Machine Learning (Lab 7)

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Today we are going to learn how to apply different machine learning methods, beginning with clustering

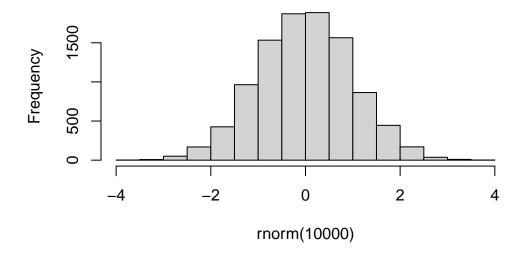
Goal: Find groups/clusters in input data

```
#help page for rnorm
?rnorm
#get 10 numbers (other arguments are default)
rnorm(10)
```

- [7] 1.43019042 -0.03628594 -0.36832439 0.73908320

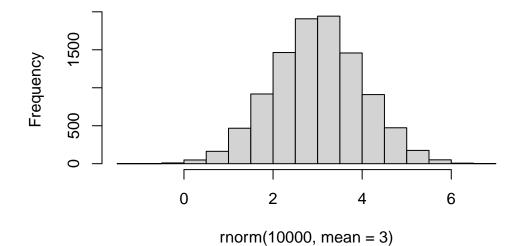
```
#histogram with center at 0 (default, mean=0, sd=1)
hist(rnorm(10000))
```

Histogram of rnorm(10000)

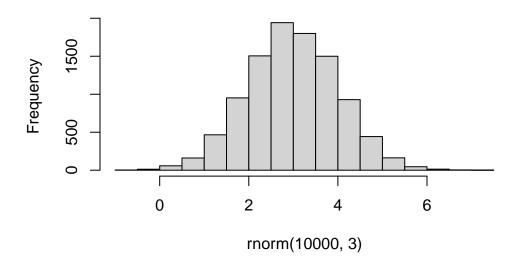


#histogram with center at 3 (mean=3)
hist(rnorm(10000,mean = 3))

Histogram of rnorm(10000, mean = 3)

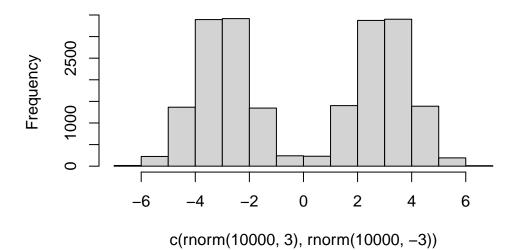


Histogram of rnorm(10000, 3)



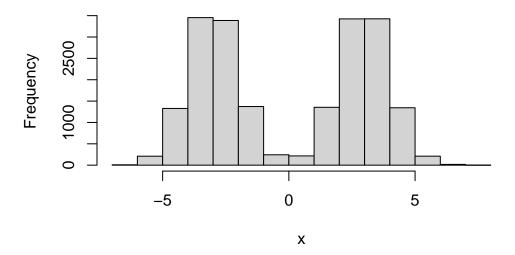
#histogram with 2 peaks
hist(c(rnorm(10000,3),rnorm(10000,-3)))

Histogram of c(rnorm(10000, 3), rnorm(10000, -3))



```
#more clear code
n <- 10000
x <- c(rnorm(n,3),rnorm(n,-3))
hist(x)</pre>
```

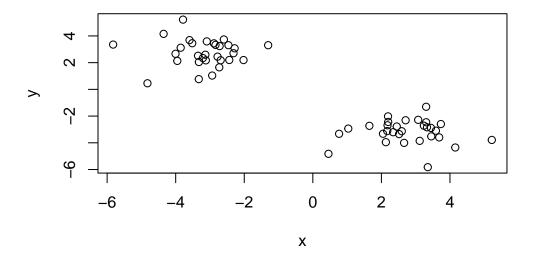
Histogram of x



```
n <- 30
x <- c(rnorm(n,-3),rnorm(n,3))
y <- rev(x)
z <- cbind(x,y)
head(z)</pre>
```

```
x y
[1,] -3.596927 3.6860745
[2,] -4.004860 2.6624147
[3,] -4.823664 0.4555457
[4,] -3.517540 3.4540608
[5,] -3.206459 2.3422874
[6,] -2.313235 2.7063135
```

plot(z)



kmeans function

kmeans assigns cluster based on how far a point is from each mean

Q. How many points are in each element?

```
#clusters of sizes 30, 30 (because n=30), so 30 points in each element
km <- kmeans(z,centers=2)
km</pre>
```

K-means clustering with 2 clusters of sizes 30, 30

Cluster means:

```
x y
1 -3.175094 2.736827
2 2.736827 -3.175094
```

Clustering vector:

Within cluster sum of squares by cluster:

```
[1] 51.71048 51.71048 (between_SS / total_SS = 91.0 %)
```

Available components:

[1] "cluster" "centers" "totss" "withinss" "tot.withinss"

[6] "betweenss" "size" "iter" "ifault"

Results in kmeans object 'km'

Q. What 'component' of your results object details: cluster size? cluster assignment/member? cluster center?

attributes(km)

\$names

[1] "cluster" "centers" "totss" "withinss" "tot.withinss"

[6] "betweenss" "size" "iter" "ifault"

\$class

[1] "kmeans"

#size

km\$size

[1] 30 30

#assignment/member

km\$

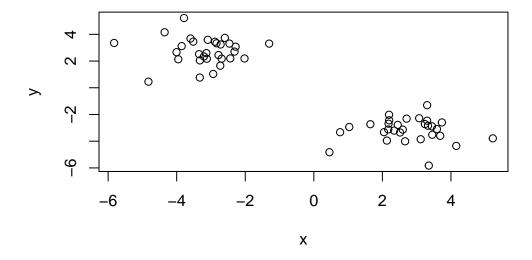
#center

km\$center

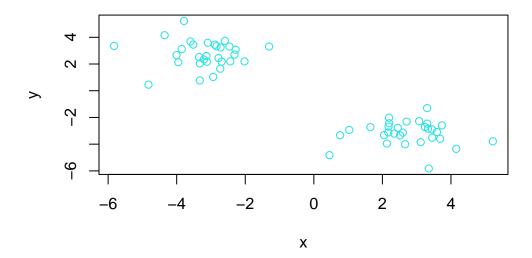
NULL

Q. Plot x colored by the kmeans cluster assignment and add cluster centers as blue points

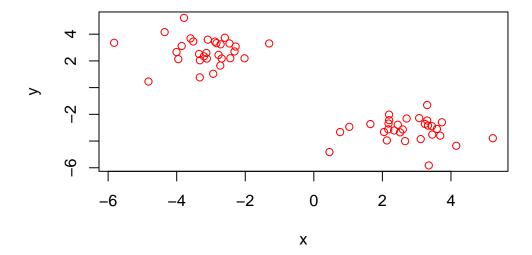
**R will recycle shorter color vector to be the same length as the longger (num of data points) in z



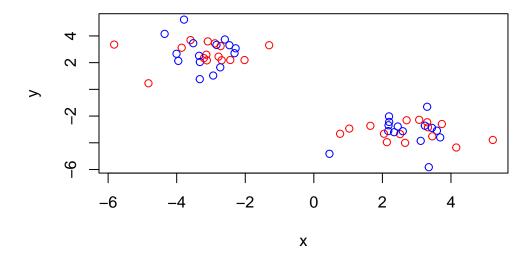
plot(z,col=5)



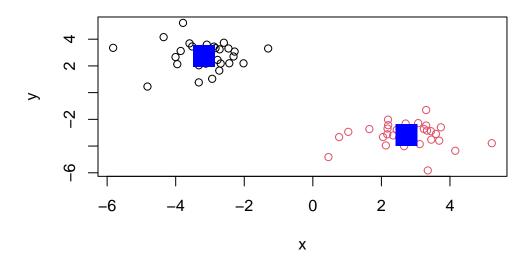
plot(z, col="red")



#function below alternates blue and red points
plot(z,col=c("red","blue"))



plot(z,col=km\$cluster) #use clustering by km to assign color per cluster points(km\$centers, col="blue", pch = 15, cex=3) #make points in center blue, 15 makes the shape



Q. Run kmeans and ask for 4 clusters, plot results as above

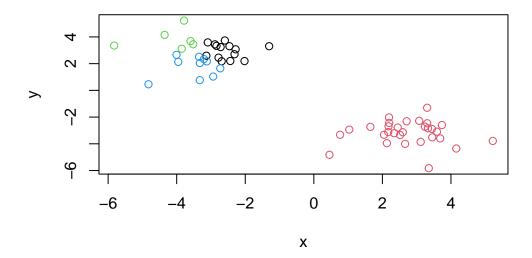
```
km4 <- kmeans(z,centers=4)</pre>
km4
K-means clustering with 4 clusters of sizes 14, 30, 6, 10
Cluster means:
1 -2.539331 2.953137
2 2.736827 -3.175094
3 -4.155264 3.830986
4 -3.477059 1.777499
Clustering vector:
Within cluster sum of squares by cluster:
[1] 6.853319 51.710481 6.706845 8.774106
(between_SS / total_SS = 93.6 %)
Available components:
[1] "cluster"
              "centers"
                          "totss"
                                     "withinss"
                                                 "tot.withinss"
```

"iter"

"ifault"

"size"

[6] "betweenss"



#ISSUE!!! kmeans makes as many clusters as we tell it, no reasoning for how many we need $\#_{iii}IT$ CHANGES THE CLUSTERS EACH TIME!!! (want to do what we tell it but badly)

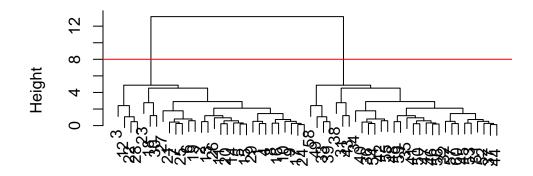
Hierarchical Clustering

Lets take our same data 'z' and see how hclust() works

First we need to find distance between rows of our data matriz 'z'

```
?hclust #Hierarchical cluster analysis on a set of dissimilarities and methods for analyzing d <- dist(z) hc <- hclust(d) plot(hc) abline(h=8, col="red") #red line shows where clusters should be made
```

Cluster Dendrogram



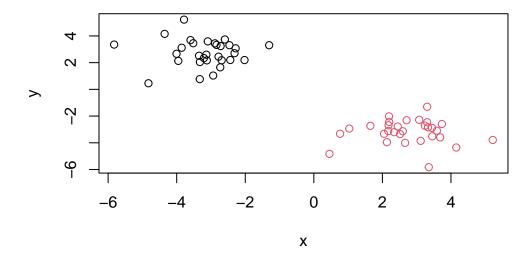
d hclust (*, "complete")

I can get my cluster membership vector by "cutting the tree" with the 'cutree()' function:

```
?cutree #cuts tree to give you groups of your choosing
grps <- cutree(hc,h=8)
grps</pre>
```

Plot 'z' colored by our hclust results

plot(z,col=grps)



PRINCIPAL COMPONENT ANALYSIS (PCA)

Principal components are new low dimensional axis (or surfaces) closest to the observations PCA tries to find axis of best fit to look at data in groups

PCA of UK food data

Q. Which approach to solving the 'row-names problem' mentioned above do you prefer and why? Is one approach more robust than another under certain circumstances?

Read data from the UK on food consumption in different parts of the UK

	Х	England	Wales	${\tt Scotland}$	N.Ireland
1	Cheese	105	103	103	66
2	Carcass meat	245	227	242	267

```
3
     Other_meat
                             803
                                      750
                                                 586
                      685
4
            Fish
                      147
                             160
                                      122
                                                  93
5 Fats_and_oils
                      193
                             235
                                      184
                                                 209
          Sugars
                      156
                             175
                                      147
                                                 139
```

 $x \leftarrow read.csv(url, row.names=1)$ #to remove column of only numbers, useless head(x)

	England	Wales	${\tt Scotland}$	N.Ireland
Cheese	105	103	103	66
Carcass_meat	245	227	242	267
Other_meat	685	803	750	586
Fish	147	160	122	93
Fats_and_oils	193	235	184	209
Sugars	156	175	147	139

Q. How many rows and columns are in your new data frame named x? What R functions could you use to answer this questions?

```
ncol(x)
```

[1] 4

```
nrow(x)
```

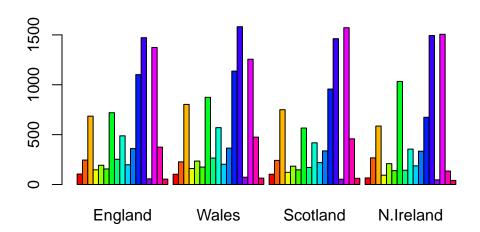
[1] 17

```
dim(x)
```

[1] 17 4

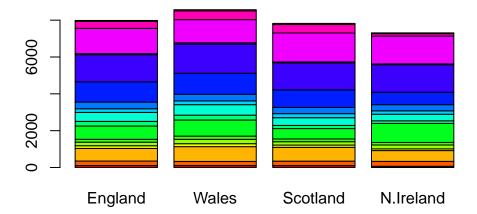
4 columns and 17 rows

```
barplot(as.matrix(x), beside=T, col=rainbow(nrow(x)))
```



Q3: Changing what optional argument in the above barplot() function results in the following plot?

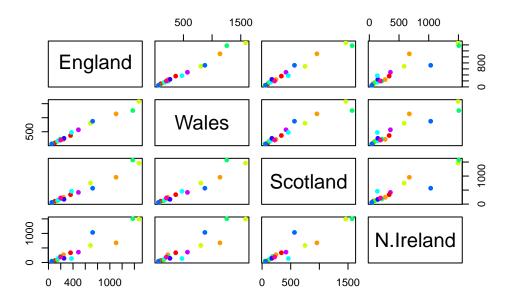
barplot(as.matrix(x), beside=F, col=rainbow(nrow(x)))



Differences in categories between countries are so unclear

Q5: Generating all pairwise plots may help somewhat. Can you make sense of the following code and resulting figure? What does it mean if a given point lies on the diagonal for a given plot?

pairs(x, col=rainbow(10), pch=16)



It is hard to see structure and trends in even this small data set, so how will we do this when we have ig data sets with thousands or tens of thousands of things we are measuring??

Lets see how PCA deals with this dataset, so main function in base R to do PCA is called 'prccomp()'

```
pca <- prcomp(t(x))
summary(pca)</pre>
```

Importance of components:

	PC1	PC2	PC3	PC4
Standard deviation	324.1502	212.7478	73.87622	2.921e-14
Proportion of Variance	0.6744	0.2905	0.03503	0.000e+00
Cumulative Proportion	0.6744	0.9650	1.00000	1.000e+00

PC1 captures 67.44% of the data

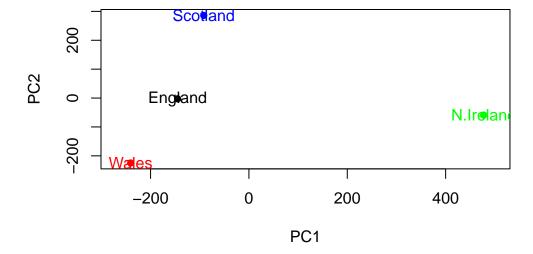
Q6. What is the main differences between N. Ireland and the other countries of the UK in terms of this data-set?

pca\$x

```
PC1 PC2 PC3 PC4
England -144.99315 -2.532999 105.768945 -9.152022e-15
Wales -240.52915 -224.646925 -56.475555 5.560040e-13
Scotland -91.86934 286.081786 -44.415495 -6.638419e-13
N.Ireland 477.39164 -58.901862 -4.877895 1.329771e-13
```

- Q7. Complete the code below to generate a plot of PC1 vs PC2. The second line adds text labels over the data points.
- Q8. Customize your plot so that the colors of the country names match the colors in our UK and Ireland map and table at start of this document.

```
plot(pca$x[,1],pca$x[,2],col=c("black","red","blue","green"),pch=16,xlab="PC1", ylab="PC2", text(pca$x[,1], pca$x[,2], colnames(x),col=c("black","red","blue","green"))
```



Bar chart, shows variation in each component

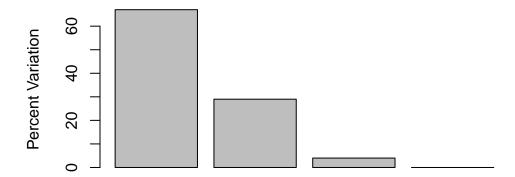
```
v <- round( pca$sdev^2/sum(pca$sdev^2) * 100 )
v</pre>
```

[1] 67 29 4 0

```
z <- summary(pca)
z$importance</pre>
```

```
PC1 PC2 PC3 PC4
Standard deviation 324.15019 212.74780 73.87622 2.921348e-14
Proportion of Variance 0.67444 0.29052 0.03503 0.000000e+00
Cumulative Proportion 0.67444 0.96497 1.00000 1.000000e+00
```

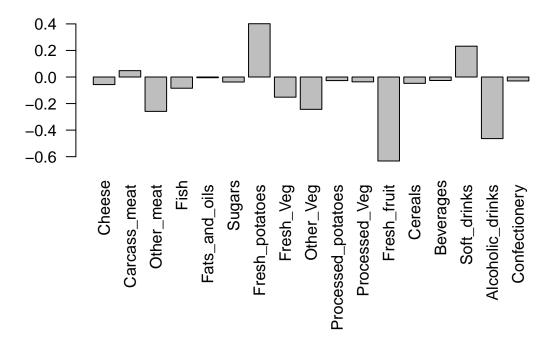
```
barplot(v, xlab="Principal Component", ylab="Percent Variation")
```



Principal Component

More useful bar graph to visualize data

```
## Lets focus on PC1 as it accounts for > 90% of variance
par(mar=c(10, 3, 0.35, 0))
barplot( pca$rotation[,1], las=2 )
```



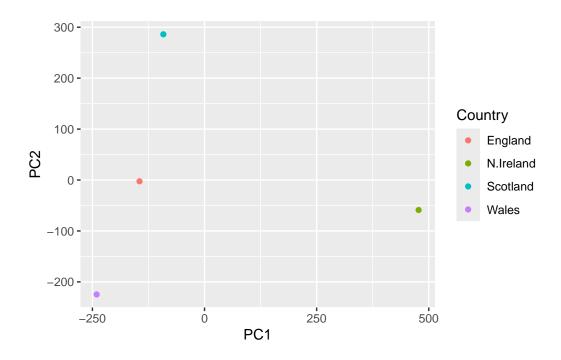
Q9: Generate a similar 'loadings plot' for PC2. What two food groups feature prominantely and what does PC2 maninly tell us about?

```
library(ggplot2)

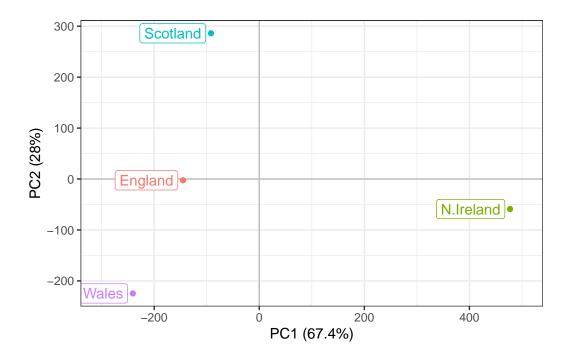
df <- as.data.frame(pca$x)

df_lab <- tibble::rownames_to_column(df, "Country")

# Our first basic plot
ggplot(df_lab) +
   aes(PC1, PC2, col=Country) +
   geom_point()</pre>
```

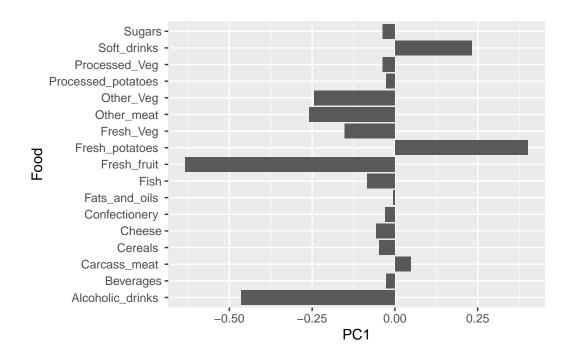


```
ggplot(df_lab) +
  aes(PC1, PC2, col=Country, label=Country) +
  geom_hline(yintercept = 0, col="gray") +
  geom_vline(xintercept = 0, col="gray") +
  geom_point(show.legend = FALSE) +
  geom_label(hjust=1, nudge_x = -10, show.legend = FALSE) +
  expand_limits(x = c(-300,500)) +
  xlab("PC1 (67.4%)") +
  ylab("PC2 (28%)") +
  theme_bw()
```

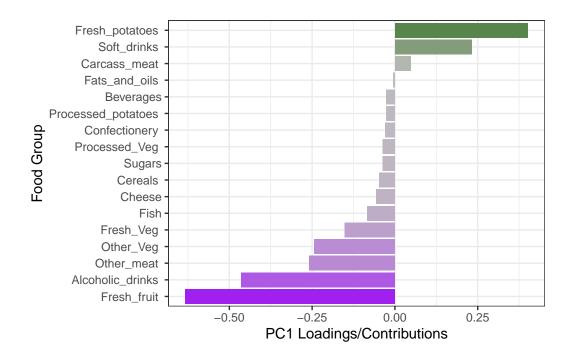


```
ld <- as.data.frame(pca$rotation)
ld_lab <- tibble::rownames_to_column(ld, "Food")

ggplot(ld_lab) +
  aes(PC1, Food) +
  geom_col()</pre>
```



```
ggplot(ld_lab) +
  aes(PC1, reorder(Food, PC1), bg=PC1) +
  geom_col() +
  xlab("PC1 Loadings/Contributions") +
  ylab("Food Group") +
  scale_fill_gradient2(low="purple", mid="gray", high="darkgreen", guide=NULL) +
  theme_bw()
```



The inbuilt biplot() can be useful for small datasets
biplot(pca)

