

COGS300

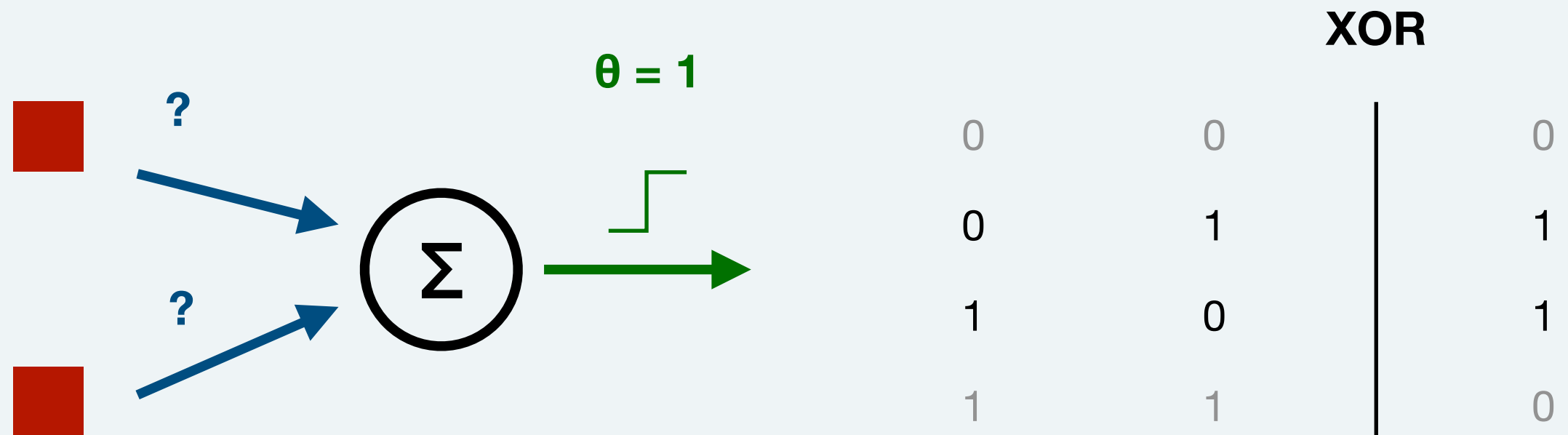
Introducing connectionism

Instructor: Márton Sóskuthy
marton.soskuthy@ubc.ca

TAs: Daichi Furukawa · Victoria Lim · Amy
Wang
cogs.300@ubc.ca

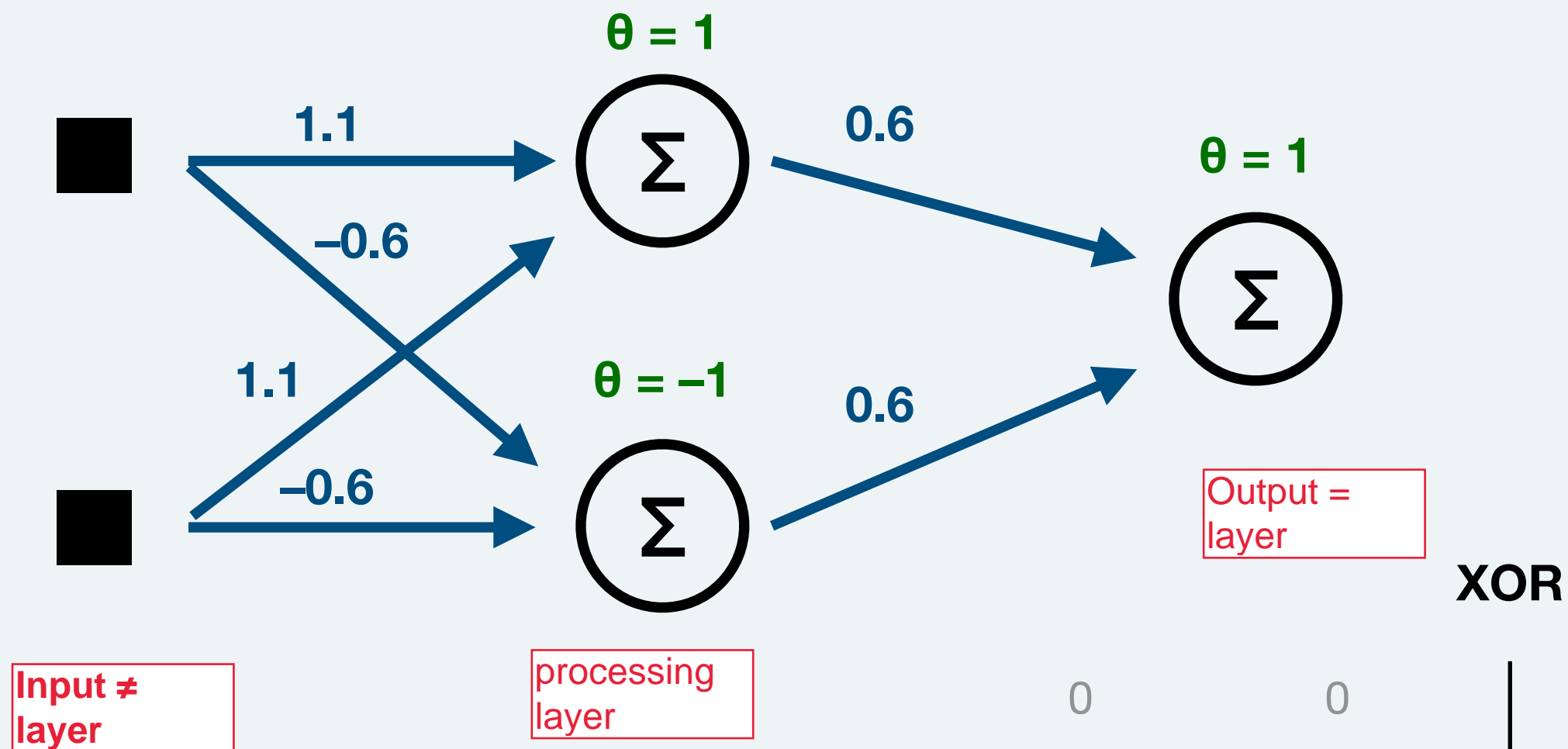
What is the role of neural network models in understanding and modelling the expression of feelings and emotions in cognitive processes?

Back to the XOR problem



$$p \oplus q = (p \vee q) \wedge \neg(p \wedge q)$$

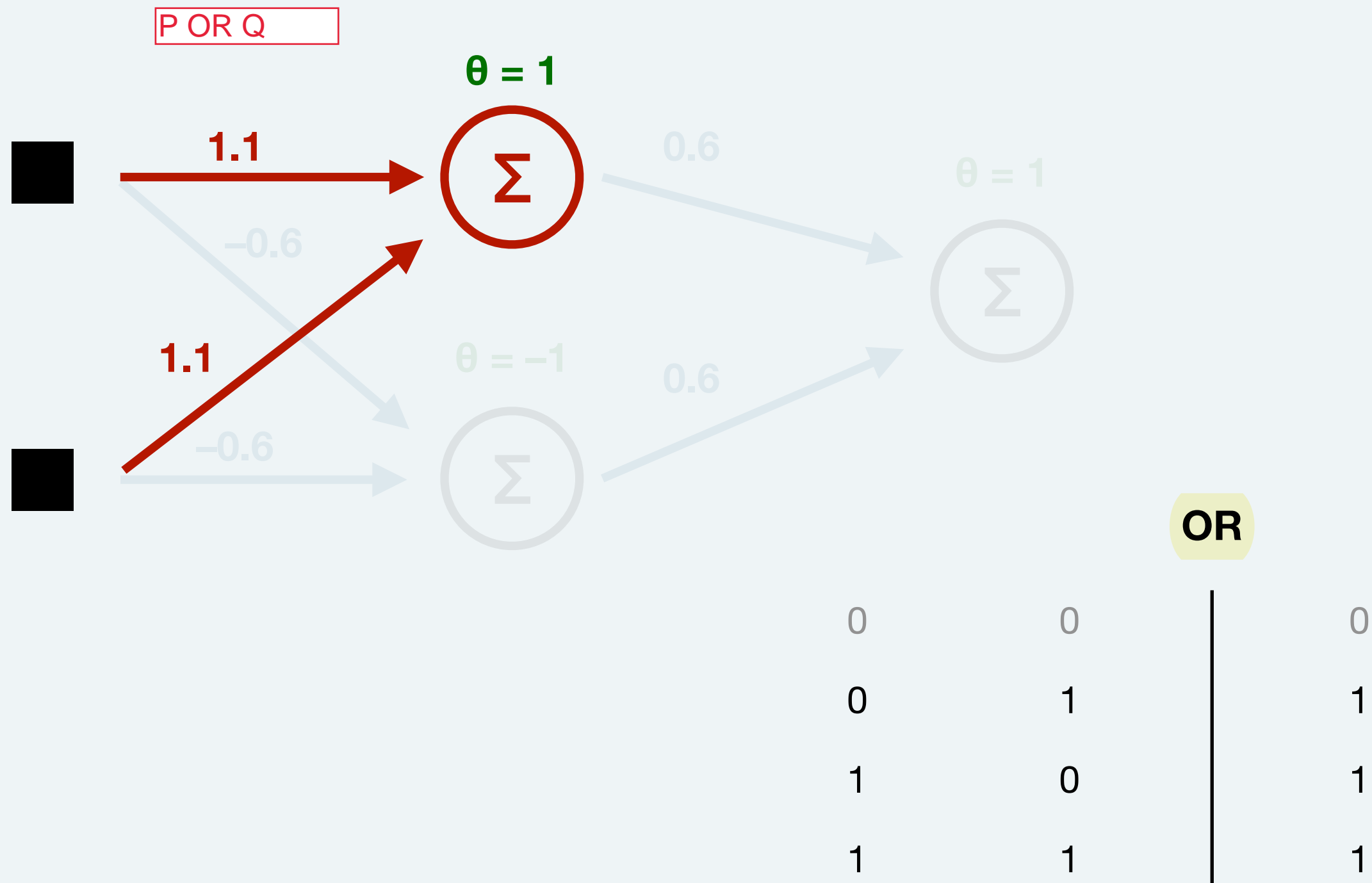
Back to the XOR problem



0	0	0
0	1	1
1	0	1
1	1	0

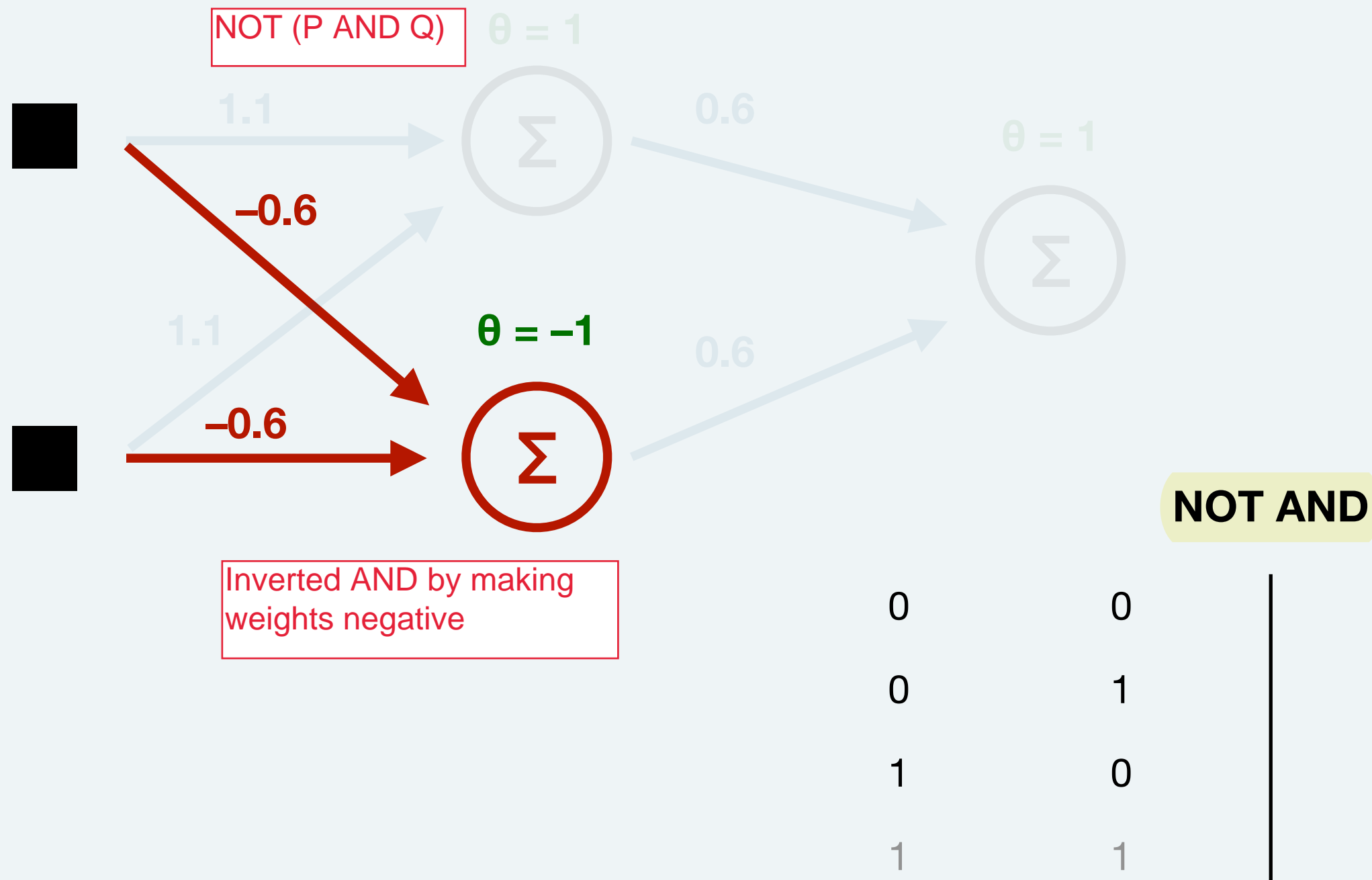
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Back to the XOR problem



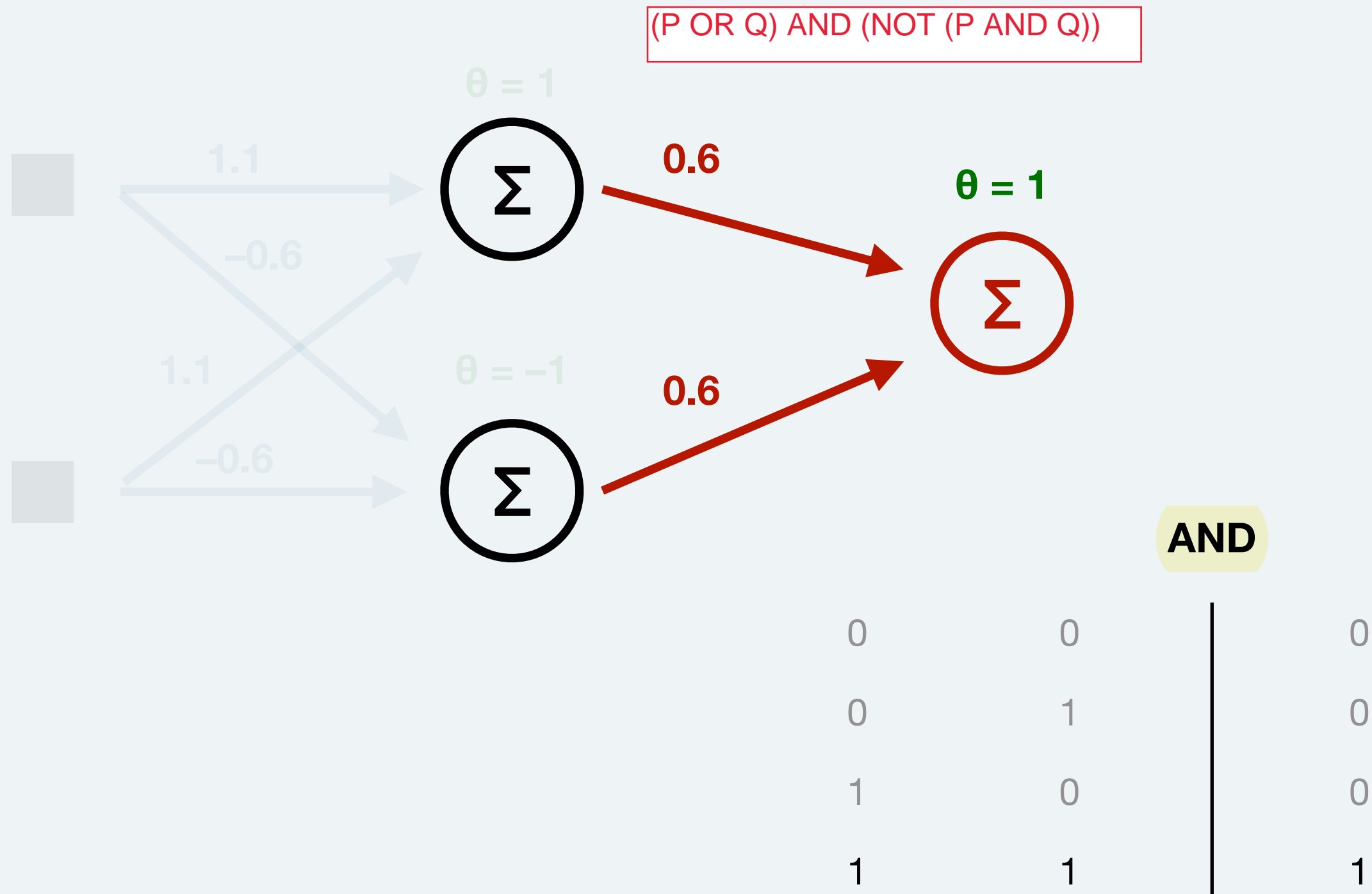
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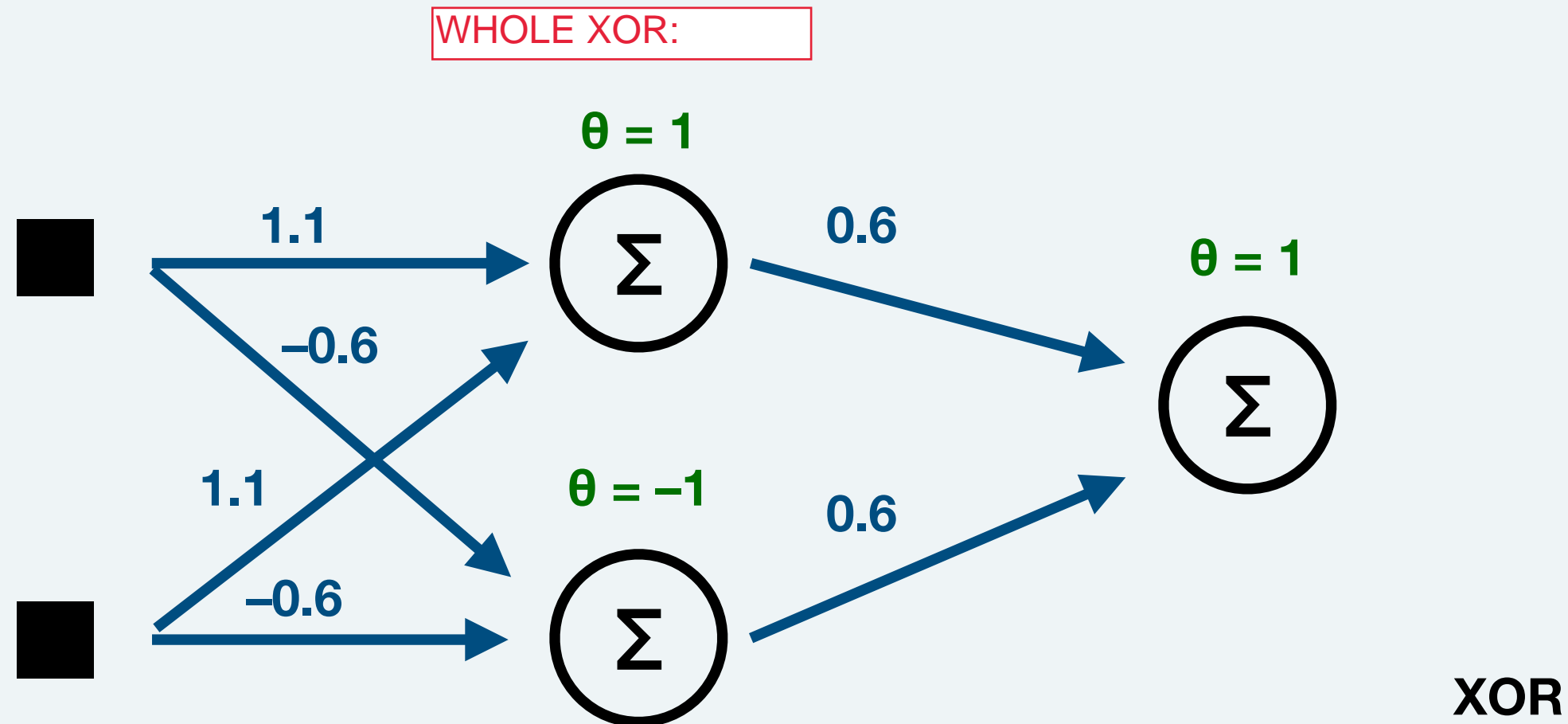
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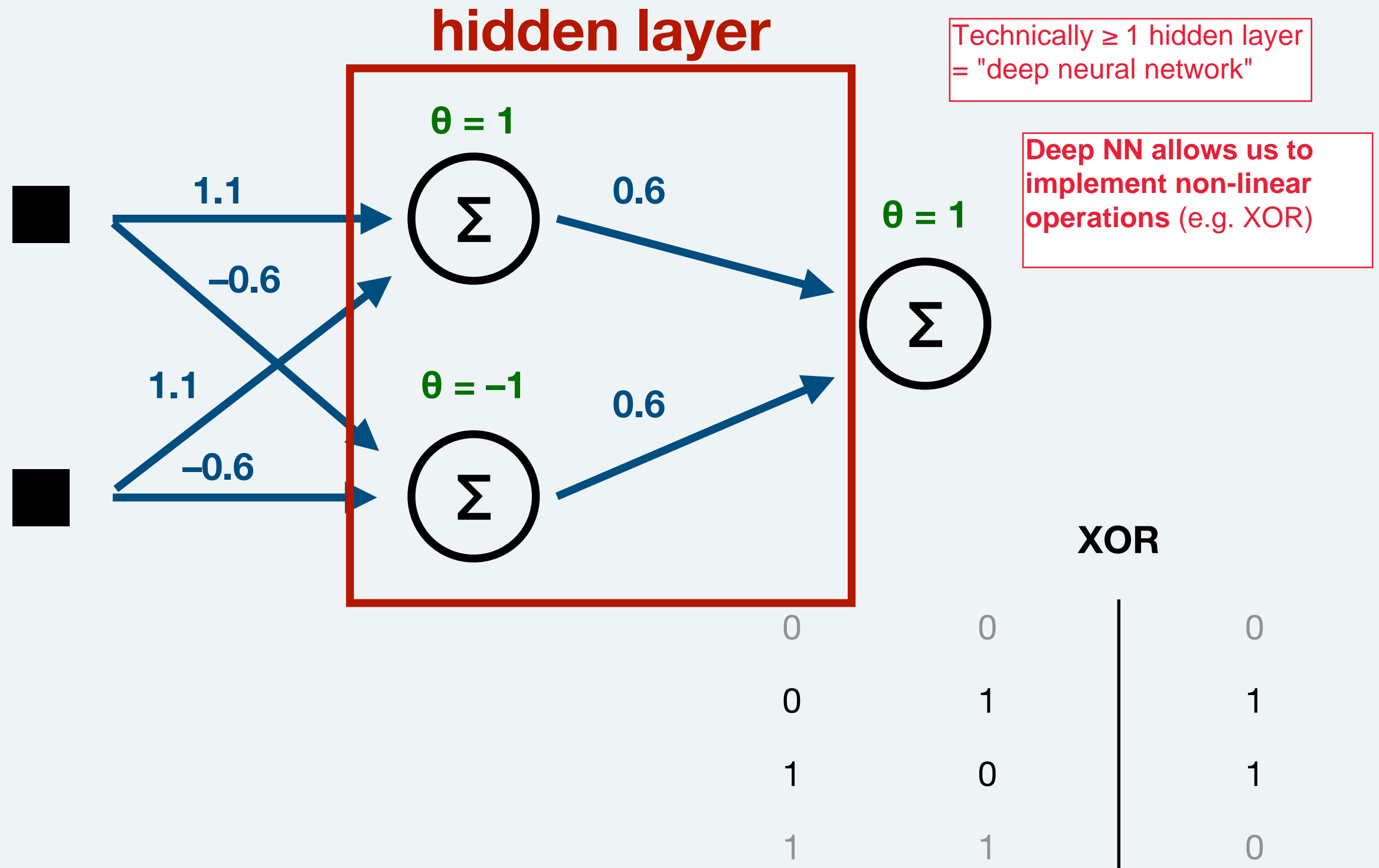
Back to the XOR problem



		XOR
0	0	0
0	1	1
1	0	1
1	1	0

$$\mathbf{p} \oplus \mathbf{q} = (\mathbf{p} \vee \mathbf{q}) \wedge \neg(\mathbf{p} \wedge \mathbf{q})$$

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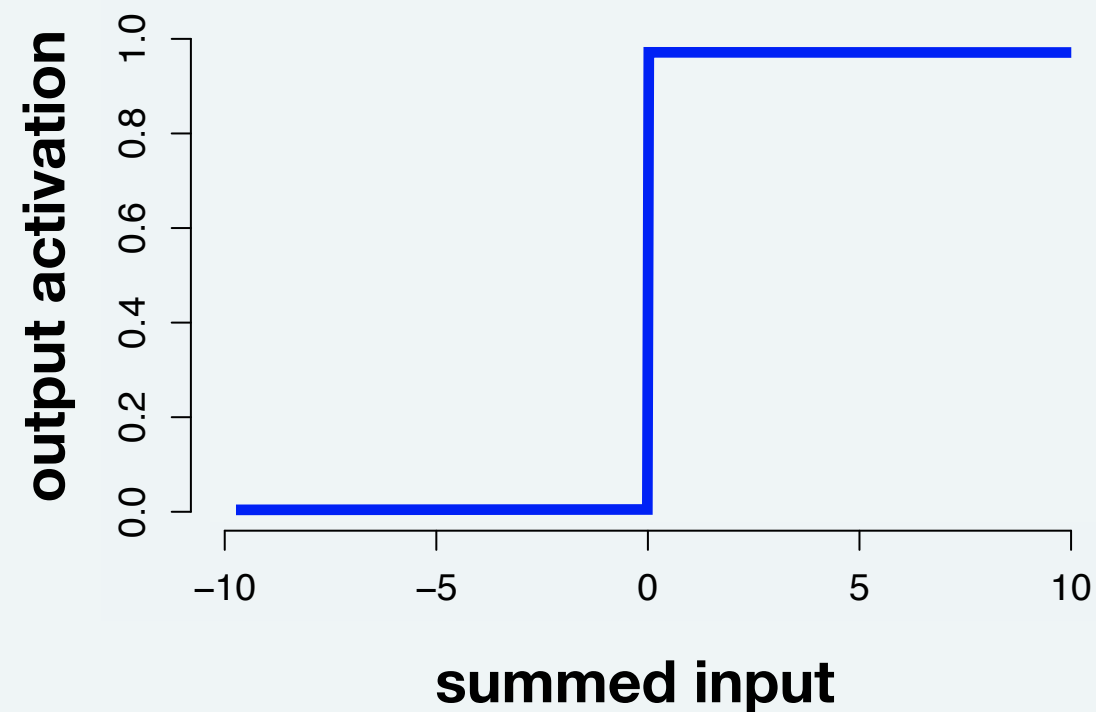
But how do you train such a network?

A more complex learning algorithm is needed – the perceptron learning rule just doesn't cut it!

The actual algorithm is pretty complex, so we'll only look at the main intuition behind it.

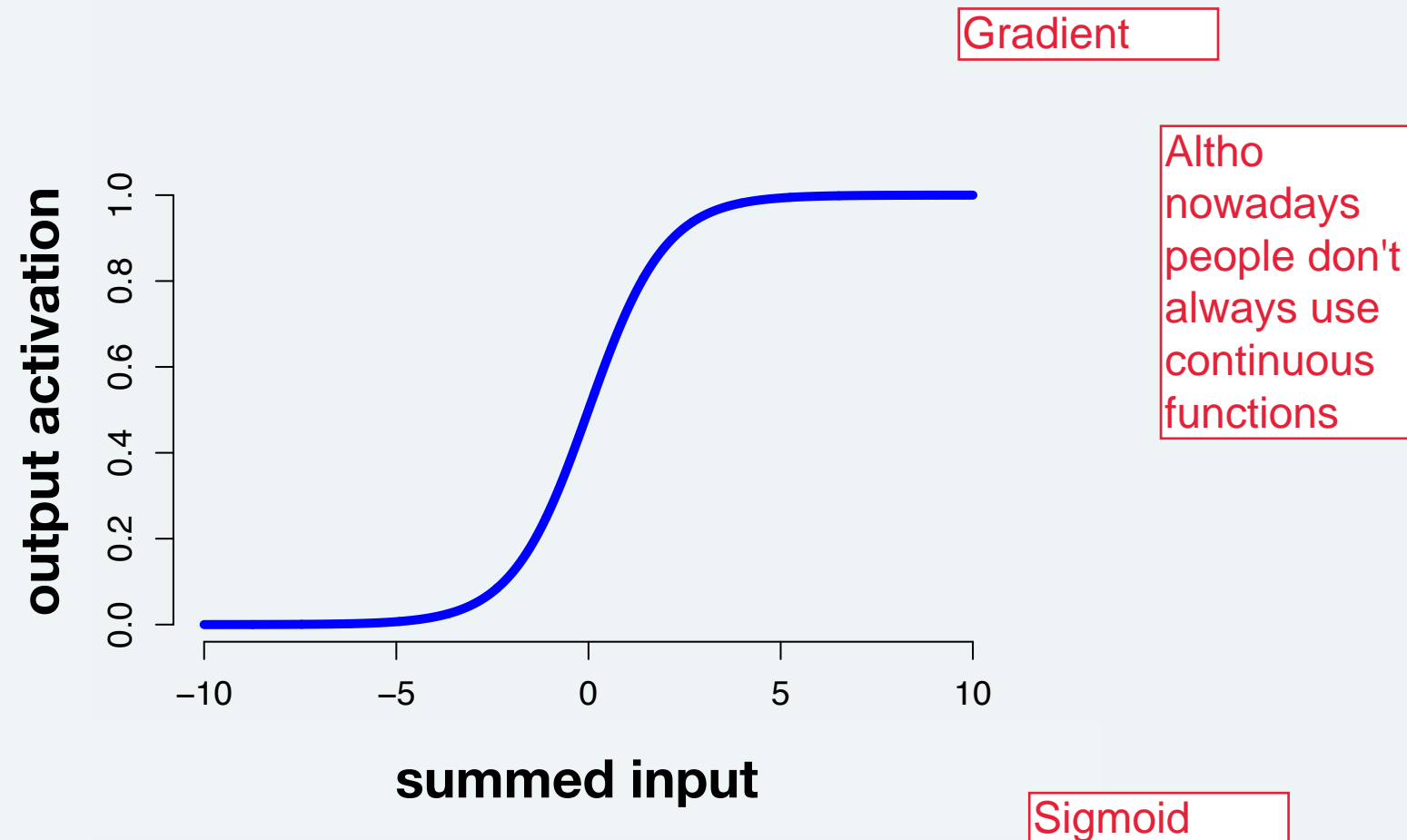
But how do you train such a network?

Changing the activation function



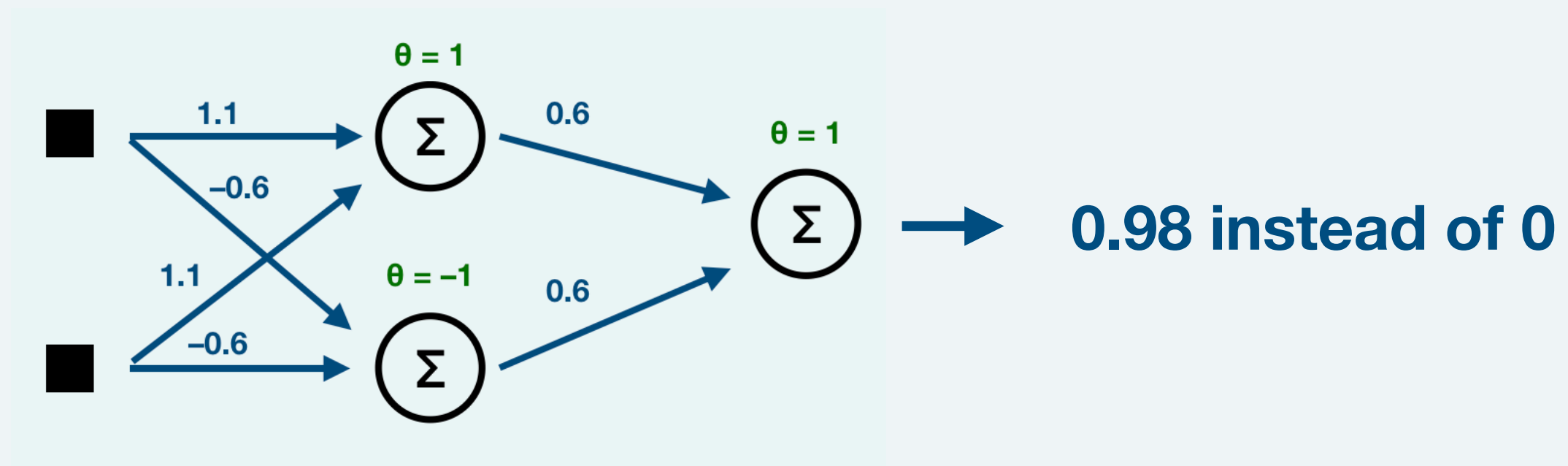
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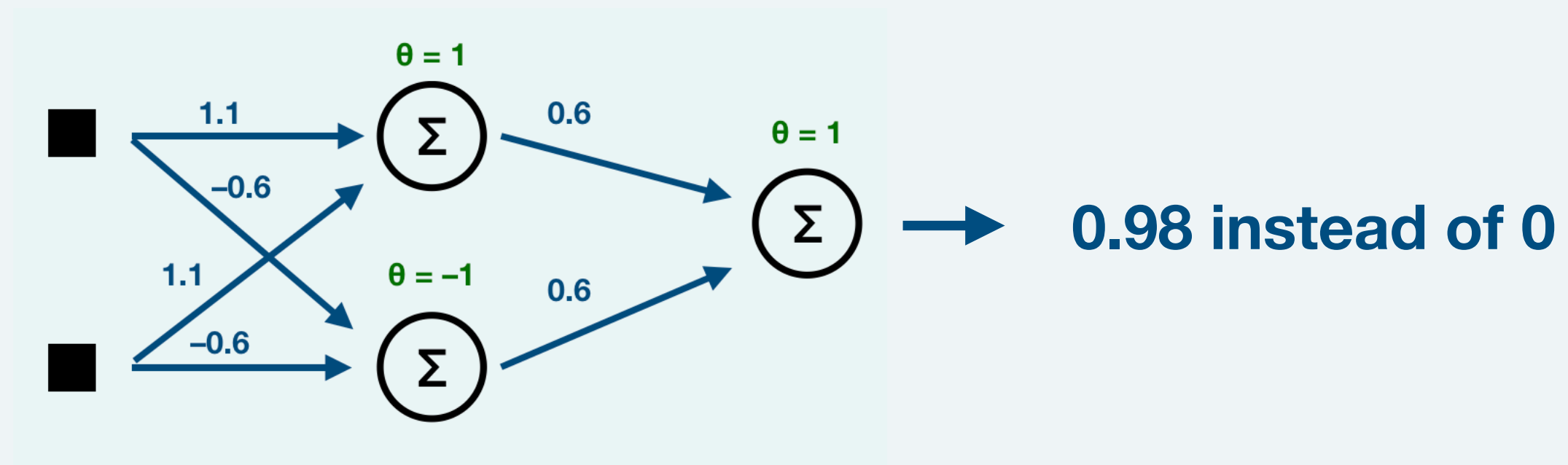
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The loss function –
the error to be minimised during learning



But how do you train such a network?

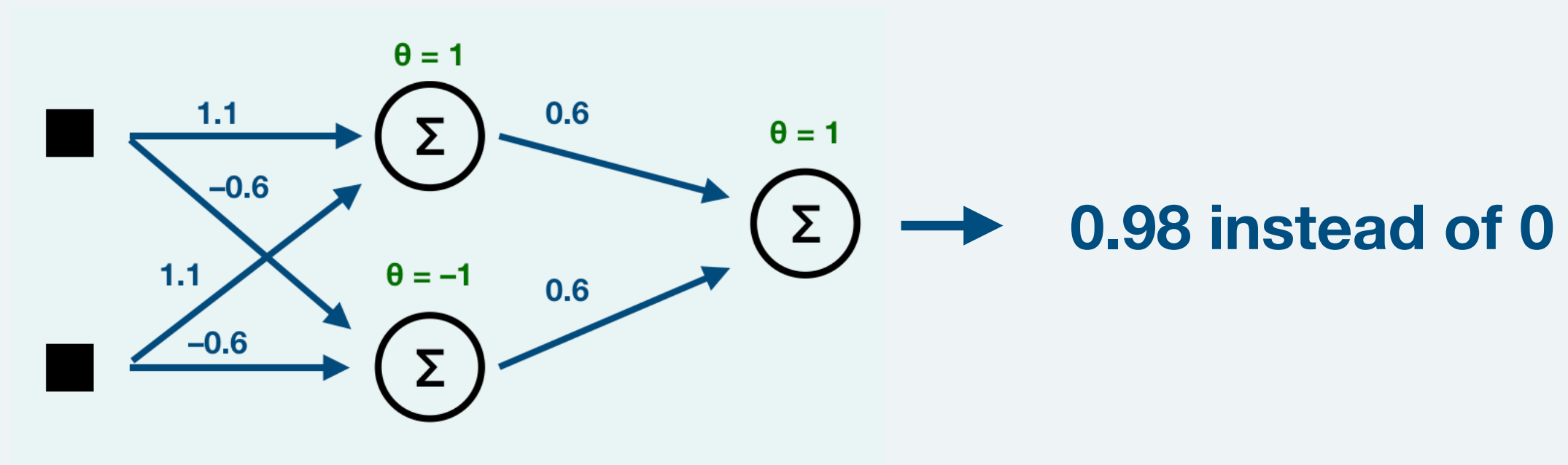
The loss function –
the error to be minimised during learning



$E = \text{target} - \text{actual}?$

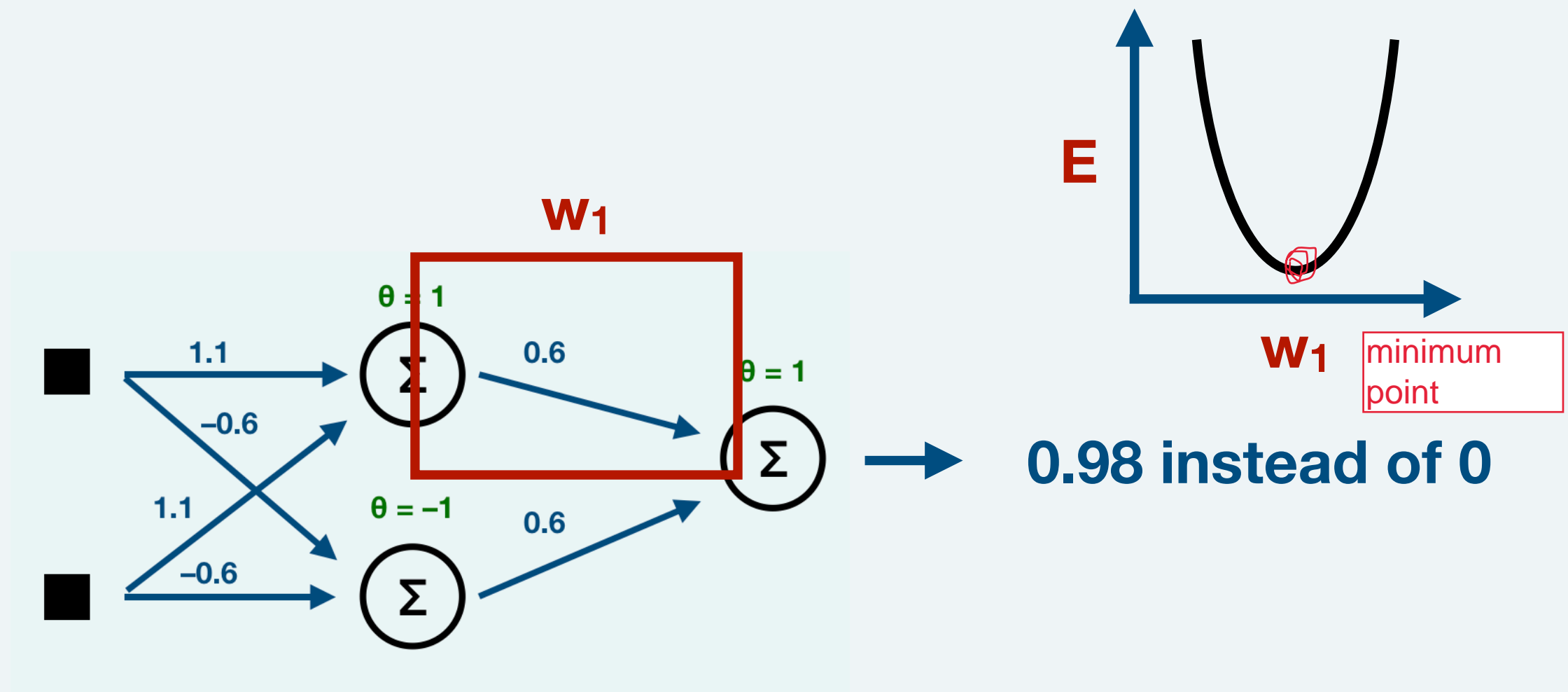
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The loss function –
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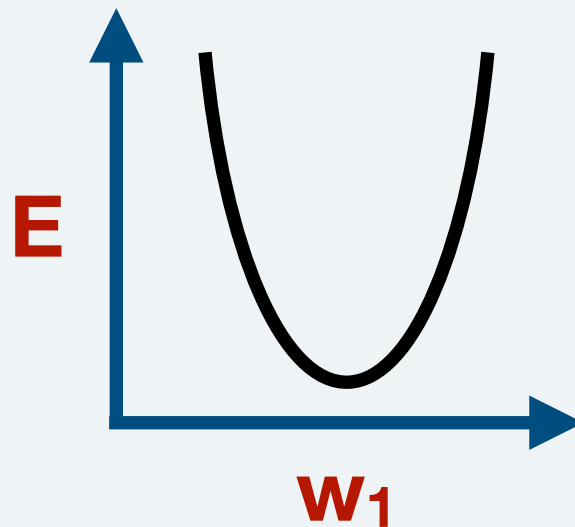
$$E = (\text{target} - \text{actual})^2$$

But how do you train such a network?



$$E = (\text{target} - \text{actual})^2$$

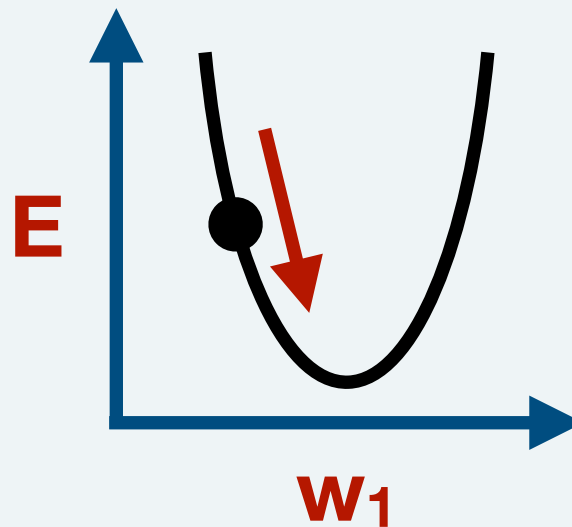
But how do you train such a network?



Larger number of features:
need more efficient
guessing method

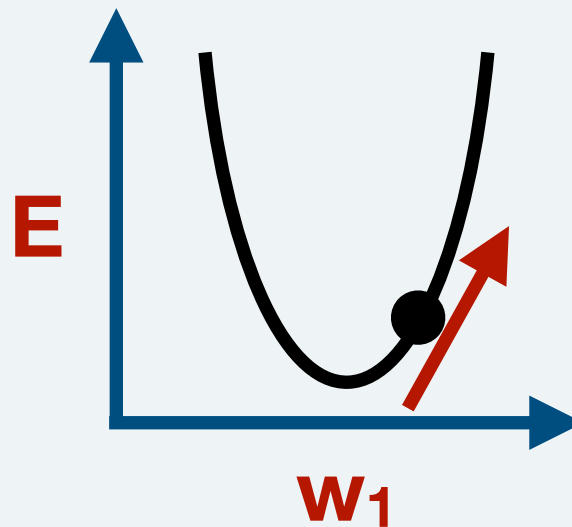
But how do you train such a network?

the gradient



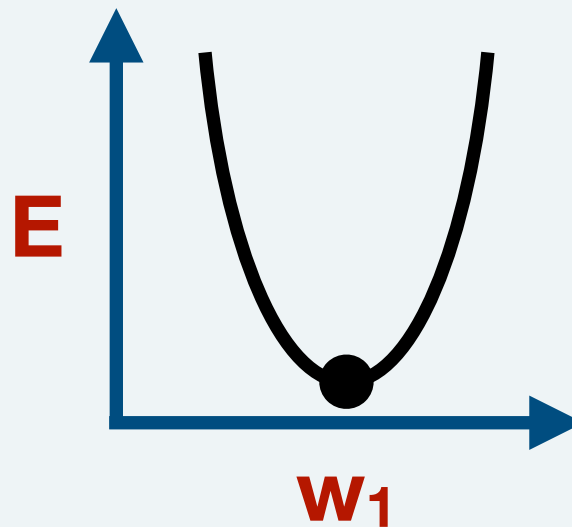
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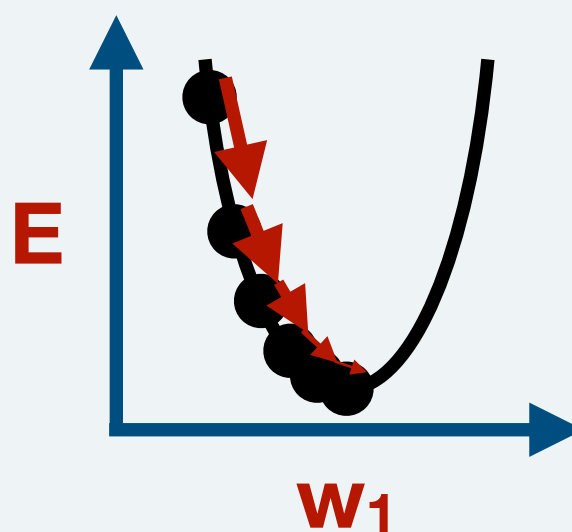
But how do you train such a network?

gradient = 0 at minimum

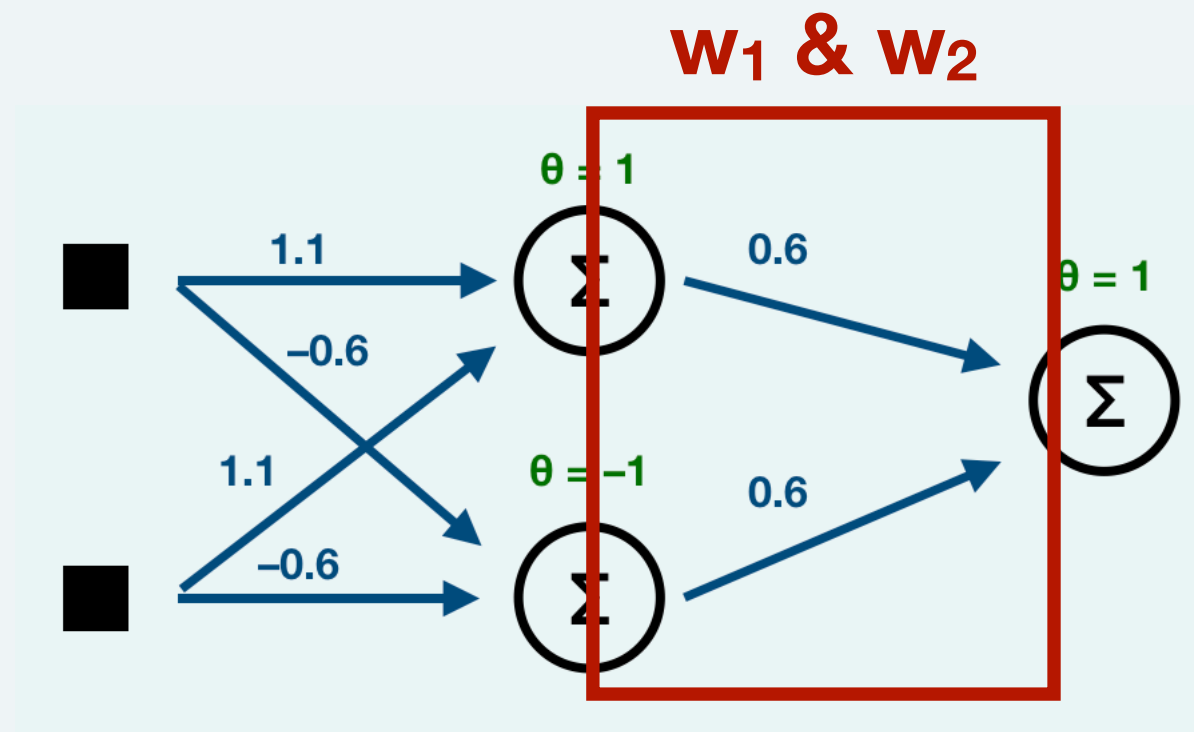


But how do you train such a network?

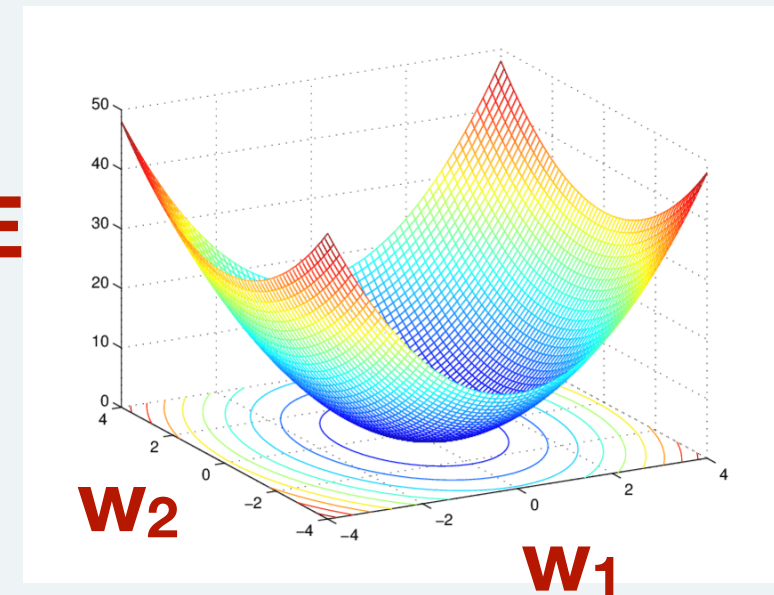
gradient descent



But how do you train such a network?



E

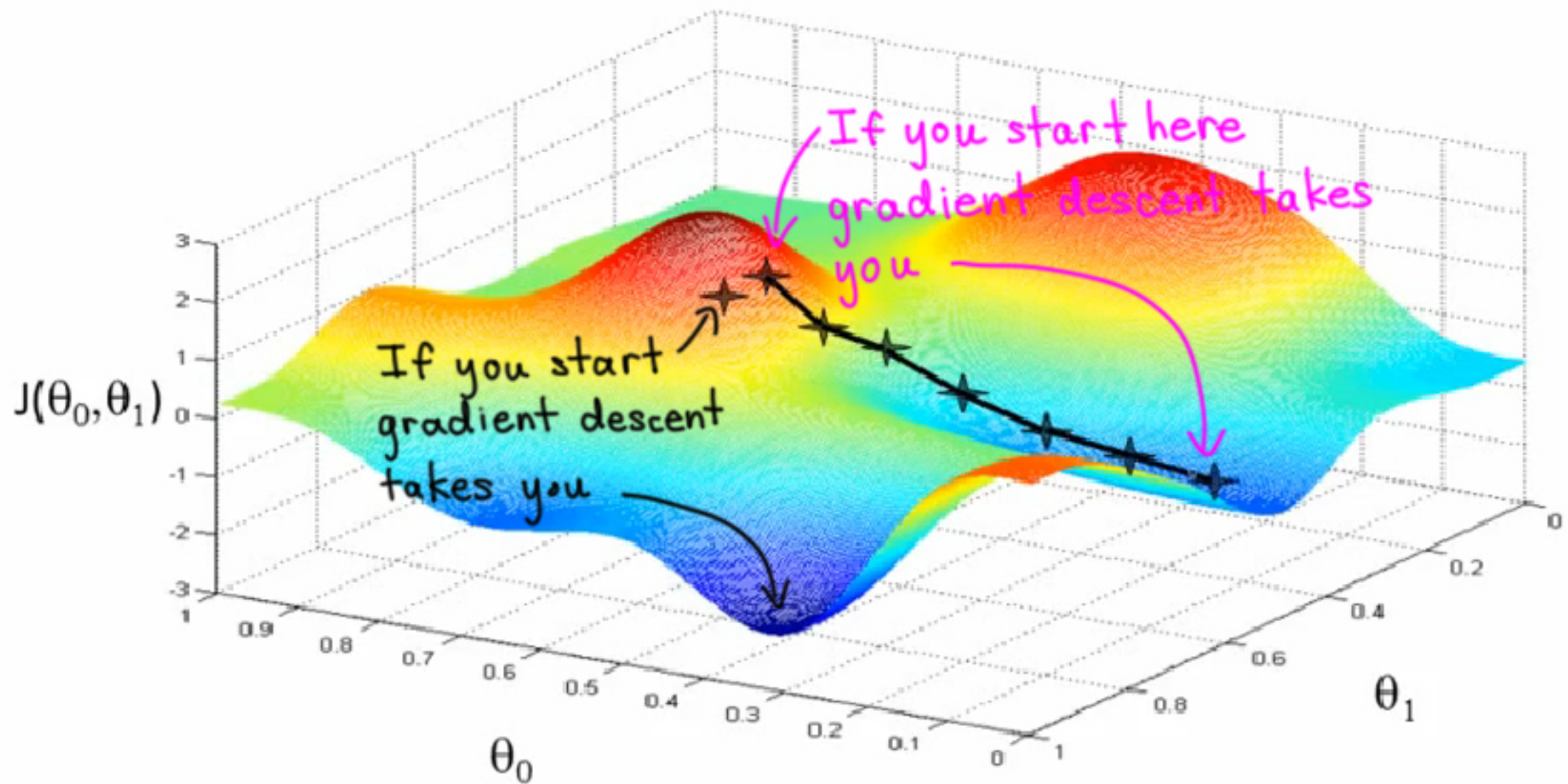


each parameter = a
new dimension

$$E = (\text{target} - \text{actual})^2$$

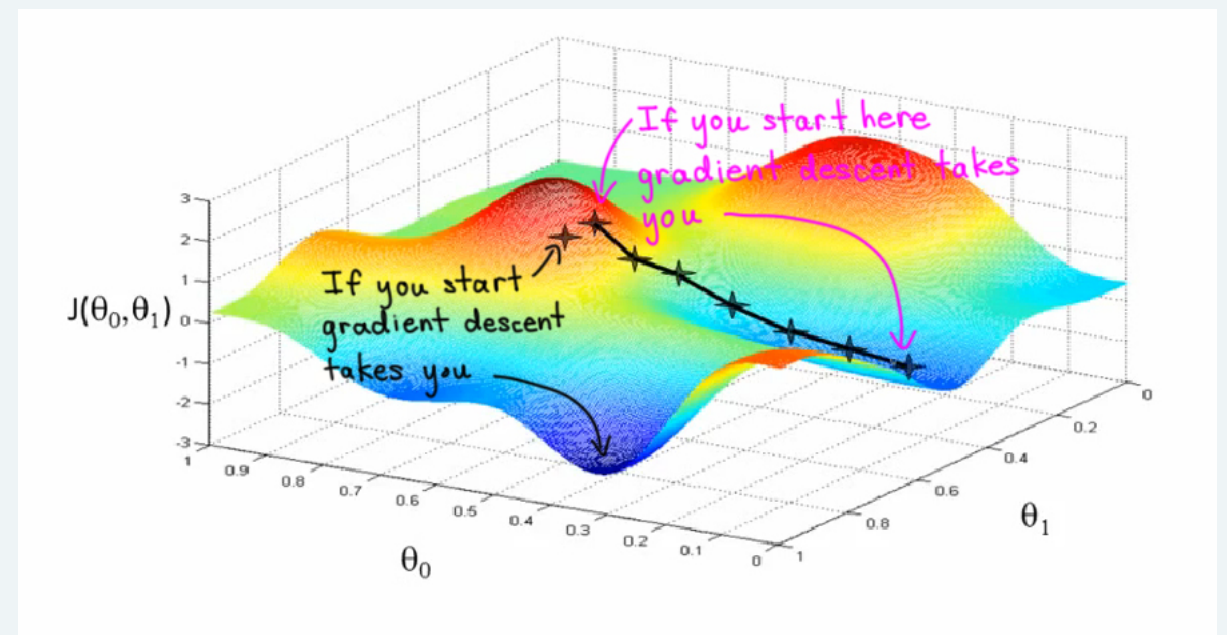
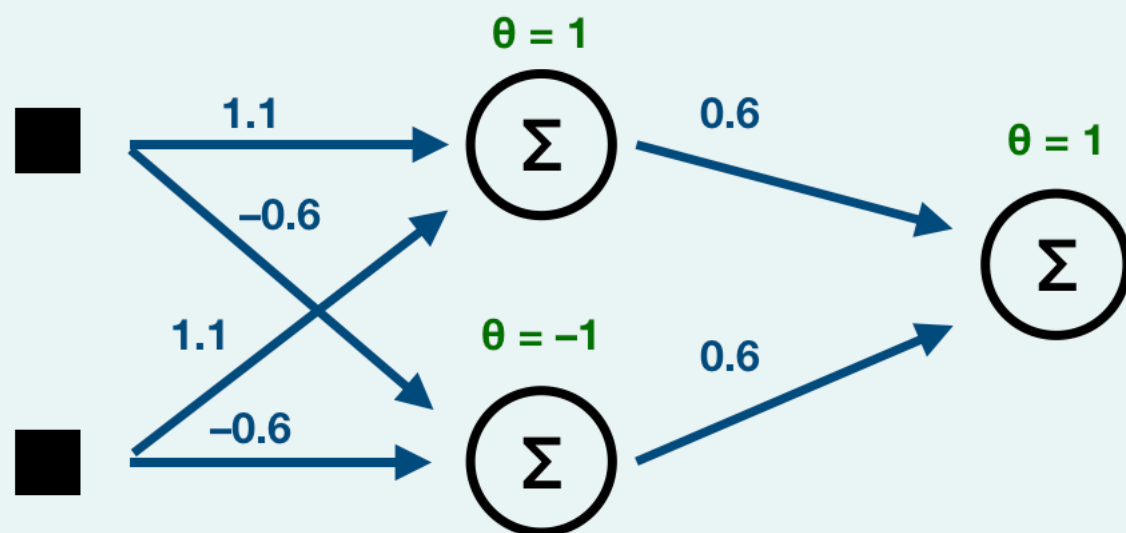
But how do you train such a network?

Problem: get stuck in local minimum



But how do you train such a network?

Back propagation is an algorithm that implements gradient descent for neural networks with hidden layers.



<https://www.youtube.com/watch?v=llg3gGewQ5U>

learning rate
= step size
in gradient
descent

training loss
always lower
than test loss

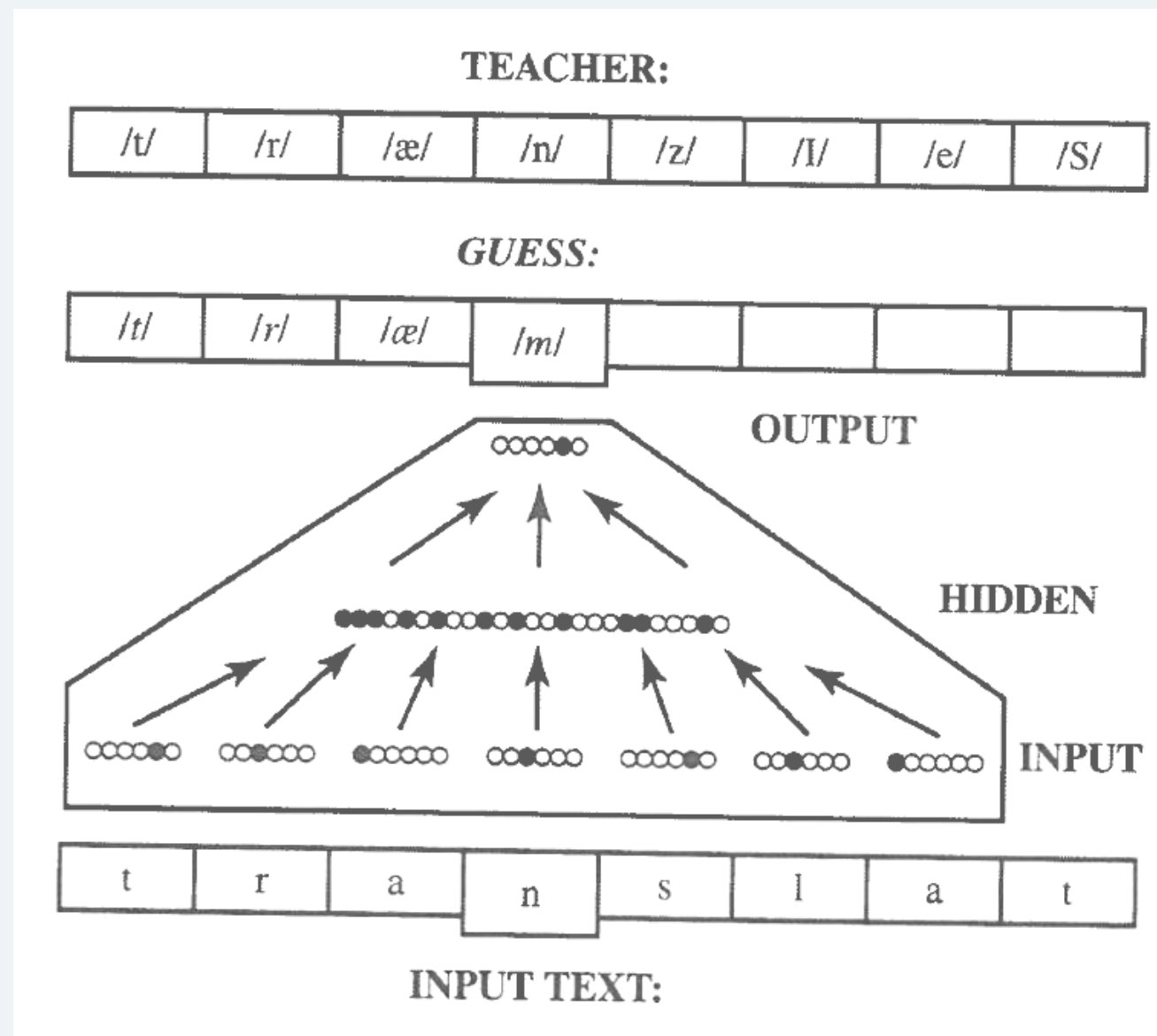


**Let's have a play around with the
following website:**

<https://playground.tensorflow.org>

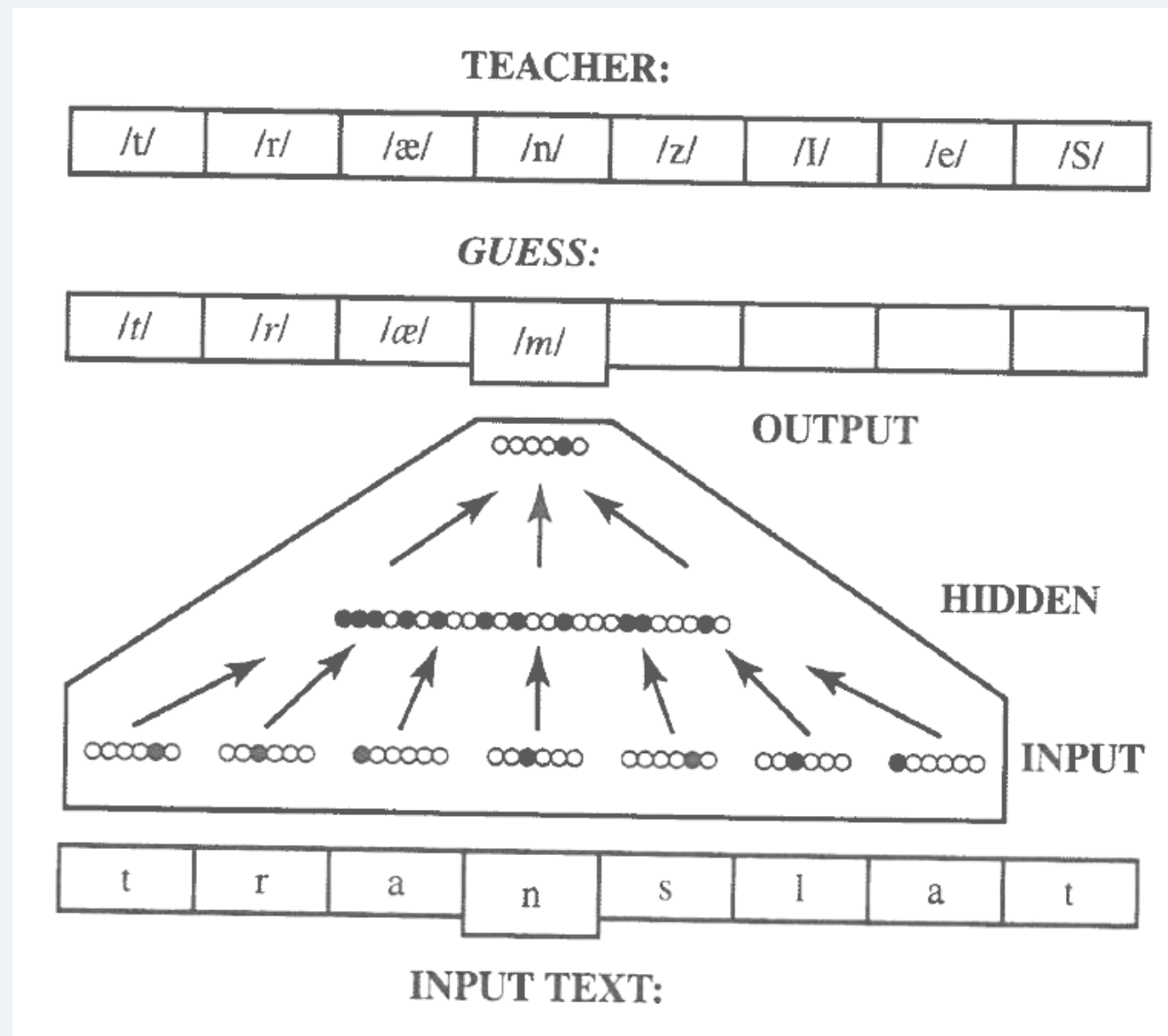
Examples of connectionist networks

NETtalk



Examples of connectionist networks

NETtalk



- **distributed, superpositional & subsymbolic representations**
 - ➔ **graceful degradation**
 - ➔ **generalisation**

Examples of connectionist networks

Recurrent networks

