TEL411 – Digital Image Processing

Doutsi Effrosyni, PhD

Assignment 4

Due date: Sunday, November 1, 2020

Exercise 1

Create a function Compute_Median() that takes as an input an image I and a kernel K. The output of this function should be an image \tilde{I} (of the same size as I) which shows the impact of the median filter. This function should work as follows:

- 1. Compute the size $n \times n$ of the kernel K.
- 2. Compute the size $m \times m$ of the input image I.
- 3. Add zeros around your image using padarray(). The size of the new image I' should be (m+n/2,m+n/2).
- 4. With respect to the size of kernel n you should extract a small patch P (of size $n \times n$) of your image centered on the I'(1 + n, 1 + n).
- 5. Sort the coefficients of the $n \times n$ patch using the function sort().
- 6. Find the median value (You are allowed to use the default function median() but it would be appreciated more if you compute it manually).
- 7. Repeat the steps 4-6 for each pixel.

Test your code for 3 different kernel sizes 3x3, 5x5 and 9x9 using the 2 noisy images that have been shared on eclass at the following directory Labs/Lab4. Illustrate you results.

Exercise 2

Do all the necessary modifications in order to create 2 different functions that compute the max filter (Compute_Max()) and the min filter (Compute_Min()), respectively.

Test your code for 3 different kernel sizes 3x3, 5x5 and 9x9 using the 2 noisy images that have been shared on eclass at the following directory Labs/Lab4. Illustrate you results.

What to turn in

You should turn in both your code and a report. For every different case (18 in total = 3 median * 2 images + 3 max * 2 images + 3 min * 2 images) you should provide the filtered images and a short discussion.

Bonus Exercise

- 1. Construct the differential filter $F = [-1 \ 0 \ 1]$.
- 2. Read the image "peppers_gray.tif"
- 3. Convolve the image I with the filter F.

Hint: You should first apply the filter to the rows and then do a 90° rotation and apply the filter to the columns of your input image. The finally result is the summation of the two convolutions. (See the 4^{th} Lecture).