

# Social Data Science

Soc 114  
Winter 2026

## Data-Driven Estimator Selection

# Learning goals

- ▶ k-nearest-neighbors estimator
- ▶ bias-variance tradeoff
- ▶ sample splitting
- ▶ cross validation

## A running example

- ▶ Sample 10 players from each MLB team
- ▶ Estimate sample average salary on each team
- ▶ Produces data where
  - ▶ Unit of analysis  $i$  is a team
  - ▶ Outcome  $y_i$  is average salary
  - ▶ Predictor  $x_i$  is prior year average salary

Goal: Predict mean salary of all Dodgers (sampled and unsampled)



# Task

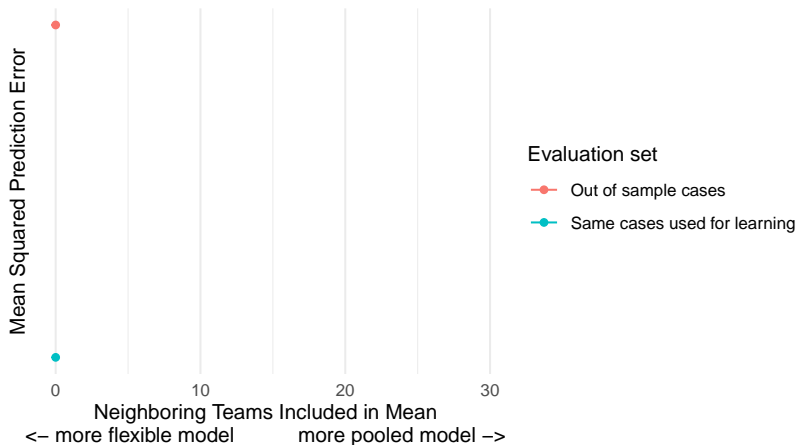
## Estimator: k-nearest neighbors

10 sampled players per team

- ▶ Dodger sample mean might be noisy
- ▶ Could pool with similar teams defined by past mean salary
  - ▶ Dodgers: 8.39m
  - ▶ 1st-nearest neighbor. NY Mets: 8.34m
  - ▶ 2nd-nearest neighbor. NY Yankees: 7.60m
  - ▶ 3rd-nearest neighbor. Philadelphia: 6.50m
- ▶ How does performance change with the number of neighbors included?
  - ▶ measured by mean squared prediction error

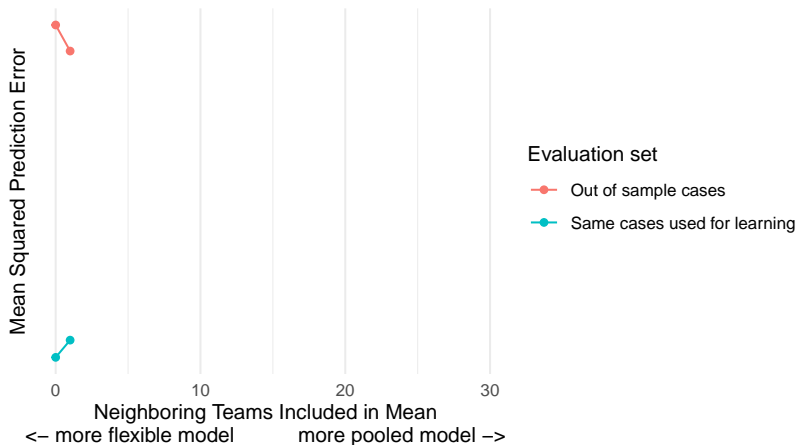
## In-sample and out-of-sample measures of predictive performance

Nearest neighbor estimator applied to repeated samples of 10 players per team.  
Curves are smoothed estimates over simulation results.



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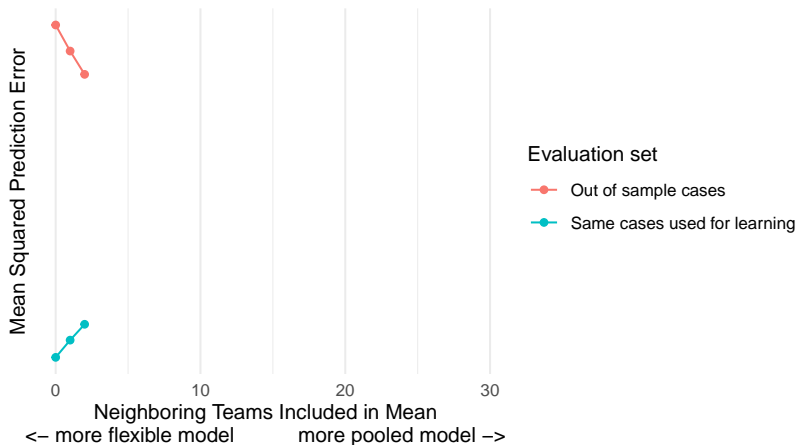
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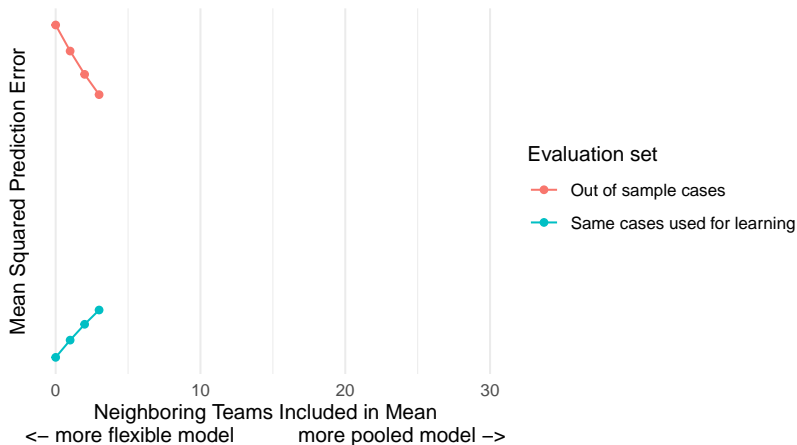


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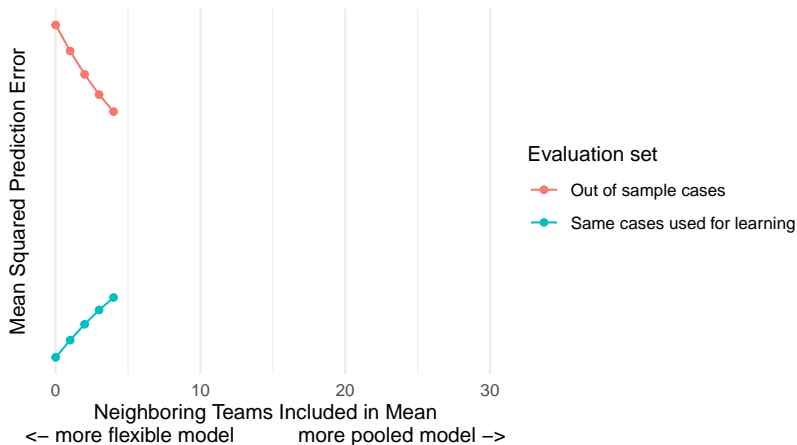


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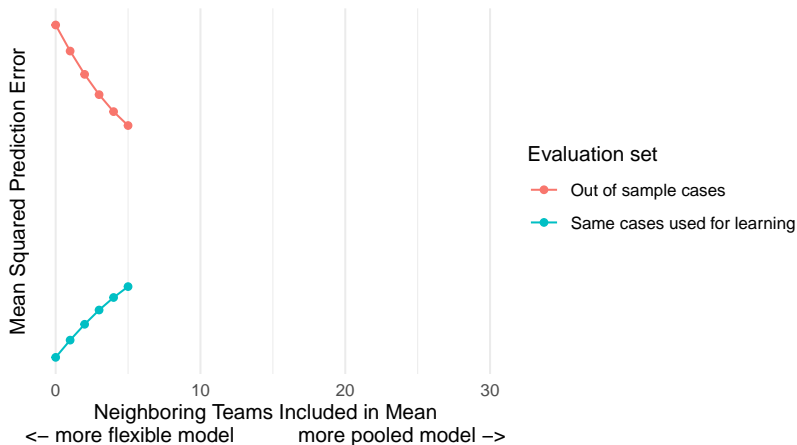


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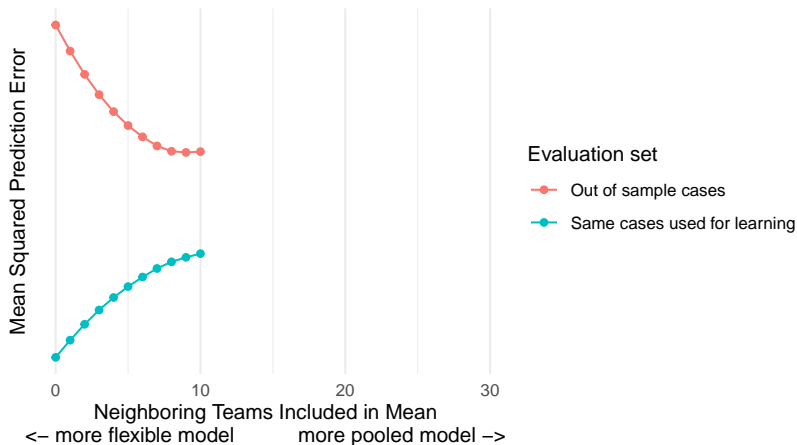


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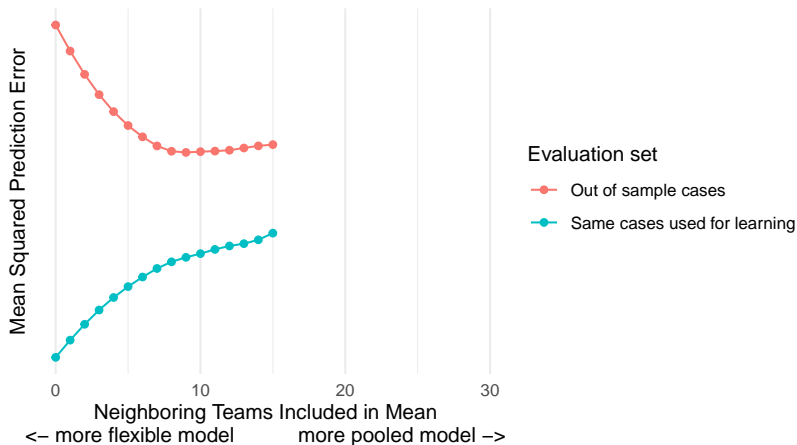
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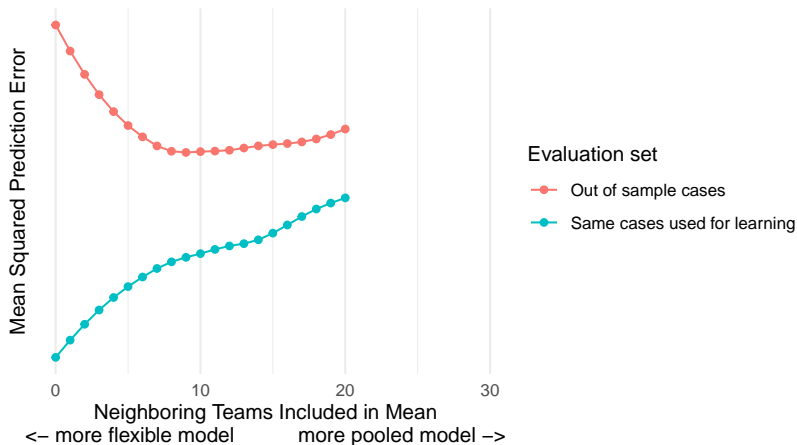
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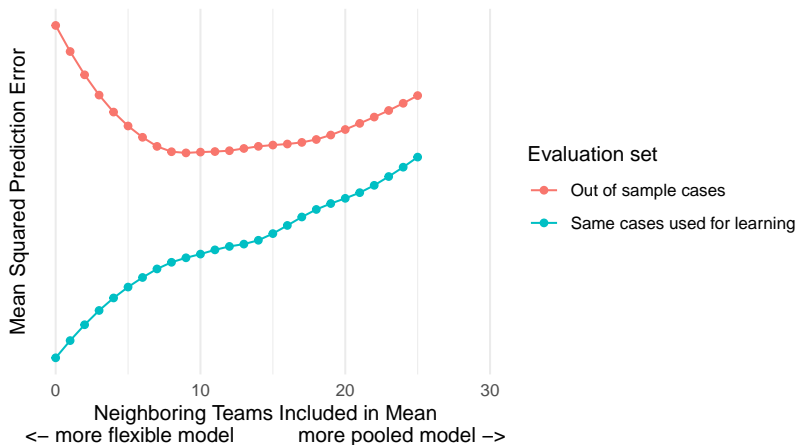
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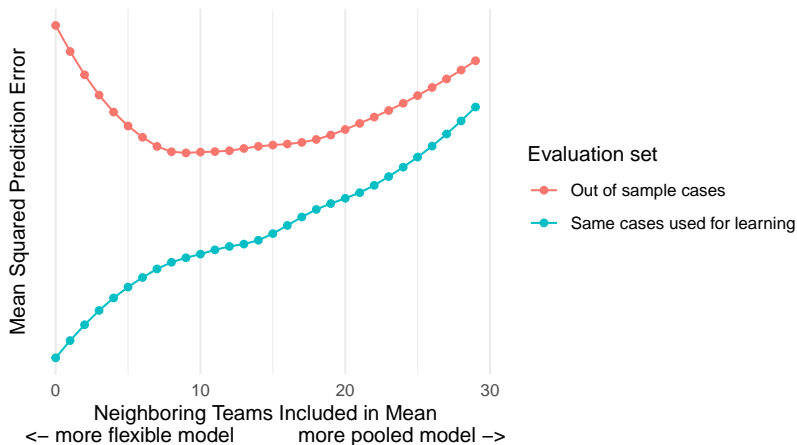
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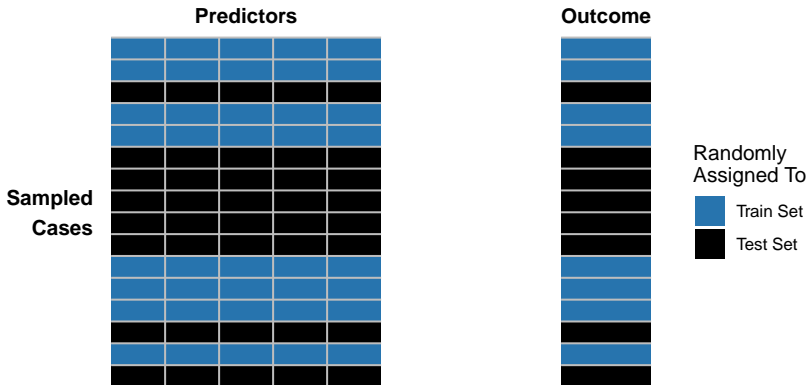
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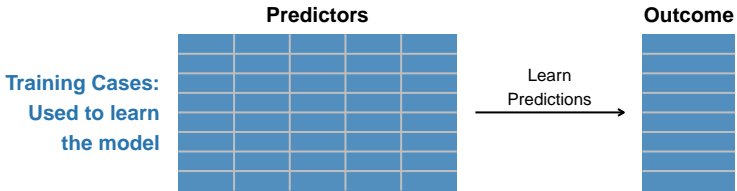
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You have one sample.

How do you estimate out-of-sample performance?





## Exercise: Conduct a sample split in code

1. Sample 10 players per team
2. Take a 50-50 sample split stratified by team
3. Fit a linear regression in the train set
4. Predict in the test set
5. Report mean squared error

# Cross Validation

A train test split loses lots of data to testing.

Is there a way to bring it back?

# Cross Validation

Randomize  
to 5 folds

**Fold 1**

**Fold 2**

**Fold 3**

**Fold 4**

**Fold 5**

# Cross Validation

Randomize  
to 5 folds

Iteratively use each as the test set

**Fold 1**

**Fold 2**

**Fold 3**

**Fold 4**

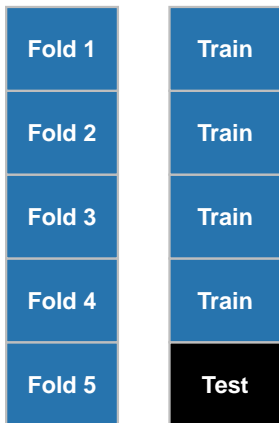
**Fold 5**



# Cross Validation

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# Cross Validation

Randomize  
to 5 folds

Iteratively use each as the test set

<b>Fold 1</b>	<b>Train</b>	<b>Train</b>
<b>Fold 2</b>	<b>Train</b>	<b>Train</b>
<b>Fold 3</b>	<b>Train</b>	<b>Train</b>
<b>Fold 4</b>	<b>Train</b>	<b>Test</b>
<b>Fold 5</b>	<b>Test</b>	<b>Train</b>

# Cross Validation

Randomize  
to 5 folds

Iteratively use each as the test set

Fold 1	Train	Train	Train
Fold 2	Train	Train	Train
Fold 3	Train	Train	Test
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# Cross Validation

Randomize  
to 5 folds

Iteratively use each as the test set

Fold 1	Train	Train	Train	Train
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Randomize  
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# Cross Validation

Randomize  
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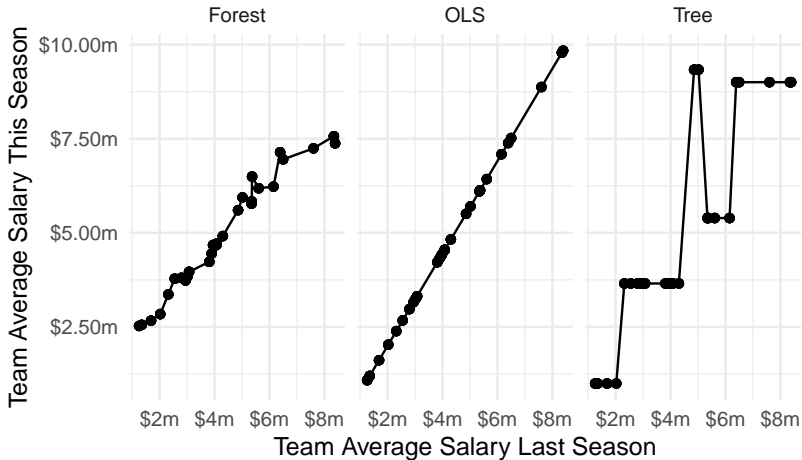
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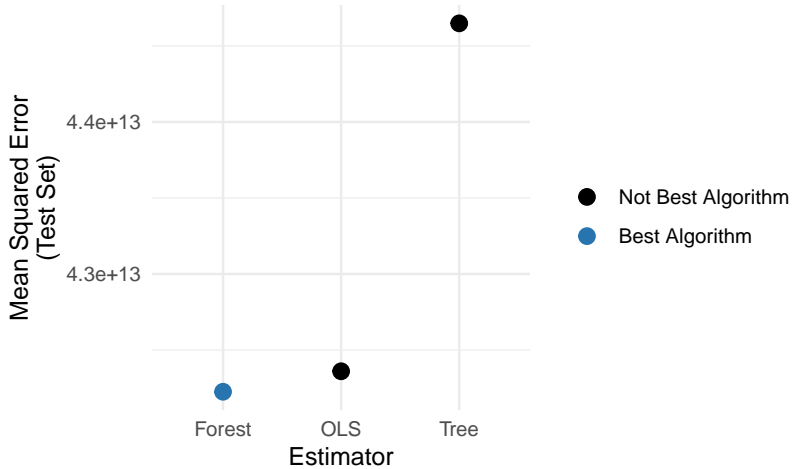
Average prediction error over folds

Out-of-sample predictive performance is not just for tuning parameters.

It can help you choose your algorithm.







# Learning goals for today

By the end of class, you will be able to

- ▶ understand sample splitting: a common data science procedure for choosing among many candidate estimators