## CS156a Set 2

- 1. B Justification in attached Jupyter Notebook
- 2. D

The values in the attached Jupyter Notebook are:

$$v_{1avg} = 0.500242$$
  
 $v_{rand_{avg}} = 0.499345$   
 $v_{min_{avg}} = 0.037664$ 

So when we apply those to the Hoeffding Inequality we have:

$$\begin{array}{ll} v_1\colon & \epsilon = 0.000424 \to 1 \leq 2\mathrm{e}^{-2000*0.000424^2} \to 1 \leq 1.99928 \\ v_{rand}\colon & \epsilon = 0.000655 \to 1 \leq 2\mathrm{e}^{-2000*0.000655^2} \to 1 \leq 1.99828 \\ v_{min}\colon & \epsilon = 0.12336 \to 1 \leq 2\mathrm{e}^{-2000*0.12336^2} \to 1 \leq 1.21*10^{-13} \end{array}$$

Therefore  $c_1$  and  $c_{rand}$  satisfy the Hoeffding Inequality but  $c_{min}$  does not.

3. E

An error occurs when h makes an error and y does not (probability of  $\mu * \lambda$ ) or when h does not make an error and y does make an error (probability of  $(1 - \mu) * (1 - \lambda)$ ). Therefore the total probability that an error will occur is  $(1 - \mu) * (1 - \lambda) + \mu * \lambda$ .

4. B

If  $\lambda = 0.5$  then the probability that an error occurs is now  $(1 - \mu) * (0.5) + \mu * 0.5 = 0.5$ . Therefore the probability that an error does not occur must be 0.5. Therefore the performance of h would then be independent of  $\mu$ .

- 5. C Justification in attached Jupyter Notebook
- 6. C Justification in attached Jupyter Notebook
- 7. A Justification in attached Jupyter Notebook
- 8. D
  Justification in attached Jupyter Notebook
- 9. A Justification in attached Jupyter Notebook
- 10. B
  Justification in attached Jupyter Notebook