Lecture 19: Descriptive Statistics

Wednesday, November 1, 2023

Your Teaching Fellows:

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Lectures: MWF 12:00 PM - 1:00 PM (003); 1:00 PM - 2:00 PM (004); 2:00 PM - 3:00 PM (010)

Office hours: Tuesdays 2:00 PM – 4:00 PM

For the exam

Bring pencil, pen, eraser, a simple or scientific calculator (no programmable calculator)

Recall...

- Goals of science:
 - To describe behaviour
 - Descriptive statistics
 - Correlation
 - To predict behaviour
 - Regression
 - To determine the cause of behaviour
 - To understand or explain behaviour

- What do we need in order to predict someone's score on an outcome variable?
 - Relationship between two variables
 - Some "point of origin"

Regression

- Extension of correlation:
 - Both measure relationships among variables
 - Neither implies causation
- Important characteristics:
 - Key terms, not just "variable 1" and "variable 2"
 - Use score on one variable ("Predictor") to predict changes in another variable ("Criterion")
 - Regression models = a set of theoretically relevant predictors predicting a criterion variable
 - Can look at how <u>1 or more</u> predictors can uniquely predict variability in criterion, amongst a set of predictors

- Correlation question:
 - Is there a relationship between





r = -.49

- What do we need in order to predict someone's score on an outcome variable?
 - Relationship between two variables
 - Some "point of origin"

Regression question:

Can we use one's age of immigration to predict current identification with Canadian

culture?

Regression line: Relationship

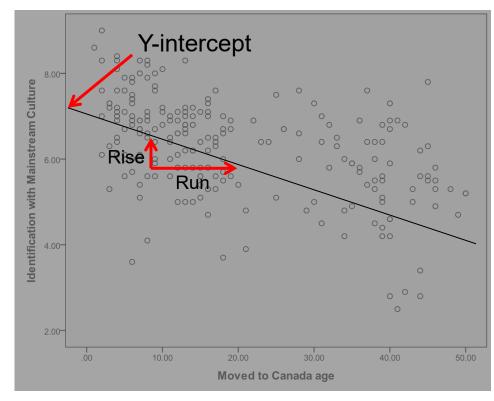
 $\widehat{Y} = a + bX$

• Rise over run

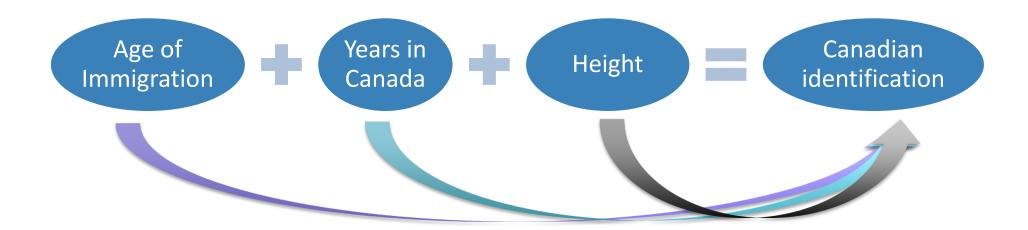
■ a = y-intercept

• When predictor = 0, what is the value of the criterion?

 $\hat{Y} = 7.03 - .04X$



- Most important benefit of regression:
 - Can investigate role of multiple predictors in independently predicting the criterion



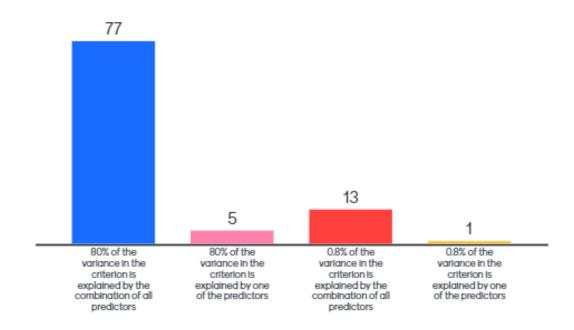
To examine contribution of each predictor, we use the <u>multiple regression</u> equation

$$\hat{Y} = a + (b_1 X_1) + (b_2 X_2) + (b_3 X_3)$$

 $\hat{Y} = 6.90 - .04$ (age of immigration) + .01(years in Canada) + .02(height)

• Multiple correlation coefficient (R) R = .49

The Multiple Correlation (R) indicates the contribution of all predictors combined in predicting the criterion. What does an R^2 of .80 mean?







To examine contribution of each predictor, we use the <u>multiple regression</u> equation

$$\hat{Y} = a + (b_1 X_1) + (b_2 X_2) + (b_3 X_3)$$

 $\hat{Y} = 6.90 - .04$ (age of immigration) + .01(years in Canada) + .02(height)

• Multiple correlation coefficient (R) R = .49 $R^2 = .24$

Partial correlation

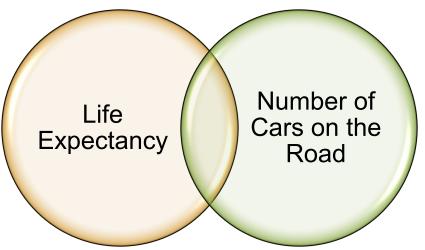
- 3rd variable problem
 - Some other variable is responsible for the relationship between X & Y

• Identify and statistically control for 3rd variable!

Example of partial correlations

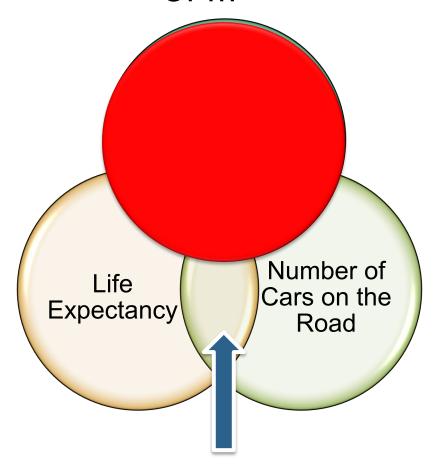
"SOCIETIES IN
WHICH PEOPLE LIVE
THE LONGEST HAVE
THE MOST CARS!
CARS IMPROVE LIFE
EXPECTANCY!"







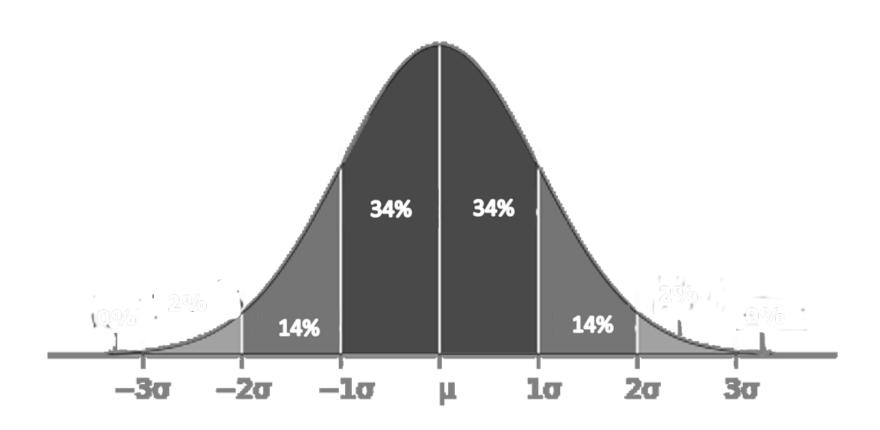




Measures of relationship

- Bivariate correlation (r)
 - Standardized index of how much two variables change with each other
- Squared Correlation (r^2)
 - Proportion of variability shared by 2 variables
- Multiple Regression
 - A technique used when we want to test how well one or more predictors individually predict the criterion
- Multiple Correlation (R)
 - A type of correlation coefficient that indexes how much a set of predictors, when combined, is related to the criterion
- Squared Multiple Correlation (R²)
 - Proportion of variability in criterion accounted for by set of predictors
- Partial Correlation
 - A correlation between X and Y that statistically removes the effect of 3rd variable

Any questions?



Study, ask questions

