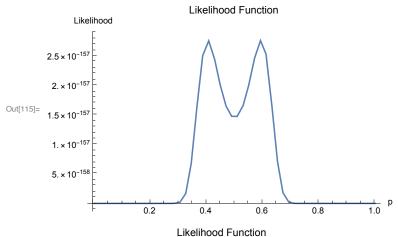
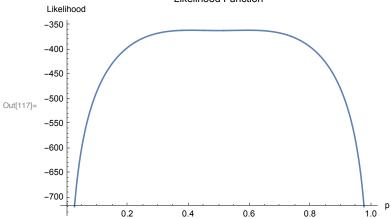
```
\begin{split} & \text{In}[114] = \ f[p_{-}] := (((p^4) + (1-p)^4)^21) * \\ & \qquad (((p^4) (1-p) + p (1-p)^4)^26) * (((p^4) ((1-p)^2) + (p^2) (1-p)^4)^24) * \\ & \qquad (((p^4) ((1-p)^3) + (p^3) (1-p)^4)^39); \\ & \text{graphic} = \text{Plot}[f[p], \{p, 0, 1\}, \text{PlotLabel} \rightarrow \text{"Likelihood Function"}, \\ & \quad \text{AxesLabel} \rightarrow \{\text{"p", "Likelihood"}\}] \\ & g[p_{-}] := \text{Log10}[(((p^4) + (1-p)^4)^21) * (((p^4) (1-p) + p (1-p)^4)^26) * \\ & \qquad (((p^4) ((1-p)^2) + (p^2) (1-p)^4)^24) * \\ & \qquad (((p^4) ((1-p)^3) + (p^3) (1-p)^4)^39)]; \\ & \text{graphic} = \text{Plot}[g[p], \{p, 0, 1\}, \text{PlotLabel} \rightarrow \text{"Likelihood Function"}, \\ & \quad \text{AxesLabel} \rightarrow \{\text{"p", "Likelihood"}\}] \end{split}
```





 $ln[112]:= N@ArgMax[{f[a], a > 0.5}, a]$

Out[112]= 0.595131

 $ln[113] = N@ArgMax[{g[a], a > 0.5}, a]$

Out[113]= 0.595131

ln[3]:= Sum[Binomial[3+k, k] * 0.41^k * 0.59^4, {k, 0, 3}]

Out[3] = 0.690619

```
ln[9] = Sum[Binomial[3+k, k] * 0.41^k * 0.59^4 * k, \{k, 0, 3\}] +
           Sum[Binomial[3+k, k] * 0.59^{k} * 0.41^{4} * k, {k, 0, 3}]
Out[9] = 1.71882
ln[11]:= N@ (26 + 2 * 24 + 3 * 39) / 110
Out[11]= 1.73636
ln[14]:= Solve[Sum[Binomial[3+k, k] * (1-p) ^k * p ^ 4 * k, {k, 0, 3}] +
               Sum[Binomial[3+k, k] * p^k * (1-p)^4 * k, \{k, 0, 3\}] == 1.7363636363636363, p]
\text{Out} \texttt{[14]= } \ \left\{ \ \{ \, p \rightarrow -\, 0.316484 \, -\, 0.308104 \,\, \mathring{\texttt{\i}} \, \right\} \,, \ \left\{ \, p \rightarrow -\, 0.316484 \, +\, 0.308104 \,\, \mathring{\texttt{\i}} \, \right\} \,, \ \left\{ \, p \rightarrow 0.418984 \, \right\} \,,
           \{p \rightarrow \text{0.581016}\} , \{p \rightarrow \text{1.31648} - \text{0.308104} \ \text{i}\} , \{p \rightarrow \text{1.31648} + \text{0.308104} \ \text{i}\}\}
```