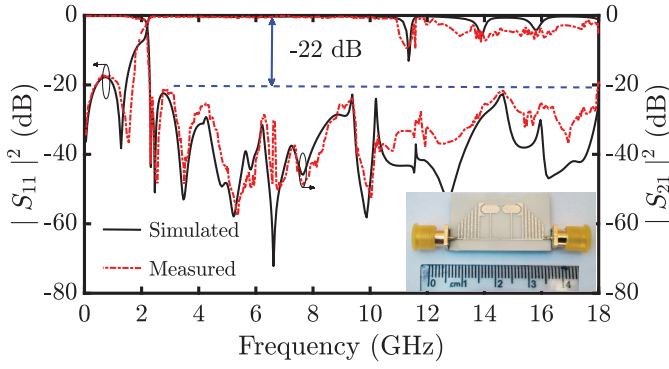


Fig. 4. Proposed LPF; simulated and measured results; fabricated sample.

TABLE II  
COMPARISON OF THE PROPOSED LPF WITH PREVIOUS WORKS

Refs	$f_c$ (GHz)	ROR (dB/GHz)	RSB	SF	NCS ( $\lambda_g^2$ )	IL (dB)	FOM
This work	2.24	308.3	1.54	2.2	$0.36 \times 0.16$	0.3	18134
[3]	1.9	37	1.45	1.8	$0.4 \times 0.23$	0.3	1050
[4]	1.9	85	1.43	2.5	$0.13 \times 0.23$	0.5	10163
[5]	2.45	100	1.54	2	$0.31 \times 0.16$	0.85	6210
[6]	1	78	—	2	$0.16 \times 0.1$	0.3	—
[7]	2.68	42.5	1.51	2	$0.16 \times 0.15$	0.12	5348

RSB: stopband bandwidth/stopband center frequency

SF (Suppression Factor): Rejection Level (dB) /10

NCS: Normalized Circuit Size

TABLE III  
COMPARISON BETWEEN RESULTS OF PROPOSED  
TUNABLE LPF AND OTHER STUDIES

Refs	$f_c$ (GHz)	T-R %	Size ( $mm^2$ )	Tuning devices	IL (dB)
This work	0.48-1.7	71	$26.8 \times 12.8$	2	0.2-1.1
[9]	1-2.2	54.5	—	4	0.6
[10]	1.5-2.5	40	$15 \times 20$	2	—
[11]	1.29-2.13	39.5	—	2	0.7
[12]	1.6-2.94	46	$7.7 \times 3.5$	5	0.3-0.8

frequency for the proposed LPF is 2.24 GHz. The wide stopband, ranging from 2.24 to 18 GHz, with a 22 dB rejection level gives it an edge over previous works. Furthermore, it has a far greater FOM value and the ROR parameter is equal to 308.3 dB/GHz, which is very sharp and overwhelming in comparison with previous works. Table II shows the comparison of the proposed LPF with other works.

#### IV. FABRICATION, RESULTS AND DISCUSSION

The proposed LPF can be made tunable by introducing varactor diodes as shown in Fig. 5. SMV-1247-079LF varactor diodes (D1, D2) with a capacitance of 0.64-8.86 pF within a range of voltage variations of 8-0 volts were used. Murata 0402-GRM 5pF has been used for the DC block (C) and the Murata GRM resistance with 100 k $\Omega$  has been used for bias resistance (R bias). The simulation and measurement results for the proposed tunable LPF for three different bias states of 1, 3 and 8 volts are shown in Fig. 6. The tuning range is defined as [12]:

$$\text{TUNING RANGE (TR)} = \frac{f_H - f_L}{f_H} \times 100\% \quad (21)$$

In this equation,  $f_H$  is the maximum cut-off frequency among all adjustability states, and  $f_L$  is the lowest one. According to Fig. 6, it can be noticed that the tuning range

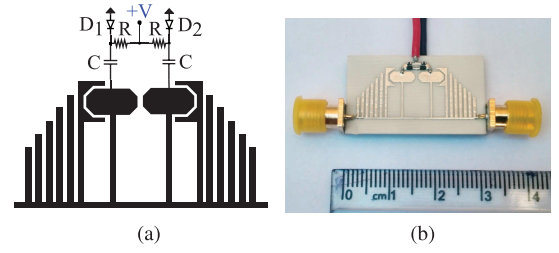


Fig. 5. Tunable LPF (a) Layout, (b) Fabricated Sample.

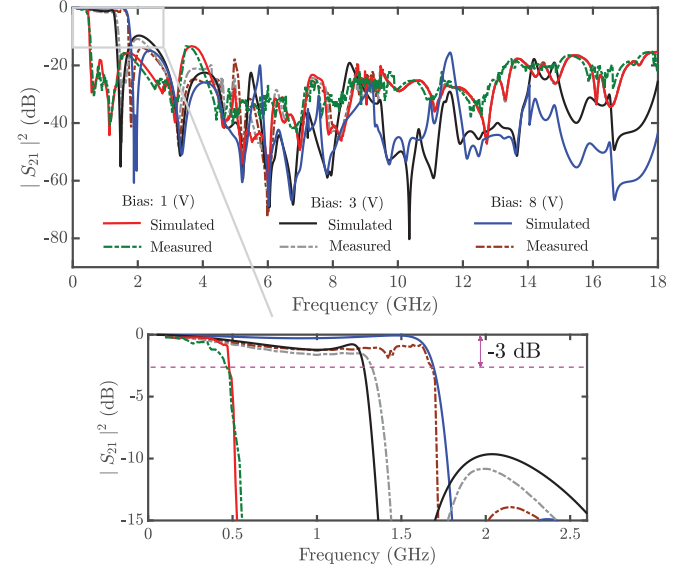


Fig. 6. Tunable LPF; simulation and measurement results.

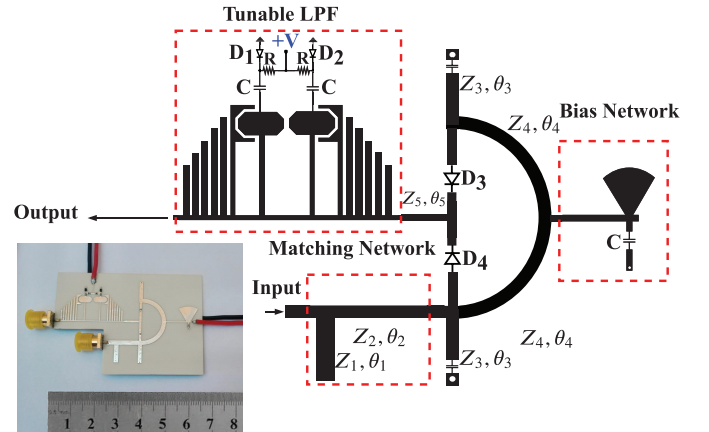


Fig. 7. Proposed detector ( $Z_1 = 45\Omega$ ,  $\theta_1 = 70^\circ$ ,  $Z_2 = 50\Omega$ ,  $\theta_2 = 85^\circ$ ,  $Z_3 = 55\Omega$ ,  $\theta_3 = 73^\circ$ ,  $Z_4 = 50\Omega$ ,  $\theta_4 = 90^\circ$ ,  $Z_5 = 77\Omega$ ,  $\theta_5 = 54^\circ$ ); fabricated sample.

of 3 dB cut-off frequency for the proposed tunable LPF is 0.48-1.7 GHz (71%). The cut-off frequency drops as a result of introducing the tunable section. Table III shows the comparison between the proposed tunable LPF and the properties of previous works. The proposed tunable LPF has the highest percentage of the tuning range.

#### V. INTEGRATION WITH ENVELOPE DETECTOR

To evaluate the performance of the proposed LPF in real-time, an envelope detector shown in Fig. 7 is designed



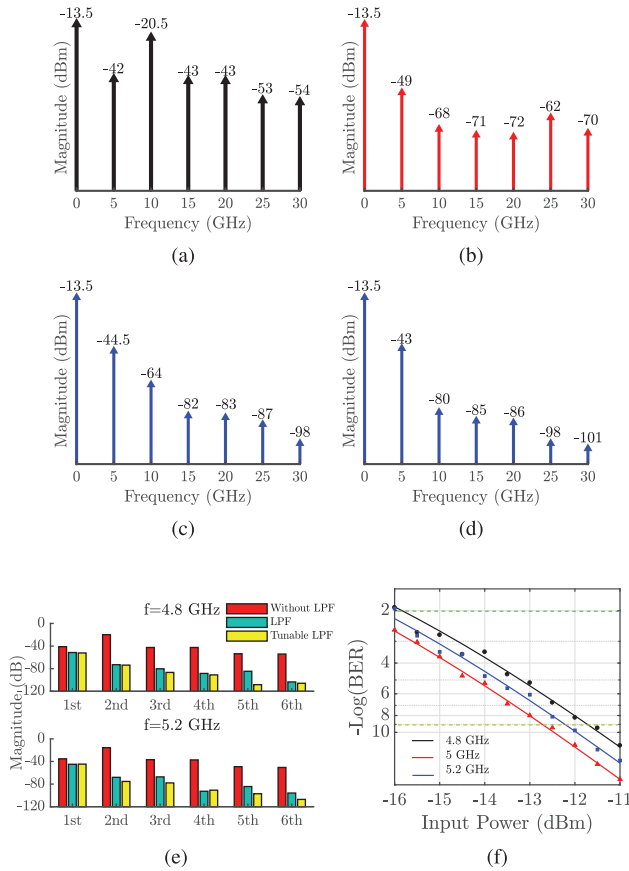


Fig. 8. Harmonic balance of the detector (a) without LPF, (b) with LPF (c) with Tunable LPF (Bias:+8v) (d) with Tunable LPF (Bias:0v) (e) harmonic suppression @  $f = 4.8$  and  $5.2$  GHz. (f) BER vs input power (data markers show measurement results and the solid lines indicate corresponding interpolated values).

for the demodulation of Amplitude-shift keying (ASK) signals [16]. The detector architecture proposed is composed of two SMS7630 Schottky diodes (D3 and D4) in a balanced configuration, two shorted-stubs and a transmission line with an electrical length of  $180^\circ$  at  $f = 5$  GHz. Furthermore, to achieve the appropriate impedance matching between RF input signal and diodes, the L-shaped matching network is used. The proposed LPF is used to obtain a flat (DC) output and also acceptable harmonics suppression. The ability of harmonic suppressing of the proposed LPF and the tunable LPF is investigated through harmonic balance analysis as shown in Fig. 8, which covers six harmonics of the fundamental frequency. Based on results in Fig. 8(a-d), one can conclude that integrating the balanced detector by the proposed LPF could suppress the harmonics considerably. The tunable LPF provides better control over higher order harmonics in comparison to the fixed LPF. This can better be understood by comparing the harmonic suppression capability of the fixed and tunable LPF in two adjacent frequency bands ( $4.8$  GHz,  $5.2$  GHz) as illustrated in Fig. 8(e). Clearly, the proposed tunable LPF creates high suppressions in higher frequencies, 2nd to 6th harmonics, i.e.,  $5$  to  $30$  GHz. Also, to investigate the performance of the proposed envelope detector structure from the signal integrity point of view, the bit error ratio (BER)

measurement was conducted according to [16] which is shown in Fig. 8(f).

## VI. CONCLUSION

In this brief, a novel tunable LPF with wide stopband and very sharp ROR is presented. To achieve sharp ROR and wide stopband, two hexagonal-shaped resonators and suppressing cells consisting of multi open stubs are used. The ROR parameter is very sharp and equal to  $308.3$  dB/GHz, which is considerably high in comparison with previous works. The proposed LPF has  $-3$  dB cutoff frequency of  $2.2$  GHz and the tuning range of  $3$  dB cut-off frequency is equal to  $1.7$  GHz ( $71\%$ ). The proposed detector architecture (with LPF) creates high harmonic suppression. Due to the aforementioned properties, the proposed LPF may find promising applications in modern communication systems.

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