

# Bit Operations

In the following questions, use bit manipulation operations to achieve the intended functionality and fill out the function details -

- (a) Implement a function `isPalindrome` which checks if the binary representation of a given number is palindrome. The function returns true if and only if the binary representation of `num` is a palindrome. Assume `num` is 32 bits.

For example, the function should return true for `isPalindrome(0xDEADDAED)` since binary representation of 9 is `1001` which is a palindrome.

```
1  /**
2  * Returns true if binary representation of num is a palindrome
3  */
4  public static boolean isPalindrome(int num) {
5
6      -----
7
8      -----
9
10     -----
11
12     -----
13
14     -----
15
16     -----
17
18     -----
19 }
```

## Solution:

[Here](#) is a video walkthrough for part a.

```
1  /**
2  * Returns true if binary representation of num is a palindrome
3  */
4  public static boolean isPalindrome(int num) {
5      // stores reverse of binary representation of num
6      int reverse = 0;
7
8      // do till all bits of num are processed
9      int k = num;
10     while (k > 0) {
11         // add rightmost bit to reverse
12         reverse = (reverse << 1) | (k & 1);
13         k = k >> 1;           // drop last bit
14     }
```

```
14     }
15     return num == reverse;
16 }
```

**Explanation:** The main idea is to reverse the bits of num; it is a palindrome if and only if it is equal to its reverse. To do this, we initialize **reverse** to all zeros. Inside the loop:

1. Shift reverse to "vacate" its last bit.  
 $rrr \ll 1 \rightarrow rrr0$
2. Get the last bit of k.  
 $kkkk \& 0001 \rightarrow 000k$
3. or the numbers together to get the combined bits.  
 $rrr0 \mid 000k \rightarrow rrrk$
4. Remove the bit of k we just used.

- (b) Implement a function `swap` which for a given integer, swaps two bits at given positions. The function returns the resulting integer after bit swap operation.

For example, when the function is called with inputs `swap(31, 3, 7)`, it should reverse the 3rd and 7th bits from the right and return 91 since 31 (00011111) would become 91 (01011011).

```
1  /**
2  * Function to swap bits at position a and b (from right) in integer num
3  */
4  public static int swap(int num, int a, int b) {
5      -----
6
7      -----
8
9      -----
10
11     -----
12
13     -----
14
15     -----
16
17     -----
18
19     return num;
20 }
```

**Solution:**

[Here](#) is a video walkthrough for part b.

```
1  /**
2  * Function to swap bits at position a and b (from right) in integer num
3  */
4  public static int swap(int num, int a, int b) {
5      int p = a-1;
6      int q = b-1;
7
8      int bit_a = (num >> p) & 1;
9      int bit_b = (num >> q) & 1;
10
11     if (bit_a != bit_b) {        // if the bits are different
12         num ^= (1 << p);
13         num ^= (1 << q);
14     }
15     return num;
16 }
```

**Explanation:** To get the kth bit from the right in a number, we can shift the number right by  $k - 1$  bits, then perform an  $\&$  with 1. For a visualization, suppose we are trying to get the third bit from the right for  $b_4b_3b_2b_1$ . First, we right shift by 2 to get  $00b_4b_3$ .  $00b_4b_3 \& 0001$  gives  $000b_3$  as desired. This is the operation performed in line 8 and 9.

We only need to swap if the two bits are different. If the bits are different, this problem reduces to flipping the bits at position **a** and **b**. To flip a bit at position **k**, we simply **xor** it with 1 (  $1 \oplus 1 = 0, 0 \oplus 1 = 1$  ). This corresponds to lines 12 and 13.