Section VI	Big O				
	Asymptotic notations				
	O(Big O)	Describes an upper bound on time	for example: algo that prints all the values in an array: could have Big O time as O (n), O(n^2), O(n^3) or O(2^n) and many other Big O's	Upper bounds on the runtime; similar to a less- than-or-equal-to relationship	In industry, O and theta have been put together and we have to give the tightest description of runtime
	Omega(n)	Describes the lower bound	for example: printing the values in an array is Omega (n) as well as Omega(logn) as well as Omega(1)		
	Theta(n)	Describes the tight bound on runtime	Theta here means both O and Omega; in this example, it would be Theta(n)		
	Best Case, Worst Case and Expected Case				
	Best Case:	For example, in Quick Sort, if all the elements are equal, then quick sort will, on average, just traverse through the array once - O(N) time	Quick Sort as we know picks random element as a pivot and then swaps values in the array such that the elements less than pivot appear before elements greater than pivot this gives partial sort. then it recursively sorts the left and right sides uing same process		
	Worst Case:	The pivot could be repeatedly the biggest element in the array. If pivot is the first element in a reversely sorted array. In this cae, our recursion does not divide the array in half and recurse on other half. Instead, it justs shrinks the subarray by 1 element.	Time taken would O(N^2)		

Expected Case:	both the above best and worst conditions would rarely happen; thus we can expect a runtime of O(nlogn)			
Relationship between Asym Case, Worst Case and Expe	nptotic notations and Best ected Case Concepts			
There is no particular relationship between the two concepts				
Best Case, Worst Case and Expected Case actually describe the big O or big Theta time for particular scenarios whereas these asymptotic notations describe the upper, lower and tight bounds for the runtime				
Space complexity				
Memory or space required by an algorithm	to create an array - if it is unidimensional, O(N) space complexity; for a 2-D array, O (N^2)			
Stack space in recursive calls counts too. Each call adds a level tot he stack and takes up actual memory.	However, just because you have N calls does not mean it will take O(N) time: check the example on Page 41 for more details			
Drop the constants				
O(2N) is actually O(N)				
O(214) is actually O(14)				
Drop the non-dominant terms				
O(N^2 + N) becomes O(N^2)				
O(N + logN) becomes O(N)				

O(5*2^N + 1000N^100) becomes O(2^N)					
$O(x!) > O(2^x) > O(x^2) > O(x$	(logx)> O(x)				
Multi-Parts algorithms: add versus mutiply					
Add:	Non-nested chunk of work A and B	O(A + B)	"DO THIS THEN WHEN YOU ARE ALL DONE, DO THAT"		
Multiply	Nested A and B	O(AB)	"DO THIS FOR EACH TIME YOU DO THAT"		
Amortized time					
arrayList adding actually takes copying N elements in a filled array in a new array with double capacity	That copying might take additional O(N) time after accounting for initial O(N) time of adding the elements to the array	But, this copying of elements into a new array does not happen quite often infact once in every some time	that the worst ca every once in a happens it won't	ise can happen	
Adding X more space to an array takes additional O(X) time; thus the amortized time for each adding is O(1)	X + X/2 + X/4 + X/8 = 2X				
logN runtimes					
Example: Binary search. We are looking for an element x in a sorted array. We first compare to the midpoint. If x == middle, then we return else if x < middle, we search on the left side of array else on the right side.	elements, after a single step, we are down to N/2 elements	The total runtime is then a matter of how many steps we can take before it becomes 1	2 ^k = N => k = logN with base 2	Basically, when you see a problem with logN runtime, the problem space gets halved in each step	
Recursive runtimes					
Program:	int f(int n){				

	if(n <= 1){				
	return 1}				
	return f(n -1) + f(n -1);}				
How many calls in the tree?					
How many calls in the tree? Do not count and say 2					
It will have recursive calls	More genrically, 2 ⁰ + 2 ¹ +	O(branches^depth) where	The space		
with a depth N and 2^N nodes at the bottom most level	2 ² +2 ⁿ -1 = 2 ⁿ - 1 nodes	branches is the number of times each recursive call branches	complexity would still be O (n) - even though we have O(2^n) nodes in tree total, only O(n) exists at a time		
Examples and Exercises					
Example 1	O(n) time as we iterate through array once in each loop which are non-nested				
Example 2	O(N^2) time as we have two nested loops				
Example 3	j basically runs for N-1 steps in first iteration, N-2 steps in second iteration and so on.	1 + 2 + 3 ++ N-1 = N(N - 1)/2 ~ N^2	O(N^2)		
Example 4	For each element of array A, the inner loop goes through b iterations where b is the length of array B. Thus, time complexity is O(ab)				
Example 5	Similar to example 4, 100,000 units of work is still constant; so the run time is O(ab)				
Example 6	O(N) time as the array is iterated even if half of it (constant 1/2 can be ignored)				

Example 7	There is no established relationship between N and M , thus all but the last one are equivalent to O(N)
Example 8	s = length of the longest string; a = length of the array; Sorting each string would take O(slogs) and we do this for a elements of the array; thus O(a * slogs). Now, sorting the array would take O(s * aloga) as each string comparison would take O(s) time in addition to array sorting that would take O(aloga); thus adding the two parts: O(a * slogs + s * aloga) = O(a *s (log a + log s)
Example 9	Approach 1: for summing up the nodes in a BST, each node is exactly traversed once, thus O(N) time complexity
	Approach 2: The number of recursive calls is 2 and the depth is logN in a BST> O (branches ^ depth) = O(2 ^ logN) where the base of logN is also 2 => time complexity = O(N) after simpllifying
Example 10	O(root(N)) as the for loop does constant time and runs in O(root(N)) time
Example 11	O(N) as the recursive process calls from N to N-1 to N-2 and so on until 1
Example 12	Approach 1: We make a tree for an example string say 'abcd' and we see that we branch 4 times at the root, then 3 times, then 2 times, and then 1 time. this gives us 4*3*2*1 leaf nodes. We could say n! leaf nodes for n length string. So, total nodes would be n * n! as each leaf node is attached to a path with n nodes. Also, string concatenation will also take O(n) time. Thus, the final time complexity in worst case would be O(n * n * n!) =. O((n + 2)!)
	Approach 2: At level 6, we have 6! / 0! nodes; at level 5 we have 6! / 1! nodes; at level 4 we have 6!/2! nodesat level 0, we have 6!/6! nodes. so, the total nodes in the tree in terms of n can be: n!(1/0! + 1/1! + 1/2! + 1/3!+ 1/n!). Now, the term in the bracket can be defined in terms of Euler's number: n! * e whose value is around 2.718. The constant e can be dropped further. Thus, the time complexity would be O(n! * n) where n is due to permutation; thus, time complexity: O((n+1)!)

	111 1 1 1 1			
Example 13	We have to use the earlier pattern for recursive calls: O (branches^depth) = O(2^N).	We can also get tighter runtime as O(1.6^N) if we consider that there might be just one call instead of 2 at the bottom of call stack sometimes.		
Example 14	From previous example, we detime. And, we have fib(1) + fib($2^2 + 2^3 \dots + 2^n = 2^n + 1$) - run time is approx. 2^n	$(2) + fib(3) +fib(n) = 2^1 +$		
Example 15	Now, here in this program we are doing memoization due to which the amount of work reduces to looking up fib(i - 1) and fib(i - 2) values in memo array at each call fib(i). Thus, we are doing a constant amount of work n times in n calls, hence time complexity: O(n)			
Example 16	The runtime is the number of times we can divide n by 2 until we get down to the base case 1. As, we know the number of times we can halve n until we get 1 is O (logN)			
Additional Problems				
	1 The for loop iterates through b, thus time complexity is O (b)			
	The recursive call iterates through b calls as it subtracts 1 in each iteration, thus time complexity is O(b)			
	3 It does constant amount of work, thus time complexity is O(1)			

	The variable count will eventually equal a/b. The while loop iterates through count times. Thus time complexity is O(a/b)			
	The algorithm is actually doing a binary search to find the square root. Thus the runtime is O(logN)			
	This is straightforward loop that stops when guess*guess > n or guess> sqrt(n); hence time complexity is O(sqrt(n))			
7	Ifa binary tree is not balanced, the max time to find an element would be the depth of the tree. The tree since it is imbalanced could be a straight list downwards and ave depth n. Thus, runtime is O(n)			
8	Without any ordering or sorting in a binary tree, we might need to traverse through all the nodes in the tree, thus the time complexity is O(n) where n is the number of nodes in the tree.			
9	The first call to appendToNew takes 1 copy. The second call takes 2 copies. The third call takes 3 copies. And so on. The total time will be sum through 1 to n, which is O(n^2)			

	10	The runtime would be O(d) where d is the number of digits in the given number. A number with d digits can have a value upto 10^d. If n = 10^d, then d = log n. Thus, time complexity is O(log n) where the log is with base 10.			
	1:	If the length of the string is k, the inOrder or sorted, takes O(k) to of the string is c characters. Not characters and k length would wish to construct astring length and b, thus the number of strin Similarly here, that runtime wor runtime to get all the strings of and check if they are sorted we	time. Also, suppose the length ow, to get strings of c be O(c^k). for example, you a 3 with just two characters a gs possible would be 2^3. buld be O(c^k). Thus, overall k length with c characters		
	12	First of all the runtime for merg then , for each element in a , w b - runtime would be O(a * log (b log b + a log b).	ve are doing binary search of		
Section IX	Interview Overtions				
	Interview Questions				
Chapter 1	Arrays and Strings Hash Table				
	A hash table is a data structure that maps keys to values for efficient lookup.				
	Hash Table Implementation	1			
	Approach 1	We use an array of Linked List	s and a hash code function.		
		To insert a key (a string or any we follow the following steps:	other datatype) and value		
		Compute the key's hashcod or long. Two different keys cou as there may be numerous key	ld have the same hashcode,		
		2. Then, we map the hash code to an index in the array. This could be done with something like hash (key) % array_length. Two different hashcodes could of course map to the same index.			

		3. At this index, there is a linke Store the key and value in the List to tackle collisions: you co with same hashcode or two dif index	index. We must use a Linked ould have two different keys			
		To retrieve the value pair by its key, we repeat the process. Compute the hash code by key, and then index by hashcode. Then, search through the Linked List for the value and its key.	If it is the worst case, collisions are very high, runtime would be O(N) where N is the number of keys. And, if it is the best case, collisions are minimum, look up time would be O(1)			
	Approach 2	We can implement a look up s search tree. This gives us O(I advantage of this approach is we no longer allocate a large a through keys in order.	ogN) lookup time. The potentially less space, since			
	ArrayList & Resizable Array	/s				
	When you need an array-like datastructure with dynamic resizing, you should use an ArrayList. A t that the income val (n) that	that when the array is full, the	We can work backwards to comany elements we copied at a increase to get an array of siz N/8 ++ 2+ 1 = N. Therefore elements takes O(N) worktota insertion on an average takes though some insertions take 0 worst case.	each capacity e N: N/2 + N/4 + e, inserting N II. Thus, each O(1), even		
	StringBuilder					
	Normally, concatenating n strings of x characters each would take O(xn^2).	$O(x + 2x + 3x \dots + nx) = O$ (xn^2)				
	StringBuilder can reduce this copying them to one string or	complexity as it creates a resize	eable array of all the strings,			
Chapter 2	Linked Lists					
	LinkedList is a datastructure representing a sequence of nodes.	Singly Linked List> there is a pointer to the next node	Doubly Linked List> there is a pointer to the next and previous nodes			

	Unlike an array, LinkedList do access to any element of the lelements to get the Kth elements	ist. It takes iterating through K	Benefit of a Linked List is that one can add or remove items from the beginning of the list in constant time			
Chapter 3	Stacks and Queues					
	Stack uses LIFO Operations of a stack: pop(), push(item), peek(), isEmpty()		A stack does not offer constant-time access to the ith item. However, it allows constant time adds and removes as it does not require shifting elements around.	most useful case: recursive algorithms - one needs to push temporary data oto a stack as one recurses, but then remove them as one backtracks		
	Queue implements FIFO	Operations of a queue: add (item), remove(), peek(), isEmpty()	most useful case: breadth- first search and implementing a cache			
Chapter 4	Trees and Graphs					
	Searching a tree is more complicated than searching any linear data structure	The worst case and the average case time may vary wildly and we must evaluate both the aspects of any problem	Tree is actually a type of graph in which cycles / loops are not possible			
Trees	A tree is a data structure composed of nodes. In programming, each tree has a root node. The root node has zero or more children. Each child node has zero or more children and so on.		The nodes may be in any order and may have any data types as values and may or may not have links back to their parent nodes.	A node is called a leaf node if it has no children.		
Trees vs. binary trees	A binary tree is a tree in which each node has upto two children. Not all trees are binary trees.	For example, a 10-ary tree representing a bunch of phone numbers is not a binary tree.				
Binary Tree vs. Binary Search Tree	A binary search tree is a binar a specific ordering property: a right descendants. This must	II left descendants <= n < all	This inequality condition must be true for all of a node's descendants, not just its immediate children.			
Balanced vs. unbalanced tree	not neccessarily perfectly balanced but ensures O(log n) times for insert and find	Two common types of balanced trees: Red-black trees and AVL trees				
Complete binary trees		nary tree in which every level of t the last level is filled, it is filled				
Full binary tree	each node has either 2 or zero having only one child	o children. There is no node				
unbalanced tree Complete binary trees	balanced but ensures O(log n) times for insert and find A complete binary tree is a bir for the last level. To the extent each node has either 2 or zero	balanced trees: Red-black trees and AVL trees hary tree in which every level of the last level is filled, it is filled				

Perfect binary tree	All interior nodes have two che the same level.	aildren and all leaf nodes are at	It must have exactly 2 ^k - 1 nodes where k is the number of levels.				
In-order traversal	"visit" the left branch, then the current node, and finally the right node	when performed on a binary search tree, it visits the nodes in ascending order.					
Pre-order traversal	"visits" the current node before its child nodes	The root is always the first node visited					
Post-order traversal	"visits" the current node after its child nodes	The root is always the last node visited					
Binary Heaps (min-heaps and max- heaps)	A min heap is a complete binary tree where each node is smaller than its children.	The root thus is the minimum element in the tree.	Two key operations: insert and extract-min				
Insert operation on min-heap	to right on the bottommost level). We fix the tree by		This takes O(logN) time, where N is the number of nodes in the heap.				
Extract-min operation on min-heap	The minimum element of a min-heap is always at the top.	for extracting the min element, we remove the minimum element and swap it with the last element in the heap (the bottommost, rightmost element). Then, we bubble down this element, swapping it with one of its children until the min-heap property is restored.	This takes O(logN) time, where N is the number of nodes in the heap.				
Tries (Prefix trees)	A trie is a variant of an n-ary tree in which characters are stored at each node. Each path down the tree may represent a word. The * nodes (sometimes called "null nodes") are often used to indicate complete words.		The actual implementation of these * nodes might be a special type of child (such as a TreminatingTrieNode, which inherits from Trie node). Or, we could use just a boolean flag that terminates within the parent node.	anywhere from 1	through E + 1 children PHABET_SIZE	A trie is usally used to store the entire (English) language for quick prefix lookups.	While a hashtable can quickly look up whether a string is a valid word or not, it cannot tell us if a string is a prefix of a any valid word. A trie can do this very quickly.

	A trie can check if a string is a valid string in O(k) time where k is the length of the string.	In situations, when we search prefixes repeatedly, (e.g. looki then MANY), we might pass a current node in the tree. This we child of MAN, rather than start	ng up M, then MA, then MAN, round a reference to the will allow us to check if Y is a			
Graphs	A tree is actually a graph but not all graphs are trees. A tree is simply a connected graph without cycles.		A graph is simply a collection of nodes with edges between (some of) them.	Graphs can either be directed or undirected.	An uncyclic graph is one without cycles.	
	There are two common ways to represent a graph:	Adjacency list: This is the most common way to represent a graph. Every vertex or node stores a list of adjacent vertices. In an undirected graph, an edge like (a,b) would be stored twice: once in a's adjacent vertices, and once in b's vertices.	The graph class is used because, unlike in a tree, you can't necessarily reach all the nodes from a single node.	An array (or a hashtable) of lists (arrays, arraylists, linkedlists, etc.) can store the adjacency list.		
	Adjacency matrix: An adjacency matrix is a NXN boolean matrix where N is the number of nodes, a true value indicates the presence		All the algorithms used for adjacency lists can be used for adjacency matrices, but they would be less eficient. The reason is in adjacency list, the user can easily iterate through the neighbors of a node whereas in a adjacency matrix, the user will need to iterate through all the nodes to identify a node's neighbors.			
	Two ways to search a graph:	Depth-first search: we start from the root and explore each branch completely before moving onto the next branch. It is preferred only when we wish to visit every node in the graph.	Breadth-first search: we start at the root and explore each neighbor before going to any children. To find the shortest path or any path between two nodes, BFS is simpler.	DFS is recursive whereas a BFS uses a queue.		
		Pre-order and other forms of traversals are an example of DFS. The key difference is we must check if a node has been visited or else we might get stuck in an infinite loop.				

	Bidirectional search	Used to find the shortest path destination node. It operates b BFS, one from each node. Wh have found a path(formed by r graph is directed, it searches from t (i.e. running the opposite	y running two simultaneous en their searches collide, we nerging two paths). If the orward from s and backwards		
	BFS vs. bidirectional search	BFS is the single search from s to t that collides after four levels whereas bidirectional search is actually two searches (one from s and another from t) that collides after four levels total (two levels each)	Basically, if every node has at most k adjacent nodes and the shortest path from node s to node t has length d, then in BFS, time complexity would be O(k^d) as it would be searching k nodes at each level whereas in bidirectional graph, time complexity would be O (k^d/2) because they would collide midway. Hence it is more time efficient.		
Chapter 5	Bit Manipulation				
	Bit Manipulation By Hand				
	Question	Calculation			
	0110 + 0010	1000			
	0011 * 0101	1111			
	0110 + 0110	1100	Equivalent to 0110 * 2 which is equivalent to shifting 0110 left by 1		
	0011 + 0010	101			
	0011 * 0011	1001			
	0100 * 0011	1100	0100 is 4 in binary numbers and multiplying by 4 is just shifting left by 2 places		
	0110 - 0011	0011			
	1101 >> 2	0011	You shift all the bits and the extra bits fall off the end. So your bits are marching right and zeros march in from the left to take their places		

1100 ^ (~1101)	1111	it is a^(~a). if you XOR a bit with its own negated value, the result is 1			
1000 - 0110	0010				
1101 ^ 0101	1000				
1011 & (~0 << 2)	1011 & 1100 = 1000	~0 is a sequence of 1's, so ~0 << 2 is 1100.			
Bit Facts and Tricks					
Remember the following expr	essions:				
x ^ 0s = x	x & 0s = 0s	x 0s = x			
x ^ 1s = ~x	x & 1s = x	x 1s = 1s			
x ^ x = 0s	x & x = x	x x = x			
Two's complement Represe numbers	entation and Negative				
negative number is represented by the 2s complement of its		For an N-bit number, the two's complement is taken with respect to 2^N.			
In other words, the binary representation of -K as a N-bit number is concat(1, 2^(N-1) - K)	For example, -3 in 4 bits: concat(1, 2^3 - 3) = concat(1, 5 which is 101) = 1101	Another way is first onvert the binary representation of the negative number, for example 3 is 011, thus inverting it would be 100. Add 1 to it to get 101 and then prepend it with the sign bit = 1101			
·		The absolute values of the integers on the left and right side always sum to 2 ³	The values on the left and the right are identical other than the sign bit		
Positive values	Representation	Negative values	Representation		
7	0111	-1	1111		
6	0110	-2	1110		
5	0101	-3	1101		

4	0100	-4	1100		
3	0011	-5	1011		
2	0010	-6	1010		
1	0001	-7	1001		
0	0000				
Arithmetic versus Logical	Shift				
Two types of right shift operations: Arithmetic shift (>>) which is essentially divide by 2 and logical shift (>>>)	In a logical shift, we shift the bits and put a 0 in the sign / most significant bit. For example, -75 i.e. 10110101 >>> 1 = 01011010 i.e. 90	In an arithmetic shift, we shift the values to the right but fill in the new bits with the value of the sign bit. For example, -75 i.e. 10110101 >> 1 = 11011010 (-38)			
Common Bit Tasks And Se	etting				
1. Get Bit					
performing AND with the nun	i bits, creating a value that look n, we clear all other bits but the not equal to zero, then bit i must	bit at i. Finally, we compare			
boolean getBit(int num, int i){	[
return ((num & (1<< i) != 0);}					
2. Set Bit					
	ating a value like 00010000. By e at i bit will change and the rest ro.				
int setBit(int num, int i){					
return num (1< <i);}< td=""><td></td><td></td><td></td><td></td><td></td></i);}<>					
3. ClearBit					
11101111 by creating the rev	ost the reverse of setBit. First, we arse of it (00010000) and negat at i and leaves the rest unchange	ing it. Then, we AND it with			
int clearBit(int num, int i){					
int mask = ~(1< <i);< td=""><td></td><td></td><td></td><td></td><td></td></i);<>					
return num & mask;}					

	To clear all the bits from the most significant bit through i (inclusive), we create a mask with a 1 at ith bit (1 << i). Then, we subtract 1 from it, which gives the sequence of zeros followed by i ones. We then AND our number with this mask to leave just the last i bits.						
	int clearBitMSBThroughI(int n	um, int i){					
	int mask = (1< <i) -="" 1;<="" td=""><td></td><td></td><td></td><td></td><td></td><td></td></i)>						
	return num & mask;}						
		0 (inclusive), we take a sequentis gives us a sequence of ones					
	int clearBitsIThrough0(int nun	n, int i){					
	int mask = $(-1 << (i+1))$;						
	return num & mask;}						
	4. UpdateBit						
	11101111. Then, we shift the	e first clear the ith position by us value v left by i bits. This will cre o 0. Finally we OR these two no se.	eate a number with bit i equal				
	int updateBit(int num, int i, boolean bitls1){						
	int value = bitIs1 ? 1 : 0;						
	int mask = \sim (1 << i);						
	return (num & mask) (value	<< i);}					
Chapter 6	Math and Logic Puzzles						
	Prime Numbers:						
	Every positive integer can be decomposed into a product of primes.	For example, 84 = 2^2 * 3^1 * 5^0 * 7^1 * 11^0 * 13^0 * 17^0					
	Divisibility						
	Prime law states that in order for a number x to divide a number y or mod(y, x) = 0, all primes in x's prime factorization must be in y's prime factorization.	Let x = 2^j0 * 3^j1 * 5^j2 * 7^j3, y = 2^k0 * 3^k1 * 5^k2 * 7^k3, if x/y, then for all i, ji <= ki	In fact, the greatest common diviisor, gcd(x,y) = 2^min(j0, k0) * 3^min(j1,k1) * 5^min(j2, k2)	least common multiple would be lcm(x,y) = 2^max(j0,k0) * 3^max(j1,k1) * 5^max(j2,k2)			

	Thus, gcd * lcm = 2^(min(j0, k0) + max(j0,k0)) * 3^(min(j1, k1) + max(j1,k1)) * 5^(min(j2, k2) + max(j2,k2))	thus, gcd * lcm = 2^(j0 + k0) * 3^(j1 + k1) * 5^(j2 + k2) = 2^j0 * 3^j1 * 5^j2 * 2^k1 * 3^k2 * 5^k2 = xy		
Checking for primality	у			
A naive way would be t check for divisibility with integers from 2 to n-1		The root(n) is sufficient, because, for every prime number a which divides n evenly, there is a complement b, where a*b = n. If a>root(n), then b <root (n).="" a's="" b's="" check="" checked="" do="" for="" have="" need="" not="" primality="" primality.<="" since="" td="" to="" we="" would=""><td></td><td></td></root>		
In reality, all we really not check is if not is divisible a prime number. This is where Sieve of Eratosticomes in.	ole by			
Generating a list of pr	rimes numbers: Sieve of Eratosthe	nes		
It recognizes that all no prime numbers are divi by prime numbers.				
Probability				
P(A and B) = P(A intersection B) = P(B A = P(A B)P(B)	For example, P(x is even and x<=5) = P(x is even given x <= 5) P(x <= 5) = $(2/5)^*(1/2) = 1/5$	Bayes' theorem = $P(A B) = P(B A)P(A)/P(B)$		

	P(A or B) = P(A) + P(B) - P (A and B)	P(x is even or x <= 5) = P(x is even) + P(x<=5) - P(x is even and x<= 5) = $1/2 + 1/2 - 1/5 = 4/5$			
	Independence				
	P(B A) = P(B), This implies, P(A and B) = P(A)P(B)				
	Mutual Exclusivity				
	If there is mutual exclusivity between A and B, P(A or B) = P(A) + P(B) because if A happens, then B does not happen. This leads to P(A and B) = 0.	If one or both the events have a probability of zero (that is, it is impossible), then the events are both independent and mutually exclusive			
	Problem: You have two ropes and each takes exactly one hour to burn. How would you use them to time exactly 15 minutes. Ropes are of uneven densities, so half the rope length-wise does not necessarily take half an hour to burn.	Approach: 1. Light rope 1 at both the ends and rope 2 at one end. 2. When the two flames on rope 1 meet, 30 minutes will have passed. Rope 2 will have 30 minutes left. 3. At that point of time, light the other end of the rope 2. 4. In exactly fifteen minutes, rope 2 will have burnt completely.			
	Problem: You have 9 balls - 8 are of equal weight and one is heavier. You are given a balance, which tells you only whether the left side or the right side is heavier. Find the heavy ball in just two uses of scale.	Trial approach - Divide into two keep one aside, if the weight content the heavier ball is on the sweight measuring for the heavier takes 3 measures - whereas we split the 9 balls into sets of 3 ear compare any 2 sets. If the heavier sets, we get to know or else it will then, we can put one ball aside We would get the heavier ball in scale.	omes equal for the two sets, side. Or else, we repeat the er set split into two. This e can just do 2. So, we would ach and use scale to vier ball is in either of the two would be in the remaining set. e and compare the rest two.		
Chapter 7	Object-oriented design				

These questions are believed to give an interviewer insight into your coding style					
How to Approach:					
Step 1: Handle ambiguity					
	oriented design question, one e it and how they are going to	Depending on the question, one may wish to go through 6 W's: Who, what, where, when, how and why.			
For example, you were asked to describe the object oriented design for a coffee maker. Will you just go about designing it?	Your coffee maker might be ar to be used in a massive restaut customers per hour and making products. Or it might be a very be used by the elderly for just use cases significantly impact	urant servicing hundreds of ng ten different kinds of coffee simple machine, designed to simple black coffee. These			
Step 2: Define the Core Objects					
Suppose we are asked to des for a restaurant. Our core obje Guest, Party, Order, Meal, En					
Step 3: Analyze relationships					
Now, we need to determine the relationships between our core objects.					
Which objects are members of which other objects?	Do any objects inherit from other objects?	Are relationships many-to- many or one-to-many?			
For example, in the restuaran	t design we may come up with	the following design:			
Party should have an array of guests.	Server and host inherit form employee	Each table has one party, but eachc party may have multiple tables.	There is one host for the restaurant.		
might have mitiple parties ("co	s. For example, a single table ommunal tables") - consult ral purpose the design should				
Step 4: Investigate Actions					

the key actions, taht the	While doing this, you may realize that you have forgotten some objects, you might need to update the design accordingly.				
eservation and, if it exists, assignto the end of the List. When a F	gns the party to a Table.				
There are innumerable design patterns. be careful you don't fall into a trap of constantly finding the "right" design pattern for a particular problem.	You should create a design that works for the problem. In some cases, ti might be an established pattern, in others it might not be.				
to the instance through the cases where you have a e instance for example, we					
instance = null;					
etInstance() {					
{					
new Restuarant();					
	objects will take and how they relate to each other. to the Restuarant, and a Guest eservation and, if it exists, assist to the end of the List. When a Fin the list. There are innumerable design patterns. be careful you don't fall into a trap of constantly finding the "right" design pattern for a particular	the key actions, taht the objects will take and how they relate to each other. realize that you have forgotten some objects, you might need to update the design accordingly. to the Restuarant, and a Guest requests a table from the eservation and, if it exists, assigns the party to a Table. to the end of the List. When a Party leaves, the Table is free in the list. There are innumerable design patterns. be careful you don't fall into a trap of constantly finding the "right" design pattern for a particular problem. To the end of the List. When a Party leaves, the Table is free in the list. You should create a design that works for the problem. In some cases, it might be an established pattern, in others it might not be. So that a class has only one to the instance through the cases where you have a le instance for example, we cannot that it has exactly instance = null; etlInstance() { { new Restuarant();	the key actions, taht the objects will take and how they relate to each other. relate to each other. to the Restuarant, and a Guest requests a table from the design accordingly. to the end of the List. When a Party leaves, the Table is free in the list. There are innumerable design patterns. be careful you don't fall into a trap of constantly finding the "right" design pattern for a particular problem. That a class has only one to the instance through the cases where you have a e instance for example, we urrant such that it has exactly pattern and even call it an	the key actions, taht the objects will take and how they relate to each other. It is to the Restuarant, and a Guest requests a table from the eservation and, if it exists, assigns the party to a Table. to the end of the List. When a Party leaves, the Table is free in the list. There are innumerable design patterns, be careful you don't fall into a trap of constantly finding the "right" design pattern for a particular problem. In some cases, it might be an established pattern, in others it might not be. It is that a class has only one to the instance through the cases where you have a einstance for example, we urrant such that it has exactly pattern and even call it an	the key actions, taht the objects will take and how they relate to each other. relate to each other. to the Restuarant, and a Guest requests a table from the eservation and, if it exists, assigns the party to a Table. to the end of the List. When a Party leaves, the Table is free n the list. There are innumerable design patterns. be careful you don't fall into a trap of constantly finding the "right" design pattern for a particular problem. You should create a design that works for the problem. In some cases, it might be an established pattern, in others it might not be. Is that a class has only one to the instance through the cases where you have a e instance for example, we urrant such that it has exactly instance = null; attributed to each other. realize that you have destigonted bytes, you might need to update the design accordingly. You should create a design that works for the problem. In some cases, it might be an established pattern, in others it might not be.