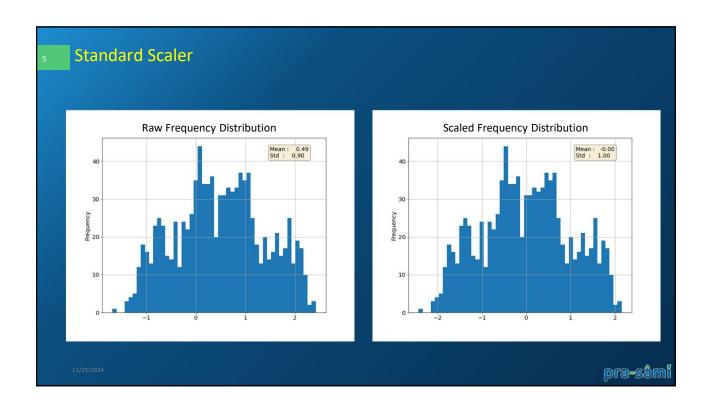
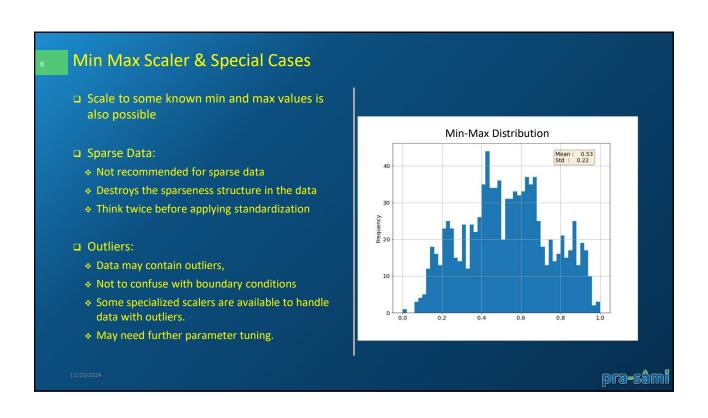


Standardization Standardization of datasets is a common requirement for many machine learning algorithms They might misbehave if the individual features do not, more or less, look like normally distributed data: Gaussian with zero mean and unit variance Sometimes also referred as "whitening" It is particularly needed where order of magnitude is different We can use libraries to standardize data At the very least, transform the data to center it by removing the mean value of each feature If possible give due importance to the shape of the distribution Many learning algorithms (such as I1 and I2 regularizers) assume that all features are centered around zero and have variance in the same order. If a feature has a variance that has orders of magnitude larger than others, it might dominate the objective function





Power Transformer

- □ Power transformers are a family of parametric, monotonic transformations
 - Aim to map data from any distribution to as close as possible to a Gaussian distribution
 - In order to stabilize variance and minimize skewness.
- ☐ The log transform is a specific example of a family of transformations known as power transforms. I
 - n statistical terms, these are variance-stabilizing transformations
- □ Two such power transformations:
 - Yeo-Johnson transform
 - ❖ Box-Cox transform

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Power Transformer - Box-Cox

- Original thought was to apply strictly positive data
- \Box A hyper-parameter, lambda (λ) is used to control the nature of the transformation
 - lambda (λ) varies from 5 to -5
 - > lambda = -1 is a reciprocal transform.
 - > lambda = -0.5 is a reciprocal square root transform.
 - > lambda = 0.0 is a log transform.
 - > lambda = 0.5 is a square root transform.
 - > lambda = 1.0 is no transform.

$$y(\lambda) = \begin{cases} \frac{y^{\lambda} - 1}{\lambda}, & \text{if } \lambda \neq 0; \\ \log y, & \text{if } \lambda = 0. \end{cases}$$

Box and Cox did propose a second for mula that can be used for negative y-values:

$$y(\lambda) = \begin{cases} \frac{(y+\lambda_2)^{\lambda_1}-1}{\lambda_1}, & \text{if } \lambda_1 \neq 0; \\ \log(y+\lambda_2), & \text{if } \lambda_1 = 0. \end{cases}$$

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Power Transformer - Yeo-Johnson transformation

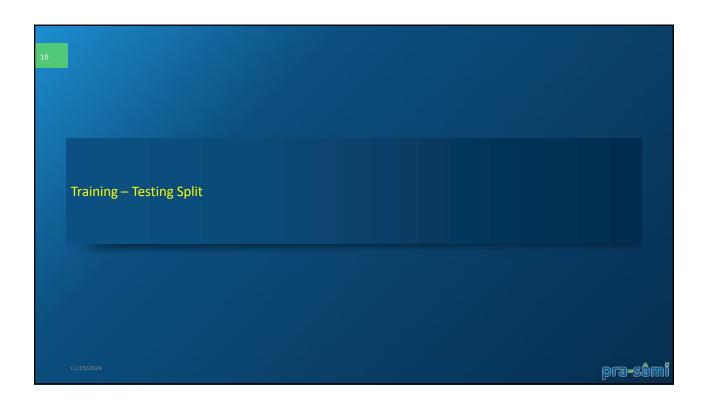
□ Yeo-Johnson propose the following transformation:

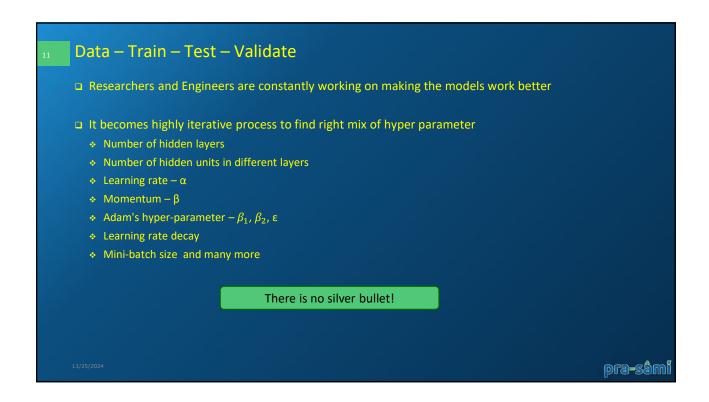
$$\psi(y,\lambda) = \begin{cases} \frac{(y+1)^{\lambda}-1}{\lambda} & y \geq 0 \text{ and } \lambda \neq 0, \\ \log(y+1) & y \geq 0 \text{ and } \lambda = 0, \\ -\frac{(-y+1)^{2-\lambda}-1}{2-\lambda} & y < 0 \text{ and } \lambda \neq 2, \\ -\log(-y+1) & y < 0, \lambda = 2. \end{cases}$$

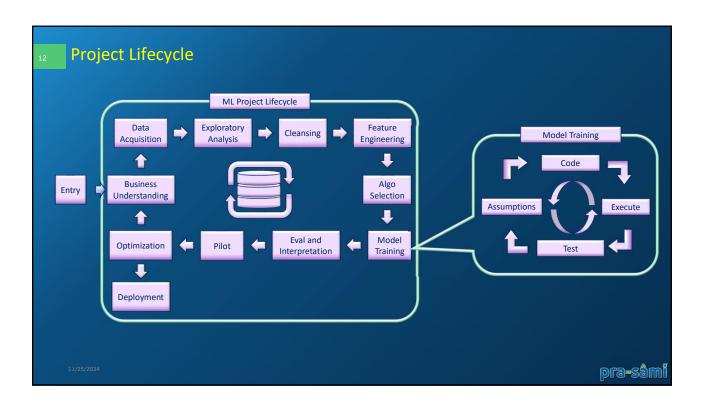
- * ψ is concave in y for λ <1 and convex for λ > 1.
- ❖ The constant shift of +1 makes is such that the transformed value will always have the same sign as the original value.
- The constant shift of +1 also allows to become the identity transformation when λ = 1.
- □ The new transformations on the positive line are equivalent to the Box-Cox transformation for (after accounting for the constant shift),
 - * Yeo-Johnson transformation can be viewed as a generalization of the Box-Cox transformation

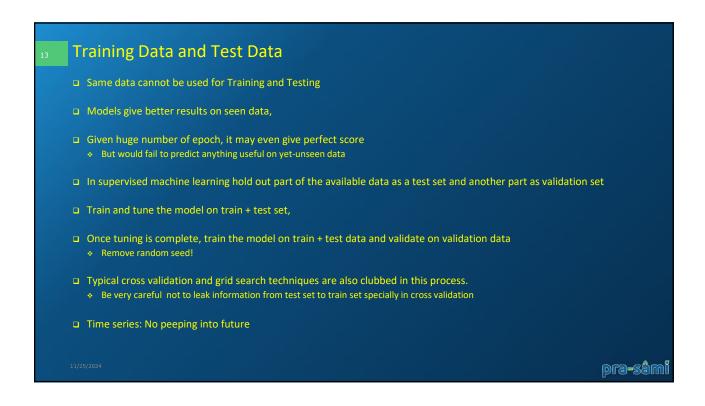
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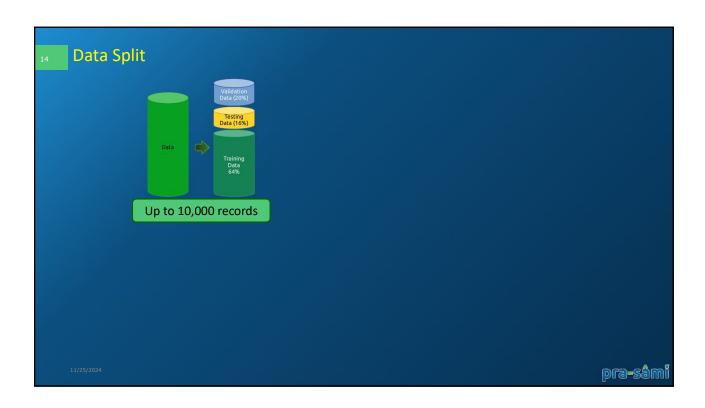




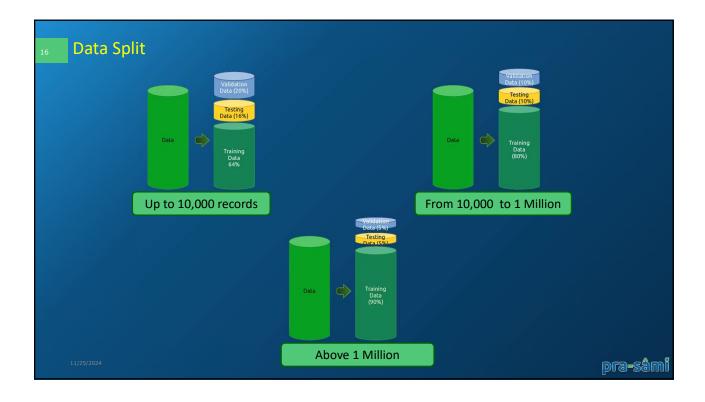




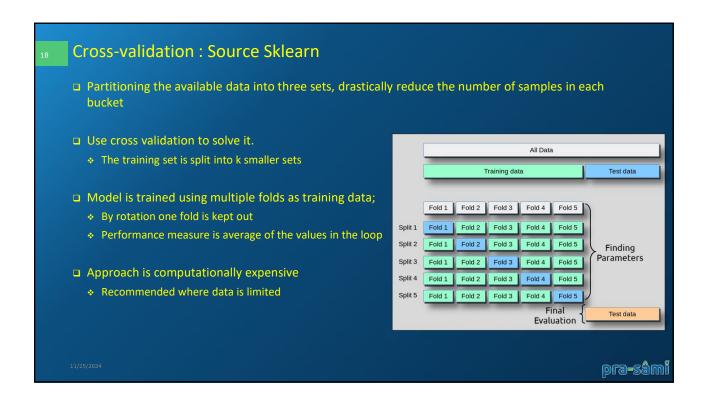


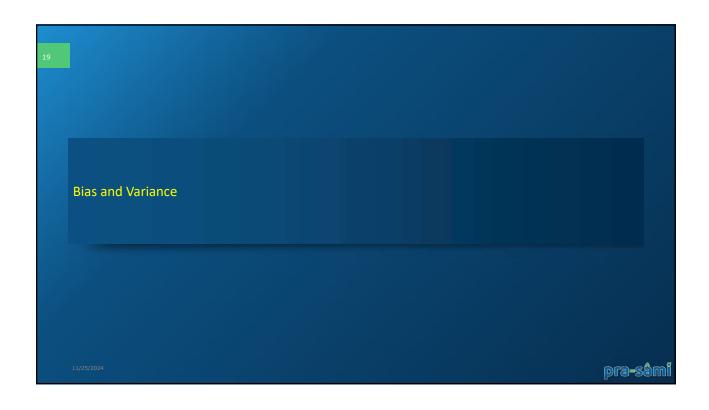


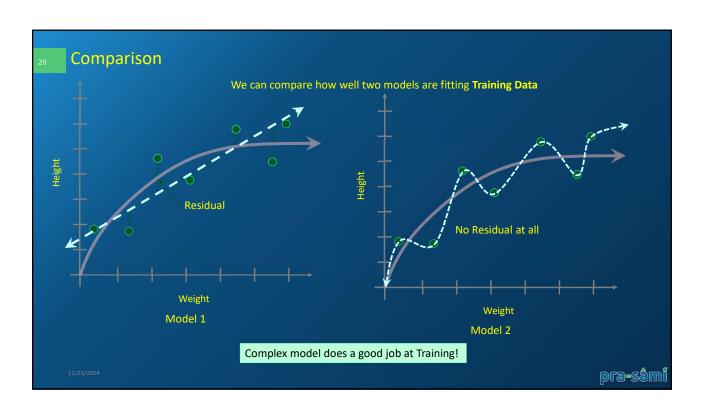


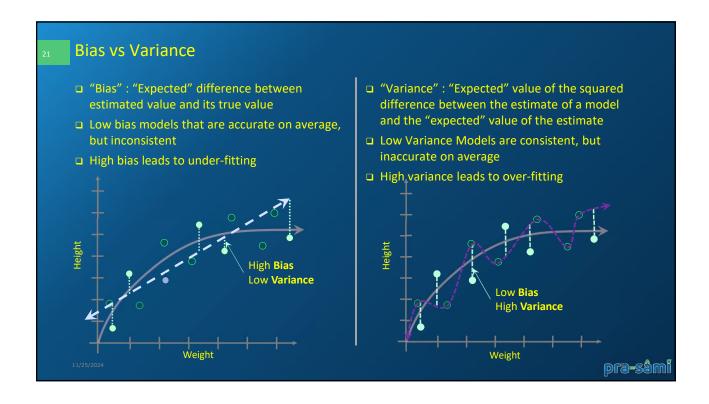


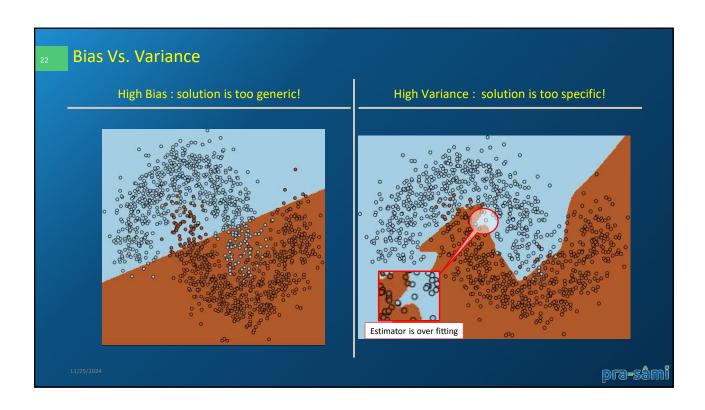




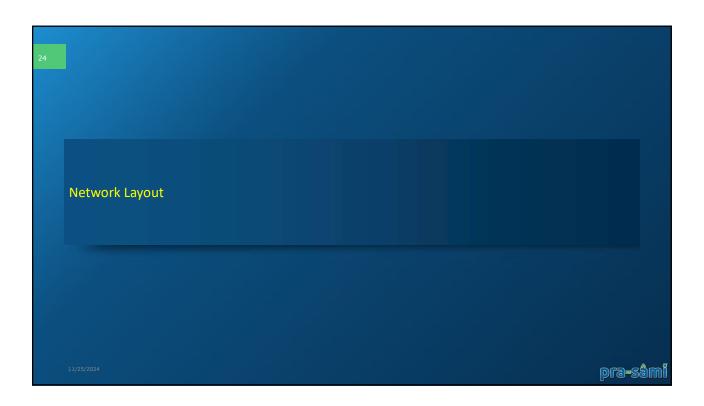


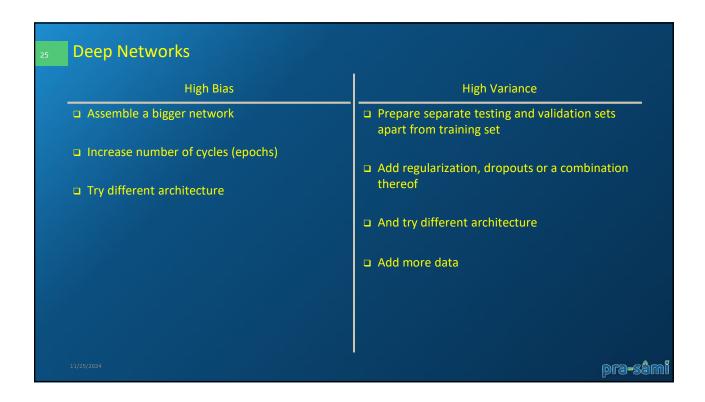


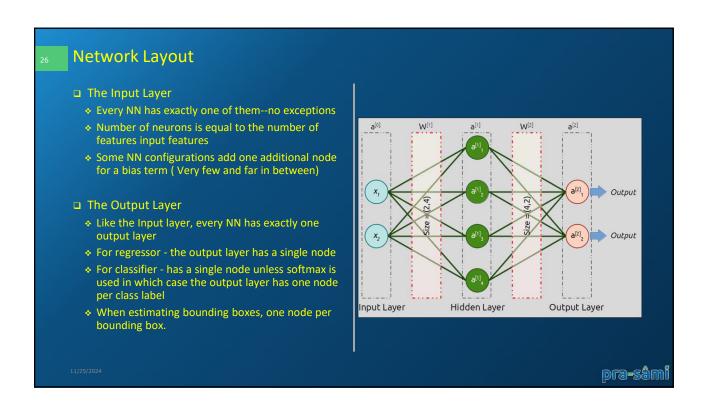


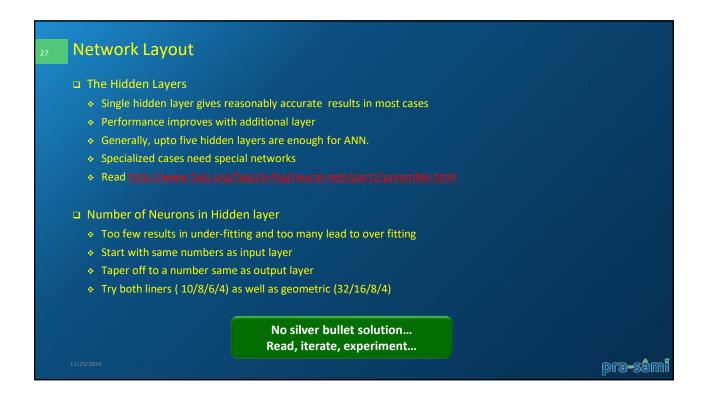


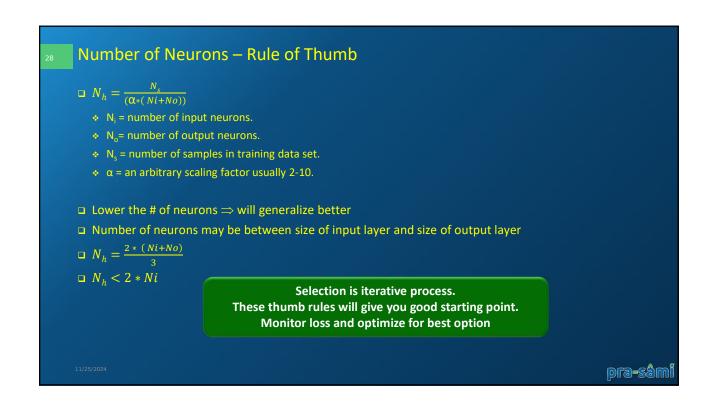


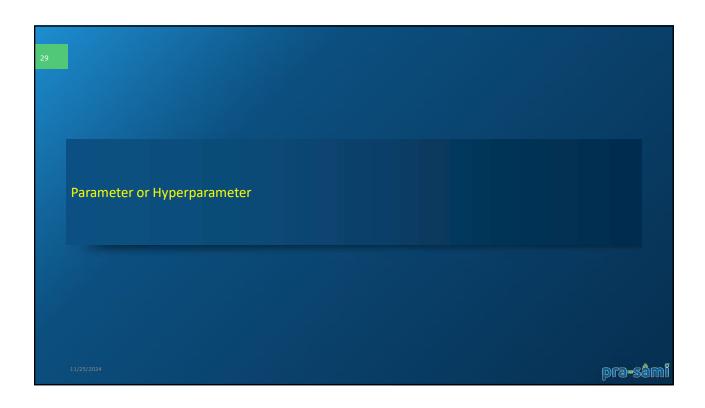




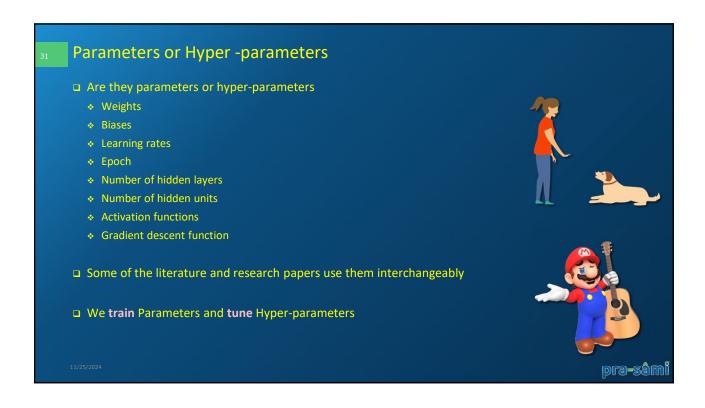


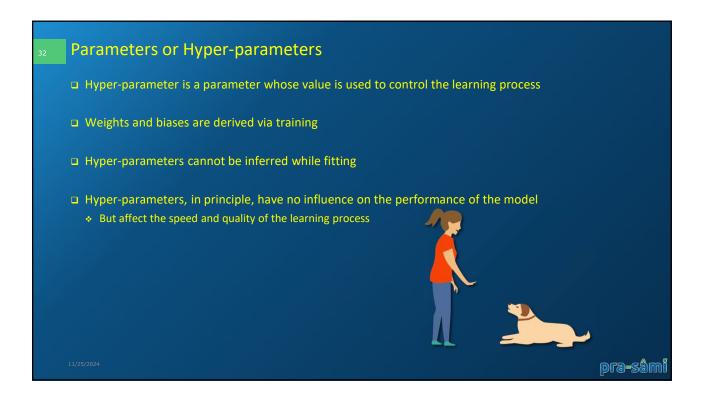


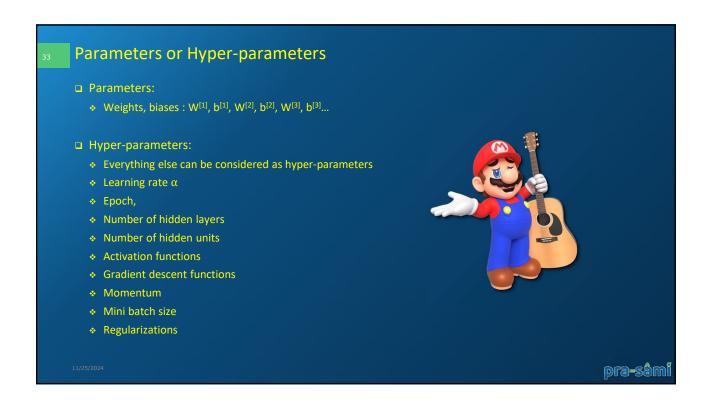


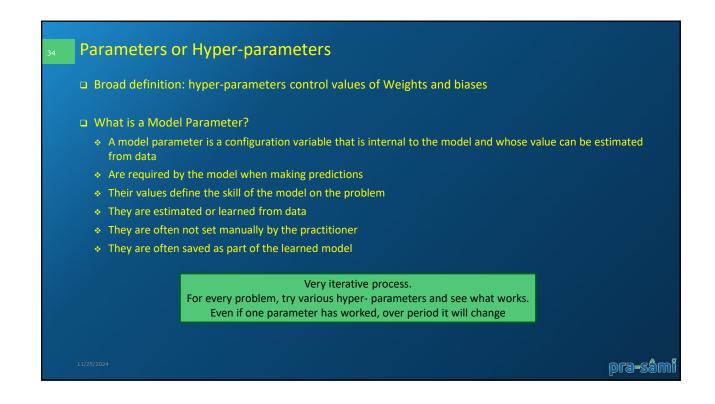


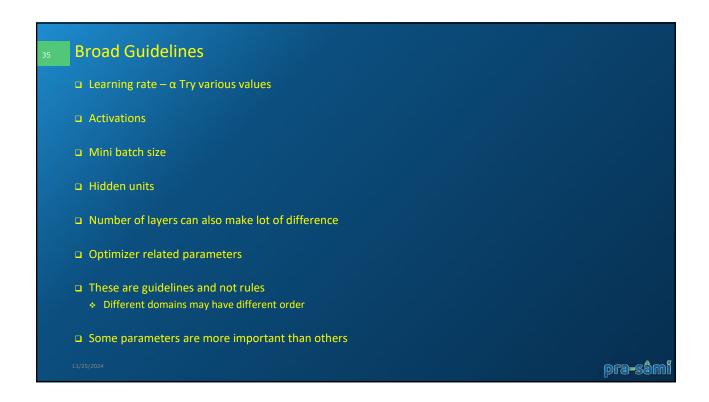


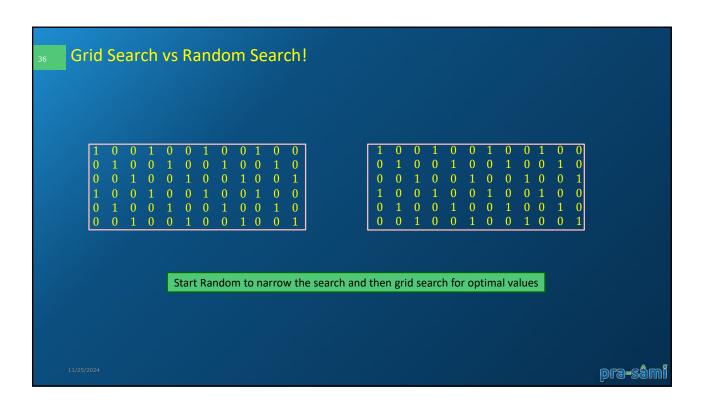




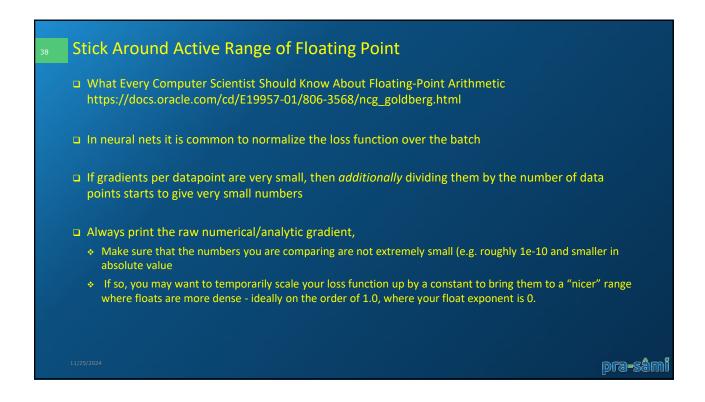








Use Double Precision A common pitfall is using single precision floating point to compute gradient check. It is often that case that you might get high relative errors (as high as 1e-2) even with a correct gradient implementation There are cases when relative errors plummet from 1e-2 to 1e-8 by switching to double precision



39 Kinks in the Objective Function

- One source of inaccuracy to be aware of during gradient checking is the problem of kinks
- ☐ Kinks refer to non-differentiable parts of an objective function
 - Such as ReLU max(0,x), or the SVM loss, Maxout neurons, etc.
- □ Consider gradient checking the ReLU function at x=-1e-6
- □ Since x<0, the analytic gradient at this point is exactly zero.
- □ However, the numerical gradient would suddenly compute a non-zero gradient because f(x + h) might cross over the kink (e.g. if h>1e-6) and introduce a non-zero contribution.
- ☐ You might think that this is a pathological case, but in fact this case can be very common.
- \square Keeping track of the identities of all "winners" in a function of form max(x, y); That is, was x or y higher during the forward pass. If the identity of at least one winner changes when evaluating f(x + h) and then f(x h), then a kink was crossed and the numerical gradient will not be exact

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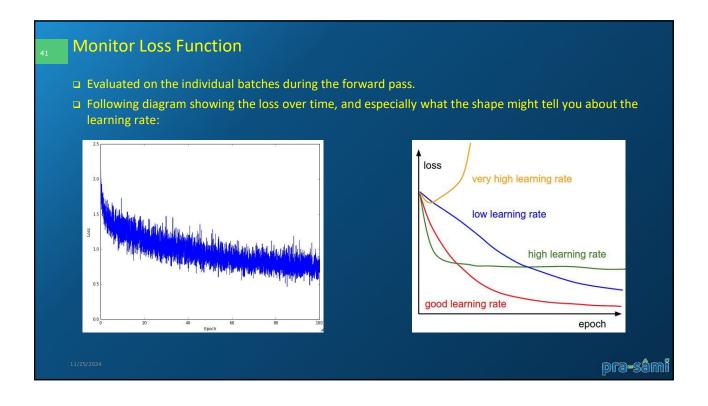


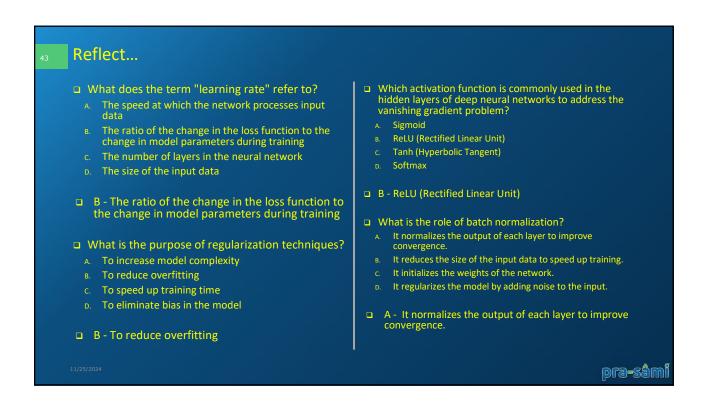
Don't Let The Regularization Overwhelm The Data

- □ It is often the case that a loss function is a sum of the data loss and the regularization loss (e.g. L2 penalty on weights)
- One danger to be aware of is that the regularization loss may overwhelm the data loss
 - The gradients will be primarily coming from the regularization term
 - The gradient usually has a much simpler gradient expression
- ☐ This can mask an incorrect implementation of the data loss gradient
 - It is recommended to turn off regularization and check the data loss alone first, and then the regularization term independently
- One way is to Hack the code to remove the data loss contribution
- □ Another way is to increase the regularization strength so as to ensure that its effect is non-negligible in the gradient check, and that an incorrect implementation would be spotted

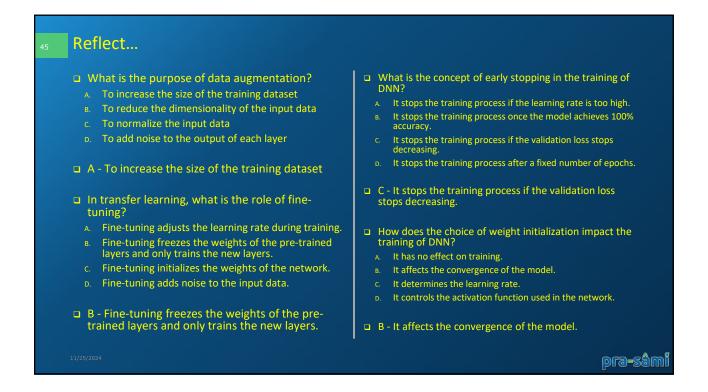
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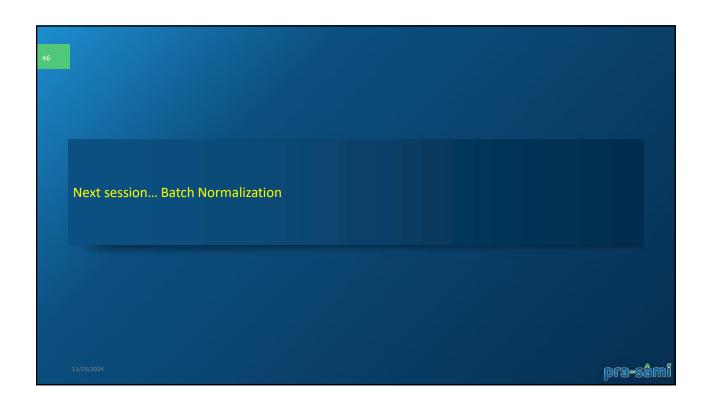






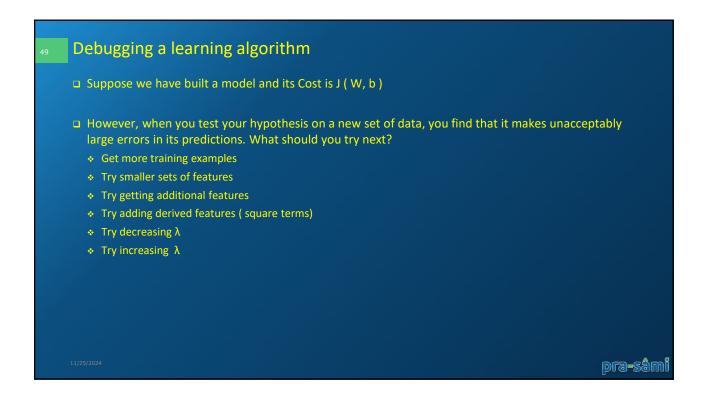
Reflect... What is dropout used for? □ What is the vanishing gradient problem and how does it affect training? A. To drop layers with low relevance It causes the model to converge too quickly. To randomly drop neurons during training to prevent It slows down the convergence of the model. To speed up the convergence of the model It leads to exploding gradients. To increase the capacity of the model It prevents the model from learning. □ B - To randomly drop neurons during training to prevent overfitting □ D - It prevents the model from learning. □ What is the purpose of hyperparameter tuning in DNN? □ What is the role of the Adam optimization A. To adjust the learning rate during training algorithm? To optimize the architecture and configuration of the A. It initializes the weights of the network. neural network It regularizes the model by adding noise to the input. To select the appropriate activation function It adjusts the learning rate during training. To preprocess the input data It adapts the learning rates of individual parameters. □ B - To optimize the architecture and configuration of the neural network □ D - It adapts the learning rates of individual parameters. pra-sâmi











Size	Price	Set
2104	400	Train
1600	330	
2400	369	
1416	232	
3000	540	
1985	300	
1534	315	
1427	199	Test
1380	212	
1494	243	

