Group homework 2

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% Problem 1
n=1e6
y = 15*rand(n,1)+2;
x = 3*rand(n,2)-1;
x(:,1) = 15 + x(:,1);
x(:,2) = 30 + x(:,2);
latetime=8
Ttot = @(n) (x(:,1)-y).*(x(:,1)>=y) + (x(:,2)-y).*(x(:,1)< y);
disp('Problem 1')
disp(['the confidence interval is '])
disp([binomialCI(n,sum(Ttot(n) > latetime))]);
% Problem 3
disp('Problem 3')
[mean_g, out] = meanMC_g(@(n1) MonteCarloOptions(n1), .02)
% Problem 5
n2=1e3;
alp=2;
bet=2;
beta_x=(gamma(alp)*gamma(bet))/gamma(alp+bet);
rhox= @(x) (1/beta_x).*(x.^(alp-1)).*(1-x).^(bet-1);
%c=1 over the max of rhox/rhoz from x: 0 to 1
c=1/1.5;
% generate 1.6 * n samples since 1.6 > 1/ c
XU=rand(1.6*n2,2);
% check if Ui < c*(rhox/rhoz)</pre>
keep=XU(:,2) <= (c*rhox(XU(:,1)));
grab=XU(keep==1,1);
disp('Problem 5')
grab=grab(1:n2);
disp(length(grab))
disp('The length of the vector grab is 1000, which contains the 1000 accepted
random variables')
disp('To verify: The mean is:')
disp(mean(grab))
disp('The variance is:')
disp(var(grab))
function y= MonteCarloOptions(n)
    rng(1, "twister");
    z=normrnd(0,1,2,n);
    A = [2^{(1/2)}/2 \ 0; \ 2^{(1/2)}/2 \ 2^{(1/2)}/2 \ ];
    S1=@(n) 100*exp((-.0225)+.3*n);
    S2 = @(n) 100*exp(-.045 + .3*n);
    Ax = A*z;
    g = \max(1/2*(S1(Ax(1,:))+S2(Ax(2,:)))-100, 0);
```

```
y = sum(g)/n
end
n =
     1000000
latetime =
     8
Problem 1
the confidence interval is
    0.4651
              0.4677
Problem 3
y =
     0
Warning: Yrand should be a random variable vector of length n, but not an
integrand or a matrix. Now GAIL is using the default Yrand =@(n)
 rand(n,1).^2.
mean_g =
    0.3282
out =
  struct with fields:
        Yrand: @(n) rand(n,1). ^2
       abstol: 0.0200
       reltol: 0.1000
    bound err: [0.0709 0.0321]
        alpha: 0.0100
        fudge: 1.2000
          tau: 2
          hmu: [0.3376 0.3314]
         time: 0.0226
           n1: 10000
         nSig: 10000
            n: [10000 12028]
      nremain: 999967960
      nbudget: 1.0000e+09
         ntot: 32040
      tbudget: 100
          var: 0.0878
      kurtmax: 5.6915
```

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