

# Assignment 4.4

Problem Statement 1:

A test is conducted which is consisting of 20 MCQs (multiple choices questions) with every MCQ having its four options out of which only one is correct. Determine the probability that a person undertaking that test has answered exactly 5 questions wrong.

Note: Solution submitted via github must contain all the detailed steps.

## Solution

This problem we can solve using binomial distribution formula.

Here,

$x = 5$ ,

total no of trials:  $n = 20$ ,

probability of answering wrong:  $p = \frac{3}{4} = 0.75$

$$P(x) = \frac{n!}{x!(n-x)!} p^x (1-p)^{n-x}$$

$$\begin{aligned} P(5) &= (20!) / (5! * 15!) * (0.75^5) (0.75^{15}) \\ &= 3.426495823077857494354248046875 \text{ e-6} \end{aligned}$$

Hence Answer is : 3.426495823077857494354248046875e-6